

Experiment : (1)

Aim: study usage of QEMU profiler tool and other time related functions. And use it to analyze recursive and iterative solutions of the problems: Fibonacci and Tower of Hanoi.

→ Introduction to oPROF tool.

gprof: gprof is a performance analysis tool used to profile applications to determine where time is spent during program execution.

File: second1.c

```
#include <stdio.h>
```

```
void fun2();
```

```
void fun1() {
```

```
    printf(" first line in fun1 function");
```

```
    fun2();
```

```
    for (long int i=0; i< 0xFFFFFFF; i++);
```

```
    printf(" second line in fun1 function");
```

```
}
```

```
int main() {
```

```
    printf(" in main function \n");
```

```
    fun1();
```

```
    return 0;
```

```
y
```

a.txt :

% time	cumulative seconds	self seconds	calls	self ms/call	total ms/call	name
--------	--------------------	--------------	-------	--------------	---------------	------

'File : second2.c'

#include <stdio.h>

void fun2()

{

```
    printf (" first line in fun2 function \n");
    for (long int i=0; i<1000 00000; i++);
        printf (" Second line in fun2 function \n");
}
```

3

Command :

gedit second1.c

gedit second2.c

gcc -Wall -pg second1.c second2.c -o second

./second

gprof second gmon.out > a.txt.

Recursive fibonacci Algorithm:

Fibonacci(size):

Input: A 'size' of fibonacci series in Integer.

Output: fibonacci series of 'size'.

```
if (size == 1) then  
    return 0
```

```
else if (size == 2) then  
    return 1
```

else

```
    return (fibonacci(n-1) + fibonacci(n-2))
```

* Recursive Fibonacci:

```
#include <stdio.h>
```

```
#include <time.h>
```

```
int fibonacci (int n) {  
    if (n == 0) { return 0; }  
    else if (n == 1) { return 1; }  
    else {  
        return (fibonacci(n-1) + fibonacci(n-2));  
    }
```

```
int main ()  
{
```

```
    int n;  
    int i; clock_t t = clock();  
    for (i=0; i<n; i++) {  
        printf ("%d", fibonacci(i));  
    }  
    t = clock() - t;  
    double taken_time = ((double)t) / CLOCKS_PER_SEC;
```

```
    printf ("recursive fibonacci takes %f time for  
    execution", taken_time);
```

```
    return 0;
```

}

Iterative fibonacci Algorithm :

Fibonacci (n) :

Input : Here 'n' indicates the first 'n' values of fibonacci series to be displayed.

Output : Display the series till 'nth' location.

if (n=1) then
 write ('0')

if (n=2) then
 write ('0', '1');

else {
 num1 = 0
 num2 = 0
 write ('0', '1')
 for (i<3, i<=n, i++)
 {
 new num ← num1+num2
 num1 ← num2
 num2 ← new num
 write (new num)
 }
}

* Iterative fibonacci :

```
# include <stdio.h>
```

```
# include <time.h>
```

```
void fibonacci(int n)
```

```
{
```

```
    if (n==1) { printf("0"); }  
    if (n==2) { printf("0,1"); }  
    else {
```

```
        int num1 = 0;  
        int num2 = 1;  
        int new num;
```

```
        printf("0,1");
```

```
        for (int i=3; i<=n; i++)
```

```
{
```

```
    new num = num1+num2;
```

```
    num1 = num2;
```

```
    num2 = new num;
```

```
    printf(new num);
```

```
}
```

```
}
```

Compassion Table :

Total element of series	Time reported by gprof (recursive)	Time reported by gprof (iterative)	Time reported by timing method (recursive)	Time reported by timing method (Iterative)
n = 10	0.00	0.00	0.000025	0.000000
n = 30	50.83	0.00	0.036879	0.000003
n = 50	101.66	0.00	0.037042	0.000009

int main()

{

int n;

clock_t t;

t = clock();

fibonacci(n);

t = clock() - t;

double taken-time = ((double) t) / CLOCKS_PER_SEC;

printf("Iterative fibonacci takes %f time
for execution", taken-time);

return 0;

}

Recursive Tower of Hanoi Algorithm :

Tower-of-Hanoi(n, S, D, A) :

Input : Total 'n' numbers of disks in Integers.

Output : Tower of hanoi of 'n' disks.

if ($n > 0$) then

Tower-of-Hanoi($n - 1$, S, D, A)

write(" S to D")

Tower-of-Hanoi($n - 1$, D, A, S)

* Recursive Towers of Hanoi.

```
#include <stdio.h>
```

```
#include <time.h>
```

```
void ToH(int n, char S, char A, char D)  
{
```

```
    if( $n > 0$ ) {
```

```
        ToH( $n - 1$ , S, D, A);
```

```
        printf(" %c to %c", S, D);
```

```
        ToH( $n - 1$ , D, A, S);
```

```
}
```

```
y
```

```
int main()
```

```
{
```

```
    int n; clock_t t = clock();
```

```
    ToH(n, 'A', 'B', 'C');
```

```
    t = clock() - t;
```

```
    double taken_time = ((double)t) / CLOCKS_PER_SEC;
```

```
    printf(" Tower of hanoi takes %f time for execute",  
           taken_time);
```

```
    return 0;
```

```
y
```

Total elements (disks)	Time reported by gprof	Time reported by timing method.
$n = 15$	0.00	0.043178
$n = 18$	0.09	0.0481459
$n = 20$	0.03	1.811148
$n = 25$	0.95	59.521751

Experiment : (2)

Aim: Do empirical comparison of following algorithms for solving searching problems.

- Sequential search
- Binary search

* Sequential Search

```
#include <stdio.h>
```

```
#include <time.h>
```

```
int search (int arr[], int N, int x)
```

```
{
```

```
    int i;
```

```
    for (i=0; i<N; i++)
```

```
        if (arr[i] == x)
```

```
            return i;
```

```
    return -1;
```

```
}
```

```
int main()
```

```
{
```

```
    int n;
```

```
    int arr[n];
```

```
    int x = 1000000;
```

Sequential Search Algorithm:

Sequential - search (list, n, value);

input : array 'list' having total 'n' elements of integer type and 'value' that be found.

output : items locations

```
for (i<1, i<=n, i<-i+1)
```

```
if (list[i] = value) then  
    return i
```

y

```
clock_t t;
```

```
t = clock();
```

```
int result = search(list, n, x);
```

```
t = clock() - t;
```

```
double time taken = (double)t / CLOCKS_PER_SEC;
```

```
(result = -1)
```

```
? printf (" Element is not present");
```

```
: printf (" Element is present at index %d", result);
```

```
printf (" sequential search took %.f seconds to  
execute \n", time taken);
```

```
return 0;
```

y

pass

#

2

last

Number of comparison

$$(n-1)$$

$$(n-2)$$

$$\frac{1}{2}$$

$$\text{Number of comparison} = (n-1) + (n-2) + (n-3) + \dots + 1 = \frac{n(n-1)}{2}$$

Time complexity = $O(n)$ in worst, and average case.

Time complexity = $O(1)$ in best case

Total elements	Time reported by gprof	Time reported by timing method
$n = 10000$	0.00	0.00

* Binary Search :

#include <stdio.h>

#include <time.h>

```
int binarySearch(int arr[], int l, int r, int x)
{
```

```
    if (r >= l)
```

```
}
```

```
    int mid = l + (r - l) / 2;
```

```
    if (arr[mid] == x)
```

```
        return mid;
```

```
    if (arr[mid] > x)
```

```
        return binarySearch(arr, l, mid - 1, x);
```

```
    return binarySearch(arr, mid + 1, r, x);
```

```
g
```

```
return -1;
```

```
g
```

```
int main()
```

```
{
```

```
    int n;
```

```
    int arr[n];
```

```
    int x = 1000000;
```

Binary Search Algorithm :

binary-search(list, left, right, value) :

input : array 'list' having total 'right+1' elements
of integer type and 'value' that be found.

output : items location.

if (right >= left) then

{

mid = left + (right - 1) / 2

if (list[mid] == value) then

return mid

if (list[mid] > x) then

return binarySearch(list, left, mid-1, x)

return binarySearch(list, mid+1, right, x)

}

return -1

clock - t + ;

t = clock();

int result = binarySearch(arr, 0, n-1, x);

t = clock() - t;

double time-taken = ((double)t) / CLOCKS_PER_SEC;

(result == -1)

? printf(" Element is not present in ");

: printf(" Element present at index %d \n ", result);

printf(" binary search took %.f second to execute
in ", time-taken);

return 0;

}

Time complexity = $O(n \log n)$ in worst and average case.

Time complexity = $O(n)$ in best case.

Total elements	Time reported by gprof	Time reported by timing method.
100000	0.000000	0.000000
200000	0.000000	0.000000
300000	0.000000	0.000000
400000	0.000000	0.000000
500000	0.000000	0.000000
600000	0.000000	0.000000
700000	0.000000	0.000000
800000	0.000000	0.000000
900000	0.000000	0.000000
1000000	0.000000	0.000000

Experiment : (3)

Aim : Do empirical comparison of following algorithms for solving sorting problems.

- Selection sort
- Insertion sort.

* Selection Sort:

```
void swap (int *a, int *b)
```

```
{
```

```
    int temp = *a;
```

```
    *a = *b;
```

```
    *b = temp;
```

```
}
```

```
void selectionsort (int array [], int size)
```

```
{
```

```
    for (int i=0; i<size; i++)
```

```
{
```

```
        int min-idx = i;
```

```
        for (int j=i+1; j<size; j++)
```

```
{
```

```
            if (array [j] < array [min-idx])
```

```
                min-idx = j;
```

```
}
```

```
            swap (&array [min-idx], &array [i]);
```

```
}
```

```
}
```

Selection Sort Algorithm:

selection-sort (list, n) :

Input : array 'list' having total 'n' elements of Integer type.

Output : Sorted array 'list'.

```
for (i := 1, i < n-1, i := i+1)
```

```
{
```

min := i

```
for (j := i+1, j < n, j := j+1)
```

```
{
```

```
if (list[j] < list[min]) then
```

```
min := j
```

```
y
```

```
swap (list[min] and list[i])
```

```
y
```

```
int main()
```

```
{
```

```
int n;
```

```
int data[n];
```

```
clock_t t = clock();
```

```
selectionsort (data, n);
```

```
t = clock() - t;
```

```
double time_taken = ((double)t)/CLOCKS_PER_SEC;
```

```
printf ("selection sort took %f second to execute \n",
```

```
time_taken);
```

```
g
```

→ Assume $n=5$:

- Pass 1: $n=5$, comparison = 4 $\rightarrow (n-1)$
- Pass 2: $n=5$, comparison = 3 $\rightarrow (n-2)$
- Pass 3: $n=5$, comparison = 2 $\rightarrow (n-3)$
- Pass 4: $n=5$, comparison = 1 $\rightarrow 1$

$$\begin{aligned}\text{Time complexity} &= (n-1) + (n-2) + \dots + 1 \\ &= \frac{n(n-1)}{2} \\ &= \boxed{O(n^2)} \quad (\text{in each case})\end{aligned}$$

Total elements	Time reported by gprof	Time reported by timing method.
$n=10000$ (average) (worst) (best)	0.08. 0.08 0.08	0.105411 0.091506 0.101210
$n=10000000$ (best) (worst) (average)	10.46 9.16 10.23	10.470619 9.317682 10.349019

* Insertion Sort:

```
#include <stdio.h>
#include <time.h>

void insertionSort (int arr[], int n)
{
    int i, key, j;
    for (i = 1; i < n; i++)
    {
        key = arr[i];
        j = i - 1;
        while (j >= 0 && arr[j] > key)
        {
            arr[j + 1] = arr[j];
            j = j - 1;
        }
        arr[j + 1] = key;
    }
}

int main()
{
    int n;
    int arr[n];
}
```

Insertion Sort Algorithm :

Insertion-Sort (array, n) :

Input : Array 'array' having total 'n' elements of type Integer

Output : Sorted 'array'.

```
for ( i<-1, i<n, i<-i+1 )
{
    key ← array [i]
    j ← i-1
    while ( j>=0 && array [j] > key )
        do
            array [j+1] ← array [j]
            j ← j-1
    array [j+1] ← key
```

clock - t + = clock();

insertionSort (arr, n);

t = clock() - t;

double time-taken = ((double)t)/CLOCKS-PER-SEC ;

printf ("insertion sort took %f seconds to execute \n",
time-taken);

return 0;

}

EXPERIMENT : (4)

Total elements	Time reported by gprof	Time reported by timing method.
$n = 10000$ (average) (best) (worst)	0.04 0.00 0.10	0.057211 0.00000 0.116563
$n = 100000$ (average) (best) (worst)	5.19 0.00 8.06	5.308163 0.00000 10.661298

Aim: Do empirical comparison of following algorithms for solving sorting problems.

- Quick sort
- Merge Sort

* Quick Sort:

```
#include <stdio.h>
```

```
#include <time.h>
```

```
void swap (int arr[], int i, int j)
```

```
{
```

```
    int temp = arr[i];
```

```
    arr[i] = arr[j];
```

```
    arr[j] = temp;
```

```
}
```

```
void sort (int arr[], int left, int right)
```

```
{
```

```
    if (left < right)
```

```
{
```

```
        int pivot = arr[left];
```

```
        int i = left;
```

```
        int j = right + 1;
```

```
do {
```

```
    do { i++; } while (pivot > arr[i]);
```

```
    do { j--; } while (pivot < arr[i]);
```

```
    if (i < j) { swap(arr, i, j); }
```

```
} while (i < j);
```

```
if (i > j) { swap(arr, left, j); }
```

```
sort(arr, left, j-1);
```

```
sort(arr, j+1, right);
```

```
}
```

```
}
```

```
int main()
```

```
{
```

```
    int n;
```

```
    int arr[n];
```

```
    int left = 0;
```

```
    int right = n-1;
```

```
    clock_t t = clock();
```

```
    sort(arr, left, right);
```

```
    t = clock() - t;
```

```
    double time_taken = ((double)t) / CLOCKS_PER_SEC;
```

```
    printf(" quick sort took %.f seconds to execute 'n",  
           time_taken);
```

```
}
```

Total elements	Time reported by gprof	Time reported by timing method.
n = 10000 (best) (avg) (worst)	0.06 0.00 0.08	0.089264 0.000597 0.085529
n = 100000 (best) (avg) (worst)	8.54 0.00 8.41	8.901078 0.017342 8.823798

* merge sort:

```
#include <stdio.h>
```

```
#include <time.h>
```

```
#include <stdlib.h>
```

```
void merge (int a[], int l, int mid, int h)
```

```
{
```

```
    int i=l, j=mid+1, k=l;  
    int b[h+1];
```

```
    while (i<=mid && j<=h)  
{
```

```
        if (a[i]<a[j])
```

```
            b[k++] = a[i++];
```

```
        else
```

```
            b[k++] = a[j++];
```

```
}
```

```
    for ( ; i<=mid ; i++)  
        b[k++] = a[i];
```

```
    for ( ; j<=h ; j++)
```

```
        b[k++] = a[j];
```

```
    for (i=l ; i<=h ; i++)
```

```
        a[i] = b[i];
```

```
}
```

Merge Sort Algorithm :

merge-sort (array , left, middle, right)

Input : 'array' of size 'n' with Integer elements.
declare array's 1st element as left,
last as 'right' and middle element.

Output : sorted array

$i \leftarrow \text{left}$, $j \leftarrow \text{middle} + 1$, $k \leftarrow \text{left}$
array 1 [right + 1]

while ($i \leq \text{middle}$ & $j \leq \text{right}$)
do if (array [i] < array [j])
 array 1 [k + 1] := array [i]
 else
 array 1 [k + 1] := array [j]

for (, $i \leq \text{middle}$, $i \leftarrow i + 1$)
 array 1 [k + 1] \leftarrow array [i]

for (, $j \leq \text{Right}$, $j \leftarrow j + 1$)
 array 1 [k + 1] = array [j]

for ($i \leftarrow \text{left}$, $i \leq \text{right}$, $i \leftarrow i + 1$)
 array [i] = array 1 [i]

void merge-sort (int a[], int l, int h)

{

if (l < h)

{

int mid = (l + h) / 2 ;

merge-sort (a, l, mid);

merge-sort (a, mid + 1, h);

merge (a, l, mid, h);

}

}

int main()

{

int n;

int a[n];

for (int i = 0 ; i < n ; i++)

a[i] = rand() % n;

clock_t t ;

t = clock();

merge-sort (a, 0, n - 1);

t = clock() - t;

double time_taken = (double) t / CLOCKS_PER_SEC ;

printf (" insertion sort took %f seconds to execute \n ",
time_taken);

}

number of element	Time reported by gprof	Time reported by timing method.
$n = 10000$ (best) (avg) (worst)	0.00 0.00 0.00	0.0000 0.000899 0.0000
$n = 100000$ (best) (avg) (worst)	0.02 0.02 0.01	0.047061 0.024641 0.020433