

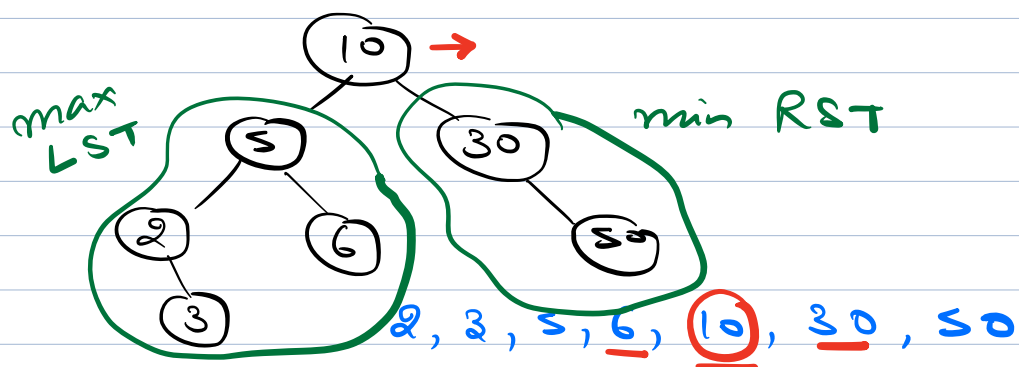
Inorder - LNR (BST)

$$T.C. = O(N)$$

$$S.C. = \text{Stack space} = O(H)$$

$$O(N)$$

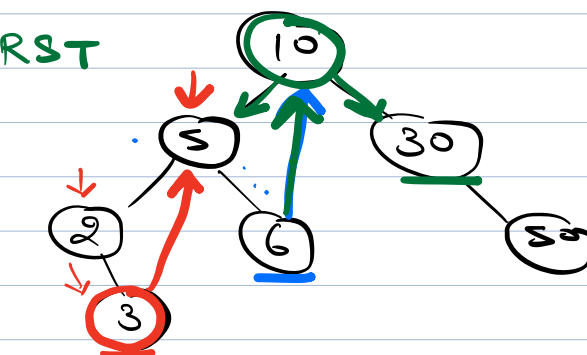
$$O(1)$$



Inorder
predecessor

Inorder
Successor.

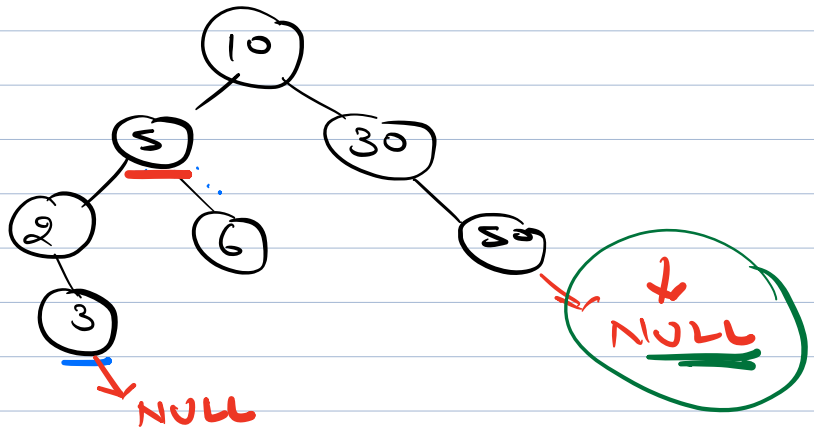
LST, 10, RST
..... 6



(Creating a
back link
from inorder
predecessor)

2, 2, 5, 6, 10, 30, 50

⇒ \forall nodes, we try to find the inorder predecessor. & update its right to the node.



2, 3, 5, 6, 10, 30, 50

Code

```
curr = root;
```

```
while (curr != null) {
```

```
    if (curr.left == null) {
```

```
        print curr.value;
```

```
        curr = curr.right;
```

```
    }
```

```
else {
```

pred = findPredecessor(curr);

if (pred.right == null) &

pred.right = curr
curr = curr.left;

;

else &

pred.right = null;

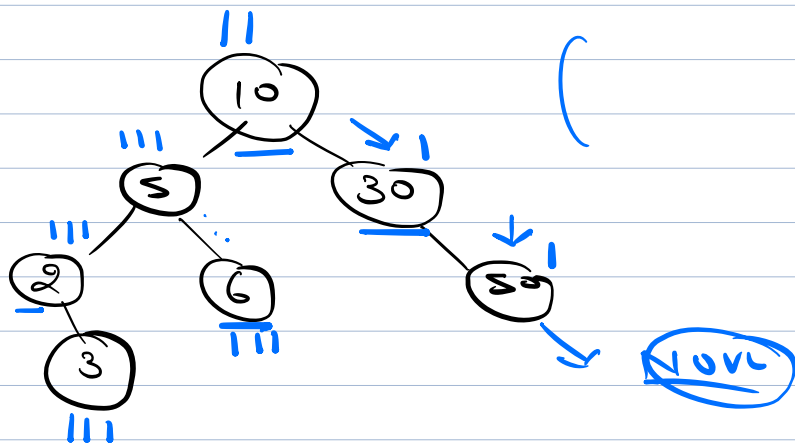
print(curr.value);

curr = curr.right;

;

;

}



2, 2, 5, 6, 10, 30, 50

T.C. = $O(3N) = O(N)$

S.C. = $O(1)$

findPredecessor (root) {

curr = root;

curr = curr.left;

while (curr.right != null) {

if (curr.right == root) {

curr = curr.right;

}

return curr;

}

Q

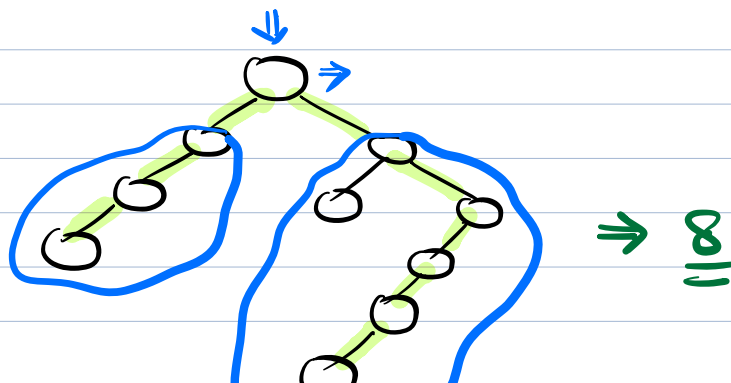
Given a BT.

Amazon
MS
Apple
Google.

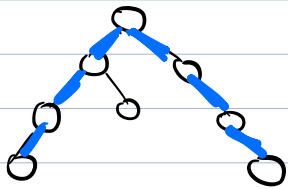
Find the diameter of the tree

↓
Length of the

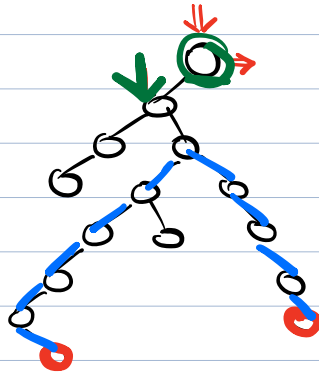
longest path b/w any 2 nodes.



$$\text{Height (LST)} + \text{Height (RST)} + 2$$



$$HLST + HRST + 2$$



Code

```
int dia (root) {
```

```
    if (root == null) {
        return -1;
```

```
        int lh = height (root.left);
        int rh = height (root.right);
```

```
        ans = lh + rh + 2
```

```
        int ld = dia (root.left);
        int rd = dia (root.right);
```

```
        return max (ld, rd, ans);
```

```
}
```

$$T.C. = O(\underline{N^2})$$

```

class TreeInfo {
    int height;
    int dia;
    constructor() ...
}

```

TreeInfo dia (root) {

if (root == NULL) {

return new TreeInfo (-1, -1);

L TreeInfo l = dia (root.left);

R TreeInfo r = dia (root.right);

N return new TreeInfo (max (l.height, r.height) + 1, max (l.diameter, r.diameter, (l.height + r.height) + 2))

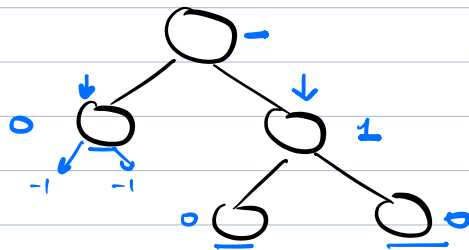
}

Height Balanced Tree

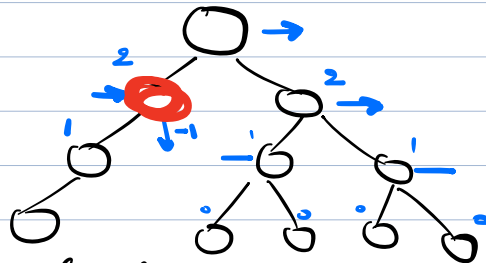
$$\text{Height (Height Balanced Tree)} = \log_2 N$$

$$| \text{ht(LST)} - \text{ht(RST)} | \leq 1$$

↑
∀ nodes of the tree.



$$1 - (-1) = 2$$



height is Balanced.

Tree Info is Balanced (root) ✓

H.W.

Code