$$\frac{dG_{w}}{dt} = r_{G_{w}} \left(1 - \frac{G_{w}}{K_{G}} \right) - \frac{a_{C}G_{w}}{b_{C} + G_{w}} \left(\frac{C}{w} \right) - t_{B} \frac{a_{B}G_{w}}{b_{B} + G_{w}} B - \frac{a_{R}G_{w}}{b_{R} + G_{w}} R$$

$$\frac{dG_{d}}{dt} = r_{G_{d}} \left(1 - \frac{G_{d}}{K_{G}} \right) - (1 - t_{B}) \frac{a_{B}G_{d}}{b_{B} + G_{d}} B - \frac{a_{R}G_{d}}{b_{R} + G_{d}} R$$

$$\frac{dB}{dt} = \varepsilon_{B} \left(t_{B} w \frac{a_{B}G_{w}}{b_{B} + G_{w}} + (1 - t_{B})(1 - w) \frac{a_{B}G_{d}}{b_{B} + G_{d}} \right) B - d_{B}B$$

 $\frac{dR}{dt} = \varepsilon_R \left(w \frac{a_R G_w}{b_R + G_w} + (1 - w) \frac{a_R G_d}{b_R + G_d} \right) R \left(1 - \frac{R}{K_R} \right) - d_R R - \frac{a_K R}{b_K + R} Y$

 $\frac{dY}{dt} = \varepsilon_K \frac{a_K R}{b_K + R} Y + \left(1 - \frac{R}{b_K + R}\right) D - d_Y Y$