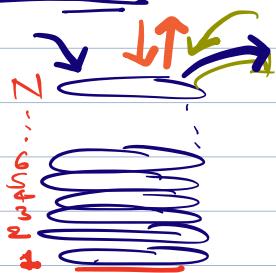


Stacks → LIFO



Last In First Out

→ Insertion / Extraction happens from one end only

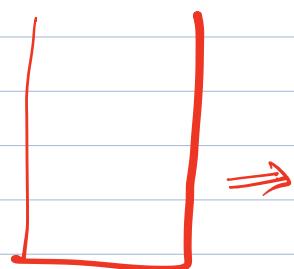
Use Cases

1) Function Stack / Call Stack

main () {

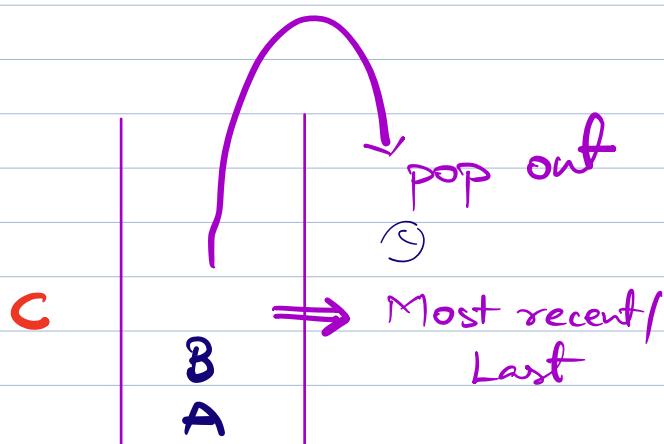
 print (fibonacci (10))

}



2) Undo

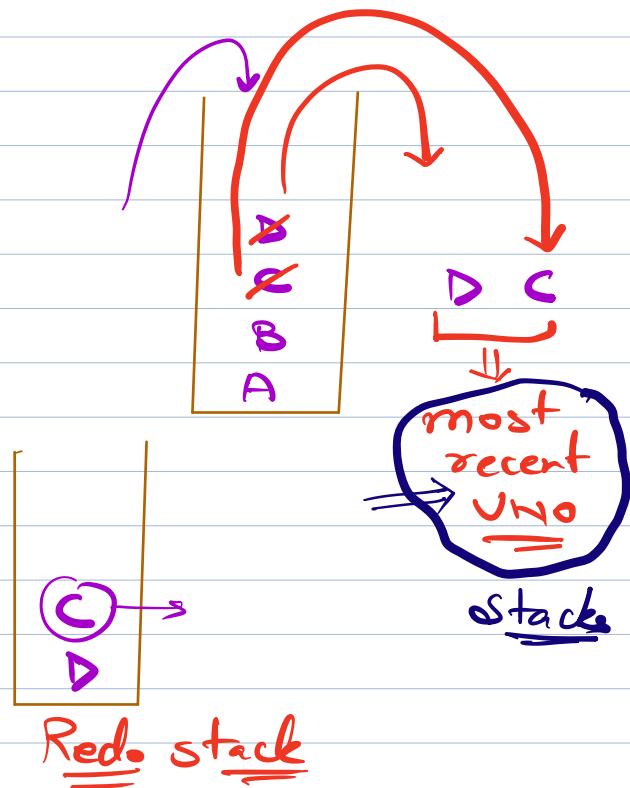
1 A, 2 B, 3 C



3) Redo

1 2 3 4
A, B C D
Undo Undo

Redo



Operations

⇒ ~~push(x)~~ → insertion

⇒ ~~pop()~~ → Removes the top ele of stack

⇒ size()

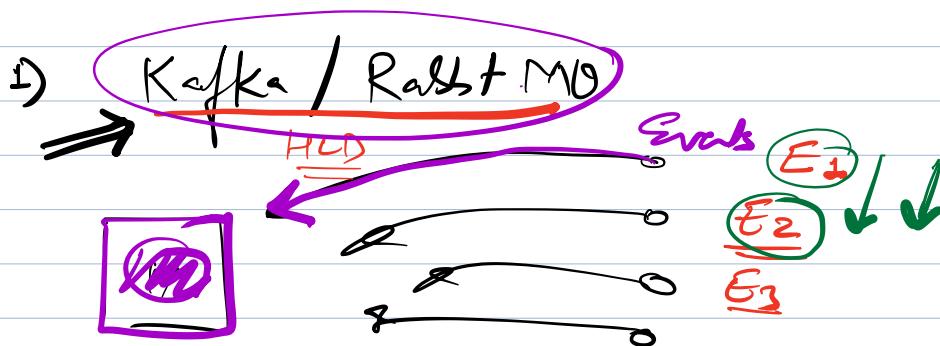
⇒ isEmpty() ⇒ Returns true when the stack is Empty.

⇒ top() / peek() ⇒ Returns the top of stack w/o deleting

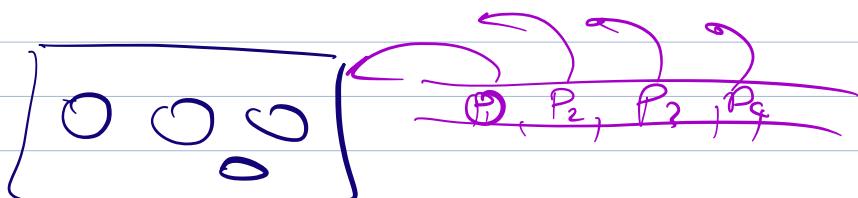
2) Queues \Rightarrow FIFO
 \Downarrow first in first Out



Application



3) Scheduling Algo



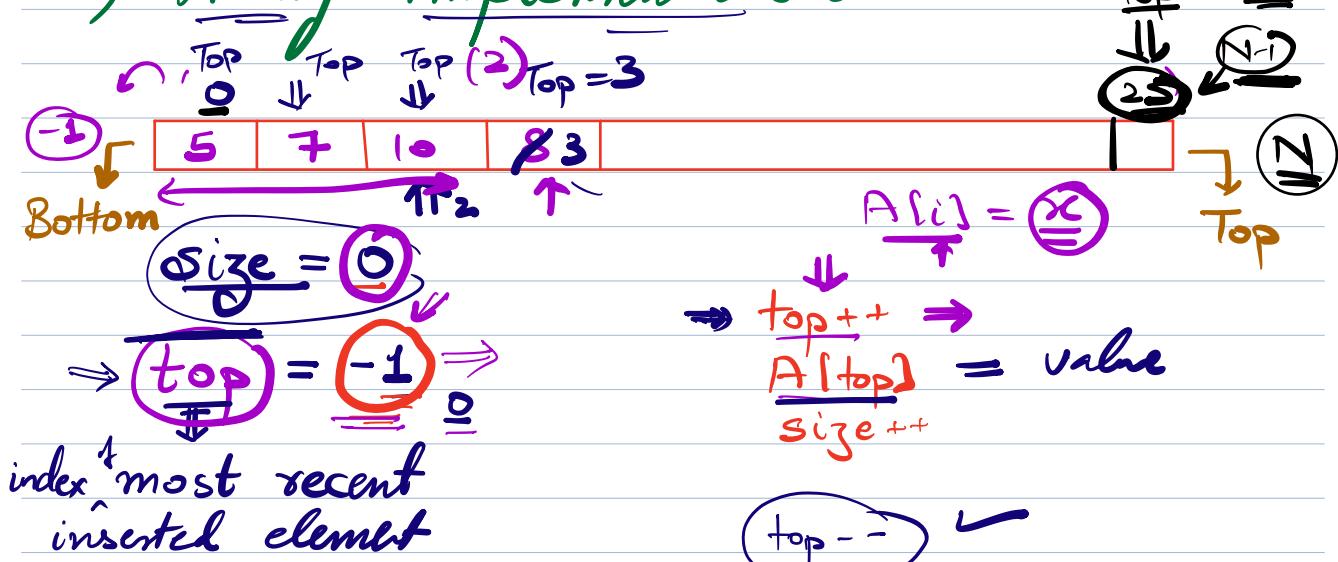
.....

Implementation

1) Stack

- ✓ 1) Array
- ✓ 2) Dynamic Array]
- ✓ 3) linked list

1) Array Implementation



Code

```
int arr [max Possible Size]
```

```
int top = -1
```

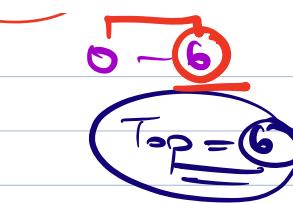
Index	Value	Top	Size
0	-	-	0
1	-	-	1
2	-	-	2
3	3	3	3
4	4	4	4
5	3	3	3

$$N=7$$

```

void push (x) {
    if (top < (n - 1)) {
        top++;
        A[top] = x;
    }
}

```



$$T.C. = O(1)$$

Integer

```

int pop () {
    if (top > 0) {
        temp = A[top];
        top--;
        return temp;
    }
}

```

return NULL;

3) bool isEmpty () {

```

if (top == -1) {
    return True;
}
return False;

```

$$\Rightarrow O(1)$$

4) int peek() {
 if ($\text{top} > 0$) {
 return A[top];
 }
 return NULL;
 }

⇒ Dynamic Array / ArrayList / list / vector
 ↳ No restriction on size.

2) linked list

↓
 class Node {
 int data;
 Node next;
 }
 Node (int a){
 this.data = a;
 this.next = NULL;

Python
 class Node:
 def __init__(self, a):
 self.data = a
 self.next = None

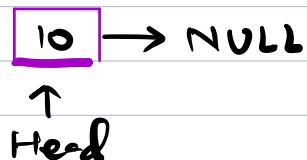
5

push(a) \Rightarrow Insert at head] $\Rightarrow O(1)$
pop() \Rightarrow Delete the head

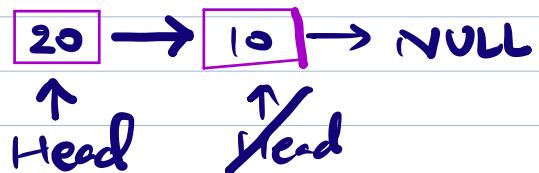
Dry Run

Head = NULL // Initialize

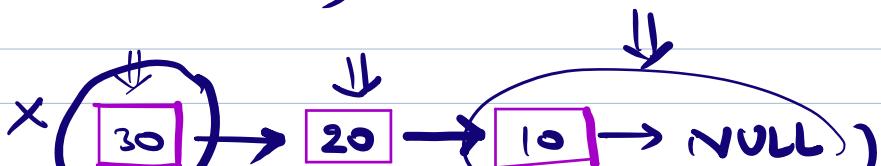
1) push(10)



2) Push(20)



3) Push(30)



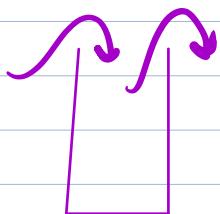


4) $\text{Pop}()$

$\text{temp} = \text{head}$

$\text{head} = \text{head.next}$ ↵

$\text{free}(\text{temp});$



Queue Implementation

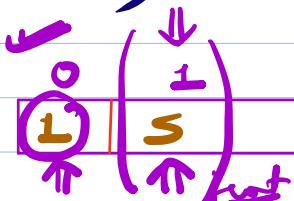
- 1) Array
- 2) linked list



Operations

1) Enqueue (n) \Rightarrow Insert] O(1)

2) Dequeue () \Rightarrow Delete



3) $\text{Front} = -1$ (Index from where you

$\leftarrow \Rightarrow \underline{\text{tail}} = -1$ (will remove)
 (Index where you last inserted)

Enqueue (z)

Enqueue (s)

Dequeue()

\downarrow
 $\text{if } (\underline{\text{front}} > 0) \&$

$\underline{\text{temp}} = A[\underline{\text{front}}];$
 $\text{front}++;$

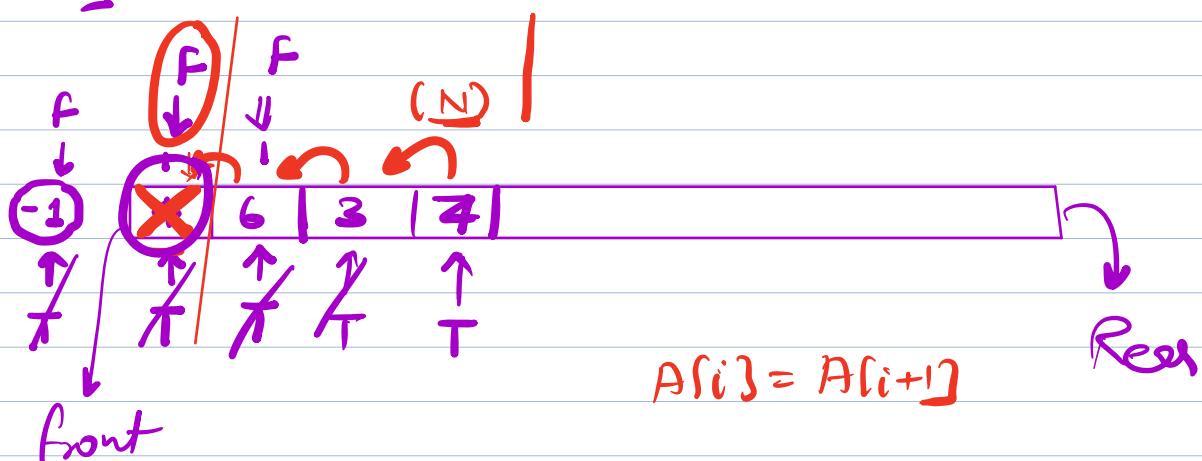
return temp;

$\underline{\text{tail}}++$
 $A[\underline{\text{tail}}] = 1;$

if ($\text{front} == -1$) {
 $\text{front}++;$

(H.W.)

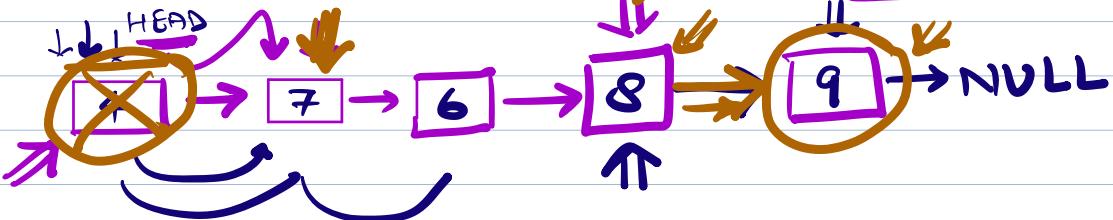
Define edge cases for enqueue & dequeue



E4, E7, E6, E8, E9, D



HEAD = NULL



T.C. of insertion = O(1) ~~O(n)~~

temp = head

head = head.next

free (temp);

SI

Stack

push (10)
push (15) —
push (20)
push
push (15)
push (40)
push
push
push

SO

20
40
15
15

Doubt

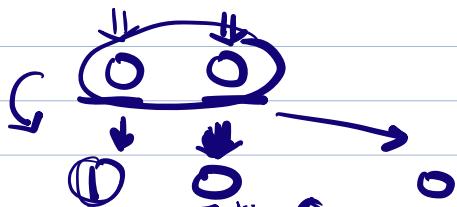
(LL documentation for JS)

↓
Add JS reference in Classroom Page

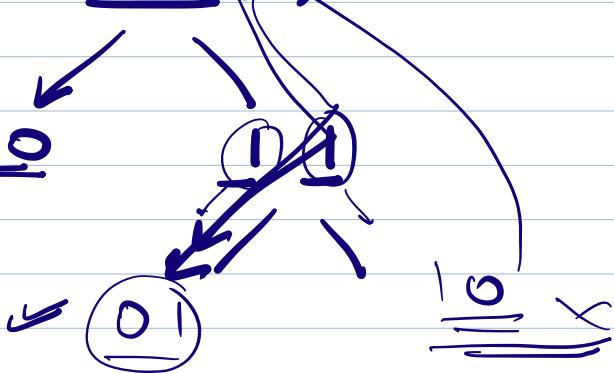
C#

~~Java~~

N = 2

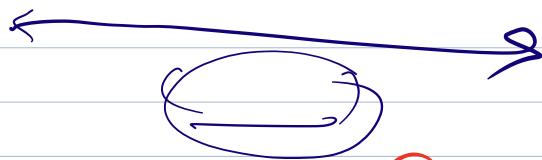


X
X O O



T G X

generate (N, O) ↪



A ⇒ P, Q, R, S, T, C, D, E, F, G, H

$$B \Rightarrow 2, 3, 5, 11, 32, 16, 120$$

P.J.-2

$$P < \textcircled{g} - \delta$$

$$\underline{A_p} < A_s < A_x$$

mj

for ($p = 0$; $p < N$; $p++$) {

for ($i = p + 1$; $i < N$; $i++$) do

$\{x = y + 1; \quad x < N; \quad x++\}$

if $\{A(p)\} \subset A(\alpha)$ &
 $\underline{A(q)} \subset A(\beta)$

~~Foto 1 und 2~~

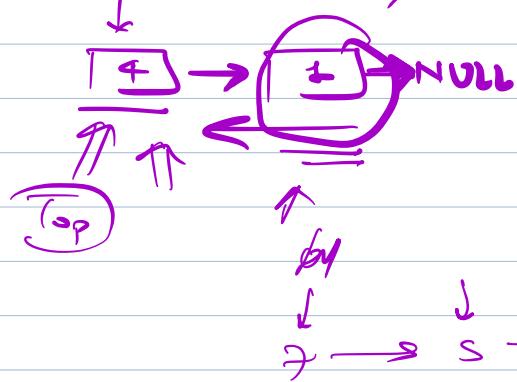
fix

:-)

Stack \Rightarrow
OCIO
(Head)

\leftarrow , POP

HEAD



OCIO

Queue

HEAD

1 \rightarrow NULL

tail

after
HEAD

1 \rightarrow 2 \rightarrow NULL

Top

1 \rightarrow NULL

