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Computer Vision; Pose Estimation



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Maziar Raissi

Assistant Professor

Department of Applied Mathematics

University of Colorado Boulder

maziar.raissi@colorado.edu



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DeepPose: Human Pose Estimation via Deep Neural Networks



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- small and barely visible joints
- occlusions and the need to capture the context
- $k \rightarrow$ number of body joints
- $y = (y_1, \dots, y_k) \rightarrow$ pose vector
- $y_i \in \mathbb{R}^2 \rightarrow$ coordinates of the i -th joint
- $(x, y) \rightarrow$ image-label pair
- $b = (b_c, b_w, b_h) \rightarrow$ box bounding the human body or parts of it
(could be the full image)
- $b_c \in \mathbb{R}^2 \rightarrow$ center of the box
- $b_w, b_h \in \mathbb{R}^2 \rightarrow$ width & height of the box
- $N(y_i; b) = \frac{y_i - b_c}{(b_w, b_h)} \rightarrow$ normalization by b
- $N(y; b) = (N(y_1; b), \dots, N(y_k; b)) \rightarrow$ normalized pose vector
- $N(x; b) \rightarrow$ crop of the image x by b

Pose Estimation as DNN-based Regression

$$\psi(x; \theta) \in \mathbb{R}^{2k} \rightarrow \text{CNN (AlexNet)}$$

$y^* = N^{-1}(\psi(N(x); \theta^*)) \rightarrow$ pose prediction in absolute image coordinates

$$D_N = \{(N(x), N(y)) : (x, y) \in D\}$$

↳ normalized training set

$$\theta^* = \arg \min_{\theta} \sum_{(x,y) \in D_N} \sum_{i=1}^k \|y_i - \psi_i(x; \theta)\|_2^2$$

Cascade of Pose Regressors

Each subsequent stage refines the currently predicted pose by regressing towards a refinement displacement $y_i^s - y_i^{(s-1)}$ on the sub image defined by $b_i^{(s-1)}$ from the previous stage.

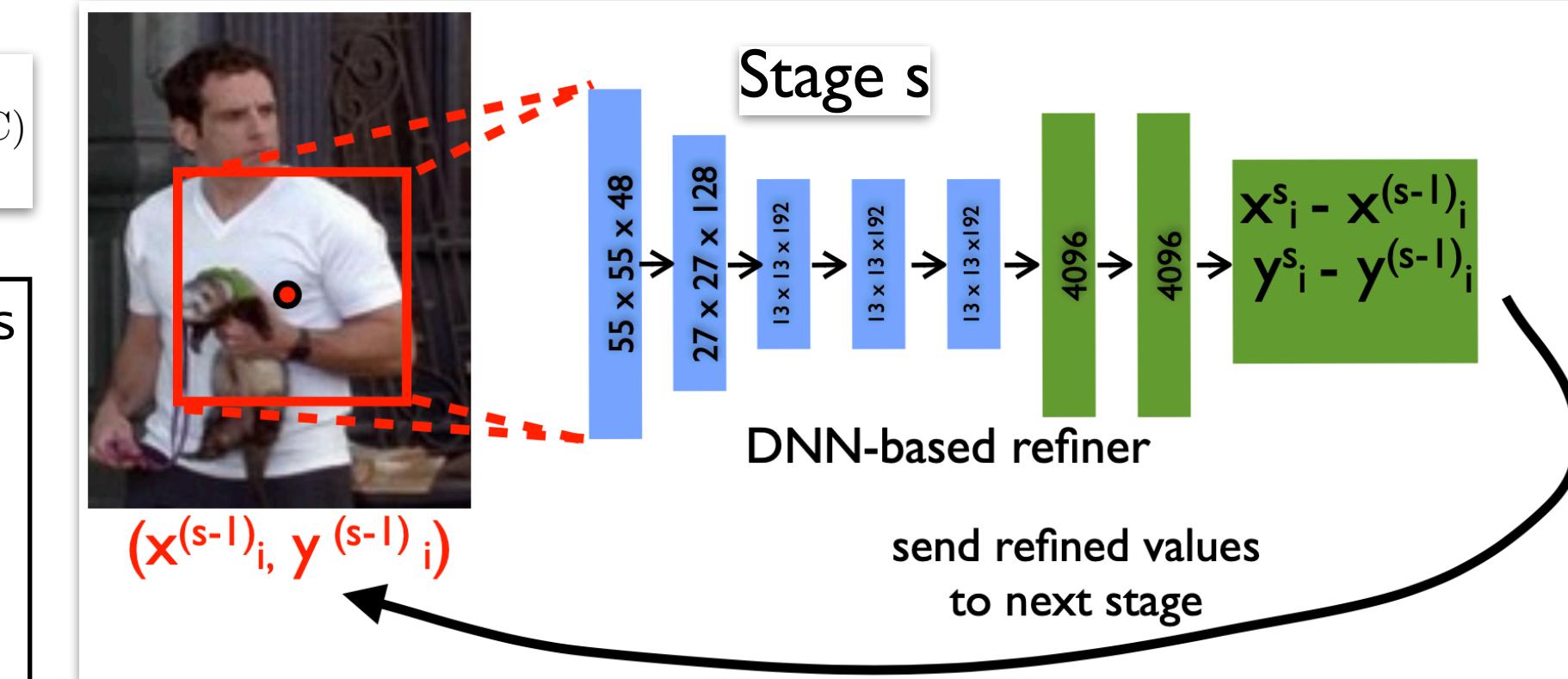
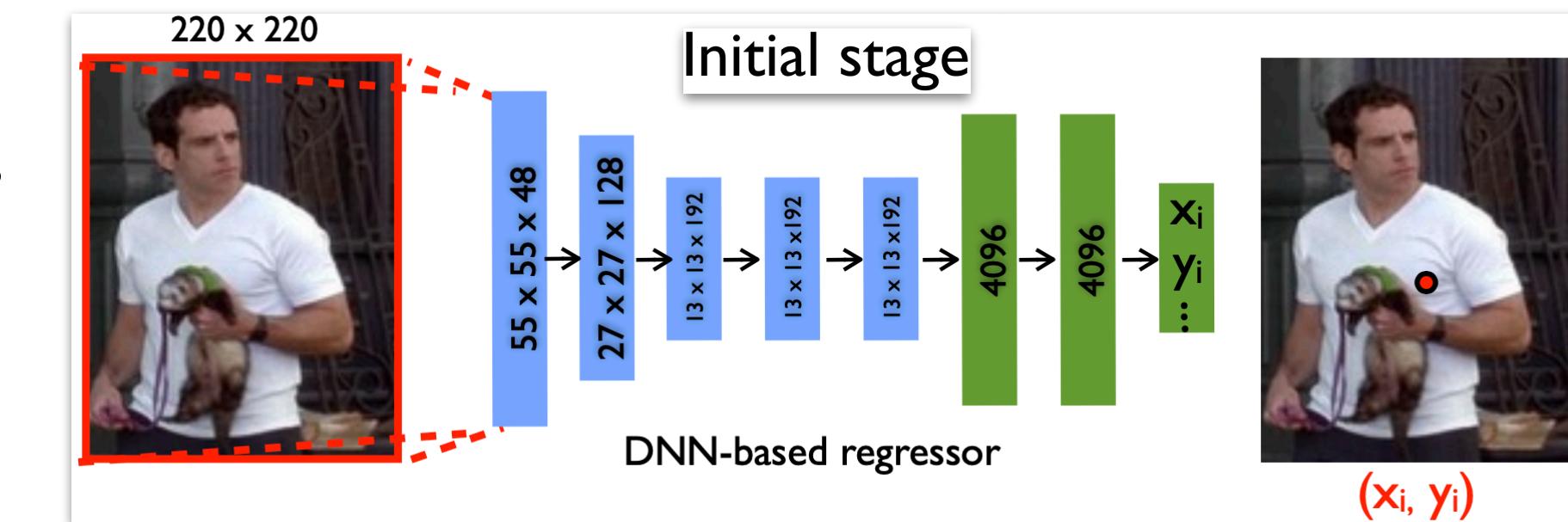
Datasets:

- Frames Labeled In Cinema (FLIC)
- Leeds Sports Dataset (LSP)

Evaluation Metrics

Percentage of Correct Parts (PCP) measures detection rate of limbs, where a limb is considered detected if the distance between the two predicted joint locations and the true limb joint locations is at most half of the limb length.

Percent of Detected Joints (PDJ): A joint is considered detected if the distance between the predicted and the true joint is within a certain fraction of the torso (e.g., left shoulder and right hip) diameter.





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Convolutional Pose Machines

Pose Machines

$Y_p \in \mathcal{Z} \in \mathbb{R}^2 \rightarrow$ pixel location of the p -th ^{part} anatomical landmark
 $\mathcal{Z} \rightarrow$ set of all locations $z = (u, v)$ in an image
 $Y = (Y_1, Y_2, \dots, Y_P) \rightarrow$ image locations for all P parts
 (to be predicted)

$g_t(\cdot), t = 1, \dots, T \rightarrow$ sequence of multi-class predictors

$t \rightarrow$ stage

$g_t \rightarrow$ predicts beliefs for assigning a location to each part
 (i.e., $Y_p = z, \forall z$)

$x_z \in \mathbb{R}^d \rightarrow$ features extracted from the image at location z

$g_1 : x_z \mapsto \underbrace{\{b_1^p(Y_p = z)\}_{p=1, \dots, P+1}}_{\text{background}}$

score for assigning the p -th part at image
 location z in the first stage

$b_t^p \in \mathbb{R}^{w \times h}, b_t^p(u, v) = b_t^p(Y_p = z)$

$b_t \in \mathbb{R}^{w \times h \times (P+1)}$

In subsequent stages ($t > 1$):

$g_t : (x'_z, \underbrace{\psi_t(z, b_{t-1})}_{\text{context features}}) \mapsto \{b_t^p(Y_p = z)\}_{p=1, \dots, P+1}$

boosted random forest and hand-crafted image & context features!

Convolutional Pose Machines

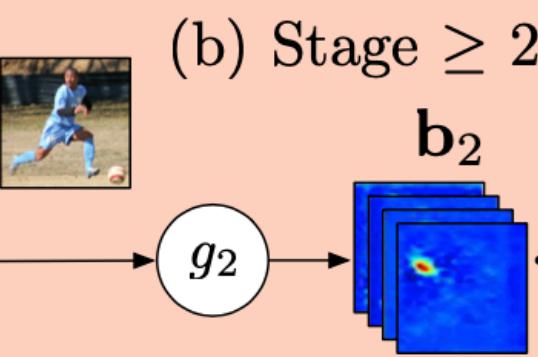
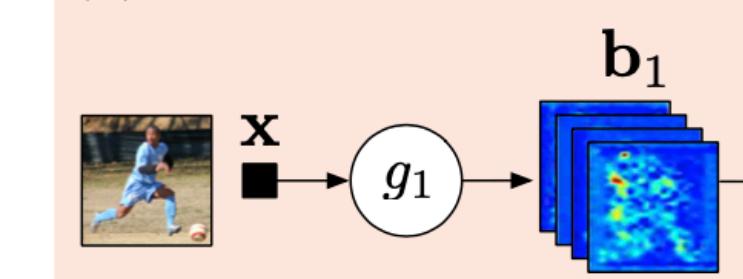
$$\mathcal{F} = \sum_{t=1}^T f_t, f_t = \sum_{p=1}^{P+1} \sum_{z \in \mathcal{Z}} |b_t^p(z) - b_*^p(z)|^2$$

ideal belief map for a part p , $b_*^p(Y_p = z)$:
 putting Gaussian peaks at ground
 truth locations of each body part p

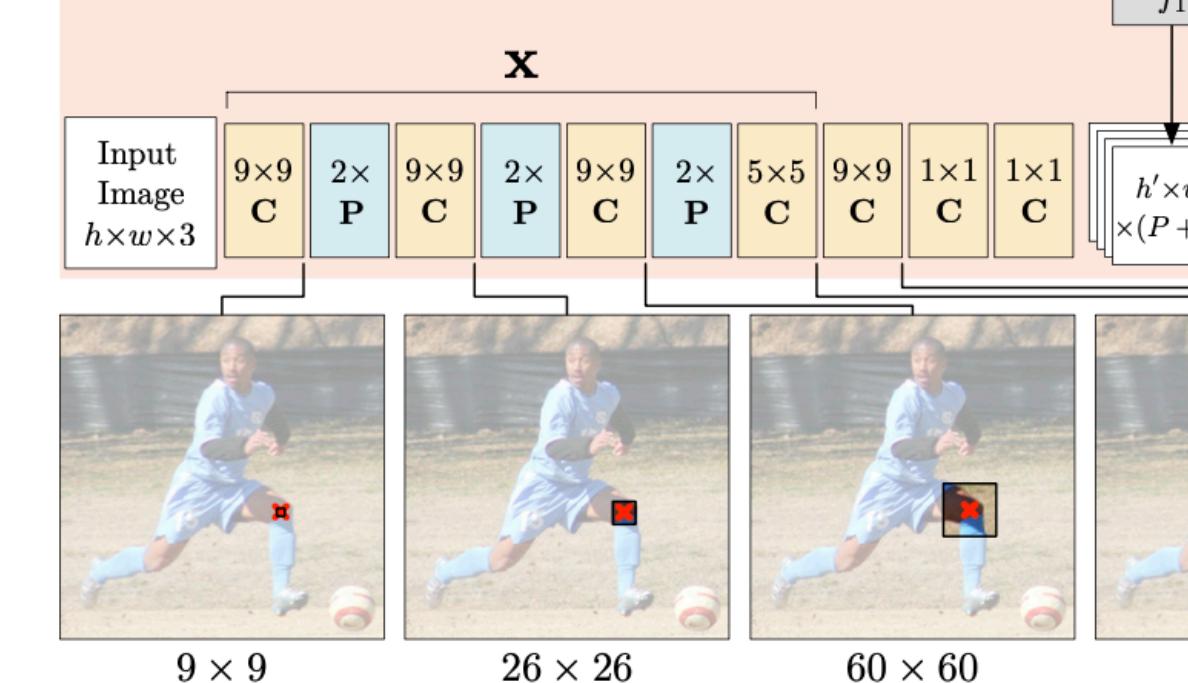


Convolutional
Pose Machines
(T -stage)
 Pooling
 Convolution

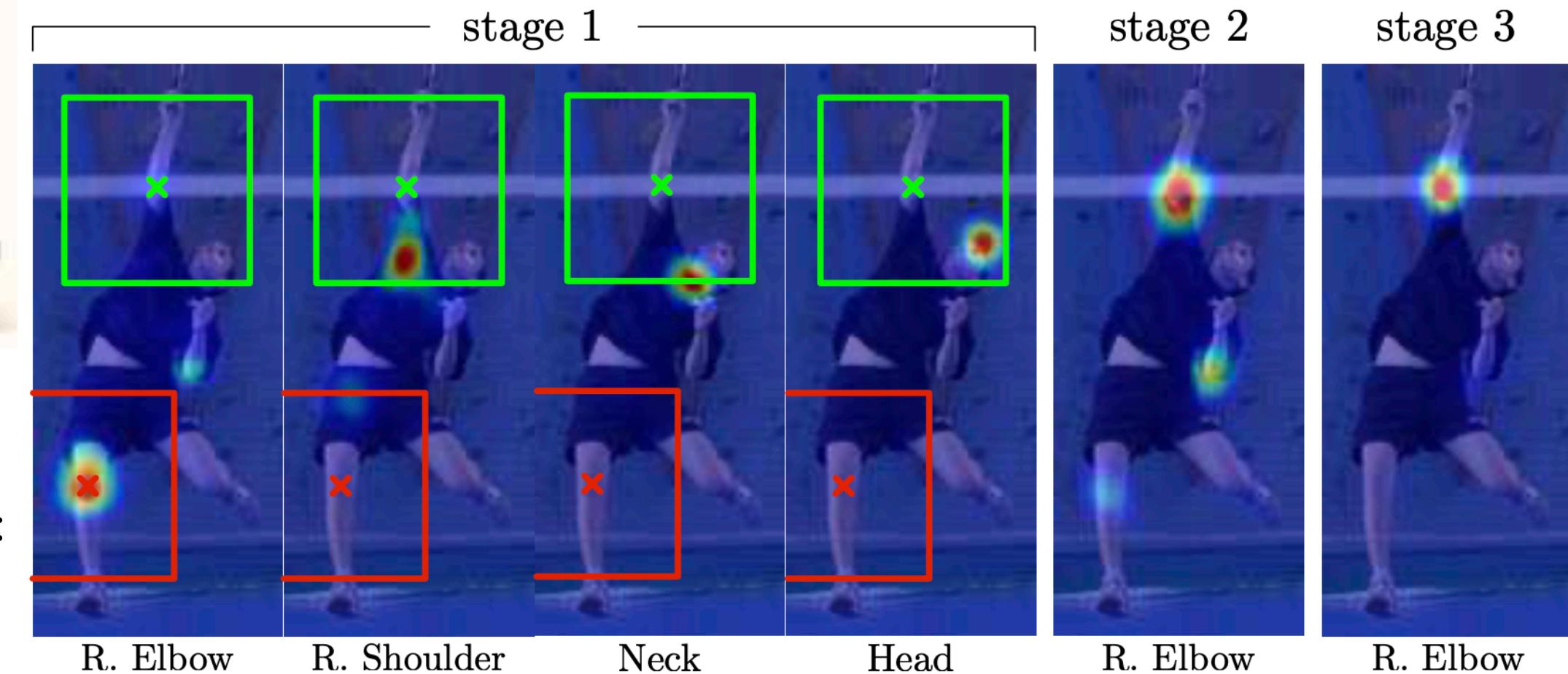
(a) Stage 1



(c) Stage 1



(e) Effective Receptive Field





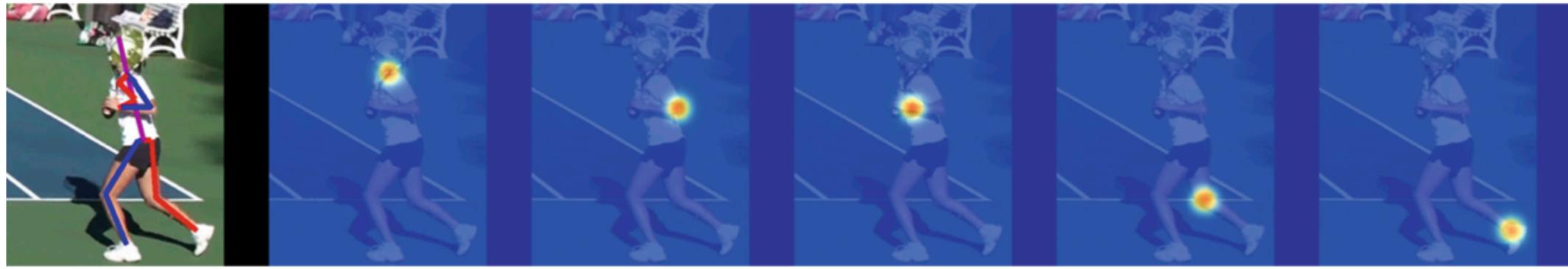
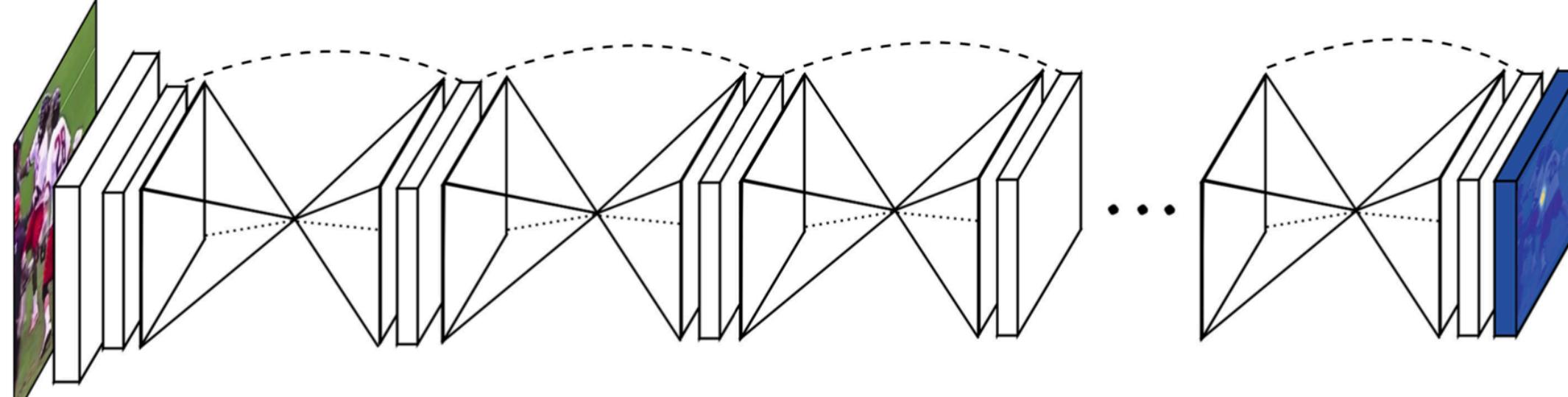
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Stacked Hourglass Networks for Human Pose Estimation



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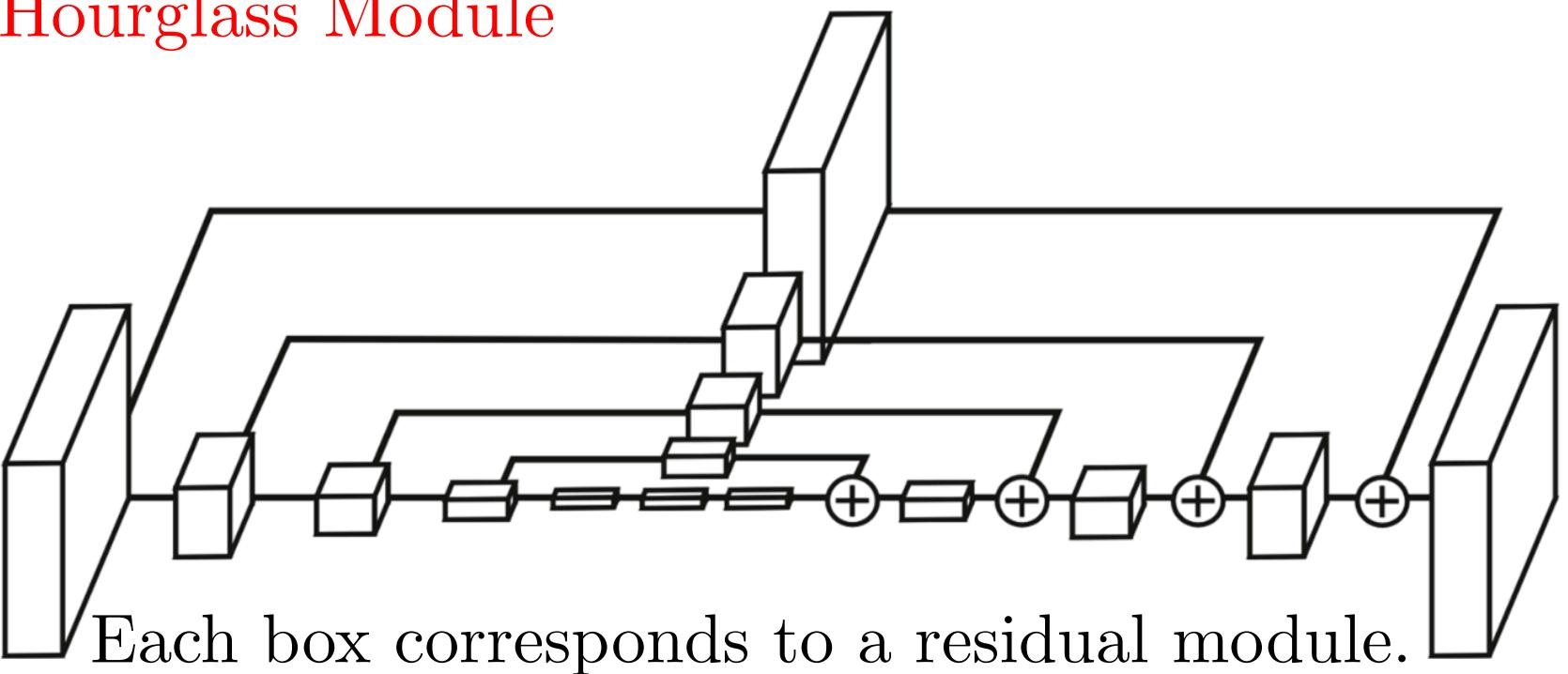
Human-computer interaction and animation



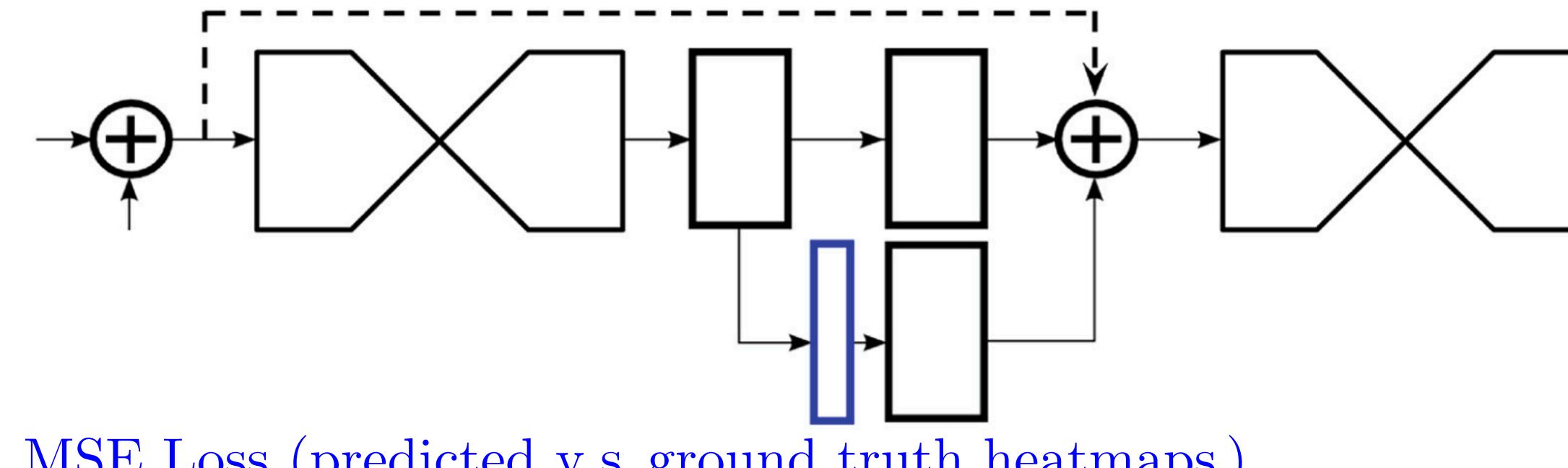
Motivation: Capturing information at every scale!

“Local evidence is essential for identifying features like faces and hands, while a final pose estimate requires a coherent understanding of the full body.”

Hourglass Module



Intermediate Supervision

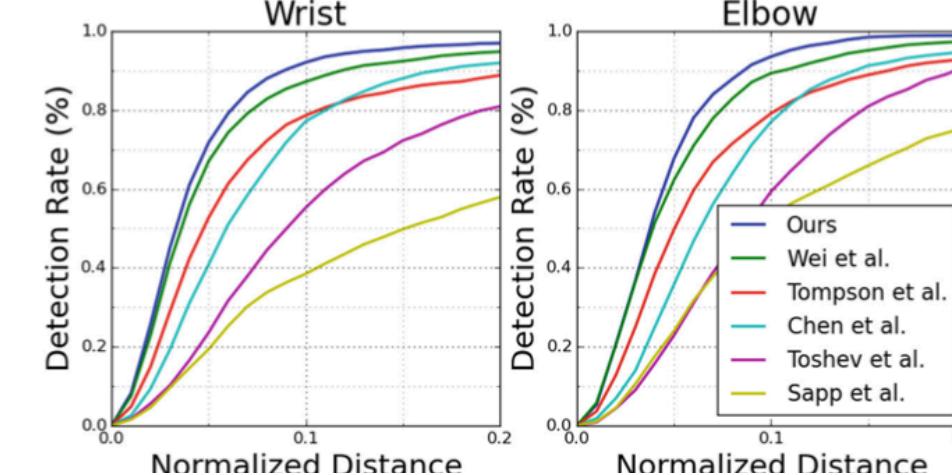


MSE Loss (predicted v.s. ground truth heatmaps)

Gaussian

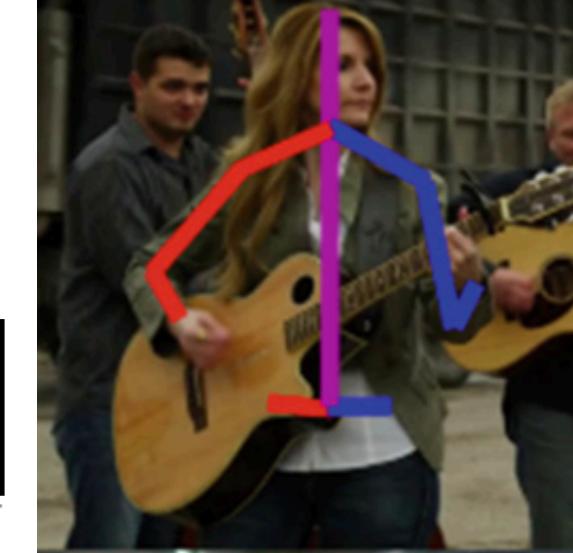
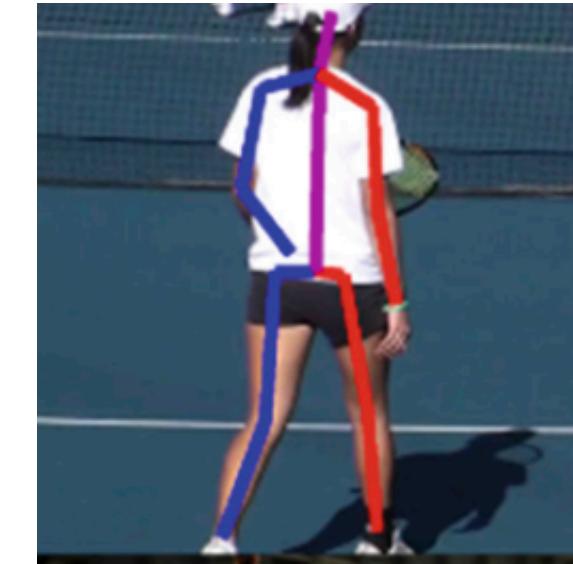
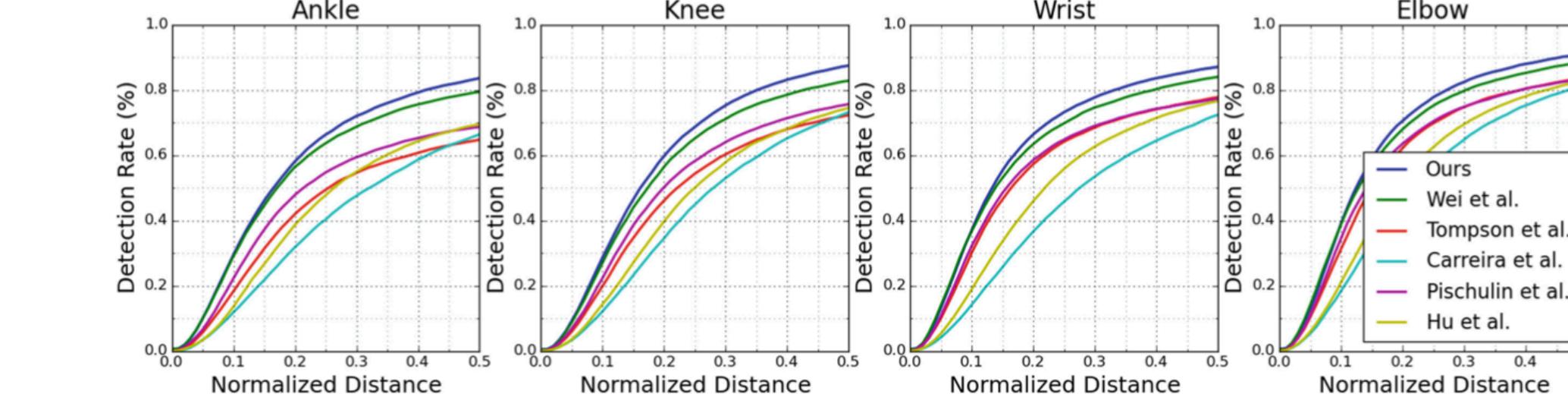
Percentage of Correct Keypoints (PCK): Percentage of detections that fall within a normalized distance of the ground truth.

FLIC Results



	Elbow	Wrist
Sapp et al. [1]	76.5	59.1
Toshev et al. [24]	92.3	82.0
Tompson et al. [16]	93.1	89.0
Chen et al. [25]	95.3	92.4
Wei et al. [18]	97.6	95.0
Our model	99.0	97.0

MPII Results



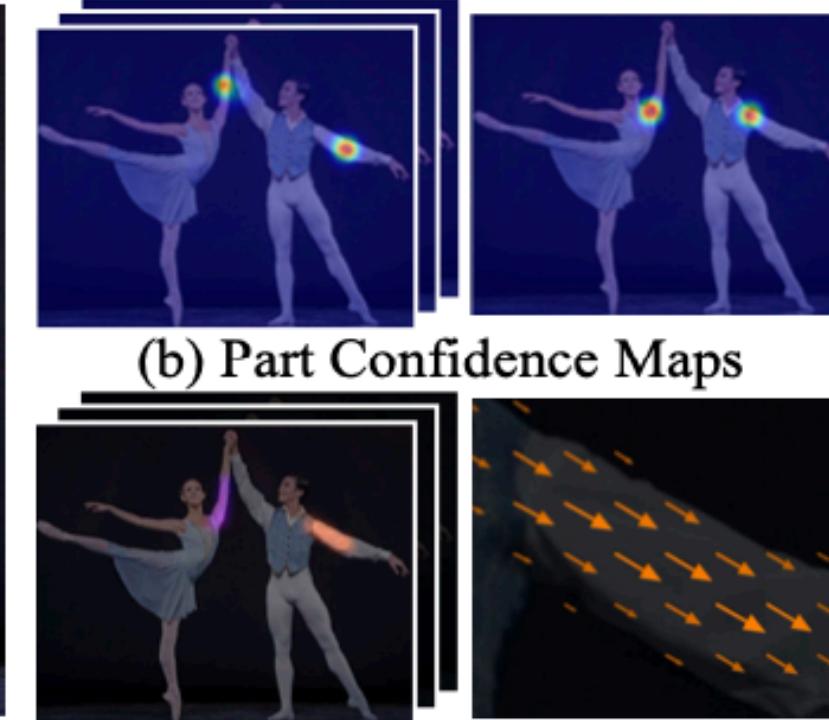
Realtime Multi-Person 2D Pose Estimation using Part Affinity Fields


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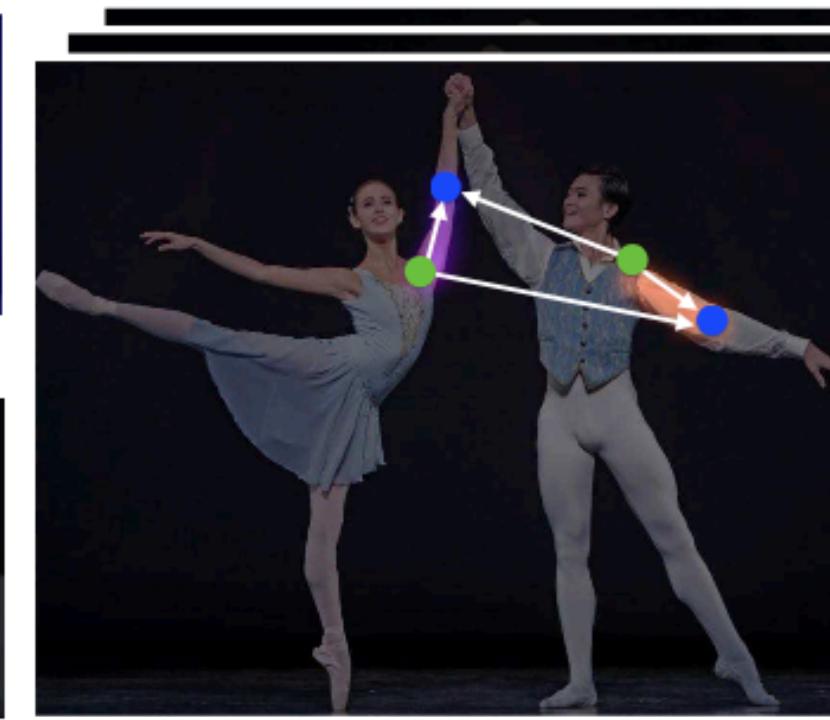
Human 2D pose estimation → localizing anatomical keypoints or “parts”



(a) Input Image



(b) Part Confidence Maps



(c) Part Affinity Fields



(d) Bipartite Matching



(e) Parsing Results

$S \rightarrow$ set of 2D confidence maps of body part locations

$L \rightarrow$ set of 2D vector fields of part affinities
(encode the degree of association between parts)

$S = (S_1, \dots, S_J)$ has J confidence maps (one per part)

$$S_j \in \mathbb{R}^{w \times h}$$

$L = (L_1, \dots, L_C)$ has C vector fields (one per limb)

$L_c \in \mathbb{R}^{w \times h \times 2} \rightarrow$ each image location encodes a 2D vector

$F \leftarrow$ image \triangleright VGG-19 (first 10 layers)

$$S^1 = \rho^1(F) \quad S^t = \rho^t(F, S^{t-1}, L^{t-1}) \text{ for } t \geq 2$$

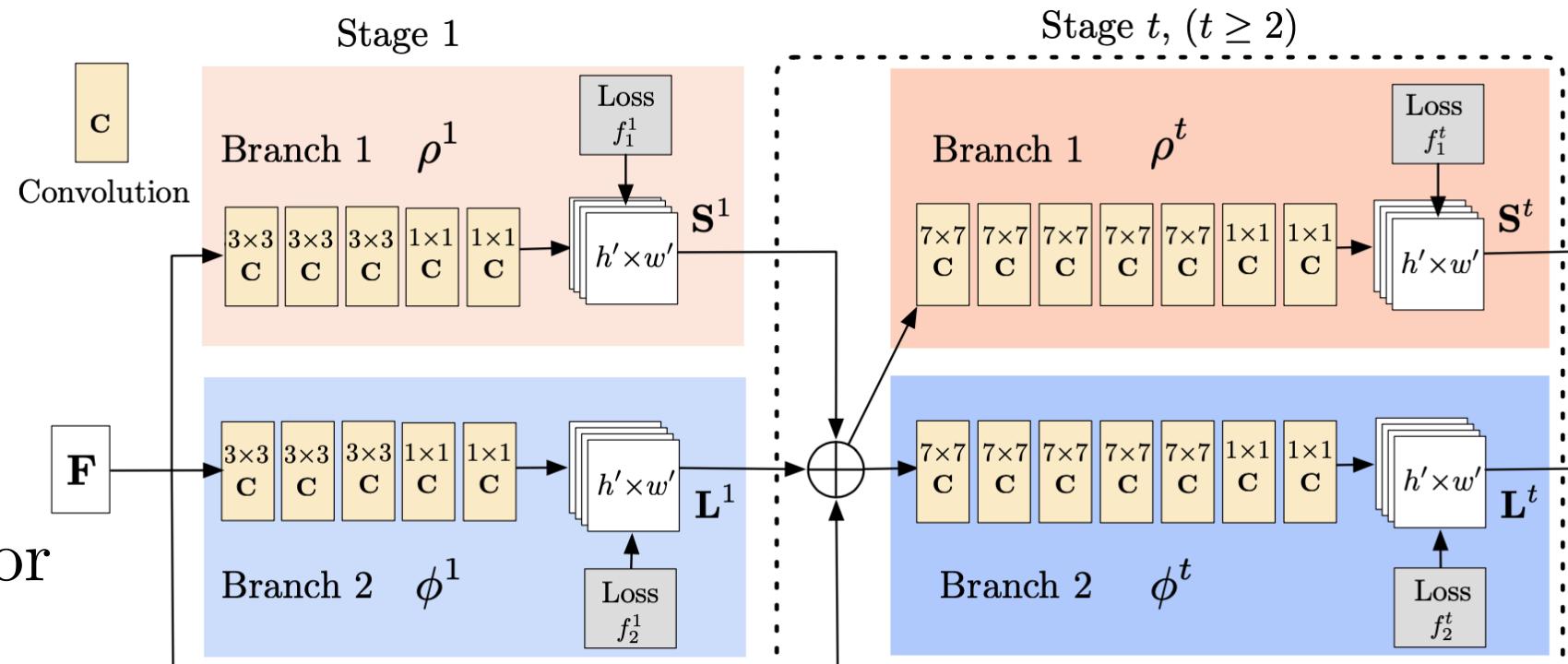
$$L^1 = \phi^1(F) \quad L^t = \phi^t(F, S^{t-1}, L^{t-1}) \text{ for } t \geq 2$$

$W(p) = 0$ when the annotation is missing at an image location p

$$f_S^t = \sum_{j=1}^J \sum_p W(p) \|S_j^t(p) - S_j^*(p)\|_2^2$$

$$f = \sum_{t=1}^T (f_S^t + f_L^t)$$

$$\underbrace{\text{loss}}_{f_L^t} = \sum_{c=1}^C \sum_p W(p) \|L_c^t(p) - L_c^*(p)\|_2^2$$

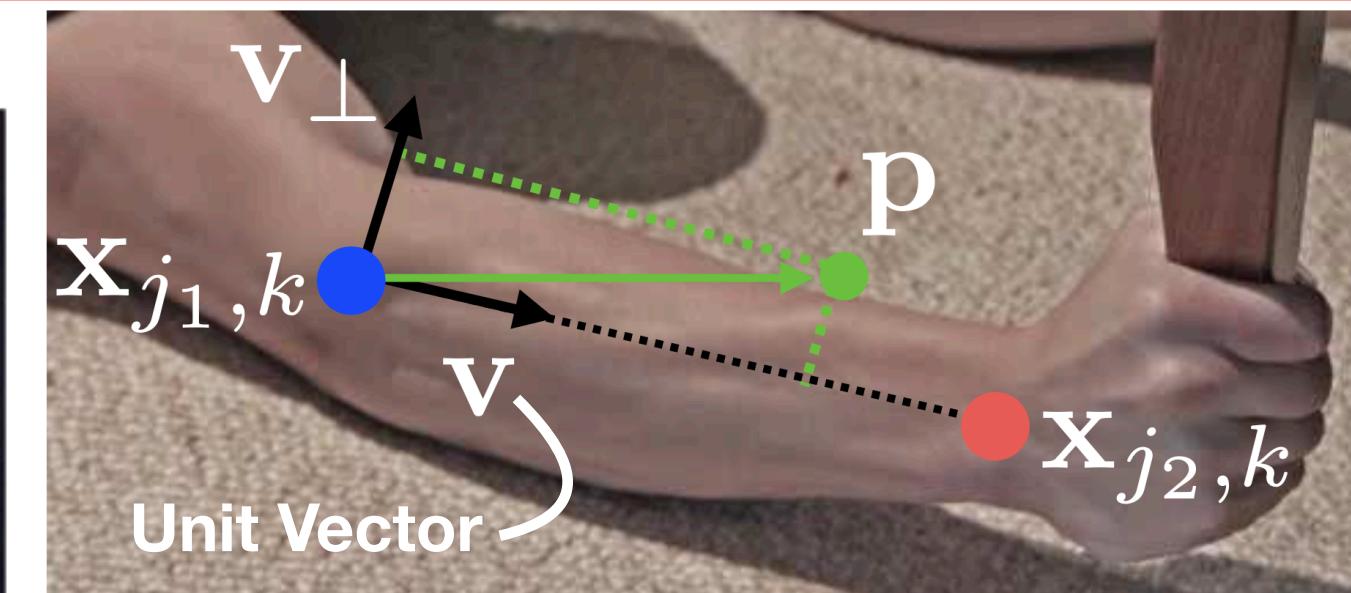


$$S_j^*(p) = \max_k S_{j,k}^*(p) \rightarrow \text{groundtruth confidence map}$$

$S_{j,k}^*(p) \rightarrow$ confidence map for person k

$$S_{j,k}^*(p) = \exp\left(-\frac{\|p - x_{j,k}\|_2^2}{\sigma^2}\right)$$

$x_{j,k} \in \mathbb{R}^2 \rightarrow$ groundtruth position of body part j for person k in the image



$$L_c^*(p) = \frac{1}{n_c(p)} \sum_k L_{c,k}^*(p)$$

groundtruth part affinity field

$n_c(p) \rightarrow$ number of non-zero vectors at point p across all k people

$$L_{c,k}^*(p) = \begin{cases} v & \text{if } p \text{ on limb } c, k \\ 0 & \text{otherwise} \end{cases}$$

$$0 \leq \mathbf{v} \cdot (\mathbf{p} - \mathbf{x}_{j1,k}) \leq l_{c,k} \text{ and } |\mathbf{v}_\perp \cdot (\mathbf{p} - \mathbf{x}_{j1,k})| \leq \sigma_l$$

Testing

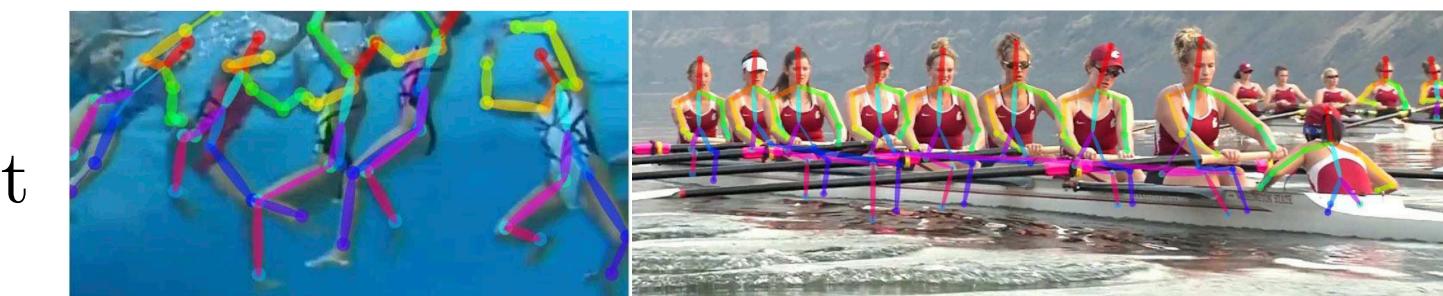
$$l_{c,k} = \|\mathbf{x}_{j2,k} - \mathbf{x}_{j1,k}\|_2$$

$d_{j1}, d_{j2} \rightarrow$ two candidate part locations

$$p(u) = (1 - u)d_{j1} + ud_{j2}$$

$$E = \int_{u=0}^{u=1} L_c(p(u)) \cdot \frac{d_{j2} - d_{j1}}{\|d_{j2} - d_{j1}\|_2} du$$

association confidence





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Deep High-Resolution Representation Learning for Human Pose Estimation



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Human pose estimation (a.k.a keypoint estimation)

$K \rightarrow$ number of keypoints or parts

$I \in \mathbb{R}^{W \times H \times 3} \rightarrow$ image

$\{H_1, H_2, \dots, H_K\} \rightarrow$ K heatmaps

$H_k \in \mathbb{R}^{W' \times H'} \rightarrow$ represents location confidence of the k -th keypoint

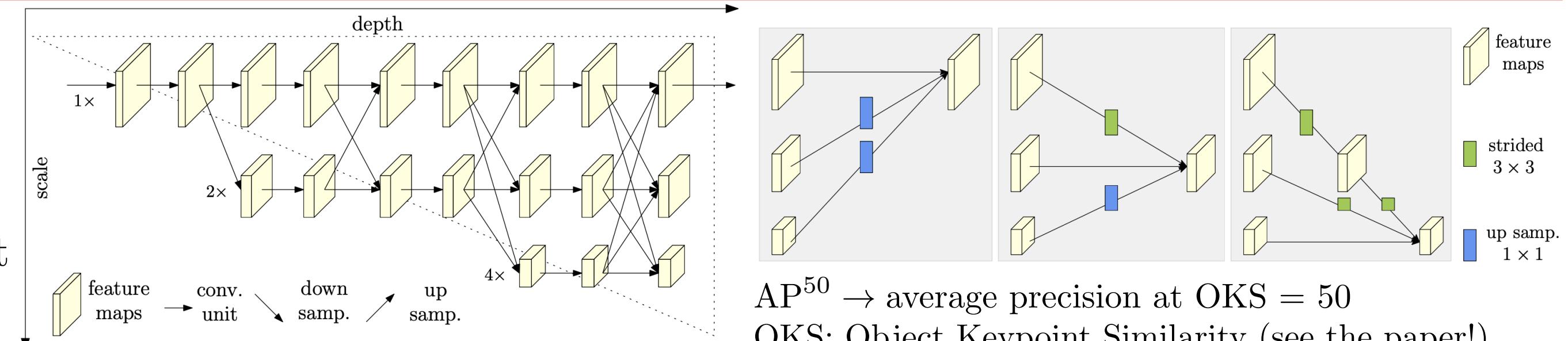
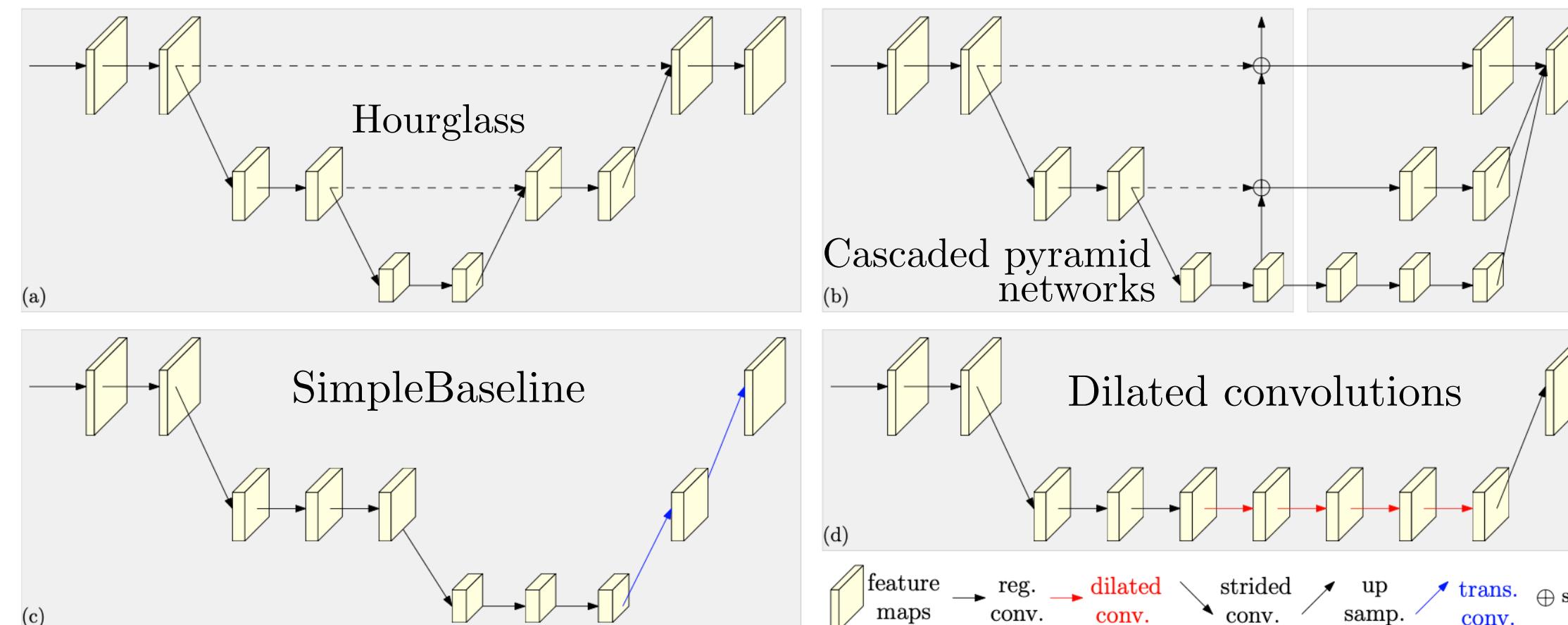
- stem: two strided convolutions decreasing the resolution

- body: outputting feature maps with the same resolution

as its input feature maps

- regressor: estimating the heatmaps where the keypoint positions are estimated and then transformed to the full resolution

Sequential multi-resolution subnetworks



Method	Backbone	Input size	#Params	GFLOPs	AP	AP ⁵⁰	AP ⁷⁵	AP ^M	AP ^L	AR
Bottom-up: keypoint detection and grouping										
OpenPose [6]	—	—	—	—	61.8	84.9	67.5	57.1	68.2	66.5
Associative Embedding [38]	—	—	—	—	65.5	86.8	72.3	60.6	72.6	70.2
PersonLab [45]	—	—	—	—	68.7	89.0	75.4	64.1	75.5	75.4
MultiPoseNet [32]	—	—	—	—	69.6	86.3	76.6	65.0	76.3	73.5
Top-down: human detection and single-person keypoint detection										
Mask-RCNN [21]	ResNet-50-FPN	—	—	—	63.1	87.3	68.7	57.8	71.4	—
G-RMI [46]	ResNet-101	353 × 257	42.6M	57.0	64.9	85.5	71.3	62.3	70.0	69.7
Integral Pose Regression [58]	ResNet-101	256 × 256	45.0M	11.0	67.8	88.2	74.8	63.9	74.0	—
G-RMI + extra data [46]	ResNet-101	353 × 257	42.6M	57.0	68.5	87.1	75.5	65.8	73.3	73.3
CPN [11]	ResNet-Inception	384 × 288	—	—	72.1	91.4	80.0	68.7	77.2	78.5
RMPE [17]	PyraNet [74]	320 × 256	28.1M	26.7	72.3	89.2	79.1	68.0	78.6	—
CFN [24]	—	—	—	—	72.6	86.1	69.7	78.3	64.1	—
CPN (ensemble) [11]	ResNet-Inception	384 × 288	—	—	73.0	91.7	80.9	69.5	78.1	79.0
SimpleBaseline [70]	ResNet-152	384 × 288	68.6M	35.6	73.7	91.9	81.1	70.3	80.0	79.0
HRNet-W32	HRNet-W32	384 × 288	28.5M	16.0	74.9	92.5	82.8	71.3	80.9	80.1
HRNet-W48	HRNet-W48	384 × 288	63.6M	32.9	75.5	92.5	83.3	71.9	81.5	80.5
HRNet-W48 + extra data	HRNet-W48	384 × 288	63.6M	32.9	77.0	92.7	84.5	73.4	83.1	82.0

Parallel multi-resolution subnetworks & Repeated multi-scale fusion

$\mathbf{Y}_k = \sum_{i=1}^s a(\mathbf{X}_i, k) \rightarrow$ exchange unit

$\{\mathbf{X}_1, \mathbf{X}_2, \dots, \mathbf{X}_s\} \rightarrow$ input response maps

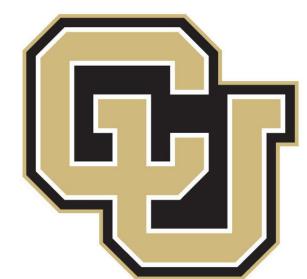
$\{\mathbf{Y}_1, \mathbf{Y}_2, \dots, \mathbf{Y}_s\} \rightarrow$ output response maps

$a(\mathbf{X}_i, k) \rightarrow$ upsampling or downsampling from resolution i to resolution k

$a(\mathbf{X}_i, k) = \mathbf{X}_i \rightarrow$ if $i = k$

$\mathbf{Y}_{s+1} = a(\mathbf{Y}_s, s+1) \rightarrow$ across stages

upsampling: nearest-neighbor followed by 1×1 conv & downsampling: strided 3×3 conv (stride 2)



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Questions?

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