

Actual data

2m Rows  $\rightarrow$  50 - 100 columns

- Linear model

- KNN

4-5  
algo

- DT

- RF

- AdaBoost

Naive Bayes  $\rightarrow$

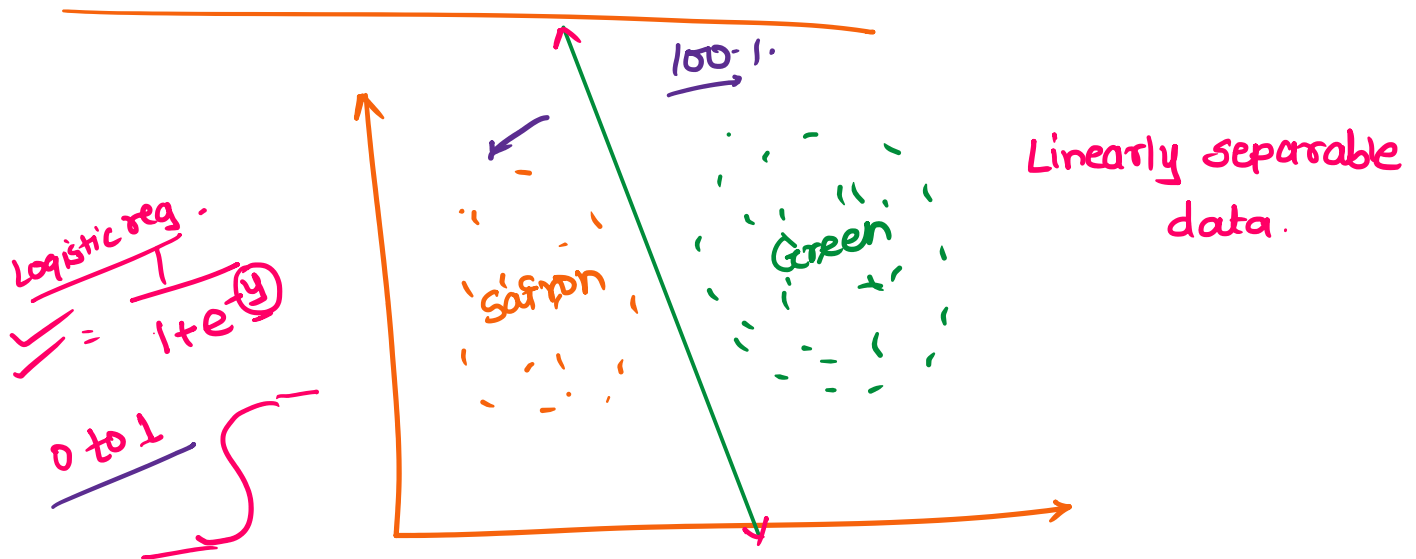
10K rows and 5K columns

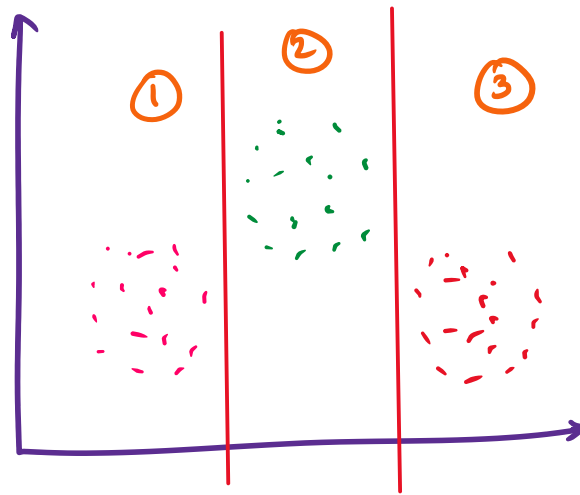
small data size

10K and 20K - 50K

Linear models and  
good accuracy

KNN





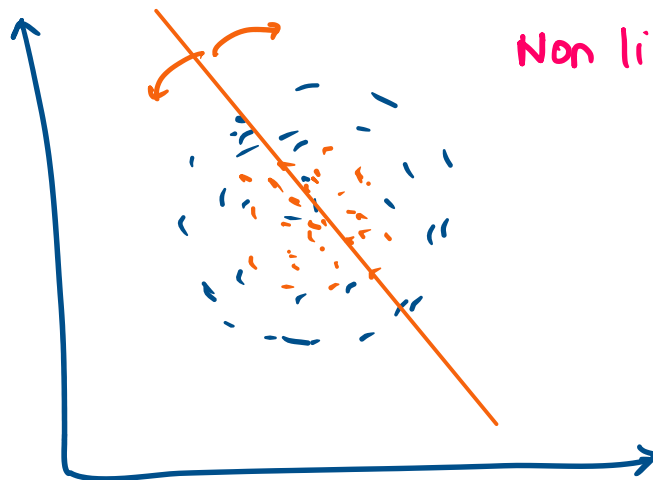
Linear line

✓ Linear model

✓ KNN

✓ DT

✓ Ensemble



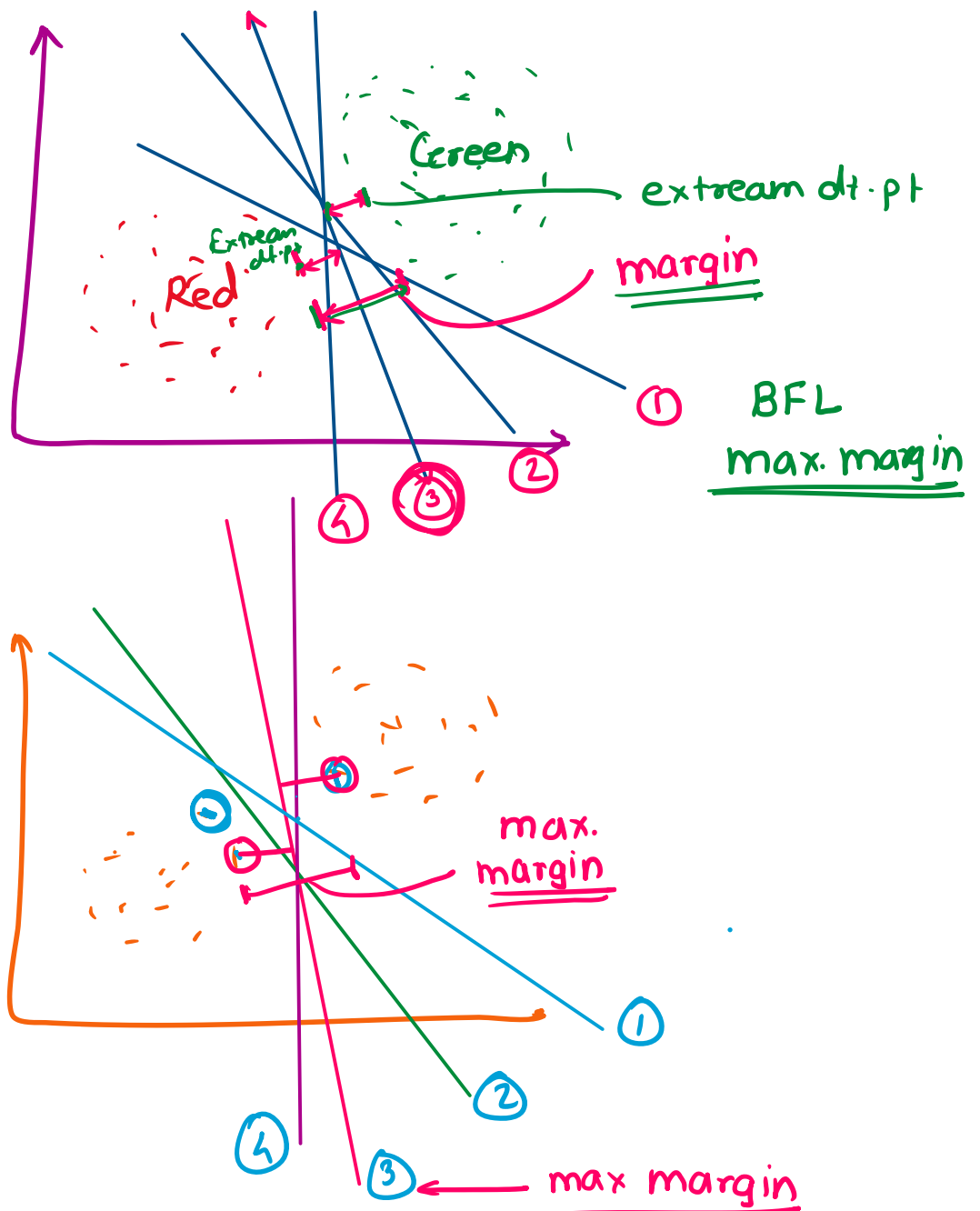
Non linearly Separable

SVM will work.

SVM → Support Vector Machine

handle both linearly separable and  
non linearly separable data

① linearly separable data



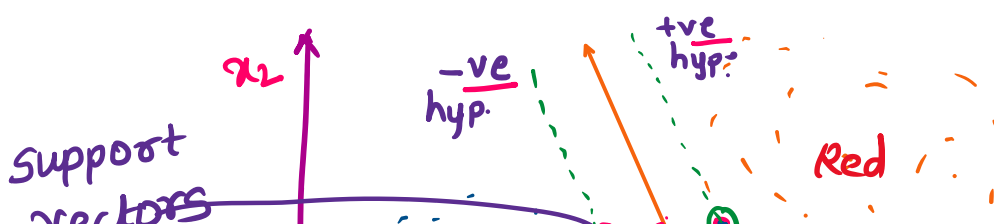
Goal of SVM → decision boundary

✓ 'Hyperplane'

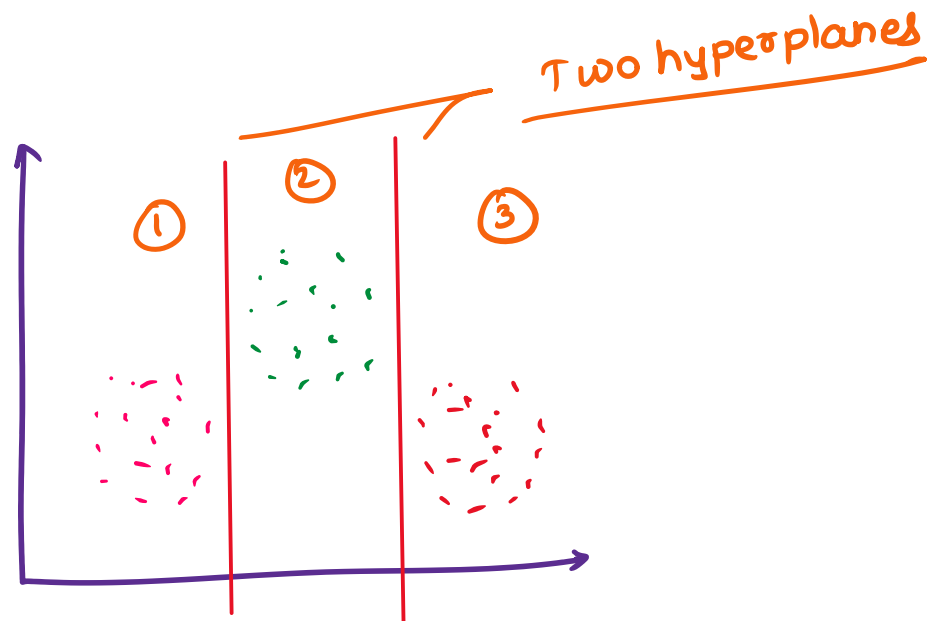
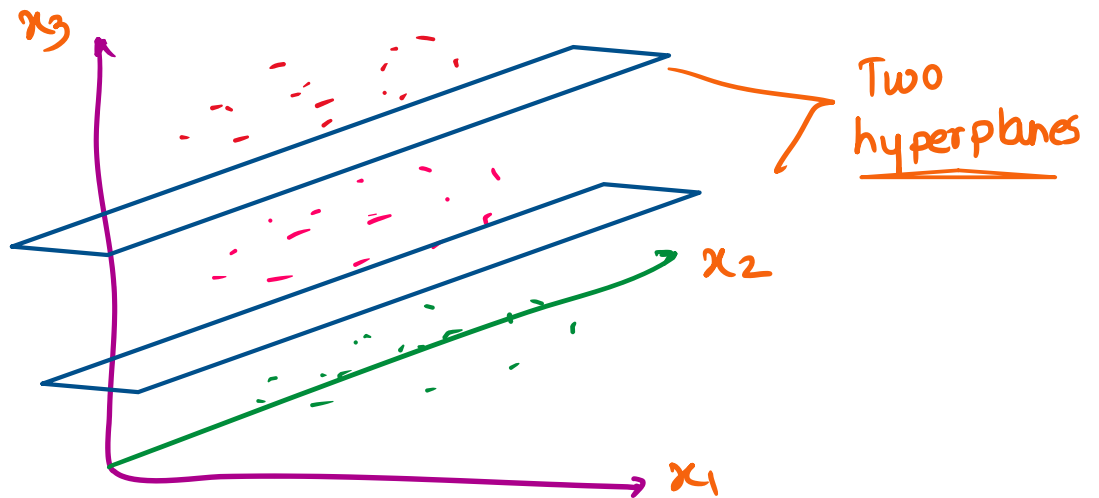
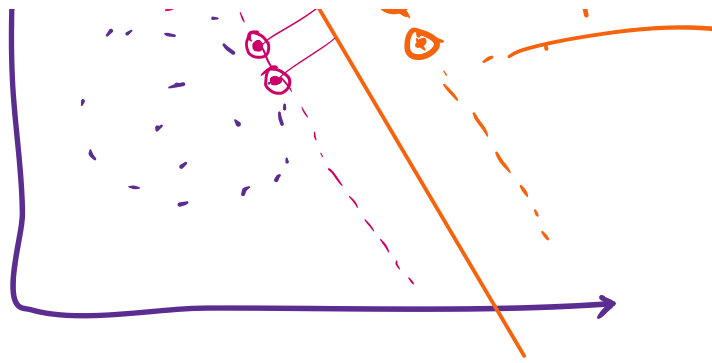
to find best hyperplane

Terminology in SVM

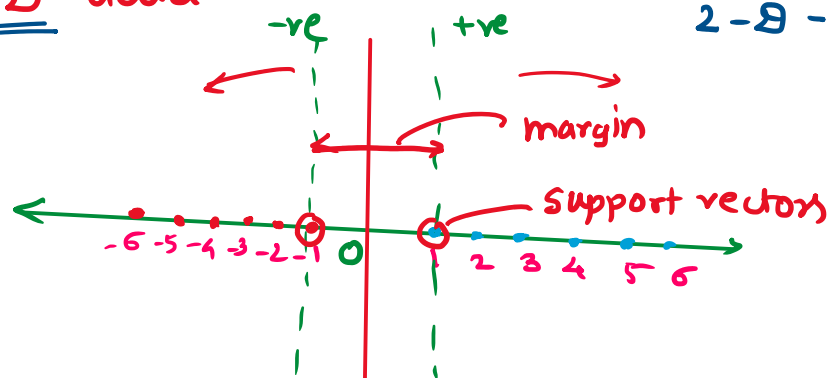
2-features →  
1D - hyperplane  
Straight line



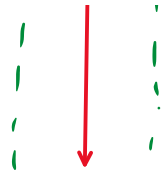




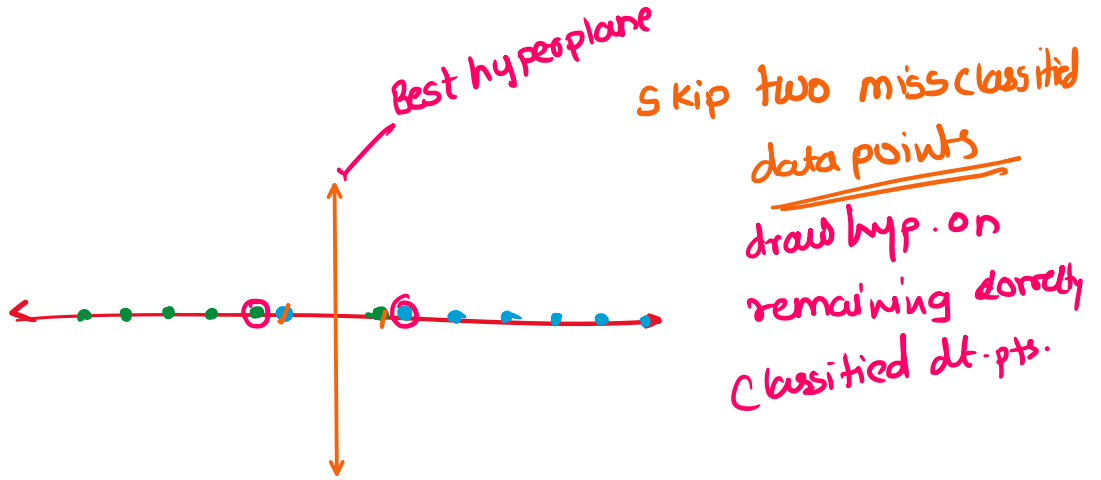
① For 1-D data



1-D — 1 Line  
 2-D — x-y-plane  
 3-D —

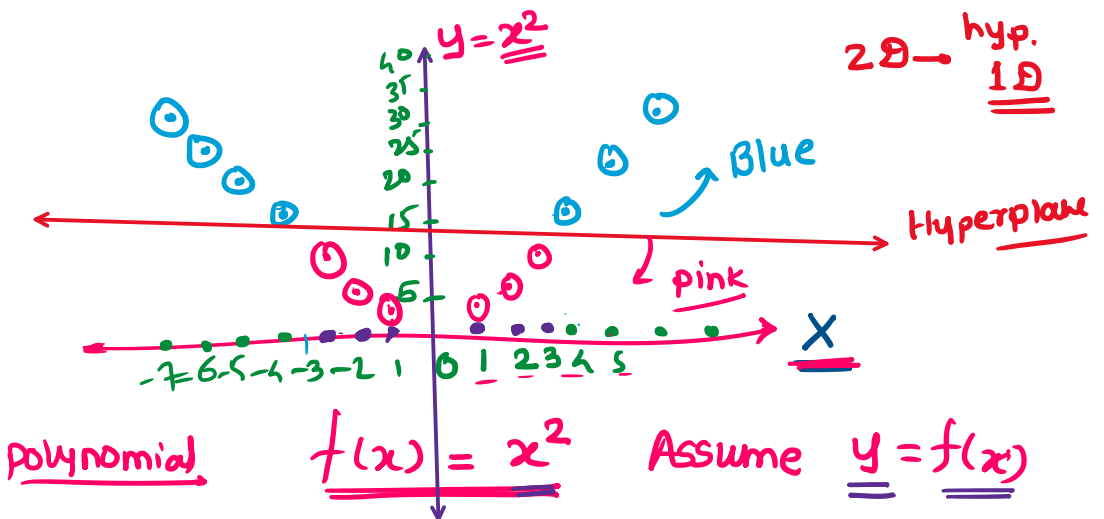


② case ②



case - 3

SVM  
kernel  
convert  
Lower D to  
Higher D



polynomial  $f(x) = x^2$  Assume  $y = f(x)$

kernel  $\rightarrow$  select best function

1D  $\rightarrow$  2D

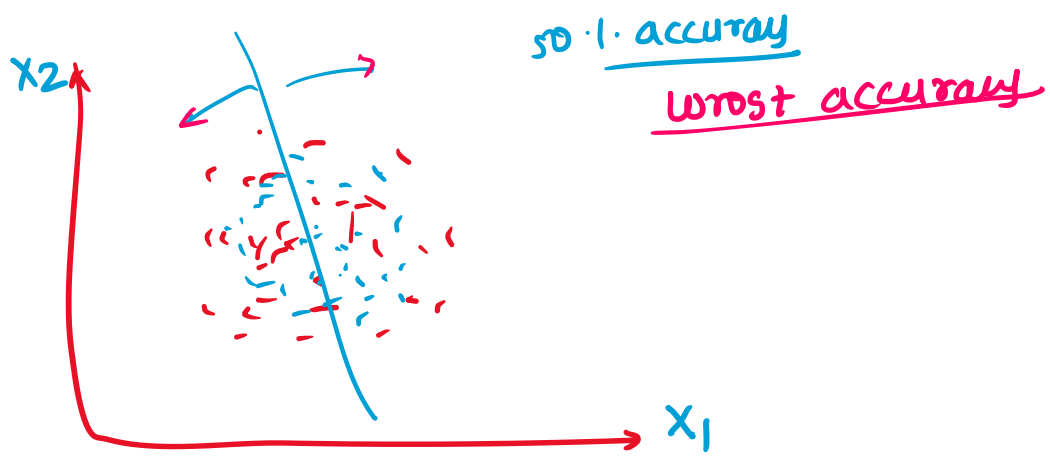
Best kernel

by using hyperparameter tuning

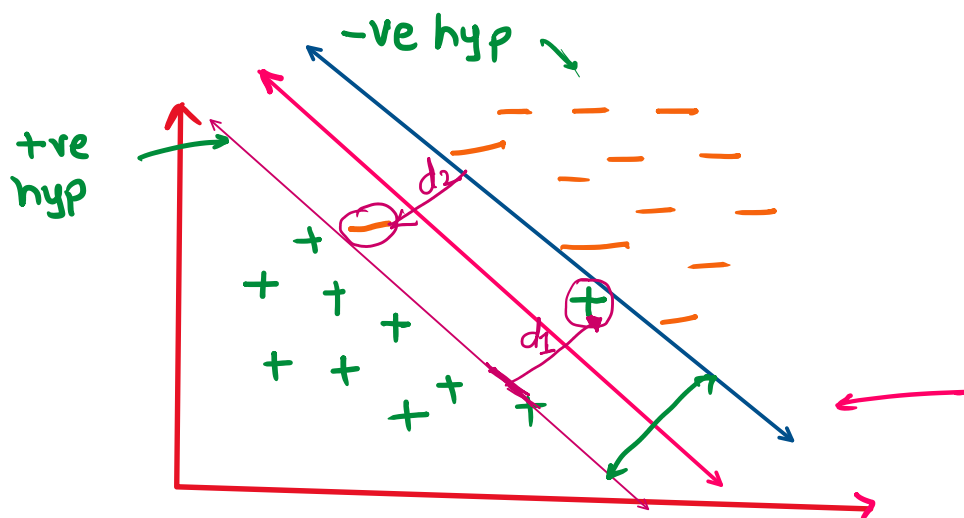
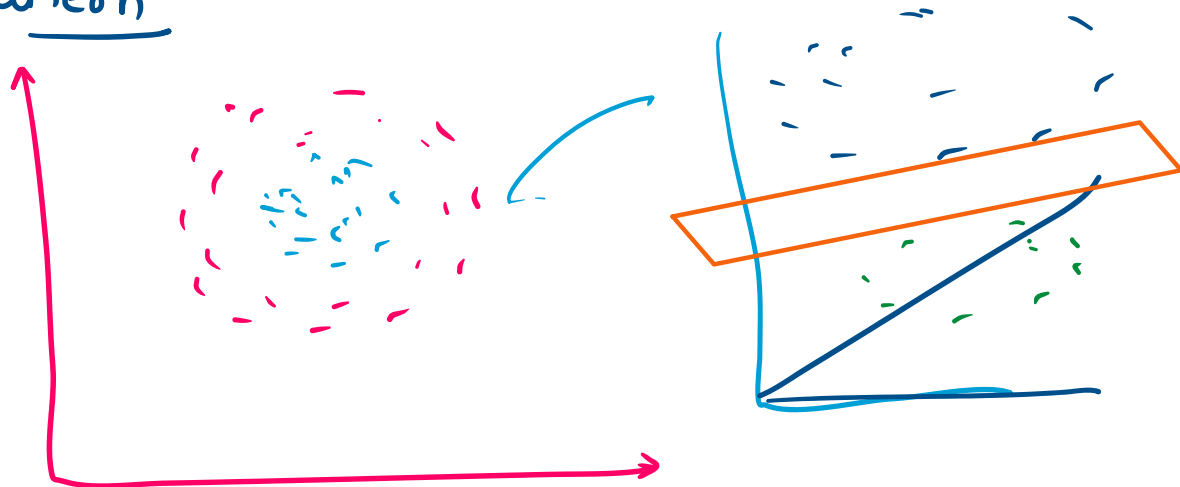
Kernels

- ✓ ① polynomial
- ✓ ② RBF  $\rightarrow$  Radial Basis Function (By default)
- ✓ ③ Sigmoid kernel
- ✓ ④ Linear kernel

$x^2$   $\rightarrow$  50% accuracy  
100% accuracy



some pattern



$$\text{Svm Errors} = \text{Marginal Error} + \text{Classification Error}$$

High Margine - clear & distinct classification  
less min error

Classification Error :-

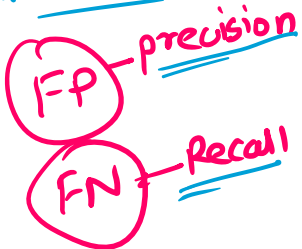
$$\sum (d_1 + d_2)$$

Ⓒ.  $\sum_{i=1}^n \xi$  (zeta)

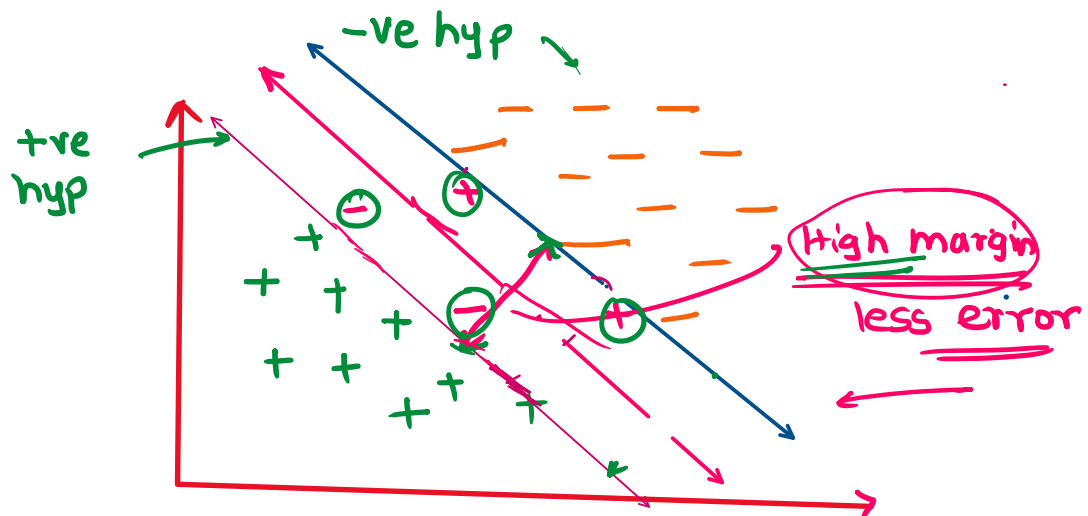
SVM Errors

= Marginal Error + Classification Error

Confusion Matrix



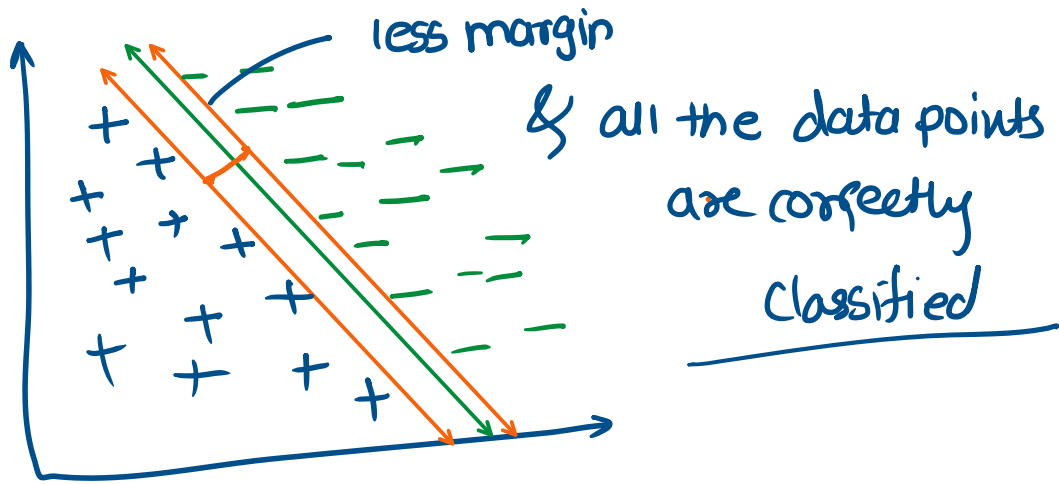
↓  
Concern (min)



✓ Soft Margin

SVM Errors = Marginal Error + Classification Error (min. Classification Error)  
↓  
Concern





## Hard Margin

$$\text{Sum Errors} = \text{Marginal Error (zeta)} + \text{Classification Error}$$

value is low

focusing on

$$\sum_{i=1}^n \xi_i$$

Too high

Focusing error

Classification Error

high

Default value of  $C = 1.0$