



[Unit 1 Linear Classifiers and Course](#) > [Generalizations \(2 weeks\)](#)

> [Homework 1](#) > 3. Decision Boundaries

Audit Access Expires May 11, 2020

You lose all access to this course, including your progress, on May 11, 2020. Upgrade by Mar 25, 2020 to get unlimited access to the course as long as it exists on the site. **Upgrade now**

3. Decision Boundaries

In this problem, we will investigate the decision boundary of different classifiers.

3. (a)

2/2 points (graded)

Consider the function defined over three binary variables:

$$f(x_1, x_2, x_3) = (\neg x_1 \wedge \neg x_2 \wedge \neg x_3).$$

We aim to find a θ such that, for any $x = [x_1, x_2, x_3]$, where $x_i \in \{0, 1\}$:

$$\theta \cdot x + \theta_0 > 0 \text{ when } f(x_1, x_2, x_3) = 1, \text{ and}$$

$$\theta \cdot x + \theta_0 < 0 \text{ when } f(x_1, x_2, x_3) = 0.$$

If $\theta_0 = 0$ (no offset), would it be possible to learn such a θ ?

☐ Yes☒ No

Would it be possible to learn the pair θ and θ_0 ?

☒ Yes☐ No

Solution:

- Since $\theta \cdot 0 = 0$, it is impossible to obtain $\theta \cdot x + \theta_0 > 0$ for $f(0, 0, 0) = 1$.
- $\theta_1 = \theta_2 = \theta_3 = -1$ and $\theta_0 = 0.5$ is a valid solution.

You have used 1 of 3 attempts

i Answers are displayed within the problem

3. (b-1)

1/1 point (graded)

You are given the following labeled data points:

- Positive examples: $[-1, 1]$ and $[1, -1]$,
- Negative examples: $[1, 1]$ and $[2, 2]$.

For each of the following parameterized families of classifiers, identify which parameterized family has a family member that can correctly classify the above data

and find the corresponding parameters of a family member that can correctly classify the above data.

Note: If there is no family member inside the parameterized family that can correctly classify the above data, just enter 0 for all the parameters.

Inside (positive) or outside (negative) of an origin-centered circle with radius r . Enter a scalar for r . If there is no such r , just enter 0.

✓ Answer: 0

Solution:

- Any circle that correctly classifies $[-1, 1]$ and $[1, -1]$ would incorrectly classify $[1, 1]$

Submit

You have used 1 of 3 attempts

i Answers are displayed within the problem

3. (b-2)

2/2 points (graded)

Inside (positive) or outside (negative) of an $[x, y]$ -centered circle with radius r .

$[x, y]$:

✓ Answer: See solution

r :

✓ Answer: See solution

Solution:

- A valid solution is $[x, y] = [-1, -1], r = 2.1$

Submit

You have used 2 of 3 attempts

i Answers are displayed within the problem

3. (b-3)

1.0/1 point (graded)

Strictly above (positive) or below (negative) a line through the origin with normal θ . Here we define "above" as $\theta \cdot x > 0$, and define "below" similarly. **Note:** Please enter a list for θ as $[\theta_1, \theta_2]$. If there is no solution, enter $[0, 0]$

✓ Answer: $[0, 0]$

Solution:

- There is no line through the origin that can simultaneously be strictly below $[1, -1]$ and $[-1, 1]$

Submit

You have used 1 of 3 attempts

i Answers are displayed within the problem

3. (b-4)

2/2 points (graded)

Strictly above (positive) or below (negative) a line with normal θ and offset θ_0 . Here we define "above" as $\theta \cdot x + \theta_0 > 0$, and define "below" similarly. **Note:** If there is no solution, enter $\theta = [0, 0]$ and $\theta_0 = 0$.

 $[\theta_1, \theta_2]:$

✓ Answer: See solution

θ_0 : 1

✓ Answer: See solution

Solution:

- A valid solution is $[\theta_1, \theta_2, \theta_0] = [-1, -1, 0.5]$

Submit

You have used 2 of 3 attempts

 Answers are displayed within the problem

3. (b-5)

1/1 point (graded)

Which of the below are families of linear classifiers?


(Choose all that apply.)

☐ Inside or outside of an origin-centered circle with radius r .☐ Inside or outside of an $[x, y]$ -centered circle with radius r .☒ Strictly above or below a line through the origin with normal θ .☒ Strictly above or below a line with normal θ and offset θ_0 .**Solution:**

- The first two families are nonlinear (circles), and the last two families are linear classifiers (lines).

Submit

You have used 1 of 2 attempts












 Answers are displayed within the problem

Discussion

[Hide Discussion](#)

Topic: Unit 1 Linear Classifiers and Generalizations (2 weeks):Homework 1 / 3. Decision Boundaries

[Add a Post](#)

Show all posts	by recent activity
<p> <u>The meaning of 3-a) Boolean notation</u></p> <p><u>It's not clear, so I wanted to confirm. The described function is supposed to be (NOT X1) AND ...</u></p> <p> <u>Pinned</u></p>	4
<p> <u>[STAFF] 3.(b-2) incomplete grading?</u></p> <p><u>I got 1/2 of answers correct, but the grader marked it as incorrect?</u></p>	6
<p> <u>[Staff]Answer to first part of 3b-4 question is correct.....</u></p> <p><u>Dear staff, My answer to the first part of the subject question is correct while it's still marked ...</u></p>	3
<p> <u>Help 3b1</u></p> <p><u>I don't understand the question. - What exactly need to be done? - How is the input need to l...</u></p>	11
<p> <u>[STAFF] 3b5</u></p> <p><u>So When u say linear what does it make a difference if the circle is origin or cenetered [x,y] Q...</u></p>	2
<p> <u>Staff : I added correct values in B-4 but showing as wrong</u></p> <p><u>I added correct values in B-4 why it is showing as wrong pls staff check and correct it</u></p>	2
<p> <u>b-2 and b-4</u></p>	4
<p> <u>[STAFF] 3.(b-4)</u></p> <p><u>STAFF, I drew a line with offset that separate the postive points from negative points. Howeve...</u></p>	4
<p> <u>[STAFF] 3b-5</u></p> <p><u>I am struggling to understand 3b- 5 . How do know if the statement is a linear classifier or not...</u></p>	4
<p> <u>Where is radius discussed?</u></p> <p><u>I've reviewed and reviewed the videos and don't see any reference to 'radius' mentioned. Not...</u></p>	10

- | | |
|--|---|
| 💬 <u>Tip for b2</u> | 1 |
| <u>After being embarrassed for not being able to solve this right away, here is a tip: 1. I draw a ci...</u> | |
| ? <u>3b4</u> | 5 |
| <u>I tried to plot the positive points and negative points on the graph. The negative points are ar...</u> | |

[Learn About Verified Certificates](#)

© All Rights Reserved