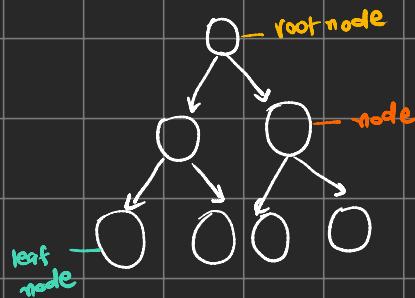


* Binary Tree → non linear DS

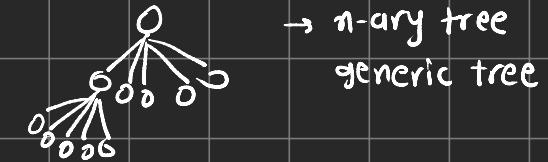


→ combination of nodes

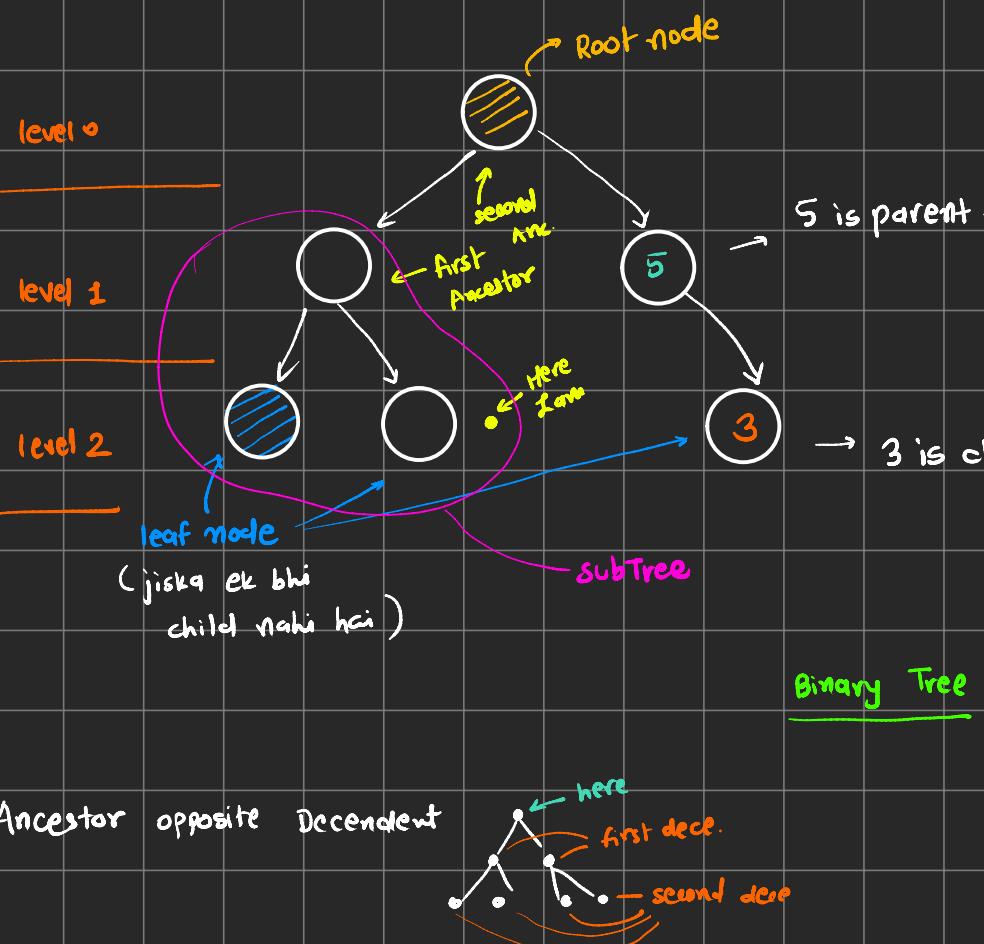
those are connected through hierarchy



```
class Node
{
    int data;
    Node* left;
    Node* right;
}
```

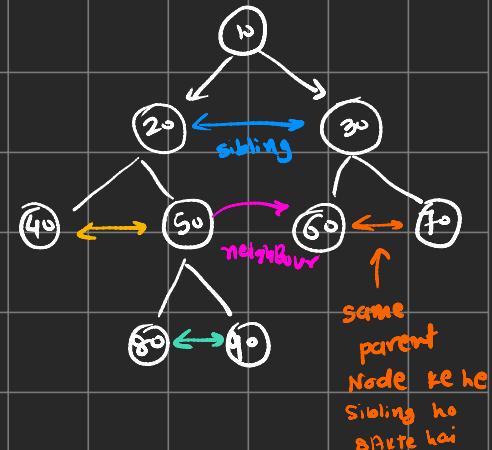


```
class Node
{
    int data;
    vector<Node*> child;
}
```



Binary Tree →

Node ke 2 se jyada child nahi hai
means 0, 1, 2 childs he hai



Implementation

$10 \rightarrow 20$
 $10_L \rightarrow 30$
 $20_L \rightarrow 40$
 $20_R \rightarrow 50$
 $50_L \rightarrow 60$
 $50_R \rightarrow 70$

```

class Node{
public:
    int data;
    Node* left;
    Node* right;

    Node(int val){
        data = val;
        this->left = NULL;
        this->right = NULL;
    }

    // returns Root node of created Tree
    Node* createTree(){
        cout << "Enter val of ROOT:" << endl;
        int data;
        cin >> data;

        if(data == -1){ // means do not want to add node
            return NULL;
        }

        // 1) create node
        Node* root = new Node(data);

        // 2) create left sub tree
        cout << "For LEFT node of" << root->data << endl;
        root->left = createTree();

        // 3) create right sub tree
        cout << "For RIGHT node of" << root->data << endl;
        root->right = createTree();

        return root;
    }

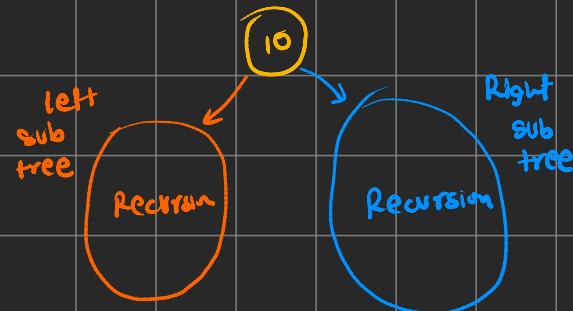
    int main(){
        Node* root = createTree();
        return 0;
    }
}

```

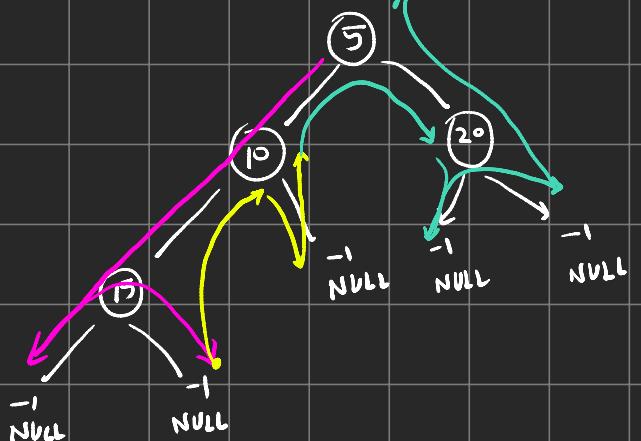
```

ion } ; if ($?) { .\01_implementation
Enter val of ROOT:
5
For LEFT node of5
Enter val of ROOT:
10
For LEFT node of10
Enter val of ROOT:
15
For LEFT node of15
Enter val of ROOT:
-1
For RIGHT node of15
Enter val of ROOT:
-1
For RIGHT node of10
Enter val of ROOT:
-1
For RIGHT node of5
Enter val of ROOT:
50
For LEFT node of50
Enter val of ROOT:
-1
For RIGHT node of50
Enter val of ROOT:
-1

```

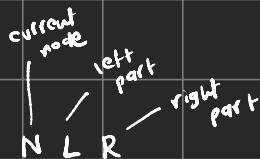


Input : [5, 10, 15, -1, -1, -1, 50, -1, -1]



→ 3 traversal

→ Pre order



: N L R

→ In order

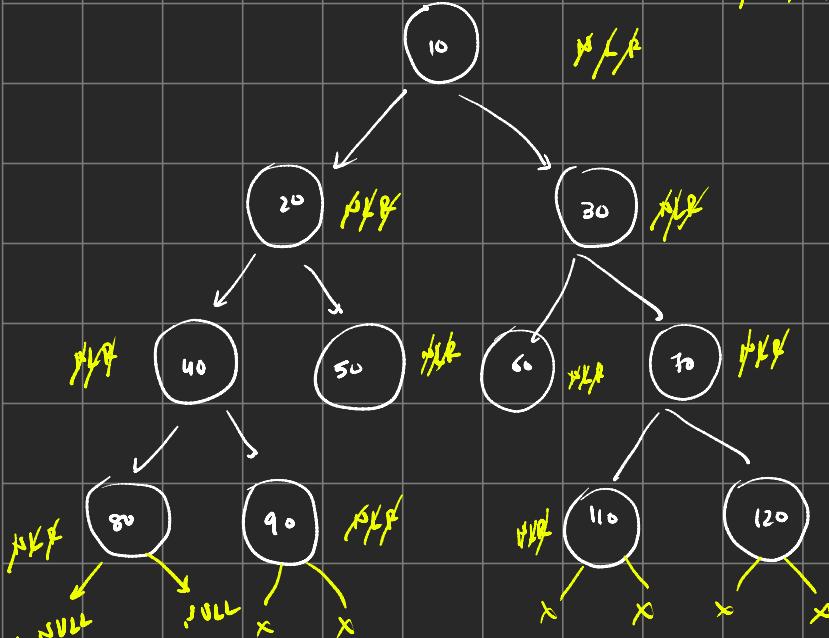
: L N R

→ Post order

: L R N

pre order

10, 20, 40, 80, 90, 50, 30, 60, 70, 110, 120



if (root == NULL)
return

TC = O(n)

SC = O(n)

```
void preOrderTraversal(Node* root){  
    if(root==NULL){  
        return;  
    }
```

// NLR

```
// N  
cout << root->data << " ";  
// L  
preOrderTraversal(root->left);  
// R  
preOrderTraversal(root->right);  
}
```

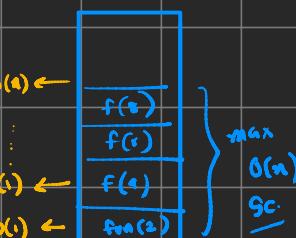
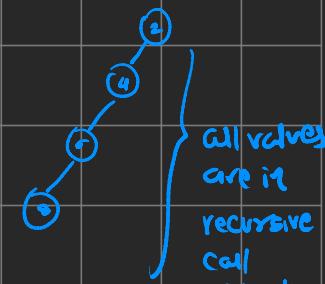
```
void inOrderTraversal(Node* root){  
    if(root==NULL) return;  
    // LNR  
    preOrderTraversal(root->left);  
    cout << root->data << " ";  
    preOrderTraversal(root->right);  
}
```

```
void postOrderTraveral(Node* root){  
    if(root==NULL) return;  
    // LRN  
    preOrderTraversal(root->left);  
    preOrderTraversal(root->right);  
    cout << root->data << " ";  
}
```

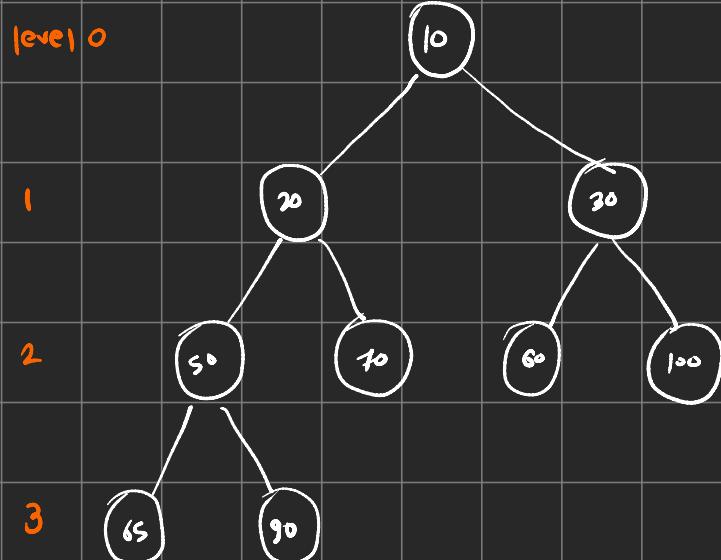
why SC = O(n)

worst case in

skew tree



* Level order Traversal / Breadth First Traversal



initially push (root Node)

traversal

fetch front (10^{front})

push left ($10_L - 20$)

push right ($10_R - 30$)

20^{front}

$20_L = 50$

$20_R = 70$

(50)

$30_L = 60$

$30_R = 100$

(70)

$50_L = 65$

$50_R = 90$

$90 \leftarrow 65$

$90_L = \text{NULL}$

$90_R = \text{NULL}$

$70 \leftarrow 70$

$70_L = \text{NULL}$

$70_R = \text{NULL}$

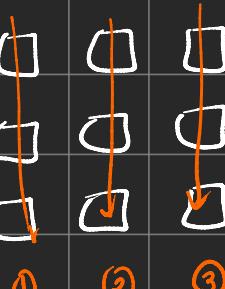
Breadth first Traversal

(row wise)

Search
BFS



DFS Depth first search

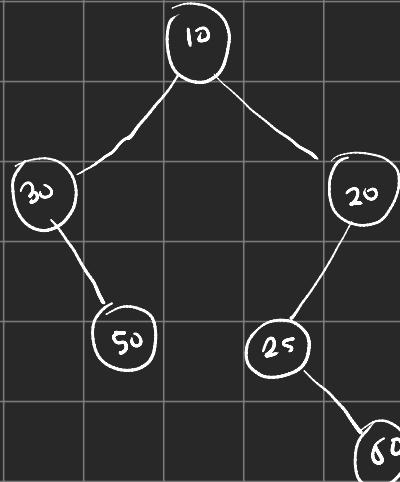


```

void levelOrderTraversal(Node* root){
    queue<Node*> q;
    q.push(root);

    while(!q.empty()){
        // front fetch
        Node* front = q.front();
        q.pop();
        cout << front->data << " ";

        // left
        if(front->left != NULL){
            q.push(front->left);
        }
        // right
        if(front->right != NULL){
            q.push(front->right);
        }
    }
}
  
```



NULL → marker → level change hogaya



```
void levelOrderTraversal(Node* root){
    queue<Node*> q;
    q.push(root);
    q.push(NULL);

    while(q.size() > 1){ // front fetch
        Node* front = q.front();
        q.pop();

        if(front == NULL){
            cout << endl;
            q.push(NULL);
        }else{
            // valid
            cout << front->data << " ";

            // left
            if(front->left != NULL){
                q.push(front->left);
            }
            // right
            if(front->right != NULL){
                q.push(front->right);
            }
        }
    }
}
```

last mei NULL par
fir se NULL add dega
infinite loop issue

10
30 20
50 25
60

if (!q.empty())
then only q.push(NULL)

or

(!q.empty())

initial → q.push (root → data)
→ q.push (NULL)

Traversal → front / pop

→ NULL → print
→ push (null)
→ valid → print
→ push (left)
→ push (right)

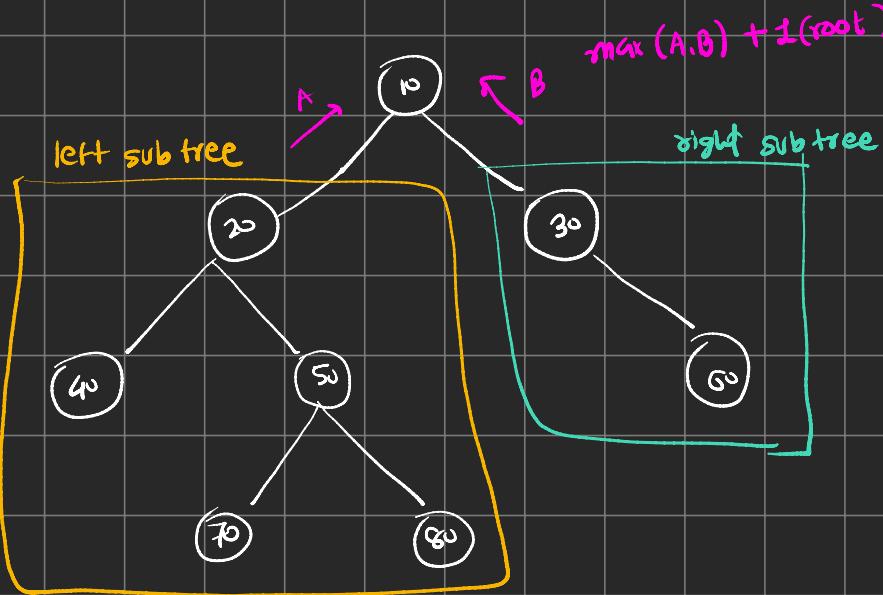
Tc = O(n) - visiting each node

Sc = max no of element in a single level

=

level wise printing

* Height of Tree / max depth of binary tree → total numbers of level



```
int maxDepth(TreeNode* root) {
    if(root==NULL) return 0;

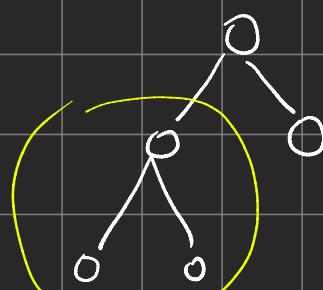
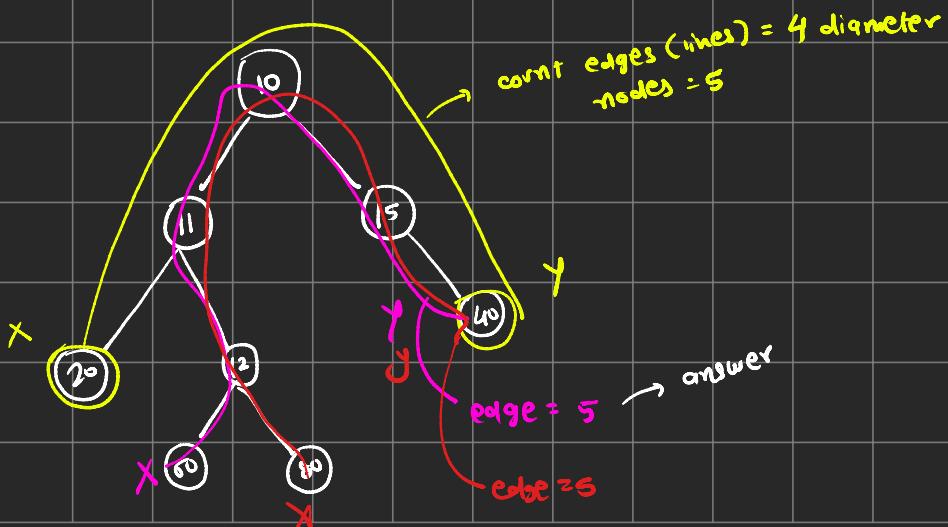
    int leftHeight = maxDepth(root->left);
    int rightHeight = maxDepth(root->right);

    int height = max(leftHeight, rightHeight) + 1;

    return height;
}
```

+ we can solve with level order as above

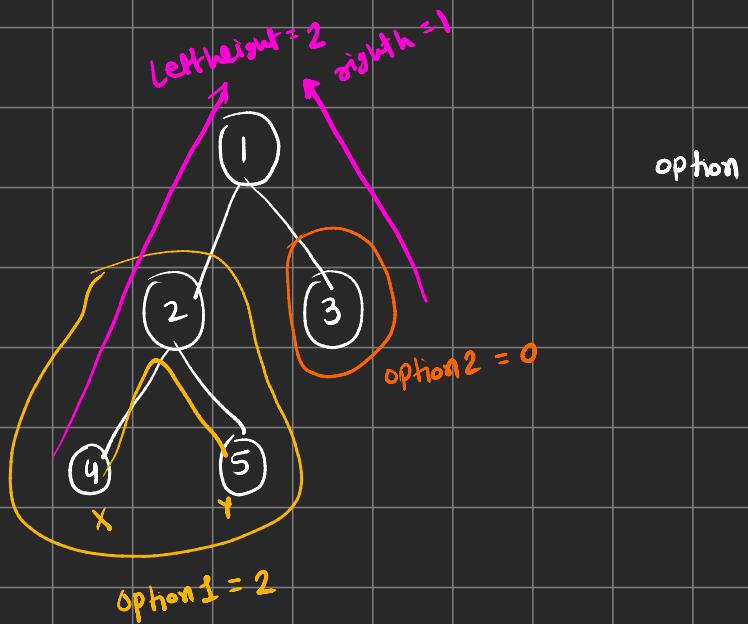
Diameter of tree



just think X, Y
both are in left
count distance between
X, Y

for X Y
① → XY Both in left sub tree
② → XY Both in right subtree
③ → X in left and Y in right }
Y in left and X in right }

MAX will be Ans.



option 3 = left height
+ right height

option 2 = 0

option 1 = 2

```

int height(TreeNode* root) {
    if(root==NULL) return 0;

    int leftHeight = height(root->left);
    int rightHeight = height(root->right);

    int height = max(leftHeight, rightHeight) + 1;

    return height;
}

int diameterOfBinaryTree(TreeNode* root) {

    if(root==NULL) return 0;

    int option1 = diameterOfBinaryTree(root->left);
    int option2 = diameterOfBinaryTree(root->right);
    int option3 = height(root->left) + height(root->right);

    int diameter = max(option1, max(option2, option3));

    return diameter;
}

```

option 3 = left H
+ right H
+1 or -1

can be there
according to
definition of diameter

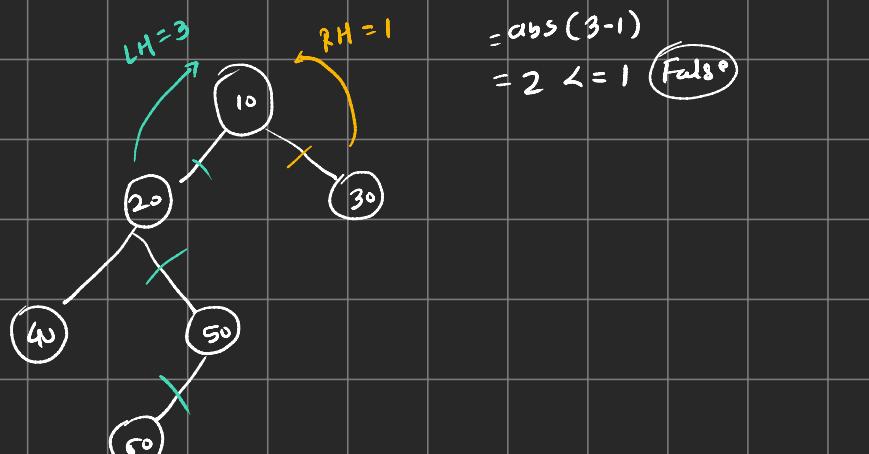
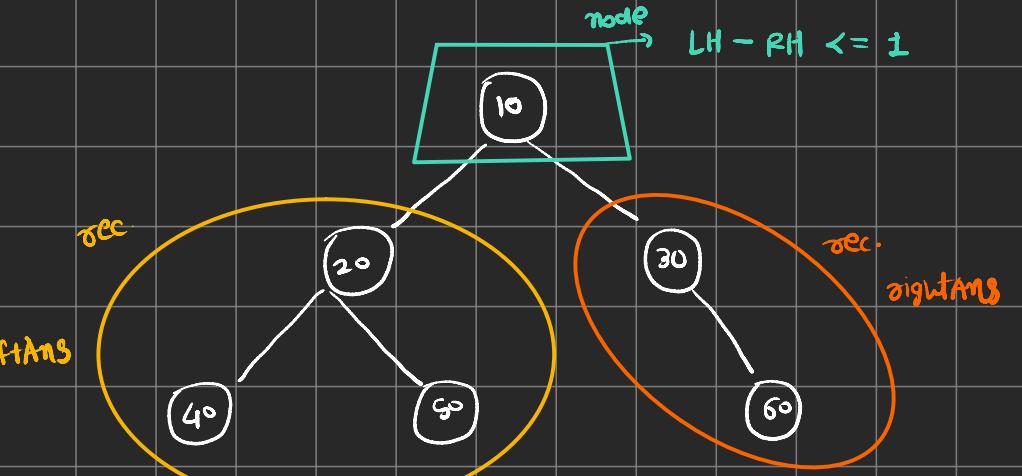
* Balanced Binary tree

- ek tree me kisi bhi (har node) pur jukar keh sakte hum ki left sub tree ki height and right sub tree ki height ka absolute difference $\leq 1 \xrightarrow{\text{at most 1}}$ height balanced BT



if (`root == NULL`) → Balanced

- ① left subtree → Balanced
 - ② right subtree → Balanced
 - ③ $\text{abs}(\text{LH} - \text{RH}) \leq 1$
- } entire tree balanced



```
bool isBalanced(TreeNode* root) {
    if(root == NULL) {
        return true;
    }

    // current node ans
    int leftHeight = height(root->left);
    int rightHeight = height(root->right);
    int diff = abs(leftHeight-rightHeight);

    bool currentNodeAns = (diff <= 1);

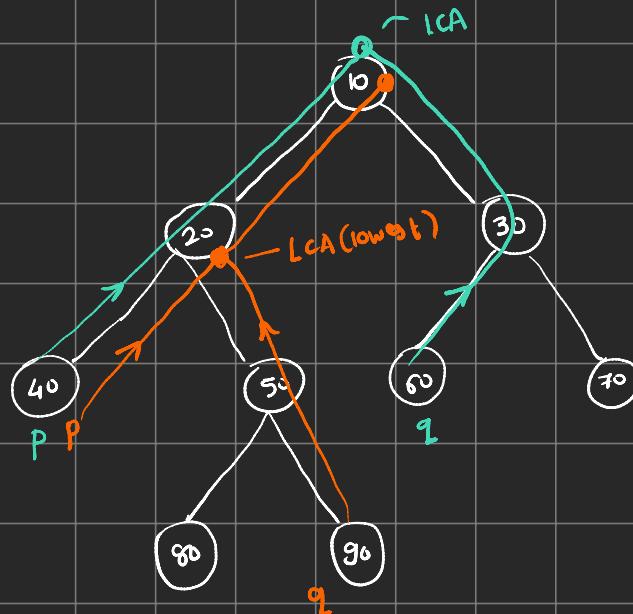
    // left sub tree ans
    bool leftAns = isBalanced(root->left);

    // right sub tree ans
    bool rightAns = isBalanced(root->right);

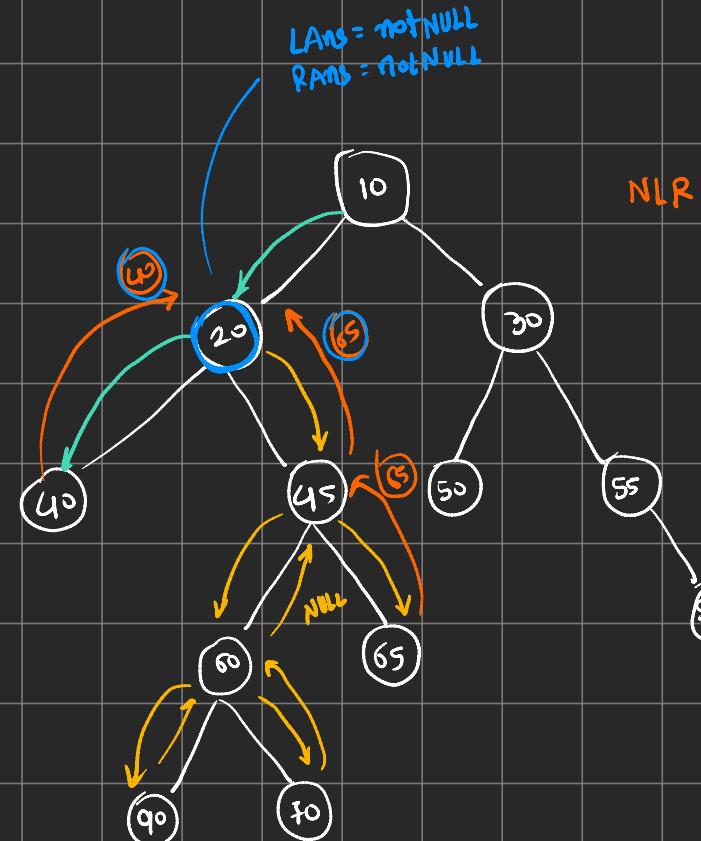
    return currentNodeAns && leftAns && rightAns;
}
```

HQ

LCA (lowest common ancestor) in Binary tree

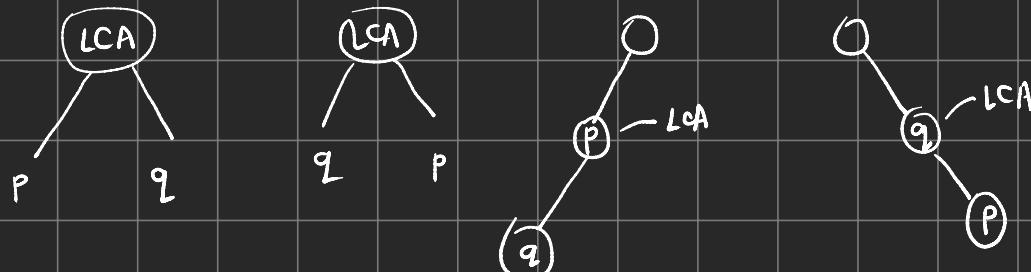


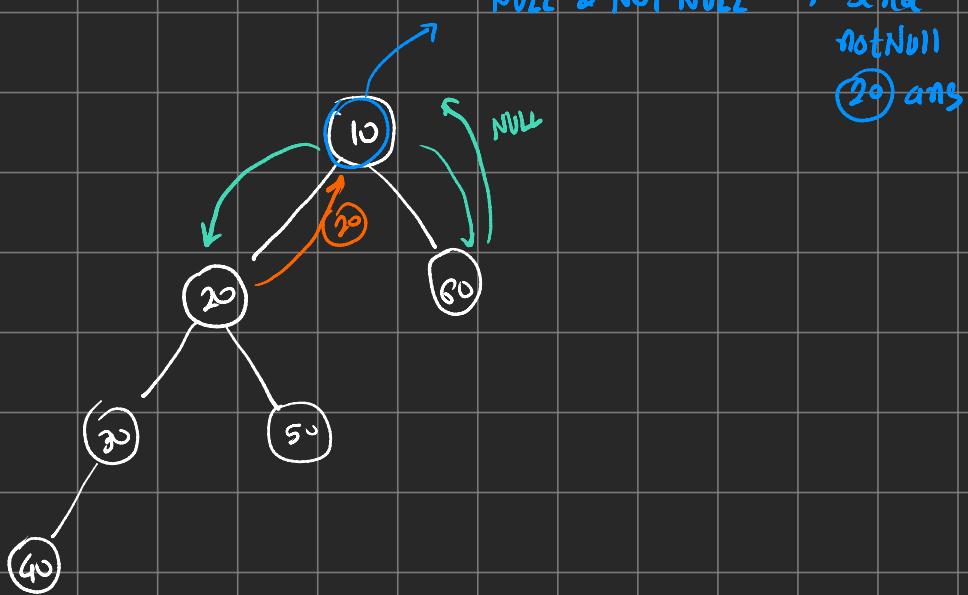
- P se upar and q se
upar jaha subse penle
Miljate hai wo LCA



NLR

Cases





```

TreeNode* lowestCommonAncestor(TreeNode* root, TreeNode* p, TreeNode* q) {
    if(root==NULL) return NULL;

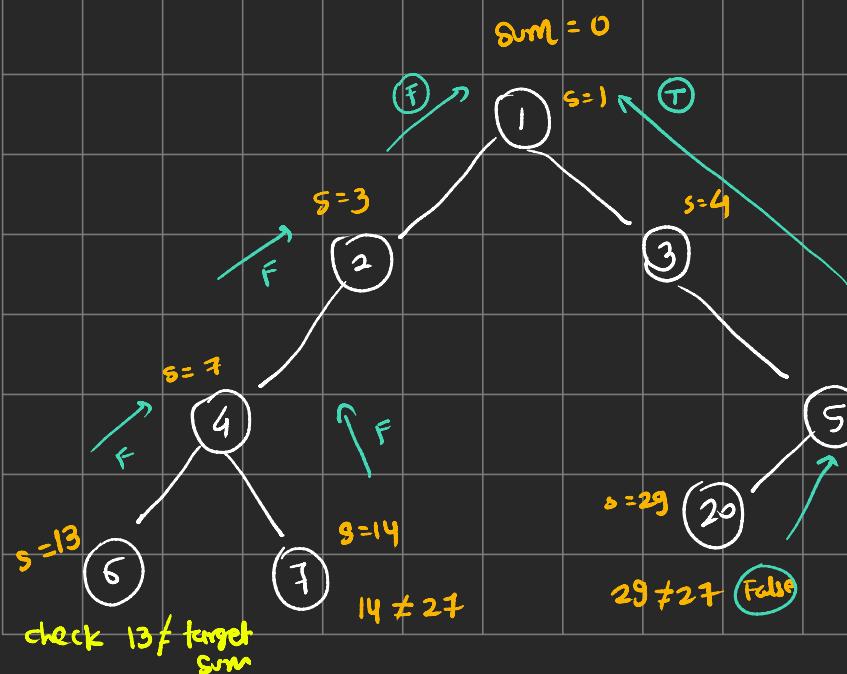
    if(root->val==p->val) return p;
    if(root->val==q->val) return q;

    TreeNode* leftAns = lowestCommonAncestor(root->left,p,q);
    TreeNode* rightAns = lowestCommonAncestor(root->right,p,q);

    if(leftAns==NULL && rightAns==NULL){
        return NULL;
    }else if(leftAns!=NULL && rightAns==NULL){
        return leftAns;
    }else if(leftAns==NULL && rightAns!=NULL){
        return rightAns;
    }else{
        // both are not null so actual node is ans
        return root;
    }
}

```

* Path Sum



$$T \text{ || } F = T$$

$$\text{targetSum} = 27$$

Root \rightarrow Leaf

$$\textcircled{1} \quad 1 \rightarrow 2 \rightarrow 4 \rightarrow 6 = 13$$

$$\textcircled{2} \quad 1 \rightarrow 2 \rightarrow 4 \rightarrow 7 = 14$$

$$\textcircled{3} \quad 1 \rightarrow 3 \rightarrow 5 \rightarrow 20 = 29$$

$$\textcircled{4} \quad 1 \rightarrow 3 \rightarrow 5 \rightarrow 10 \rightarrow 8 = 27 \quad \textcircled{27} \rightarrow \text{existed}$$

```

bool solve(TreeNode* root, int targetSum, int sum){
    if(root==NULL){
        return false;
    }

    sum = sum + root->val; // adding

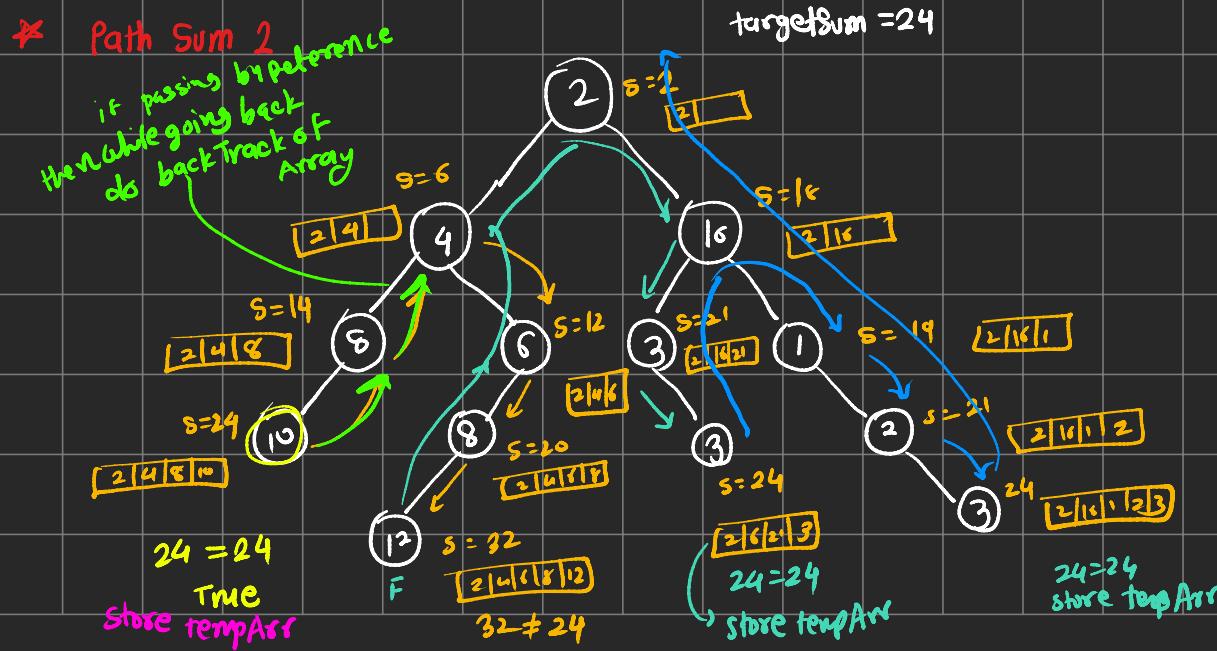
    // leaf node
    if(root->left==NULL && root->right==NULL){
        if(sum==targetSum){
            return true;
        }else{
            return false;
        }
    }

    bool leftAns = solve(root->left, targetSum, sum);
    bool rightAns = solve(root->right, targetSum, sum);

    return leftAns || rightAns;
}

bool hasPathSum(TreeNode* root, int targetSum) {
    return solve(root, targetSum, 0);
}

```



```

void solve(TreeNode* root, int targetSum, vector<vector<int>>& ans, vector<int> temp, int sum){
    if(root==NULL){
        return;
    }

    sum = sum + root->val;
    temp.push_back(root->val);

    if(root->left==NULL && root->right==NULL){
        // leaf node
        if(sum==targetSum){
            ans.push_back(temp);
        }else{
            return;
        }
    }

    solve(root->left, targetSum, ans, temp, sum);
    solve(root->right, targetSum, ans, temp, sum);
}

vector<vector<int>> pathSum(TreeNode* root, int targetSum) {
    vector<vector<int>> ans;
    vector<int> temp;
    int sum=0;
    solve(root, targetSum, ans, temp, sum);

    return ans;
}

```

```

void solve(TreeNode* root, int targetSum, vector<vector<int>>& ans, vector<int>& temp, int sum){
    if(root==NULL){
        return;
    }

    sum = sum + root->val;
    temp.push_back(root->val);

    if(root->left==NULL && root->right==NULL){
        // leaf node
        if(sum==targetSum){
            ans.push_back(temp);
        }
    }

    solve(root->left, targetSum, ans, temp, sum);
    solve(root->right, targetSum, ans, temp, sum);

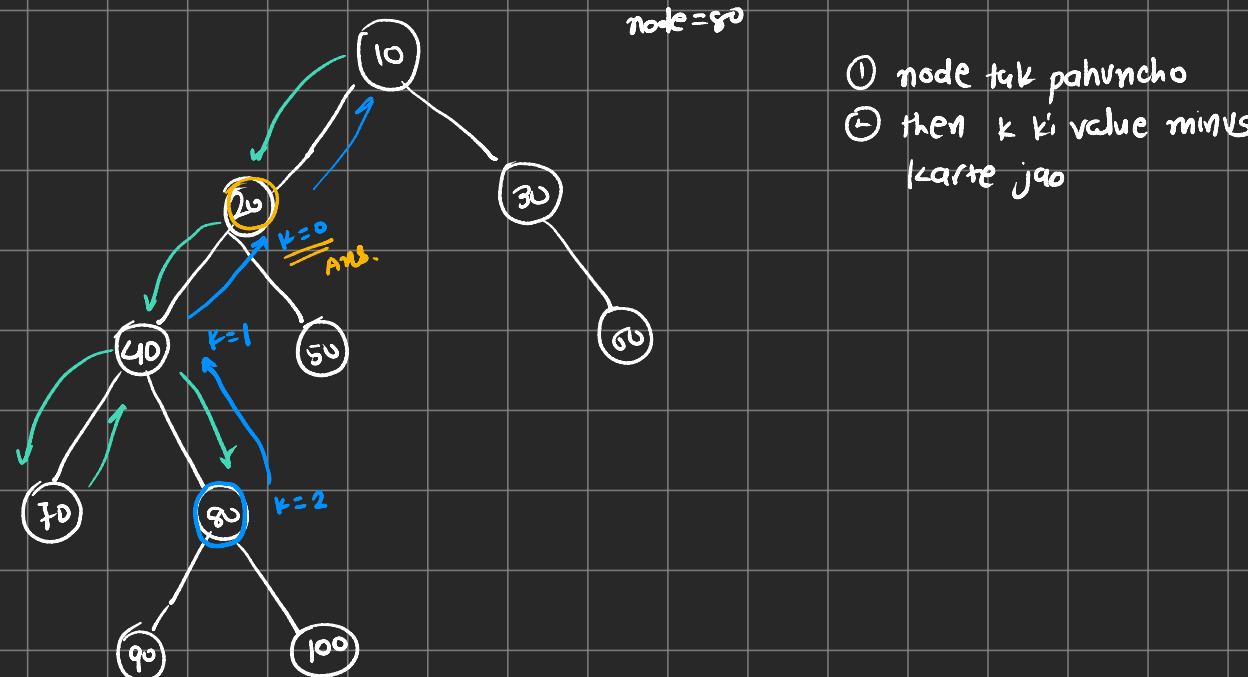
    temp.pop_back();
}

```

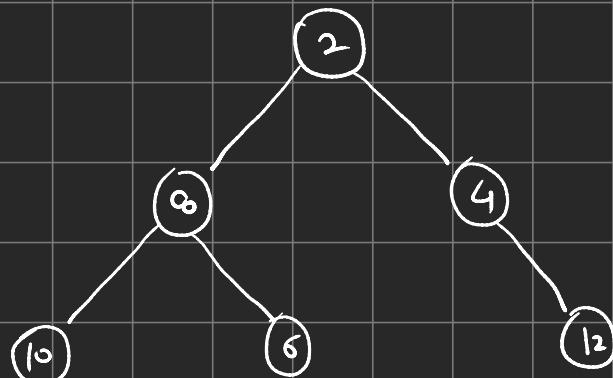
by ref.

* kth Ancestor of a Node in Binary tree

$$k=2 \\ \text{node} = 80$$



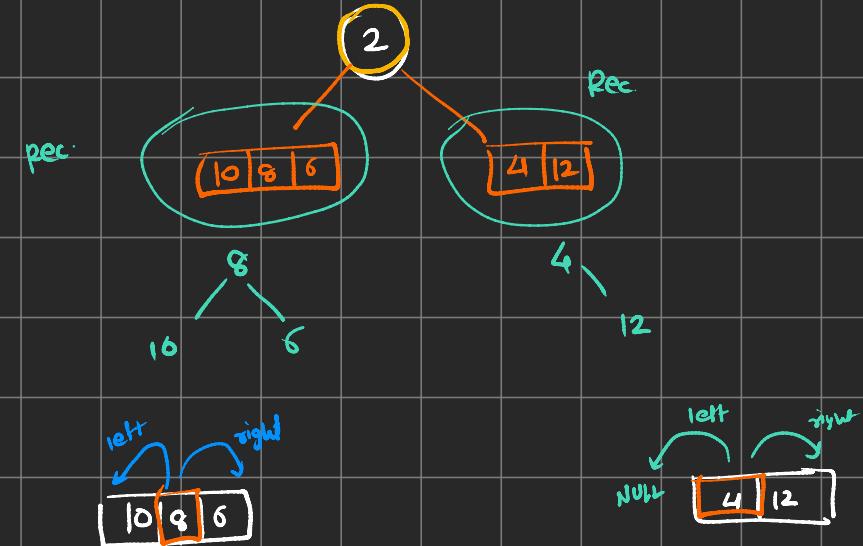
* Preorder and Inorder traversal you have, from them create Tree



preorder (NLR) = 2, 8, 10, 6, 4, 12
 $\xrightarrow{\text{left}} \xrightarrow{\text{right}}$

Inorder (LNR) = 10, 8, 6, 2, 4, 12
 $\underbrace{\hspace{1cm}}_{\text{L}} \quad \text{N} \quad \underbrace{\hspace{1cm}}_{\text{R}}$

left \rightarrow right



according to preorder 2, 8, 10, 6, 4, 12
 (NLR)
 left most

```

int searchInorder(vector<int>& inorder, int target){
    for(int i=0; i<inorder.size(); i++){
        if(inorder[i] == target){
            return i;
        }
    }
    return -1;
}

TreeNode* solve(vector<int>& preorder, vector<int>& inorder, int& preOrderIndex, int inorderStart, int inorderEnd){
    if(preOrderIndex >= preorder.size() || inorderStart > inorderEnd) return NULL;

    int ele = preorder[preOrderIndex];
    preOrderIndex++;

    TreeNode* root = new TreeNode(ele);

    // element search in inorder
    int position = searchInorder(inorder, ele);

    root->left = solve(preorder, inorder, preOrderIndex, inorderStart, position-1);
    root->right = solve(preorder, inorder, preOrderIndex, position+1, inorderEnd);

    return root;
}

TreeNode* buildTree(vector<int>& preorder, vector<int>& inorder) {
    int preIndex = 0;
    return solve(preorder, inorder, preIndex, 0, inorder.size()-1);
}
  
```

By ref. Imp



searching taking $O(n)$ every time
using mapping we can do in $O(1)$

```
void createMapping(vector<int>& inorder, map<int, int>& valueToIndexMap){
    for(int i=0; i<inorder.size(); i++){
        int element = inorder[i];
        int index = i;
        valueToIndexMap[element] = index;
    }
}
```

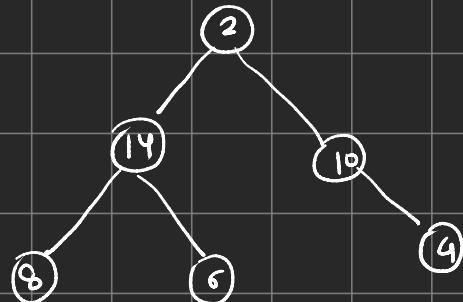
```
// element search in inorder
// int position = searchInorder(inorder, ele);
int position = valueToIndexMap[ele];
```

Why inorderIndex by reference?

- inorder k array par travel karne time
isli value ko dubara use karne beth
jisse to issue hoga
- inorder ke ek element ko bas ek baar
use karne chahiye hu so us index par
ravus naa aise kro.

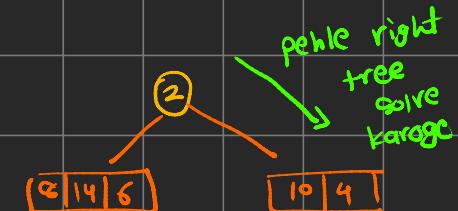
ds

create tree using Postorder and Inorder



inorder (LNR) : 8 14 6 pos 2 10 4

postorder(LRN) : 8 6 14 4 10 2
right se left
root



```
void createMapping(vector<int>& inorder, map<int, int>& valueToIndexMap) {
    for (int i = 0; i < inorder.size(); i++) {
        int element = inorder[i];
        int index = i;
        valueToIndexMap[element] = index;
    }
}

TreeNode* solve(vector<int>& inorder, vector<int>& postorder, int& postOrderIndex, int inorderStart, int inorderEnd, map<int, int>& valueToIndexMap) {
    if (postOrderIndex < 0 || inorderStart > inorderEnd)
        return NULL;

    int ele = postorder[postOrderIndex];
    postOrderIndex--;

    TreeNode* root = new TreeNode(ele);

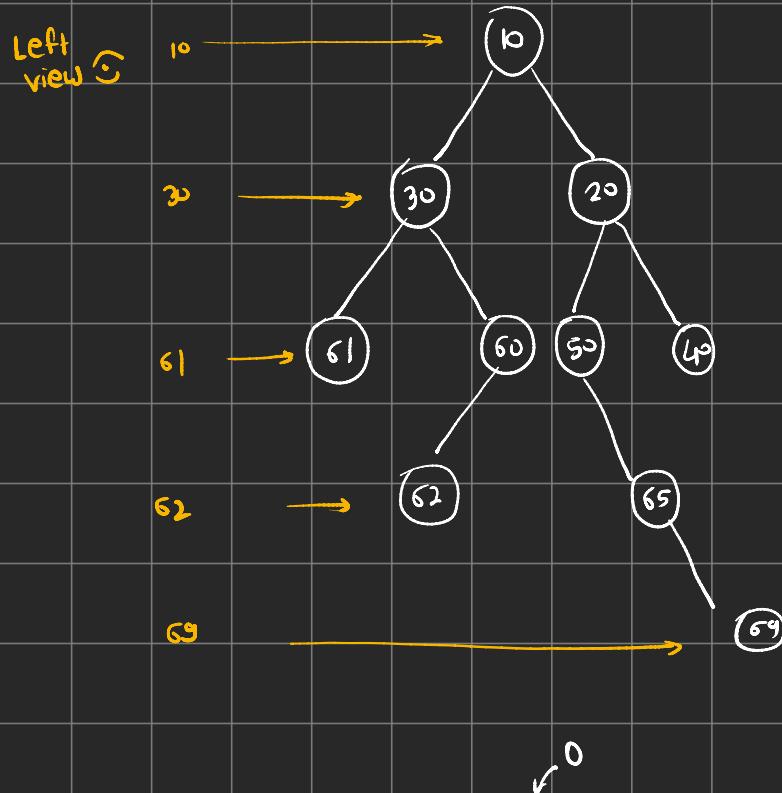
    // element search in inorder
    int position = valueToIndexMap[ele];

    // right first
    root->right = solve(inorder, postorder, postOrderIndex, position + 1, inorderEnd, valueToIndexMap);
    root->left = solve(inorder, postorder, postOrderIndex, inorderStart, position - 1, valueToIndexMap);

    return root;
}

TreeNode* buildTree(vector<int>& inorder, vector<int>& postorder) {
    int postIndex = postorder.size() - 1;
    map<int, int> valueToIndexMap;
    createMapping(inorder, valueToIndexMap);
    return solve(inorder, postorder, postIndex, 0, inorder.size() - 1, valueToIndexMap);
}
```

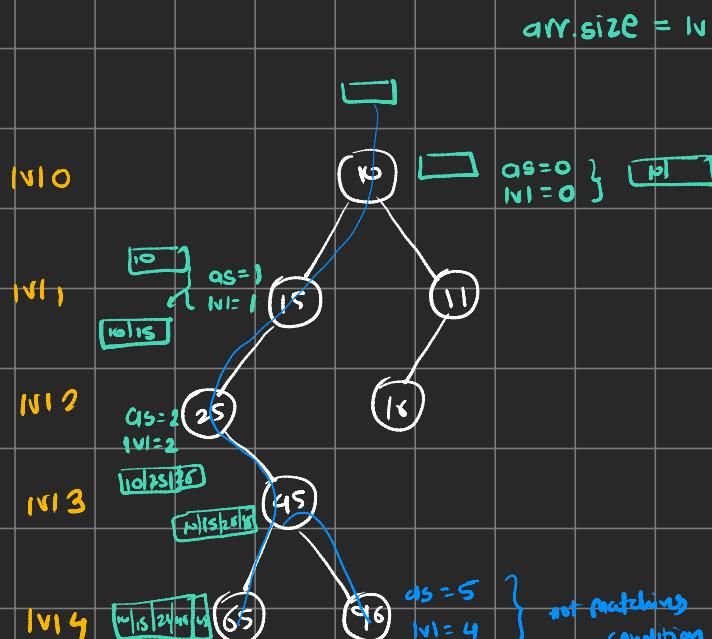
views



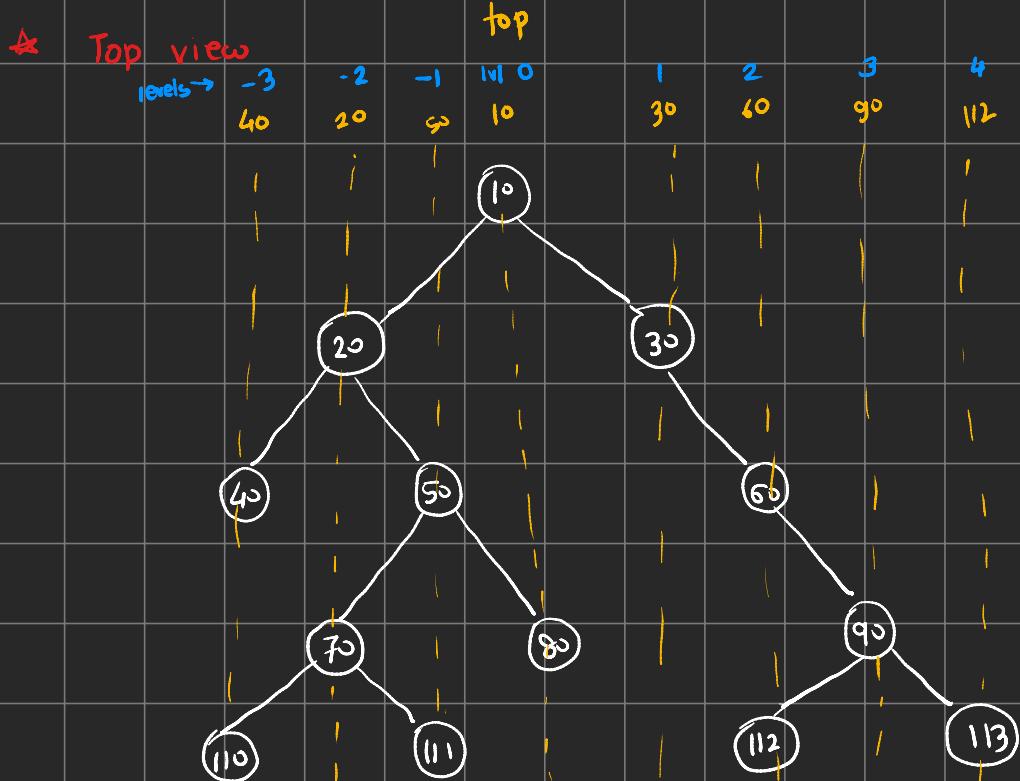
```
void solve(Node *root, int level, vector<int>& ans){  
    if(root==NULL) return;  
    if(level == ans.size()){  
        ans.push_back(root->data);  
    }  
    solve(root->left, level+1, ans); // left  
    solve(root->right, level+1, ans);  
}
```

(M1) har level ka first element - do level traversal then first ele from each lvl

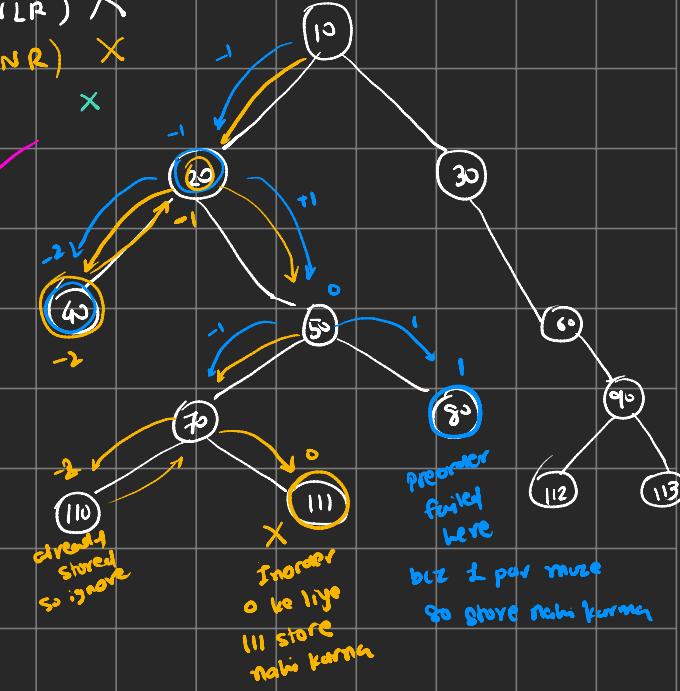
(M2)



To print right view
we first need to call right
// right
// left



Preorder (NLR) X
Inorder (LNR) X
Postorder X
level order ✓



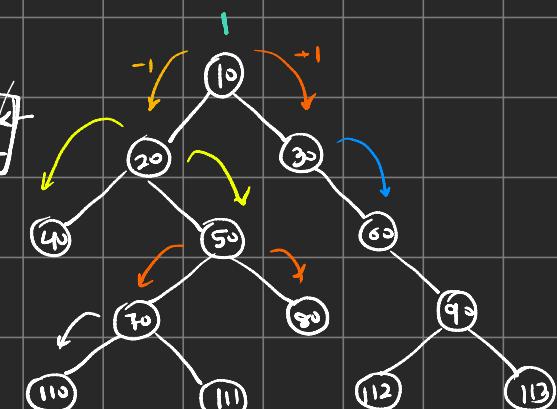
map

lvi	ans
-2	40
-1	20
0	10
1	30
2	60
3	90
4	113



pop
karne he
use left
and right child
ko que mei
push karo

already
value of
0 is there
so no need
to update



```

void organizeAnsFromMap(map<int, int>& hdToNodemap, vector<int>& ans)
{
    for(auto i: hdToNodemap){
        ans.push_back(i.second);
    }
}

vector<int> topView(Node *root) {
    // code here

    map<int, int> hdToNodemap; // node and horizontal distance
    queue< pair<Node*, int> >q;

    q.push(make_pair(root,0));

    while(!q.empty()){
        pair<Node*, int> top = q.front();
        q.pop();

        Node* frontNode = top.first;
        int hd = top.second;

        // if there is no entry in map then create a new entry
        if(hdToNodemap.find(hd)==hdToNodemap.end()){
            hdToNodemap[hd] = frontNode->data;
            only
        }

        // child ko dekhna he
        if(frontNode->left != NULL){
            q.push(make_pair(frontNode->left, hd-1));
        }
        if(frontNode->right != NULL){
            q.push(make_pair(frontNode->right, hd+1));
        }
    }

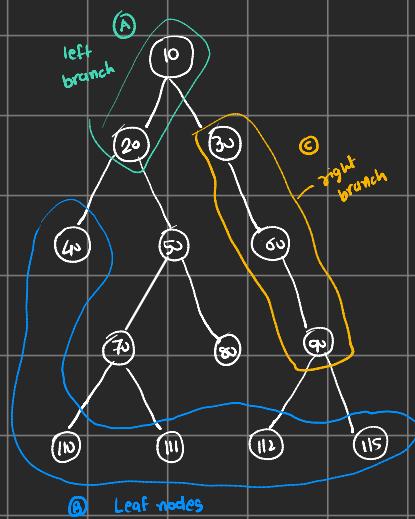
    vector<int> ans;
    organizeAnsFromMap(hdToNodemap, ans);
    return ans;
}

```

without the condition overwrite value / update value again for BOTTOMVIEW } JUST with every

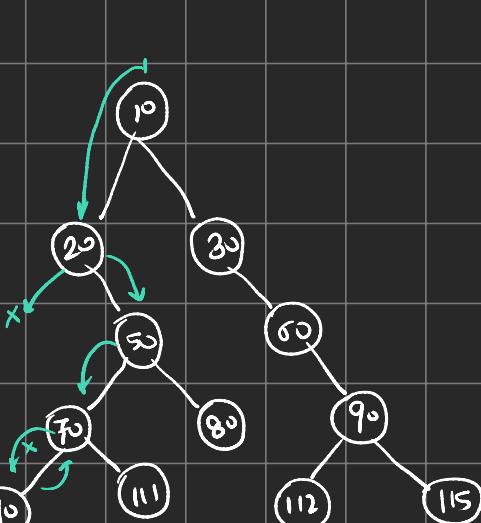
just remove if condition
without if update value
every time

Boundary Traversal



Leafnode
bhi print
nahi karna
hain
uskepele
se he
nichle jaa

Leafnode
mitne se
vapas chale
jao right
mei janne ki
need nahi hoi



- Part A : leaf node milne se pehle tak
- Part B
- Part C

```

void printLeftBoundary(Node *root, vector<int>& ans){
    if(root==NULL){
        return;
    }

    if(root->left==NULL && root->right==NULL){
        return;
    }

    ans.push_back(root->data);

    if(root->left!=NULL){
        printLeftBoundary(root->left,ans);
    }else{
        printLeftBoundary(root->right,ans);
    }
}

void printLeafBoundary(Node *root, vector<int>& ans){
    if(root==NULL){
        return;
    }
    if(root->left==NULL && root->right==NULL){
        ans.push_back(root->data);
    }
    printLeafBoundary(root->left,ans);
    printLeafBoundary(root->right,ans);
}

void printRightBoundary(Node *root, vector<int>& ans){
    if(root==NULL){
        return;
    }
    if(root->left==NULL && root->right==NULL){
        return;
    }

    if(root->right!=NULL){
        printRightBoundary(root->right,ans);
    }else{
        printRightBoundary(root->left,ans);
    }
    ans.push_back(root->data); // niche se print karna he
}

```

follow this
otherwise
issve hogi like
repetition and -

```

vector<int> boundaryTraversal(Node *root) {
    vector<int> ans;
    ans.push_back(root->data);
    printLeftBoundary(root->left,ans);
    printLeafBoundary(root->right,ans);
    printRightBoundary(root->right,ans);
    printRightBoundary(root->left,ans);
    return ans;
}

```

* Fast way to find diameter

```
int D = 0;
int height(TreeNode*root){
    if(!root) return 0;

    int lh = height(root->left);
    int rh = height(root->right);
    // diameter
    int currD = lh + rh; → currentDiameter = lh + rh
    D = max(D, currD);
    return max(lh, rh) + 1;
}

int diameterOfBinaryTree(TreeNode* root) {
    height(root);
    return D;
}
```

* Fast way to find height balanced tree

node pcr $\text{abs}(\text{leftHeight} - \text{rightHeight}) \leq 1$

```
bool isbalanced = true;
int height(TreeNode*root){
    if(!root) return 0;

    int lh = height(root->left);
    int rh = height(root->right);

    //check for current node, is it balanced?
    if(isbalanced && abs(lh - rh) > 1){ → ek node par bhi condition true hogi toh ye balanced tree nahi hoga
        isbalanced = false;
    }

    return max(lh, rh) + 1;
}

bool isBalanced(TreeNode* root) {
    height(root);
    return isbalanced;
}
```

* same Tree identical



✓

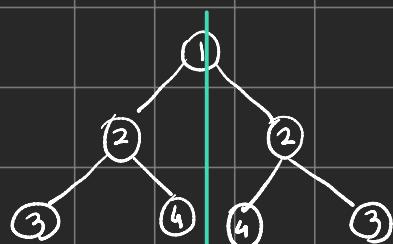
```
bool isSameTree(TreeNode* p, TreeNode* q) {  
    if(p==NULL && q==NULL) return true;  
  
    if(!((p!=NULL && q!=NULL) && (p->val == q->val))) {  
        return false;  
    }  
  
    return isSameTree(p->left, q->left) && isSameTree(p->right, q->right);  
}
```

True to be
a similar



✗

* Symmetric Tree / mirror



✓



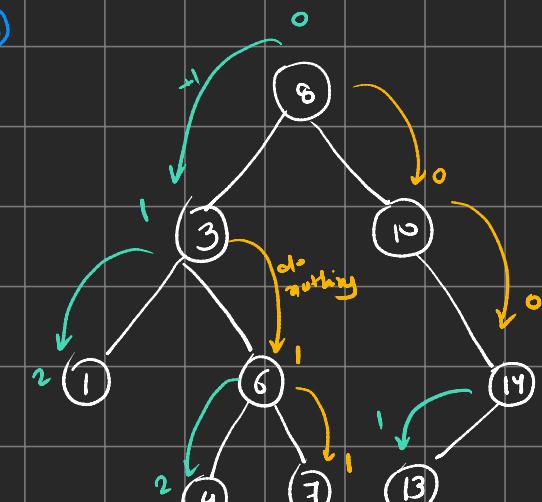
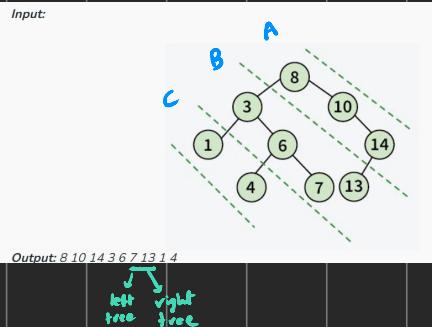
✗



to compare mirror

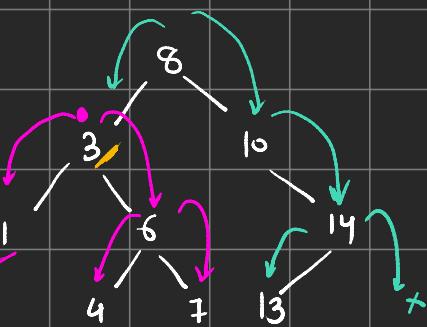
```
bool isMirror(TreeNode* p, TreeNode* q) {  
    if(p==NULL && q==NULL) return true;  
  
    if(!((p!=NULL && q!=NULL) && (p->val == q->val))) {  
        return false;  
    }  
  
    return isMirror(p->left, q->right) && isMirror(p->right, q->left);  
}  
  
bool isSymmetric(TreeNode* root) {  
    return isMirror(root->left, root->right);  
}
```

Diagonal Traversal



Map < int, vector<int> map;

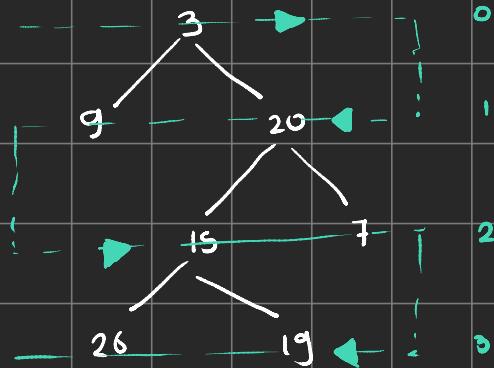
M2
Level Order Traversal (which we were using queue)



temp = 8 8 X 4
while (temp != NULL)
{
 print temp->val
 if (temp->left) → q.push
 temp = temp->right
}

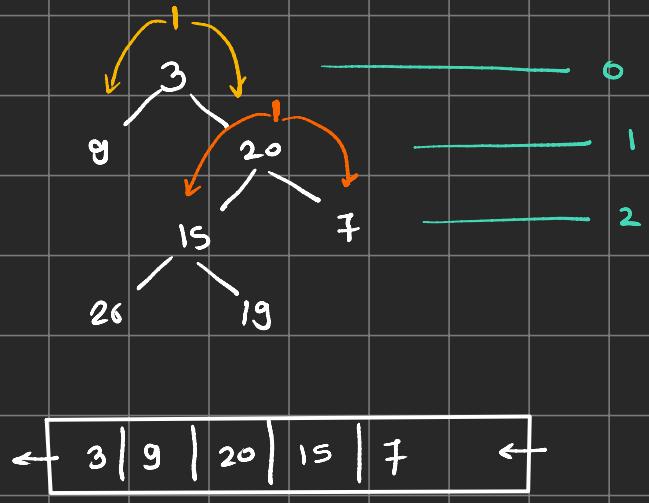
```
vector<int> diagonal(Node *root) {  
    vector<int> ans;  
    queue<Node*> q;  
  
    q.push(root);  
  
    while(!q.empty()){  
        Node* temp = q.front();  
        q.pop();  
  
        while(temp){  
            ans.push_back(temp->data);  
            if(temp->left){  
                q.push(temp->left); // baad me dekhenge  
            }  
            temp = temp->right;  
        }  
  
    }  
  
    return ans;  
}
```

* Zig Zag Traversal



[[3], [20,9], [15,7], [19,26]]

(looks like level traversal
only alternatives in right to left



- | | | | | |
|---|----|---------------|----------|---|
| ① | 3 | \rightarrow | [3] | T |
| ② | 9 | \rightarrow | [20, 9] | F |
| ③ | 15 | \rightarrow | [15, 7] | T |
| ④ | 26 | \rightarrow | [19, 26] | F |

flag(leftToRight)

T

F

T

```
vector<vector<int>> zigzagLevelOrder(TreeNode* root) {
    vector<vector<int>> ans;
    if(root==NULL) return ans; // base case
    bool leftToRightDirection = true;
    queue<TreeNode*> q;
    q.push(root);

    while(!q.empty()){
        int width = q.size();
        vector<int> oneLevel(width);
        for(int i=0; i<width; i++){
            TreeNode* front = q.front();
            q.pop();

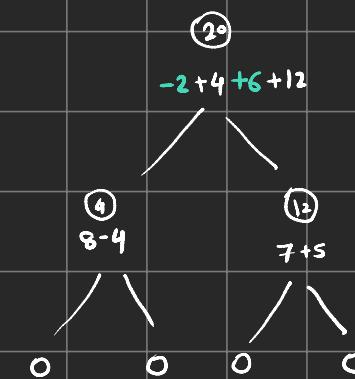
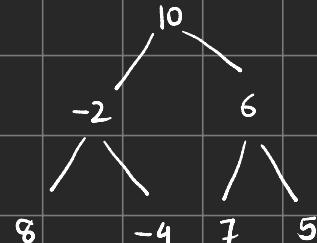
            int index = leftToRightDirection ? i : width-i-1;
            oneLevel[index] = front->val;

            if(front->left) {
                q.push(front->left);
            }
            if(front->right){
                q.push(front->right);
            }
        }
        // toggle when lvl change
        leftToRightDirection = !leftToRightDirection;
        ans.push_back(oneLevel);
    }

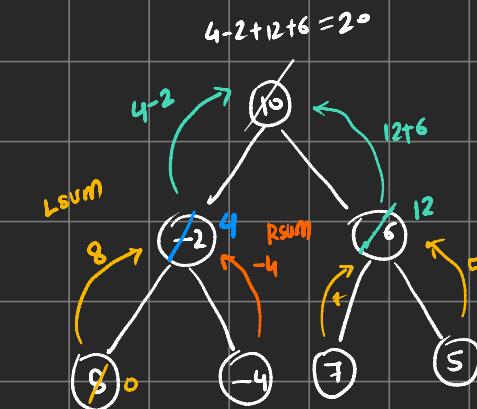
    return ans;
}
```

*current level
par to rd
elements*

★ Transform to Sum tree



$\rightarrow \text{leaf node} = 0$



```

int solve(Node* root){
    if(!root) return 0;

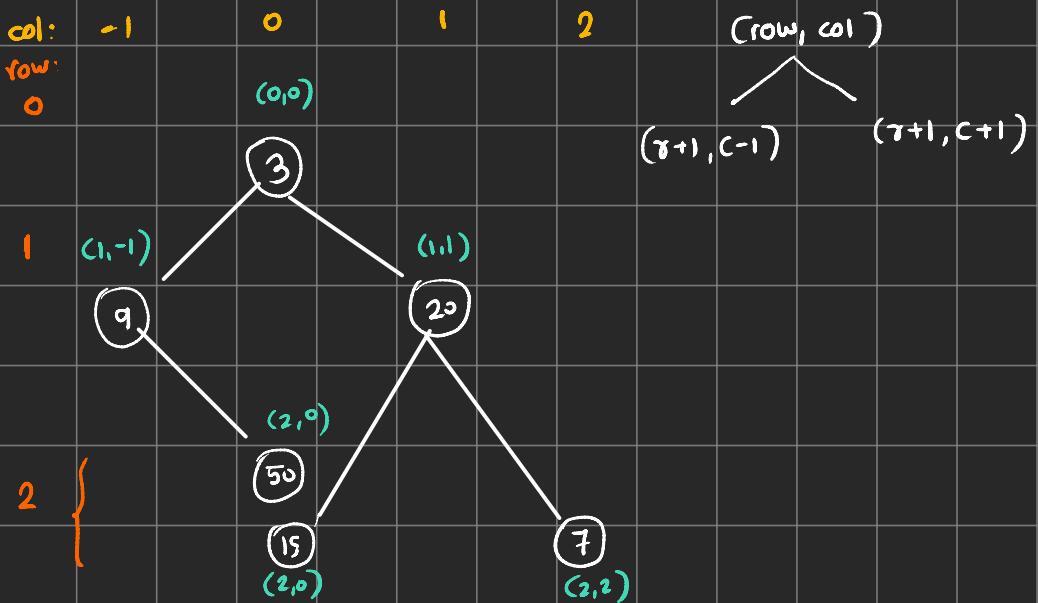
    if(root->left == NULL && root->right==NULL){ // leaf node
        int valOfNode = root->data;
        root->data = 0;
        return valOfNode;
    }

    int leftSum = solve(root->left);
    int rightSum = solve(root->right);

    int currentNodeVal = root->data;
    root->data = leftSum+rightSum;
    return currentNodeVal + (root->data);
}

void toSumTree(Node *node)
{
    solve(node);
}
  
```

* verticle order Traversal of Binary Tree



left most column se start → end
(top → bottom)

-1 → 9

0 → 3, 15, 50

1 → 20

2 → 7

if same location par
hai to sort by the value

Map { col → map <row, multiset> }

col	row	values
-2	2	→ 4
-1	1	→ 2
0	0	→ 1
1	2	→ 5, 6 → auto sorted multiset
1	1	→ 3

multiset → able to store values in sorted order automatically
→ duplicates allowed (not in set)

```

#include <set>

int main() {
    std::multiset<int> ms;

    // Inserting elements in random order
    ms.insert(30);
    ms.insert(10);
    ms.insert(20);
    ms.insert(10); // Duplicate

    // Elements are automatically sorted in ascending order
    std::cout << "Multiset elements (sorted): ";
    for (int x : ms) {
        std::cout << x << " ";
    }
    std::cout << std::endl;

    return 0;
}

Output:
java

Multiset elements (sorted): 10 10 20 30
  
```

```

vector<vector<int>> verticalTraversal(TreeNode* root) {
    vector< vector<int> > ans;
    queue<pair <TreeNode*, pair<int,int>> > q; // node, {row,col}
    q.push({root, {0,0}});

    map<int, map<int, multiset<int>> > mp; // col -> {row: [x,y,z...]}

    while(!q.empty()){
        auto front = q.front();
        q.pop();

        TreeNode*& node = front.first;
        auto coordinate = front.second;
        int& row = coordinate.first;
        int& col = coordinate.second;

        mp[col][row].insert(node->val);

        if(node->left){
            q.push( {node->left, {row+1, col-1}} );
        }
        if(node->right){
            q.push( {node->right, {row+1, col+1}} );
        }
    }

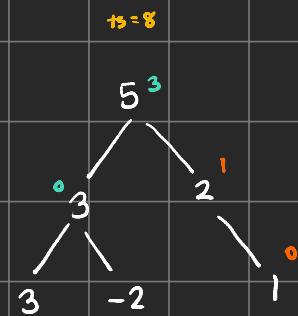
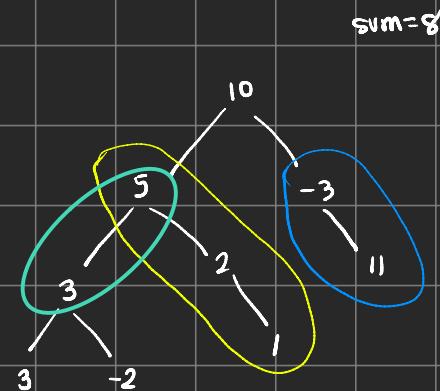
    // store final verticle order into ans vector
    for(auto it:mp){
        auto& colMap = it.second;
        vector<int> vLine;
        for(auto colMapIt: colMap){
            auto &mset = colMapIt.second;
            vLine.insert(vLine.end(), mset.begin(), mset.end());
        }
        ans.push_back(vLine);
    }
}

return ans;

```

Tricky
Implementation

* Path sum 3 / K sum path



```

int ans=0;

void pathFromOneRoot(TreeNode* root, long long sum){
    if(root==NULL) return;

    if(sum==root->val){
        ans++;
    }

    pathFromOneRoot(root->left, sum-root->val);
    pathFromOneRoot(root->right, sum-root->val);
}

int pathSum(TreeNode* root, long long targetSum) {
    if(root){
        pathFromOneRoot(root, targetSum);
        pathSum(root->left, targetSum);
        pathSum(root->right, targetSum);
    }
    return ans;
}

```

condition that
not only from
root but from
other nodes also

