PSET3_ParthDesai

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R Markdown

Question 1

```
set.seed(123)
x <- rexp(1500, rate = 2)</pre>
```

Part 1.1

```
boot_univariate <- function(datvec, statint, B, alpha){
  samp <- c()
  for (i in 1:B) {
    samp[i] <- statint(sample((datvec), length(datvec), replace = TRUE))
  }
  sd(samp)
  return(quantile(samp, probs = c(alpha/2, (alpha/2) + (1-alpha))))
}</pre>
```

Part 1.2

```
boot_univariate(datvec = x, statint = median, B = 10000, alpha = 0.05)

## 2.5% 97.5%
## 0.3313953 0.3856648
```

The boot_univariate function passed with the specific parameters as shown above represent that for dataset x, when we are interested in the mean, with 10,000 resamples of x, there is 95% confidence that the values lie between 33.13953% and 38.56648%.

Bonus 1

```
summary(x)

## Min. 1st Qu. Median Mean 3rd Qu. Max.
## 0.000413 0.147888 0.358380 0.510851 0.706927 3.605504

boot_univariate(datvec = x, statint = median, B = 10000, alpha = 0.5)

## 25% 75%
## 0.3467349 0.3656483
```

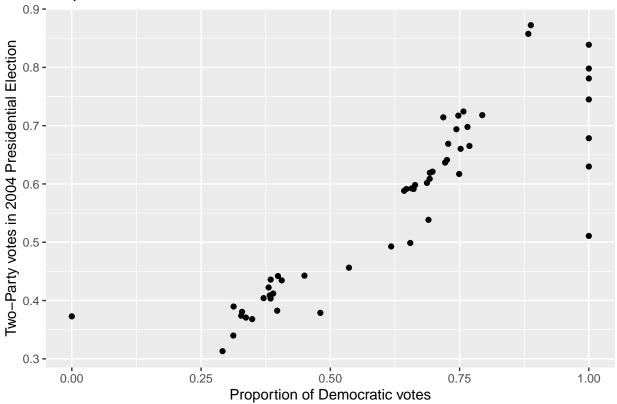
Question 2

```
library(ggplot2)
## Warning: package 'ggplot2' was built under R version 4.2.2
Part 2.1
```

```
ca2006 <- read.csv('ca2006.csv')
```

```
plot_a <- ggplot(data = ca2006, aes(x=prop_d, y= dem_pres_2004))
plot_a + geom_point() +
    ggtitle("Proportion of Democratic votes in General vs. 2004 Presidential Election") +
    xlab("Proportion of Democratic votes") +
    ylab("Two-Party votes in 2004 Presidential Election")</pre>
```

Proportion of Democratic votes in General vs. 2004 Presidential Election

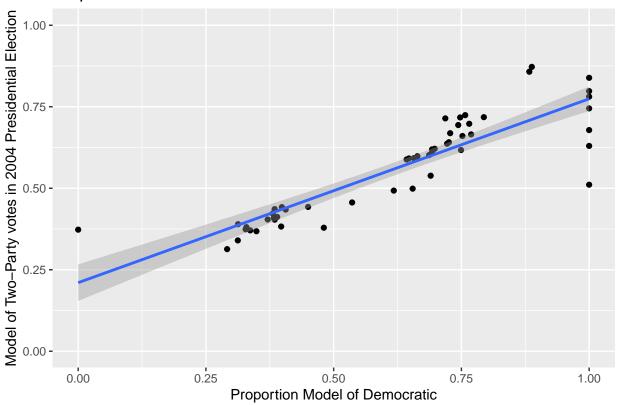


```
mod1 <- lm(prop_d ~ dem_pres_2004, data = ca2006)
summary(mod1)</pre>
```

```
##
## lm(formula = prop_d ~ dem_pres_2004, data = ca2006)
##
## Residuals:
##
       Min
                  1Q
                      Median
                                    3Q
                                            Max
   -0.36168 -0.04314 -0.00830 0.01233 0.44754
##
##
## Coefficients:
##
                Estimate Std. Error t value Pr(>|t|)
                            0.05978 -2.574
                                               0.013 *
## (Intercept)
                -0.15390
## dem_pres_2004 1.38268
                            0.10291 13.436
                                              <2e-16 ***
## Signif. codes: 0 '*** 0.001 '** 0.01 '* 0.05 '.' 0.1 ' 1
##
## Residual standard error: 0.1125 on 51 degrees of freedom
## Multiple R-squared: 0.7797, Adjusted R-squared: 0.7754
## F-statistic: 180.5 on 1 and 51 DF, p-value: < 2.2e-16
```

```
plot_b <- ggplot(data = mod1, aes(x = prop_d, y = dem_pres_2004))
plot_b + geom_point() + geom_smooth(method = "lm", formula = y ~ x) +
    coord_cartesian(ylim = c(0,1), xlim = c(0,1)) +
    ggtitle('Proportion Model of Democratic Votes in General vs. 2004 Presidential Election') +
    xlab('Proportion Model of Democratic') +
    ylab('Model of Two-Party votes in 2004 Presidential Election')</pre>
```

Proportion Model of Democratic Votes in General vs. 2004 Presidential Ele



```
let_predict <- function(model, x.star){
  a <- model$coefficients
  return(a %*% x.star)
}

newdata1 <- c(1, dem_pres_2004 = 0.5)
let_predict(mod1, newdata1)</pre>
```

```
## [,1]
## [1,] 0.5374445
```

Part 2.5

```
mod2 <- lm(prop_d ~ dem_pres_2004 + dem_pres_2000 + dem_inc, data = ca2006)
```

Part 2.6

```
newdata2 <- c(1, dem_pres_2004 = 0.5, dem_pres_2000 = 0.5, dem_inc = 1)
let_predict(mod2, newdata2)

## [,1]
## [1,] 0.6147444</pre>
```

Part 2.7

```
set.seed(pi)
B = 10000
bivariate = c()
multivariate = c()
boot_samp <- c()
for (x in 1:B) {
   boot_samp <- sample(nrow(ca2006), length(ca2006$district), replace = TRUE)
   new_df <- ca2006[boot_samp, ]

mod3 <- lm(prop_d ~ dem_pres_2004, data = new_df)
   mod4 <- lm(prop_d ~ dem_pres_2004 + dem_pres_2000 + dem_inc, data = new_df)

bivariate[x] = let_predict(mod3, newdata1)
   multivariate[x] = let_predict(mod4, newdata2)
}</pre>
```

```
bivariate_ci <- c(quantile(bivariate, probs = 0.025), quantile(bivariate, probs = 0.975))
bivariate_ci

## 2.5% 97.5%
## 0.5050168 0.5716776

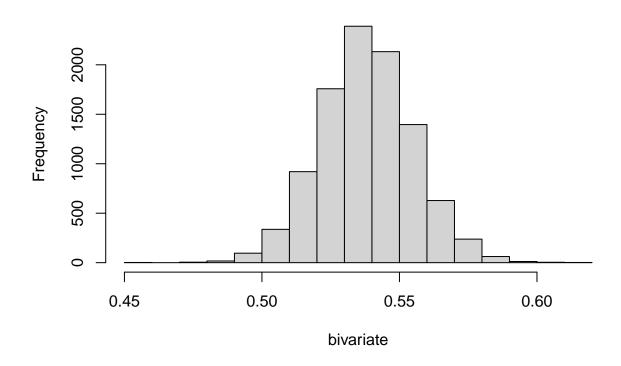
multivariate_ci <- c(quantile(multivariate, probs = 0.025), quantile(multivariate, probs = 0.975))
multivariate_ci

## 2.5% 97.5%
## 0.5496060 0.6924033</pre>
```

The bivariate confidence interval is from 50.50168% to 57.16776% and the multivariate confidence interval is ~54.9606% to 69.24033%

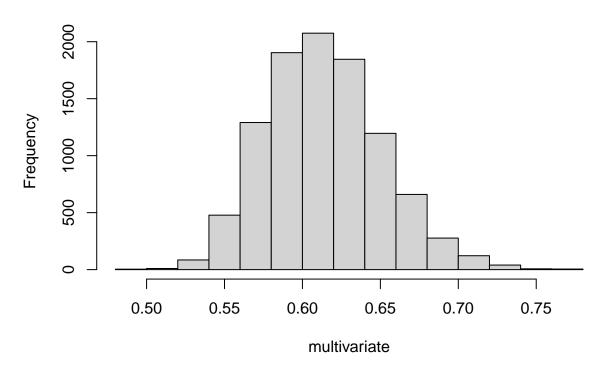
hist(bivariate)

Histogram of bivariate



hist(multivariate)

Histogram of multivariate



Part 2.9

```
bivariate_correct <- c()
for(x in 1:B){
   if(bivariate[x] > 0.5){
      bivariate_correct[x] <- as.numeric(bivariate[x] > 0.5)
   }
   else{
      bivariate_correct[x] <- 0
   }
}
bivariate_only_correct <- subset(bivariate_correct, bivariate_correct[] == 1)

(length(bivariate_only_correct)/ length(bivariate_correct)) * 100</pre>
```

[1] 98.8

```
multivariate_correct <- c()
for (x in 1:B) {
  if(multivariate[x] > 0.5){
```

```
multivariate_correct[x] <- as.numeric(multivariate[x] > 0.5)
}
else{
   multivariate_correct[x] <- 0
}

multivariate_only_correct <- subset(multivariate_correct, multivariate_correct[] == 1)

(length(multivariate_only_correct)/length(multivariate_correct)) * 100</pre>
```

Around 98.8% the bivariate regression reports the Democrat winning

```
## [1] 99.96
```

Around 99.96% the multivariate regression reports the Democrat winning

Question 3

Part 3.1

```
vote92 <- read.csv('vote92.csv')</pre>
```

Part 3.2

```
(length(subset(vote92, clintonvote == 1)[,1])/length(vote92[,1])) * 100
## [1] 45.76458
```

The percentage of voters for Clinton was approximately 45.764% of respondents.

Part 3.3

Part 3.4

```
data = data_set)
return(let_predict(model, x.star))
}
```

Part 3.5

Part 3.6

[1] 0.1548988 0.1548988 0.8290671 0.2056878 0.2092911 0.7788589

[1] -1.823665 -1.823665 1.673063 -1.406974 -1.371828 1.255983

```
finale <- data.frame(lin_regress, logist_regress)

h <- ggplot(data = finale, aes(x = logist_regress, y = lin_regress))
h + geom_point() + geom_smooth(method = "lm", formula = y ~ x + I(x^2)) +
coord_cartesian(ylim = c(0,2), xlim = c(0,2))</pre>
```

