HNDIT 1104 – Data Representation and Organization Marking Scheme

Q1

i. Compare terms **Data** and **Information** (04 Marks) Data: collected row facts Cannot be used for decision making *Information:* Processed data Can be used to decision making ii. Name four basic data types available in Computer (04 Marks) Any four of following Numeric Data Numbers (Integer, real) Non-numeric Data Letters, Symbols Alphanumeric: Image data Audio data Video data iii. Express following units in bits. (04 Marks) Nibble Word

Nibble: It is a combination of 4 bits.

Word: It is a combination of 16 bits.

- iv. Positional Number Systems also names as Weighted Number System. Give two examples for
 it. (04 Marks)
- Positional Number Systems / Weighted Number System
 - Decimal, Octal, Hexadecimal, Binary

- v. Write following numbers as sum of product using appropriate weights. (04 Marks)
 - a. 245.56₁₀
 - b. BAO 16
- a. $245.56 = 2 \times 10^2 + 4 \times 10^1 + 5 \times 10^0 + 5 \times 10^{-1} + 6 \times 10^{-2}$
- b. $BAO_{16} = 11x16^2 + 10x16^1 + 0x16^0$
 - vi. Convert following numbers to given number system

(05 Marks)

- a. Convert 79.5₁₀ to Binary
- b. Convert 110.18 to Decimal
- a. For calculation part 02 marks and answer 0.5 marks:
 1001111.1₂
- b. For calculation part 02 marks and answer 0.5 marks: 72.125

 $\mathbf{Q2}$

- i. Convert the following numbers into given number system? (12 Marks)
 - a. (4768)₁₀ into hexadecimal

Ans 12A0₁₆

b. (F4C)₁₆ into decimal

Ans (3916)₁₀

c. $(426)_{10}$ into an octal

Ans 6528

d. 362.35₈ into a decimal

Ans (242.453125)₁₀

e. 0.10111_2 into an octal

Ans 0.568

f. 0.1001101012 into a hexadecimal

Ans 0.9A816

(04 Marks) a. A72E₁₆ Ans (123456)₈ b. 4.BF85₁₆ Ans (4.577024)₈ iii. Convert the following octal numbers into equivalent hexadecimal numbers. (04 Marks) a. $(247)_8$ Ans $(A7)_{16}$ b. (36.532)₈ Ans (1E.AD)16 iv. Convert the following numbers into Binary Numbers (05 Marks) **a.** 79.EA₁₆ Ans 1111001.11101012 b. 7A.F8₁₆ Ans 1111010.111112 c. 0.56_8 Ans 0.10111₂ (Total 25 Marks) **Q3.** Perform following binary adding operations i. 01011010 + 00111101 a. Ans: 10010111 00110011 + 01111110b. Ans: 10110001 (04 marks) ii. Perform following binary subtraction operations a. 10110110 - 10101001 Ans: 1101 b.11101101-10100101

Convert the following hexadecimal numbers into equivalent octal numbers.

ii.

Ans: 1001000

iii. Perform following binary multiplication operations

a. 00010110*111

Ans: 10011010

b. 00001101*1010

Ans: 10000010

(04 marks)

iv.Perform following binary division operations

a.111011/11

Ans: 10011

b.101010/101

Ans: 1000

(04 marks)

v.Convert to Binary and perform the binary operations for the followings

 $a.123_{10} + 47_{10}$

Ans: 1111011 + 101111 = 10101010

 $b.137_8 + 231_8$

Ans: 1011111 + 10011001 = 11111000

 $c.CD_{16} - 1F_{16}$

Ans: 11001101 + 000111111 = 11101100

(09 marks)

11111010

-6 = 11111010

[04 marks]

$$Va) +9 = 00001001$$

$$Complemented = 11110110$$

$$Add 1+C \\ complemented = 1+ \\ Value = 11110111$$

$$-9 = 11110111 - [01 mark]$$

$$+5 = 00000101 - [01 mark]$$

$$+5 = 00000101 - [01 mark]$$

$$+4 = 00000100$$

$$cmple = 11111011$$

$$-4 = 1111100 - [01 mark]$$

(3) $-9 \rightarrow 11110111$ $-5 \rightarrow 111110111$ $-14 \rightarrow 111110010$ $8^{th}bil=1$; Answer is negative discard 9th bit.

-14 = 11110010

TO Check

11110010 11110010 00001101 1+

[04 marks]

i. Express 9730₁₀ number in BCD format

(08 Marks)

9	7	3	0
1001	0111	0011	0000

ii. Express word "**dro**" using ASCII format.(hint ASCII value of **d** is 100)

(09 Marks)

	d	r	0
ASCII value	100	114	111
ASCII code	1100100	1110010	1101111

iii. Display 10.375 using IEEE single-precision binary floating-point format: binary32 (08 Marks)

Consider a real number with an integer and a fraction part such as 10.375

Conversion of the fractional part

 $0.375 \times 2 = 0.750$

 $0.750 \times 2 = 1.500$

 $0.500 \times 2 = 1.000$

fraction = 0.000, terminate

 $(0.375)_{10}$ can be exactly represented in binary as $(0.011)_2$

Therefore $(10.375)_{10} = (10)_{10} + (0.375)_{10} = (1010)_2 + (0.011)_2 = (1010.011)_2$

In normalized form $(10.375)_{10} = 1.010011_2 \times 2^3$

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- From which we deduce:
 - The exponent is 3

(and in the biased form it is therefore 127+3 =130 = 1000 0010)

- The fraction is 010011 (looking to the right of the binary point)
- From these we can form the resulting 32 bit IEEE 754 binary32 format representation of 10.375 as:

0-10000010-010011000000000000000000

