

# Subset Of Sequences

Limits: 1s, 512 MB

You will be given a set of sequences. Each sequence is a list of numbers. Two sequences are  $K$ -similar if the first  $K$  or more numbers from the both sequences are same and appear in same order in both set ( $K$  must be less than or equal to the size of the smaller sequence). That is the  $K$  length prefix of both sequence is same. So  $[1, 3, 5, 7, 9, 11]$  and  $[1, 3, 5, 7, 8, 11]$  sequences can be said 4-similar, 3-similar, 2-similar, 1-similar or 0-similar.  $[2, 4]$  and  $[2, 4, 6]$  are 2-similar, 1-similar or 0-similar. And  $[1, 2]$  and  $[2, 1]$  are only 0-similar.

Now you will be given  $Q$  values for  $K$ . For each given  $K$ , you have to tell how many ways we can take a non empty subset\* from the set of sequences so that any two sequence from the subset are  $K$ -similar.

\* Set **A** is a subset of set **B** if **A** is “contained” inside **B**, that is, all elements of **A** are also elements of **B** regardless of order.

## Input

First line of the input is an integer  $N$  ( $2 \leq N \leq 10000$ ), the number of sequence in this case. Than for each next  $N$  lines, first number of the line  $i$  is  $M_i$  ( $1 \leq M_i \leq 1000000$ ) which is the number of members in this sequence. Then there will be  $M_i$  integers, each  $j$  of those integers  $W_{ij}$  ( $1 \leq W_{ij} \leq 10^9$ ) is  $j$ th element of  $i$ th sequence. Number of elements from all the sequences (sum of all  $M_i$ ) is less than or equal to  $10^6$ .

In next line, there will a integer  $Q$  ( $Q \leq 100000$ ), number of queries. Next line will have  $Q$  integers, each will be a different value of  $K$  ( $0 \leq K \leq 1000000$ ).

## Output

For each  $K$  in  $Q$  queries, print “Case  $I$ :  $R$ ” where  $I$  is query number and  $R$  is how many ways we can take a non empty subset from the set of sequences so that any two sequence from the subset are  $K$ -similar. As the results can be very large, output it's mod by 1000000007.

## Samples

Input	Output
4	Case 1: 2
5 1 3 5 7 9	Case 2: 3
5 1 3 5 7 11	Case 3: 4
2 2 4	Case 4: 6
3 2 4 6	Case 5: 6
5	
5 4 3 2 1	

Explanation, for  $k=3$ , the subsets are {1st sequence}, {2nd sequence}, {4th sequence}, {1st and 2nd sequence} so result is 4.