

Experiment 1: Write a program non-recursive and recursive program to calculate Fibonacci numbers and analyse their time and space complexity.

With ite

```
def fibonacci_iterative(n):
```

```
    if n <= 0:
```

```
        return 0
```

```
    elif n == 1:
```

```
        return 1
```

```
    a, b = 0, 1
```

```
    for _ in range(2, n + 1):
```

```
        a, b = b, a + b
```

```
    return b
```

```
# Example usage:
```

```
n = 10 # Change n to the desired Fibonacci number
```

```
result = fibonacci_iterative(n)
```

```
print(f"The {n}-th Fibonacci number is {result}")
```

Experiment 1

with recursive

```
def fibonacci_recursive(n):
```

```
    if n <= 0:
```

```
        return 0
```

```
    elif n == 1:
```

```
        return 1
```

```
    else:
```

```
        return fibonacci_recursive(n - 1) + fibonacci_recursive(n - 2)
```

# Example usage:

```
n = 10 # Change n to the desired Fibonacci number
```

```
result = fibonacci_recursive(n)
```

```
print(f"The {n}-th Fibonacci number is {result}")
```

## experiment 2

Write a program to solve a fractional Knapsack problem using a greedy method

```
def fractional_knapsack(items, capacity):
```

```
    items.sort(key=lambda x: x[1] / x[0], reverse=True)
```

```
    total_value = 0.0
```

```
    remaining_capacity = capacity
```

```
    for item in items:
```

```
        weight, value = item
```

```
        if weight <= remaining_capacity:
```

```
            total_value += value
```

```
            remaining_capacity -= weight
```

```
        else:
```

```
            fraction = remaining_capacity / weight
```

```
            total_value += fraction * value
```

```
            break
```

```
    return total_value
```

```
# Example usage:
```

```
items = [(10, 60), (20, 100), (30, 120)] # Each item is represented as  
(weight, value)
```

```
capacity = 50
```

```
max_value = fractional_knapsack(items, capacity)
```

```
print("Maximum value that can be obtained:", max_value)
```

### experiment 3

Write a program to solve a 0-1 Knapsack problem using dynamic programming or branch and bound strategy.

```
def knapsack_0_1(values, weights, capacity):  
    n = len(values)  
    dp = [[0] * (capacity + 1) for _ in range(n + 1)]  
  
    for i in range(n + 1):  
        for w in range(capacity + 1):  
            if i == 0 or w == 0:  
                dp[i][w] = 0  
            elif weights[i - 1] <= w:  
                dp[i][w] = max(values[i - 1] + dp[i - 1][w - weights[i - 1]], dp[i - 1][w])  
            else:  
                dp[i][w] = dp[i - 1][w]  
  
    return dp[n][capacity]  
  
# Example usage:  
values = [60, 100, 120]  
weights = [10, 20, 30]  
capacity = 50  
max_value = knapsack_0_1(values, weights, capacity)  
print("Maximum value that can be obtained:", max_value)
```

## Experiment 4

Design n-Queens matrix having first Queen placed. Use backtracking to place remaining Queens to generate the final n-queen's matrix.

```
def is_safe(board, row, col, n):  
    # Check the left side of this row  
    for i in range(col):  
        if board[row][i] == 1:  
            return False  
  
    # Check upper left diagonal  
    for i, j in zip(range(row, -1, -1), range(col, -1, -1)):  
        if board[i][j] == 1:  
            return False  
  
    # Check lower left diagonal  
    for i, j in zip(range(row, n, 1), range(col, -1, -1)):  
        if board[i][j] == 1:  
            return False  
  
    return True  
  
def solve_nqueens(n):  
    board = [[0 for _ in range(n)] for _ in range(n)]
```

```
if solve_nqueens_util(board, 0, n) is False:
```

```
    print("No solution exists")
```

```
    return False
```

```
print_solution(board, n)
```

```
return True
```

```
def solve_nqueens_util(board, col, n):
```

```
    if col == n:
```

```
        return True
```

```
    for i in range(n):
```

```
        if is_safe(board, i, col, n):
```

```
            board[i][col] = 1
```

```
            if solve_nqueens_util(board, col + 1, n):
```

```
                return True
```

```
            board[i][col] = 0
```

```
    return False
```

```
def print_solution(board, n):
```

```
    for i in range(n):
```

```
        for j in range(n):
```

```
    print(board[i][j], end=" ")  
print()
```

# Example usage:

n = 8 # Change the value of n to the desired board size

solve\_nqueens(n)



## Experiment 5

Write a program for analysis of quick sort by using deterministic and randomized variant

```
def quick_sort(arr):  
    if len(arr) <= 1:  
        return arr  
    else:  
        pivot = arr[0]  
        less_than_pivot = [x for x in arr[1:] if x <= pivot]  
        greater_than_pivot = [x for x in arr[1:] if x > pivot]  
        return quick_sort(less_than_pivot) + [pivot] +  
        quick_sort(greater_than_pivot)
```

# Example usage:

```
arr = [5, 3, 1, 9, 8, 2, 4, 7]  
sorted_arr = quick_sort(arr)  
print("Sorted array:", sorted_arr)
```