

DAILY PROGRAMMING CHALLENGE



Detect a Cycle in an Undirected Graph

You are given an undirected graph represented by an adjacency list. Your task is to determine if the graph contains any cycle. A cycle is formed if you can traverse through a sequence of edges that starts and ends at the same vertex.

Input:

- An integer V representing the number of vertices.
- An integer E representing the number of edges.
- A list of edges, where each edge connects two vertices of the graph.

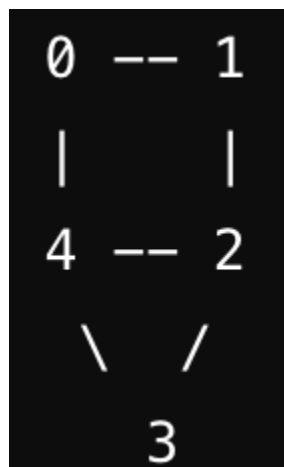
Output:

- Return true if the graph contains a cycle, otherwise return false.

Examples:

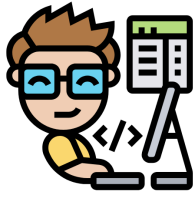
- Example 1
Input: $V = 5$, $E = 5$
Edges = $[[0, 1], [1, 2], [2, 3], [3, 4], [4, 0]]$
Output: true
Explanation:

- The tree is as follows



- This graph contains a cycle (0 -> 1 -> 2 -> 3 -> 4 -> 0).

Constraints:



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- $1 \leq V \leq 10^4$
- $0 \leq E \leq 10^4$
- The graph can be disconnected, so check all components.
- The graph has no self-loops and no multiple edges between the same pair of nodes.

Test Cases:

1. Input: $V = 5, E = 5$
Edges = `[[0, 1], [1, 2], [2, 3], [3, 4], [4, 0]]`
Output: true
2. Input: $V = 3, E = 2$
Edges = `[[0, 1], [1, 2]]`
Output: false
3. Input: $V = 1, E = 0$
Edges = `[]`
Output: false
4. Input: $V = 4, E = 3$
Edges = `[[0, 1], [1, 2], [2, 3]]`
Output: false

Edge Cases:

1. A graph with one node and no edges cannot contain a cycle
2. If the graph contains multiple components, check for cycles in all components.
3. If the graph forms a straight line (like a chain), no cycle is present.