▼ 1. PLOT BASIC LINE PLOT

```
import numpy as np
import matplotlib.pyplot as plt
import pandas as pd

# Read the stock prices data using pandas
stock_df = pd.read_csv('stock_data.csv')
stock_df
```

	Date	FB	TWTR	NFLX	\blacksquare
0	2013-11-07	47.560001	44.900002	46.694286	11.
1	2013-11-08	47.529999	41.650002	47.842857	
2	2013-11-11	46.200001	42.900002	48.272858	
3	2013-11-12	46.610001	41.900002	47.675713	
4	2013-11-13	48.709999	42.599998	47.897144	
1707	2020-08-20	269.010010	38.959999	497.899994	
1708	2020-08-21	267.010010	39.259998	492.309998	
1709	2020-08-24	271.390015	40.490002	488.809998	
1710	2020-08-25	280.820007	40.549999	490.579987	
1711	2020-08-26	303.910004	41.080002	547.530029	
1712 rd	ws × 4 colum	ns			

17 12 10WS × 4 COJUITINS

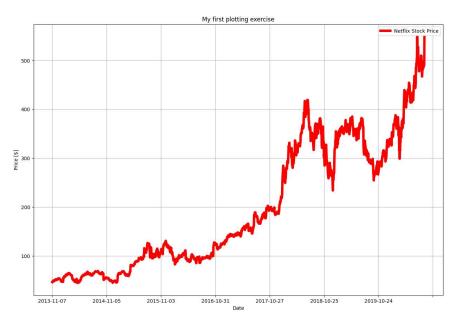
```
stock_df.plot(x = 'Date', y = 'FB', label = 'Facebook Stock Price', figsize = (15, 10), linewidth = 3)
plt.ylabel('Price [$]')
plt.title('My first plotting exercise')
plt.legend(loc = 'upper right')
plt.grid()
```



Explore more:

- Plot similar kind of graph for NFLX
- Change the line color to red and increase the line width

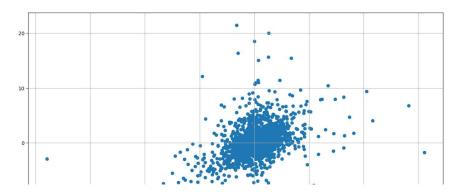
```
stock_df.plot(x = 'Date', y = 'NFLX', label = 'Netflix Stock Price', figsize = (15, 10), linewidth = 5, color = 'r')
plt.ylabel('Price [$]')
plt.title('My first plotting exercise')
plt.legend(loc = 'upper right')
plt.grid()
```



→ 2. PLOT SCATTERPLOT

```
# Read daily return data using pandas
daily_return_df = pd.read_csv('stocks_daily_returns.csv')
daily_return_df
```

```
Date
                           FΒ
                                   TWTR
                                             NFLX
                                                    -
       0
           2013-11-07 0.000000
                              0.000000
                                         0.000000
                                                    th
       1
           2013-11-08 -0.063082 -7.238307
                                         2.459768
       2
           2013-11-11 -2.798229
                               3.001200
                                         0.898778
           3
           2013-11-13 4.505467
                               1.670635
                                         0.464452
                  ...
                                     ...
     1707 2020-08-20 2.444881 0.179995
                                        2.759374
           2020-08-21 -0.743467
                                0.770018 -1.122715
     1709 2020-08-24 1.640390 3.132970 -0.710934
x = daily_return_df['FB']
            0.000000
     0
     1
           -0.063082
     2
           -2.798229
            0.887446
            4.505467
     1707
            2.444881
    1708
           -0.743467
            1.640390
     1709
            3.474701
    1710
     1711
            8.222348
     Name: FB, Length: 1712, dtype: float64
y = daily_return_df['TWTR']
     0
            0.000000
    1
           -7.238307
     2
            3.001200
     3
           -2.331002
            1.670635
     1707
            0.179995
     1708
            0.770018
            3.132970
    1709
            0.148177
     1710
     1711
            1.307036
     Name: TWTR, Length: 1712, dtype: float64
plt.figure(figsize = (15, 10))
plt.scatter(x, y)
plt.grid()
```

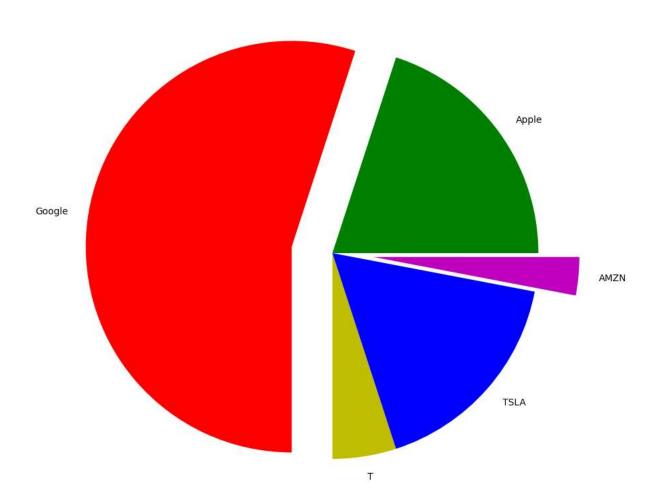


→ 3. PLOT PIE CHART

```
values = [20, 55, 5, 17, 3]
colors = ['g', 'r', 'y', 'b', 'm']
labels = ["Apple", "Google", "T", "TSLA", "AMZN"]
explode = [0, 0.2, 0, 0, 0.2]
# Use matplotlib to plot a pie chart
plt.figure(figsize = (10, 10))
plt.pie(values, colors = colors, labels = labels, explode = explode)
plt.title('Stock Portfolio')
```

Text(0.5, 1.0, 'Stock Portfolio')

Stock Portfolio

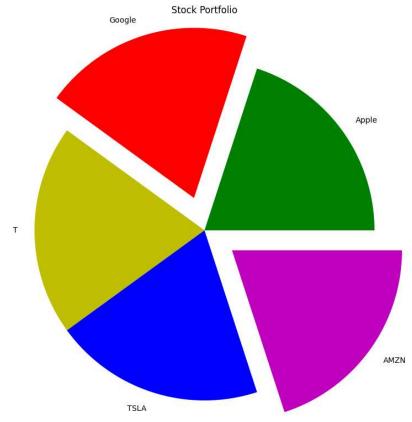


Explore more:

- Plot the pie chart for the same stocks assuming equal allocation
- Explode Amazon and Google slices

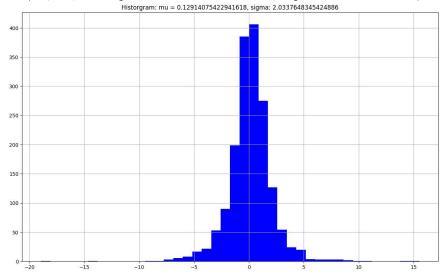
```
values = [20, 20, 20, 20, 20]
colors = ['g', 'r', 'y', 'b', 'm']
labels = ["Apple", "Google", "T", "TSLA", "AMZN"]
explode = [0, 0.2, 0, 0, 0.2]
# Use matplotlib to plot a pie chart
plt.figure(figsize = (10, 10))
plt.pie(values, colors = colors, labels = labels, explode = explode)
plt.title('Stock Portfolio')
```

Text(0.5, 1.0, 'Stock Portfolio')




```
# A histogram represents data using bars of various heights.
# Each bar groups numbers inato specific ranges.
# Taller bars show that more data falls within that specific range.
mu = daily_return_df['FB'].mean()
sigma = daily_return_df['FB'].std()
num_bins = 40
plt.figure(figsize = (15, 9))
plt.hist(daily_return_df['FB'], num_bins, facecolor = 'blue'); #; is to get rid of extra text printing
plt.grid()
plt.title('Historgram: mu = ' + str(mu) + ', sigma: ' + str(sigma))
```

Text(0.5, 1.0, 'Historgram: mu = 0.12914075422941618, sigma: 2.0337648345424886')



▼ 5. PLOT MULTIPLE PLOTS

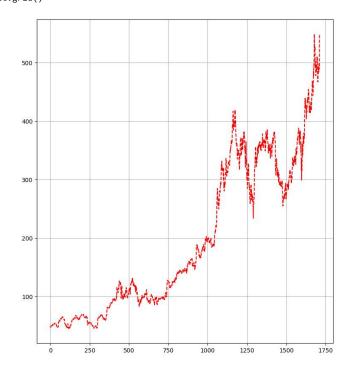
```
stock_df.plot(x = 'Date', y = ['NFLX', 'FB', 'TWTR'], figsize = (18, 10), linewidth = 3)
plt.ylabel('price [$]')
plt.title('Stock Prices')
plt.grid()
plt.legend(loc = 'upper center')
```

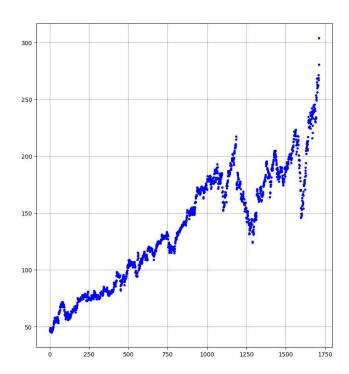
→ 6. PLOT SUBPLOTS

```
plt.figure(figsize = (20, 10))

plt.subplot(1, 2, 1) # will have 1 row and 2 columns, we are plotting first one
plt.plot(stock_df['NFLX'], 'r--') # r color, -- style
plt.grid()

plt.subplot(1, 2, 2) # will have 1 row and 2 columns, we are plotting second one
plt.plot(stock_df['FB'], 'b.')
plt.grid()
```

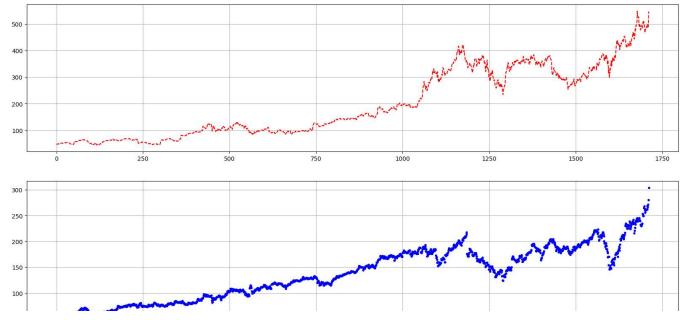




```
plt.figure(figsize = (20, 10))

plt.subplot(2, 1, 1) # will have 2 rows and 1 column, we are plotting first one
plt.plot(stock_df['NFLX'], 'r--') # r color, -- style
plt.grid()

plt.subplot(2, 1, 2) # will have 2 rows and 1 column, we are plotting second one
plt.plot(stock_df['FB'], 'b.')
plt.grid()
```



Explore more:

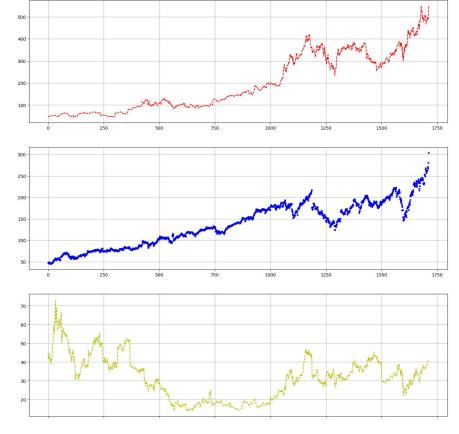
• Create subplots like above for Twitter, Facebook and Netflix

```
plt.figure(figsize = (17, 17))

plt.subplot(3, 1, 1) # will have 2 rows and 1 column, we are plotting first one
plt.plot(stock_df['NFLX'], 'r--') # r color, -- style
plt.grid()

plt.subplot(3, 1, 2) # will have 2 rows and 1 column, we are plotting second one
plt.plot(stock_df['FB'], 'b.')
plt.grid()

plt.subplot(3, 1, 3) # will have 2 rows and 1 column, we are plotting second one
plt.plot(stock_df['TWTR'], 'y--')
plt.grid()
```



→ 7. PLOT 3D PLOTS

ax.set_zlabel('Z label')

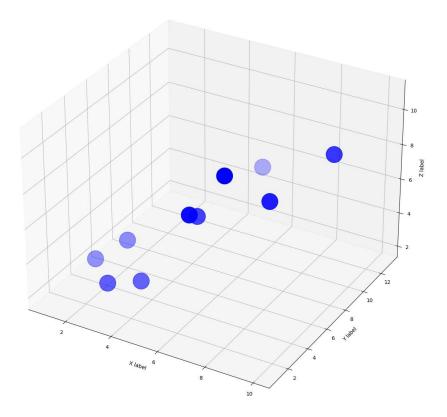
```
# Toolkits are collections of application-specific functions that extend Matplotlib.
# mpl_toolkits.mplot3d provides tools for basic 3D plotting.
# https://matplotlib.org/mpl_toolkits/index.html

from mpl_toolkits.mplot3d import Axes3D

fig = plt.figure(figsize = (15, 15))
    ax = fig.add_subplot(111, projection = '3d')

x = [1, 2, 3, 4, 5, 6, 7, 8, 9, 10]
    y = [5, 6, 2, 3, 13, 4, 1, 2, 4, 8]
    z = [2, 3, 3, 3, 5, 7, 9, 11, 9, 10]

ax.scatter(x, y, z, c = 'b', s = 1000) # c for color, s for size of each points ax.set_xlabel('X label')
ax.set_ylabel('Y label')
```



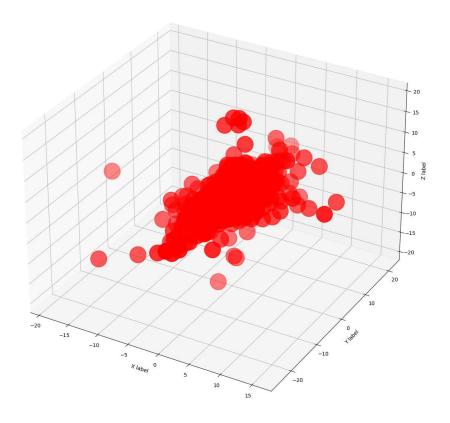
Explore more:

• Create a 3D plot with daily return values of Twitter, Facebook and Netflix

```
fig = plt.figure(figsize = (15, 15))
ax = fig.add_subplot(111, projection = '3d')

x = daily_return_df['FB'].tolist()
y = daily_return_df['TWTR'].tolist()
z = daily_return_df['NFLX'].tolist()

ax.scatter(x, y, z, c = 'r', s = 1000) # c for color, s for size of each points
ax.set_xlabel('X label')
ax.set_ylabel('Y label')
ax.set_zlabel('Z label')
```



▼ 8. SEABRON SCATTERPLOT & COUNTPLOT

- $\ensuremath{\mathtt{\#}}$ Seaborn is a visualization library that sits on top of matplotlib
- # Seaborn offers enhanced features compared to matplotlib
- # https://seaborn.pydata.org/examples/index.html
- # import libraries

import seaborn as sns # Statistical data visualization

Import Cancer data drom the Sklearn library
from sklearn.datasets import load_breast_cancer
cancer = load_breast_cancer()
cancer

^

```
0.002 342.2\11
                                                                                           מי, מסק מי, מין אוו
                            smoothness (standard error):
                                                                                                                         compactness (stanuaru error):
                                                                                                                                                                                        וו/ ככדים אממים
                                                    0.0 0.396\n concave points (standard error): 0.0 0.053\n
concavity (standard error):
                                                                                                                                                                                        symmetry
                                             0.008 0.079\n fractal dimension (standard error): 0.001 0.03\n radius (worst):
(standard error):
7.93 36.04\n
                                                                                          12.02 49.54\n perimeter (worst):
                                                                                                                                                                                        50.41 251.2\n
                             texture (worst):
                                                             185.2 4254.0\n
                                                                                            smoothness (worst):
                                                                                                                                                            0.071 0.223\n
area (worst):
                                                                                                                                                                                         compactness
                                          0.027 1.058\n concavity (worst):
(worst):
                                                                                                                                      0.0
                                                                                                                                                  1.252\n concave points (worst):
                                                                                           0.156 0.664\n
0.0 0.291\n
                            symmetry (worst):
                                                                                                                         fractal dimension (worst):
                                                                                                                                                                                        0.055 0.208\n
:Missing Attribute Values: None\n\n :Class Distribution: 212 -
Malignant, 357 - Benign\n\n :Creator: Dr. William H. Wolberg, W. Nick Street, Olvi L. Mangasarian\n\n
Street\n\n :Date: November, 1995\n\nThis is a copy of UCI ML Breast Cancer Wisconsin (Diagnostic)
datasets.\nhttps://goo.gl/U2Uwz2\n\nFeatures are computed from a digitized image of a fine needle\naspirate (FNA) of a breast
mass. They describe\ncharacteristics of the cell nuclei present in the image.\n\nSeparating plane described above was obtained
using\nMultisurface Method-Tree (MSM-T) [K. P. Bennett, "Decision Tree\nConstruction Via Linear Programming." Proceedings of the
4th\nMidwest Artificial Intelligence and Cognitive Science Society,\npp. 97-101, 1992], a classification method which uses
linear\nprogramming to construct a decision tree. Relevant features\nwere selected using an exhaustive search in the space of
1-4\nfeatures and 1-3 separating planes.\n\nThe actual linear program used to obtain the separating plane\nin the 3-dimensional
space is that described in: \\ \\ | K. P. Bennett and O. L. Mangasarian: \\ \\ "Robust Linear \\ \\ | NProgramming Discrimination of Two Linear \\ | NProgramming Discrimination \\ | NProgramming Discrim \\ | NProgramming Discrimination \\ | NProgramming Discrimination
Inseparable Sets",\nOptimization Methods and Software 1, 1992, 23-34].\n\nThis database is also available through the UW CS ftp
server:\n\nftp ftp.cs.wisc.edu\ncd math-prog/cpo-dataset/machine-learn/WDBC/\n\n.. topic:: References\n\n - W.N. Street, W.H.
Wolberg and O.L. Mangasarian. Nuclear feature extraction \n for breast tumor diagnosis. IS&T/SPIE 1993 International
                               Electronic Imaging: Science and Technology, volume 1905, pages 861-870,\n San Jose, CA, 1993.\n
Mangasarian, W.N. Street and W.H. Wolberg. Breast cancer diagnosis and \n prognosis via linear programming. Operations
                                                             July-August 1995.\n - W.H. Wolberg, W.N. Street, and O.L. Mangasarian. Machine learning
Research, 43(4), pages 570-577, \n
                          to diagnose breast cancer from fine-needle aspirates. Cancer Letters 77 (1994) \n
techniques\n
   feature_names': array(['mean radius', 'mean texture', 'mean perimeter', 'mean area',
             'mean smoothness', 'mean compactness', 'mean concavity',
'mean concave points', 'mean symmetry', 'mean fractal dimension',
             'radius error', 'texture error', 'perimeter error', 'area error',
             'smoothness error', 'compactness error', 'concavity error', 'concave points error', 'symmetry error',
```

Create a dataFrame named df_cancer with input/output data
df_cancer = pd.DataFrame(np.c_[cancer['data'], cancer['target']], columns = np.append(cancer['feature_names'], ['target']))

Check out the head of the dataframe df cancer

	mean radius	mean texture	mean perimeter	mean area	mean smoothness	mean compactness	mean concavity	mean concave points	mean symmetry	mean fractal dimension	•••	worst texture	worst perimeter	h
0	17.99	10.38	122.80	1001.0	0.11840	0.27760	0.30010	0.14710	0.2419	0.07871		17.33	184.60	20
1	20.57	17.77	132.90	1326.0	0.08474	0.07864	0.08690	0.07017	0.1812	0.05667		23.41	158.80	1!
2	19.69	21.25	130.00	1203.0	0.10960	0.15990	0.19740	0.12790	0.2069	0.05999		25.53	152.50	1'
3	11.42	20.38	77.58	386.1	0.14250	0.28390	0.24140	0.10520	0.2597	0.09744		26.50	98.87	ţ
4	20.29	14.34	135.10	1297.0	0.10030	0.13280	0.19800	0.10430	0.1809	0.05883		16.67	152.20	1!
564	21.56	22.39	142.00	1479.0	0.11100	0.11590	0.24390	0.13890	0.1726	0.05623		26.40	166.10	21
565	20.13	28.25	131.20	1261.0	0.09780	0.10340	0.14400	0.09791	0.1752	0.05533		38.25	155.00	1"
566	16.60	28.08	108.30	858.1	0.08455	0.10230	0.09251	0.05302	0.1590	0.05648		34.12	126.70	1
567	20.60	29.33	140.10	1265.0	0.11780	0.27700	0.35140	0.15200	0.2397	0.07016		39.42	184.60	18
568	7.76	24.54	47.92	181.0	0.05263	0.04362	0.00000	0.00000	0.1587	0.05884		30.37	59.16	:
569 rc	ws × 31 c	olumns												

Check out the heaf of the dataframe
df_cancer.head(7)

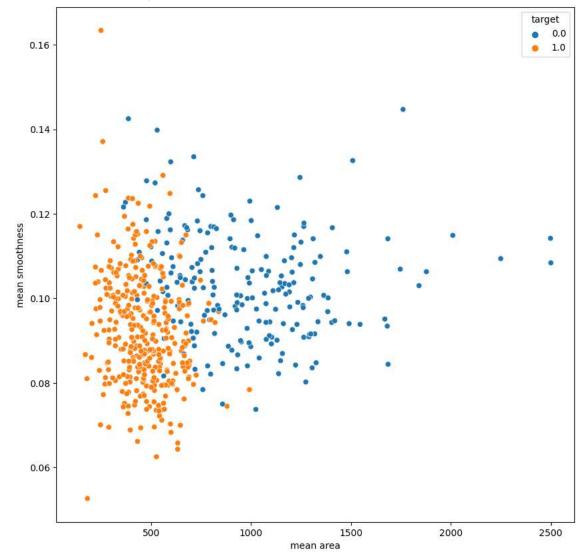
	mean radius	mean texture	mean perimeter	mean area	mean smoothness	mean compactness	mean concavity	mean concave points	mean symmetry	mean fractal dimension	•••	worst texture	worst perimeter	wor ar
0	17.99	10.38	122.80	1001.0	0.11840	0.27760	0.3001	0.14710	0.2419	0.07871		17.33	184.60	201!
1	20.57	17.77	132.90	1326.0	0.08474	0.07864	0.0869	0.07017	0.1812	0.05667		23.41	158.80	1950
2	19.69	21.25	130.00	1203.0	0.10960	0.15990	0.1974	0.12790	0.2069	0.05999		25.53	152.50	170!
3	11.42	20.38	77.58	386.1	0.14250	0.28390	0.2414	0.10520	0.2597	0.09744		26.50	98.87	56
4	20.29	14.34	135.10	1297.0	0.10030	0.13280	0.1980	0.10430	0.1809	0.05883		16.67	152.20	157
5	12.45	15.70	82.57	477.1	0.12780	0.17000	0.1578	0.08089	0.2087	0.07613		23.75	103.40	74
6	18.25	19.98	119.60	1040.0	0.09463	0.10900	0.1127	0.07400	0.1794	0.05742		27.66	153.20	160(

7 rows × 31 columns

	mean radius	mean texture	mean perimeter	mean area	mean smoothness	mean compactness	mean concavity	mean concave points	mean symmetry	mean fractal dimension	•••	worst texture	worst perimeter	h
562	15.22	30.62	103.40	716.9	0.10480	0.20870	0.25500	0.09429	0.2128	0.07152		42.79	128.70	-!
563	20.92	25.09	143.00	1347.0	0.10990	0.22360	0.31740	0.14740	0.2149	0.06879		29.41	179.10	11
564	21.56	22.39	142.00	1479.0	0.11100	0.11590	0.24390	0.13890	0.1726	0.05623		26.40	166.10	21
565	20.13	28.25	131.20	1261.0	0.09780	0.10340	0.14400	0.09791	0.1752	0.05533		38.25	155.00	1
566	16.60	28.08	108.30	858.1	0.08455	0.10230	0.09251	0.05302	0.1590	0.05648		34.12	126.70	1
567	20.60	29.33	140.10	1265.0	0.11780	0.27700	0.35140	0.15200	0.2397	0.07016		39.42	184.60	11
568	7.76	24.54	47.92	181.0	0.05263	0.04362	0.00000	0.00000	0.1587	0.05884		30.37	59.16	:
7 rows	s × 31 colu	umns												

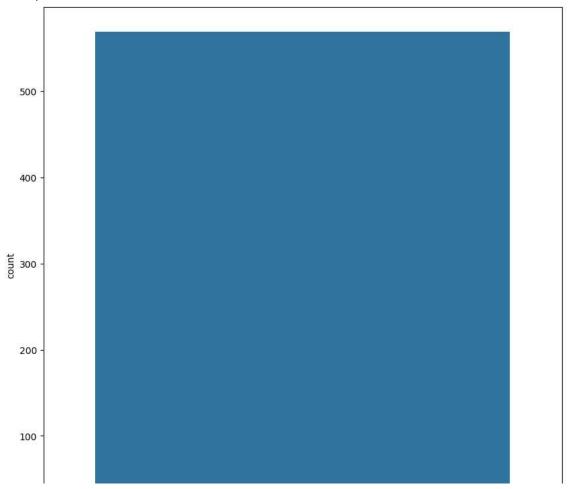
Plot scatter plot between mean area and mean smoothness plt.figure(figsize = (10,10)) sns.scatterplot(x = 'mean area', y = 'mean smoothness', hue = 'target', data = df_cancer)

<Axes: xlabel='mean area', ylabel='mean smoothness'>



Let's print out countplot to know how many samples belong to class #0 and #1
plt.figure(figsize = (10,10))
sns.countplot(df_cancer['target'], label = 'Count')

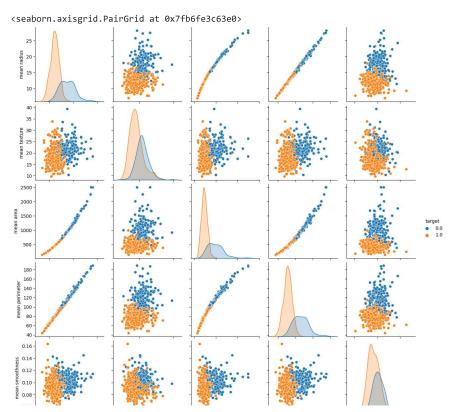
<Axes: ylabel='count'>



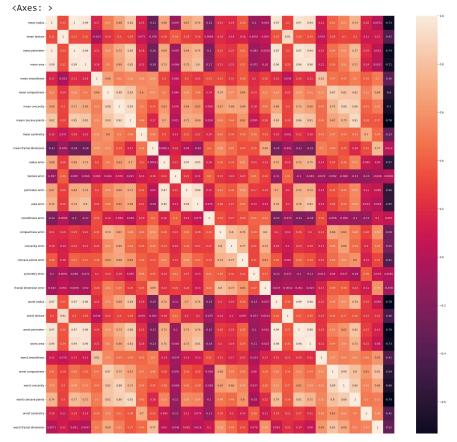
▼ 9. SEABORN PAIRPLOT, DISPLOT, AND HEATMAPS/CORRELATIONS

U

```
# Plot the pairplot
sns.pairplot(df_cancer, hue = 'target', vars = ['mean radius', 'mean texture', 'mean area', 'mean perimeter', 'mean smoothness'])
```



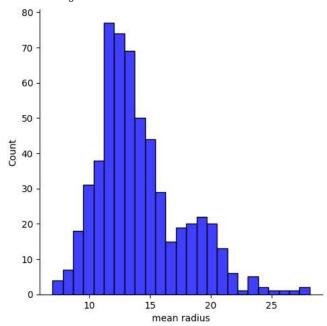
Strong correlation between the mean radius and mean perimeter, mean area and mean primeter plt.figure(figsize = (30, 30)) sns.heatmap(df_cancer.corr(), annot = True)



- # plot the distplot
- # Displot combines matplotlib histogram function with kdeplot() (Kernel density estimate)
- $\ensuremath{\mathtt{\#}}$ KDE is used to plot the Probability Density of a continuous variable.

sns.displot(df_cancer['mean radius'], bins = 25, color = 'b')

<seaborn.axisgrid.FacetGrid at 0x7fb6be6197e0>



Explore more:

• Plot two separate distplot for each target class #0 and target class #1

```
class_0_df = df_cancer[df_cancer['target'] == 0]
class_1_df = df_cancer[df_cancer['target'] == 1]
```

class_0_df

	mean radius	mean texture	mean perimeter	mean area	mean smoothness	mean compactness	mean concavity	mean concave points	mean symmetry	mean fractal dimension	 worst texture	worst perimeter	h
0	17.99	10,38	122,80	1001.0	0.11840	0.27760	0.30010	0.14710	0.2419	0.07871	 17.33	184.60	21
1	20.57	17.77	132.90	1326.0	0.08474	0.07864	0.08690	0.07017	0.1812	0.05667	 23.41	158.80	1!
2	19.69	21.25	130.00	1203.0	0.10960	0.15990	0.19740	0.12790	0.2069	0.05999	 25.53	152.50	1
3	11.42	20.38	77.58	386.1	0.14250	0.28390	0.24140	0.10520	0.2597	0.09744	 26.50	98.87	ŧ
4	20.29	14.34	135.10	1297.0	0.10030	0.13280	0.19800	0.10430	0.1809	0.05883	 16.67	152.20	1!
563	20.92	25.09	143.00	1347.0	0.10990	0.22360	0.31740	0.14740	0.2149	0.06879	 29.41	179.10	18
564	21.56	22.39	142.00	1479.0	0.11100	0.11590	0.24390	0.13890	0.1726	0.05623	 26.40	166.10	20
565	20.13	28.25	131.20	1261.0	0.09780	0.10340	0.14400	0.09791	0.1752	0.05533	 38.25	155.00	1
566	16.60	28.08	108.30	858.1	0.08455	0.10230	0.09251	0.05302	0.1590	0.05648	 34.12	126.70	1.
567	20.60	29.33	140.10	1265.0	0.11780	0.27700	0.35140	0.15200	0.2397	0.07016	 39.42	184.60	18
ss_1_df													

class_1_df

	mean radius	mean texture	mean perimeter	mean area	mean smoothness	mean compactness	mean concavity	mean concave points	mean symmetry	mean fractal dimension	•••	worst texture	worst perimeter	wc
19	13.540	14.36	87.46	566.3	0.09779	0.08129	0.06664	0.047810	0.1885	0.05766		19.26	99.70	7
20	13.080	15.71	85.63	520.0	0.10750	0.12700	0.04568	0.031100	0.1967	0.06811		20.49	96.09	6:
21	9.504	12.44	60.34	273.9	0.10240	0.06492	0.02956	0.020760	0.1815	0.06905		15.66	65.13	3
37	13.030	18.42	82.61	523.8	0.08983	0.03766	0.02562	0.029230	0.1467	0.05863		22.81	84.46	5,
46	8.196	16.84	51.71	201.9	0.08600	0.05943	0.01588	0.005917	0.1769	0.06503		21.96	57.26	2.
558	14.590	22.68	96.39	657.1	0.08473	0.13300	0.10290	0.037360	0.1454	0.06147		27.27	105.90	7:
559	11.510	23.93	74.52	403.5	0.09261	0.10210	0.11120	0.041050	0.1388	0.06570		37.16	82.28	4
560	14.050	27.15	91.38	600.4	0.09929	0.11260	0.04462	0.043040	0.1537	0.06171		33.17	100.20	71
561	11.200	29.37	70.67	386.0	0.07449	0.03558	0.00000	0.000000	0.1060	0.05502		38.30	75.19	4:
568	7.760	24.54	47.92	181.0	0.05263	0.04362	0.00000	0.000000	0.1587	0.05884		30.37	59.16	21

357 rows × 31 columns

plt.figure(figsize = (10, 7))
sns.displot(class_0_df['mean radius'], bins = 25, color = 'blue')
sns.displot(class_1_df['mean radius'], bins = 25, color = 'red')
plt.grid()