Week_8_Project

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Nepal Stock Exchange (NEPSE)-BasedProjects NEPSE Stock Price Prediction

Objective: Predict thefutureprices of stocks listedonNEPSE.

Data: Historical stockprices (available from NEPSE website or APIs).

Tasks: Normalizeprices, handlemissingdata, anduseLinear Regressionor RandomForest Regressor topredict stockprices

Data was collectedfromnepse alpha site

- Dailynepsepricedatawascollectedfrom2019Decto2024Dec
- It containsdayHighprice, Lowprice, Openprice, Closeprice, date, changepercentage andvolume

Four models are usedtopredict the future closingprice

- MovingAverage
- Linear RegressionModel
- MultipleRegressionModel
- RandomForest Regressor Model

```
import pandasas pd
import numpyas np
import matplotlib.pyplotas plt
from sklearn.preprocessingimport StandardScaler
from sklearn.model_selectionimport train_test_split
from sklearn.metricsimport mean_squared_erroras mse
from sklearn.metricsimport r2_score
from sklearn.linear_modelimport LinearRegression
data=
  pd. read_csv( "data.csv")
data. head(
```

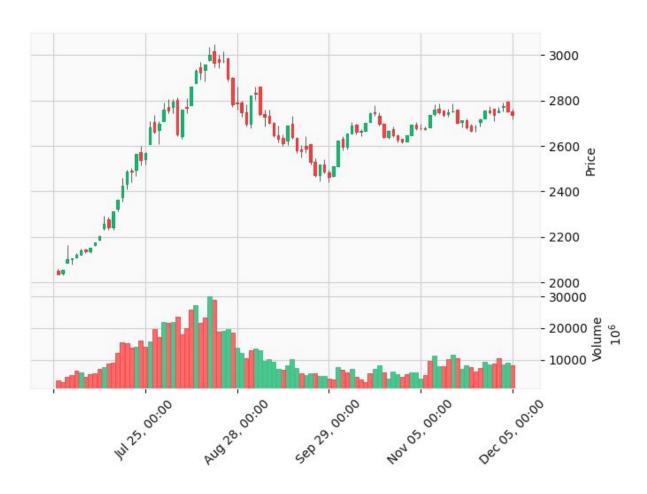
Out[55]:	Symbol Da		Date	Open	High	Low	Close	Percent Change	Volume
	0	NEPSE	2024- 12-05	2752.38 2	2764.29 2 [°]	717.34 2	734.93	-0.57% 8,369,68	37,402.72
	1	NEPSE	2024- 12-04	2795.98 2	2795.78 2 ⁻	747.65 2	750.87	-0.89% 9,132,46	58,906.77
	2	NEPSE	2024- 12-03	2772.74 2	2793.03 2 ⁻	751.31 2	775.85	0.64% 8,521,21	9,299.67
	3	NEPSE	2024- 12-02	2749.27 2	2773.47 2	746.47 2	758.04	0.72% 10,541,74	46,564.07
	4	NEPSE	2024- 12-01	2762.30 2	2764.85 2 [°]	707.94 2	738.06	-0.36% 8,832,22	25,892.82

Exploratory Data Analysis

CandleStickpatternof recent 100days

```
In [56]: import mplfinanceas mpf
          data=
          data. head(100)
          data['Date']=
          pd. to_datetime( data['Date'] )
          data['Volume'] = data['Volume'].str.replace(',',
          '').astype(float)
          data. set_index('Date', inplace=True) # Set 'Date' as index
          data= data[['Open', 'High', 'Low', 'Close', 'Volume']]
          # Plot candlestick chart using mplfinance
          fig, axes=
          mpf. plot(
              data
              type='candle'
              volume=True
              title="NEPSE Candlestick Chart of 100 days",
              style='yahoo'
              ylabel="Price"
              ylabel_lower="Volume"
              returnfig=True
              warn_too_much_data=100
         )
         # Invert the x-axis (dates)
         axes[0].invert_xaxis()# Invert the x-axis of the first axis (candlestick chart)
         # Show the plot
          plt. show(
```

NEPSE Candlestick Chart of 100 days



Changingdateintodatetimeformat

```
In [57]: data= pd. read_csv('data.csv')
         data["Date"] =
         pd. to_datetime( data[ 'Date'] )
         data.info(
        <class 'pandas.core.frame.DataFrame'>
        RangeIndex: 1128 entries, 0 to 1127
        Data columns (total 8 columns):
         # Column
                           Non-Null Count Dtype
        _ _ _ _ _ _ _ _
                            _____
         0 Symbol
                           1128 non-null object
         1 Date
                           1128 non-null datetime64[ns]
         2 Open
                           1128 non-null float64
         3 High
                           1128 non-null float64
         4 Low
                           1128 non-null float64
         5 Close
                           1128 non-null float64
         6 Percent Change 1128 non-null object
                           1128 non-null object
        dtypes: datetime64[ns](1), float64(4), object(3)
        memory usage: 70.6+ KB
In [58]: data= pd. DataFrame( data)
         data. describe(
```

	Out[58]:	Date	Open	High	Low	Close
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count	1128 1128.000000 1128.000000 1128.000000 1128.000000
mean	2022-07-02 20:06:22.978723584 2165.339071 2184.024947 2142.533327 2161.999140
min	20.00.22.978723364 2019-12-0800:00:00 1131.920000 1135.370000 1125.810000 1135.370000
25%	2021-05-0218:00:00 1908.567500 1926.862500 1888.872500 1907.935000
50%	2022-07-0312:00:00 2078.000000 2093.210000 2059.245000 2072.005000
75%	2023-09-0512:00:00 2596.872500 2620.352500 2548.730000 2585.002500
max	2024-12-0500:00:00 3208.530800 3227.110000 3178.250000 3198.190000
std	NaN 473.228330 476.801759 465.756438 470.101723

MovingAverage

- It isatechnical toolsthat investor usedtodeterminethetrendandpriceof stocksin future.
- It usespreviousdaysaveragepricetodeterminethepriceof next days.
- A7dayswindowsizeistakenheretodeterminethenext dayprice.

```
In [59]: import plotly.graph_objectsas go
         window_size= 7
          data['Moving_Avg'] =
          data['Close'].rolling(window=window_size).mean()
          # Create traces for the plot
          trace_original= go. Scatter(
              x=data['Date'
             ],
             y=data['Close'
              ],
              mode='lines'
              name='Original
          trace_moving_avg= go. Scatter(
              x=data['Date'
             y=data['Moving_Avg']
              mode='lines'
              name=f'{ window_size}-Day Moving Average'
          # Layout for the plot
         layout= go. Layout(
              title=f'{ window_size}-Day Moving Average of Closing Prices',
              xaxis=dict(title='Date'
              yaxis=dict(title='Close
              Price')
```

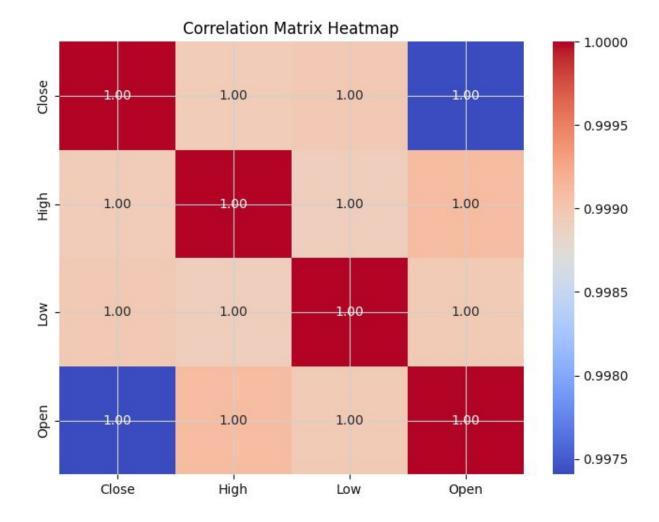
```
fig= go. Figure( data=[ trace_original, trace_moving_avg],
layout=layout)
fig. show(
)
valid_indices=
~np. isnan( data[ 'Moving_Avg'] )
actual= data.loc[valid_indices,
'Close']
moving_avg= data.loc[valid_indices,
'Moving_Avg'] . values
```

```
# Calculate mean squared error
          mse= mse( actual, moving_avg)
          print(f'Mean Squared Error of the Moving Average: {mse} ')
          rmse_value=
          np. sqrt( mse)
          r2_value= r2_score( actual, moving_avg)
          print(f"Root Mean Squared Error (RMSE): {rmse_value} ")
          print(f"R-squared (R2):
          {r2_value} ")
        Mean Squared Error of the Moving Average: 2530.8692685143988
        Root Mean Squared Error (RMSE): 50.30774561152983
        R-squared (R<sup>2</sup>): 0.9885020365752958
In [60]: total_number_of_days= (data. Date. max() -
data. Date. min()). days
          print("total number of days=", total_number_of_days)
        total number of days= 1824
```

Here, Correlationbetweenclosingprice, openingprice, high

```
price andlowprice is mappedusedheat map
In [61]: import seabornas sns
         from sklearn.preprocessingimport MinMaxScaler
         scaler= MinMaxScaler()
         scaler.fit(data[['Close']
         ])
         data['Close']=
         scaler.transform(data[['Close']])
         scaler.fit(data[['High']
         ])
         data['High'] =
         scaler.transform(data[['High']])
         scaler.fit(data[['Open']
         data['Open'] =
         scaler.transform(data[['Open']])
         print( data[ [ "Close", 'High', "Low", 'Open'] ] . corr(
         ))
         plt.figure(figsize=(8,6))# Set figure
         sns. heatmap( data[ [ "Close", 'High', "Low", 'Open'] ] . corr( ) , annot=True,
         cmap='coolwarm'
         plt.title("Correlation Matrix
         Heatmap")
         plt.show(
                  Close
                            High
                                       Low
        Close 1.000000 0.998953 0.998977 0.997406
        High 0.998953 1.000000 0.998919 0.999096
        Low 0.998977 0.998919 1.000000 0.998959
```

Open 0.997406 0.999096 0.998959 1.000000



This shows that there is a highcorrelation between the high, low, close and open price.

Linear Regression Model

- Linear Regressionmodel hasequationy=mx+c
 - y: Thepredictedvalue(thescaled'Close' values).
 - x: Theindependent variable(thedayindex).
 - m: slopeof thelinear model
 - c: theintercept
- Dataisscaledbetween0and1toimprovethemodel performance
- Split intotraining(80%) andtesting(20%) sets.
- Alinear regressionmodel istrainedonthetrainingdata.
- Predictionsaremadeandcomparedagainst theactual test data.
- Performancemetrics(MSE, RMSE, R2) evaluatethemodel.
- Avisualizationcontraststheactual vs. predictedvaluesfor trainingdata.

```
scaler= MinMaxScaler()
scaler.fit(data[['Close']
1)
data['Close']=
scaler.transform(data[['Close']])
X= np. array( data. index) . reshape( - 1,
1)
y=
data['Close']
X_train, X_test, y_train, y_test= train_test_split(
    X, y, test_size=0.2, shuffle=False,
    random_state=42
model= LinearRegression()
model.fit(X_train,
y_train)
y_pred=
model. predict(X_test)
# Trace for actual data points (scatter plot)
trace0= go. Scatter(
    x=X_train. T[0
    ],
    y=y_train
    mode='markers'
    name="actual
# Trace for predicted data points (line plot)
trace1= go. Scatter(
    x=X_train. T[0
    ],
    y=model. predict(X_train).
    Τ,
    mode='lines'
    name="predicted
# Combine both traces into a list
predicted_data= [trace0, trace1]
layout= go. Layout(
    title="Actual vs Predicted Data",
    xaxis=dict(title='Day',
    autorange='reversed'),
    yaxis=dict(title='Target
plot= go. Figure( data=predicted_data,
layout=layout)
plot.show(
mse_value= mse( y_test, y_pred)
rmse value=
np. sqrt( mse_value)
r2_value= r2_score( y_test, y_pred)
```

```
print(f"Mean Squared Error (MSE): {mse_value} ")
print(f"Root Mean Squared Error (RMSE): {rmse_value} ")
print(f"R-squared (R²):
{r2_value} ")
```

Mean Squared Error (MSE): 0.3109412041107992 Root Mean Squared Error (RMSE): 0.5576210219412456 R-squared (R²): -9.649145799000943

Thereisaalot of error inthismodel makingit irrelevant for predictingtheprice.

Multiple Linear Regression model

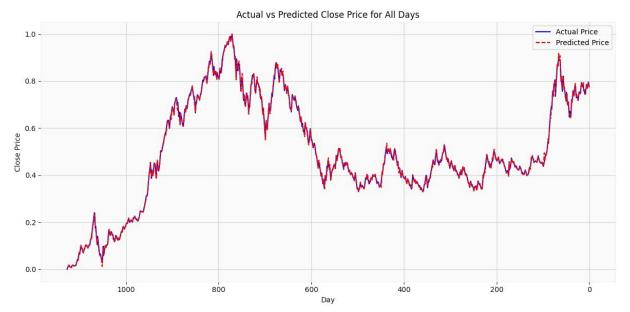
It usesmorethanoneindependant variables for predicting adependant variables.

- It usesHigh, low, openpricetopredict thecloseprice.
- Themodel split dataset intotrain(80%) andtest (20%).

```
In [63]: import matplotlib.pyplotas plt
          import pandasas pd
          from sklearn.linear_modelimport LinearRegression
          from sklearn.model_selectionimport train_test_split
          from sklearn.metricsimport mean_squared_erroras mse
          from sklearn.metricsimport r2_score
          scaler= MinMaxScaler()
          scaler.fit(data[['Close']
         1)
          data['Close']=
          scaler.transform(data[['Close']])
          scaler.fit(data[['High']
          data['High']=
          scaler.transform(data[['High']])
          scaler.fit(data[['Open']
         ])
          data['Open'] =
          scaler.transform(data[['Open']])
          X= data[['Open','High','Low']]# Independent variables
          y= data['Close'] # Dependent variable
          X_train, X_test, y_train, y_test= train_test_split(X, y, test_size=0.2, random_sta
          model= LinearRegression()
          model.fit(X_train,
         y_train)
          y_pred=
          model. predict(X_test)
          mse_value= mse( y_test, y_pred)
          r2_value= r2_score( y_test, y_pred)
          model. fit (X,
          y)
         y_pred_full=
          model. predict(X)
          plt. figure(figsize=(12,
          6))
          plt. plot(data. index, y, color='blue', label='Actual
          Price')
          plt. plot( data. index, y_pred_full, color='red', linestyle='--', label='Predicted
          plt. xlabel('Day'
          plt.gca().invert_xaxis
          ()
          plt.ylabel('Close
          Price')
          plt.title('Actual vs Predicted Close Price for All Days')
          plt.legend(
          plt. tight_layout(
```

```
print("Model Coefficients:",
model. coef_)
print("Intercept:",
model. intercept_)
print("Mean Squared Error (MSE):", mse_value)
print("R-squared:",
r2_value)
```

plt. show(



Model Coefficients: [-8.06393657e-01 9.42776311e-01 4.22032540e-04]

Intercept: -0.47788042456870206

Mean Squared Error (MSE): 3.206797429870102e-05

R-squared: 0.9993654540440245

RandomForest Regressor

mse_value= mse(y_test, y_pred_rf)

- RandomForest Regressor usesmulitpledecisiontodecidetheoutcomeandchosesthe best decisiontree
- Adataset isdividedintotrain(80%) andtest(20%) data.

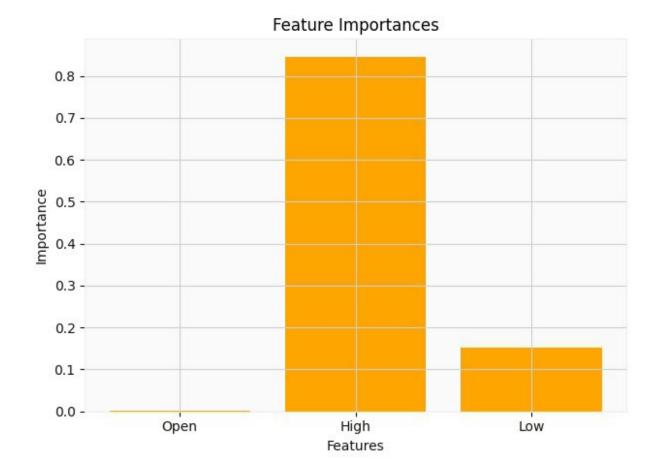
```
In [64]: from sklearn.ensembleimport RandomForestRegressor
          from sklearn.model_selectionimport train_test_split, TimeSeriesSplit
          features= ['Open', 'High', 'Low']
          target='Close'
          scaler= MinMaxScaler( )
          data[features] =
          scaler. fit_transform( data[ features] )
          data[target] =
          scaler. fit_transform( data[ [ target] ])
          X=
          data[features]
          data[target]
          X_train, X_test, y_train, y_test= train_test_split(
              X, y, test_size=0.2, shuffle=False,
              random_state=42
         )
          rf model= RandomForestRegressor( n estimators=100, max depth=10, random state=42)
          rf_model.fit(X_train,
          y_train)
          # Predict on test data
          y_pred_rf=
          rf_model. predict(X_test)
          # Evaluate the model
```

r2_value= r2_score(y_test, y_pred_rf)

Print evaluation metrics

```
print("Mean Squared Error (MSE):", mse_value)
 print("R-squared (R2):", r2_value)
 # Predict on full data for visualization
 y_pred_full=
 rf_model. predict( X)
 # Plot actual vs predicted prices
 plt. figure(figsize=(12,
 6))
 plt. plot( data. index, y, label="Actual Price",
 color='blue')
 plt. plot(data. index, y_pred_full, label="Predicted Price", color='red',
 linestyle='
 plt. axvline(X_train. index[-1], color='green', linestyle='--', label='Train-Test
 Spl
 plt. xlabel('Day'
 plt. gca().invert_xaxis
 plt.ylabel('Close
 Price')
 plt.title('Actual vs Predicted Close
 Price')
 plt.legend(
 plt.tight_layout(
 plt.show(
 # Feature importance visualization ctual vs Predicted Close Price
 feature_importances= rf_model. feature_importances_
 plt. bar(features, feature_importances,
 color='orange')
 plt.title('Feature
 Importances')
 plt. xlabel('Features' /
 plt. ylabel('Importance'
 plt.show(
Mean Squared Error (MSE): 0.035239214499173326
R-squared (R<sup>2</sup>): -0.2068761813575659
                                                         400
```

600 Day



Conclusion

This Python code serves the purpose of exploring data and developing models through the application of different machine learning approaches. It starts by getting data from a CSV file and preparing it. Exploratory Data Analysis (EDA) involves making candlestick charts and looking at correlation matrices. Four models Moving Average, Linear Regression, Multiple Linear Regression, and Random Forest Regressor are used to predict stock prices. The Moving Average method makes data clearer by averaging it over a 7-day period. Linear Regression and Multiple Regression models help predict prices. We use measures like MSE, RMSE, and R² to check how good the predictions are. The Random Forest Regressor is strong because it uses decision trees and helps us understand which features are important. The study looks at how stock prices are related to each other and checks how well each model can predict future prices. However, mistakes in some models show that they may not be very reliable for making accurate predictions. The script shows a complete analysis of stock prices for NEPSE. It focuses on creating models and visualizations to understand market trends and make predictions.