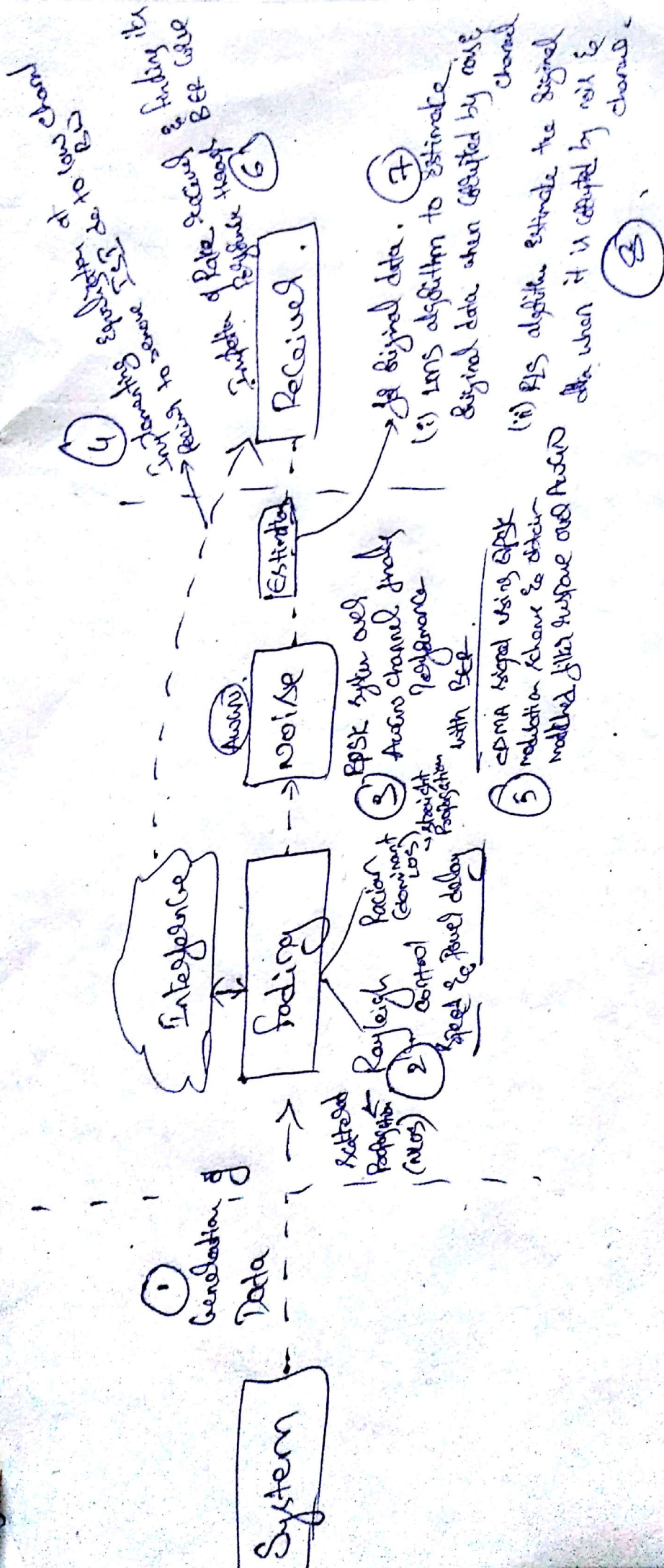
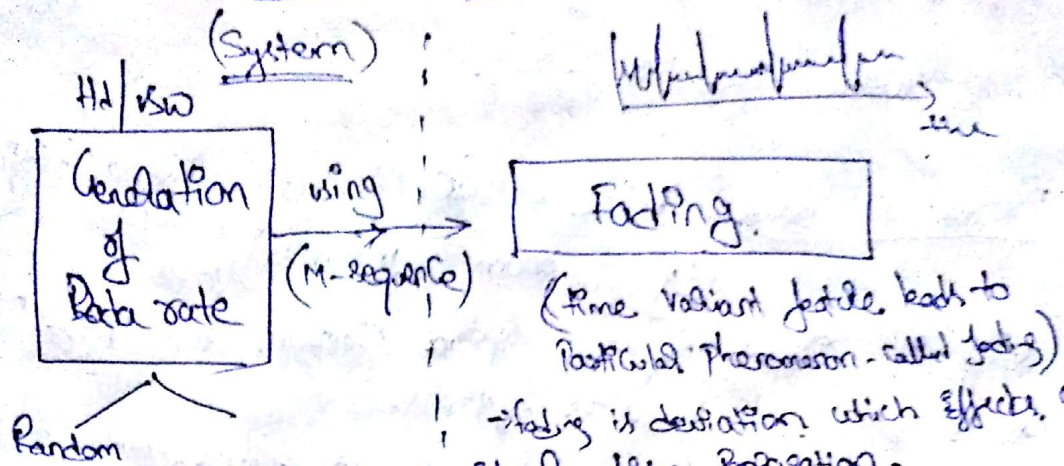


Advanced Communication LAB Overview:-



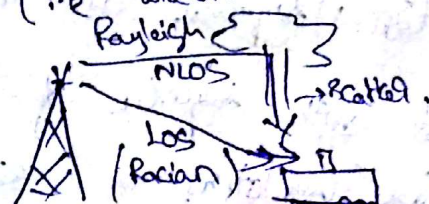
Advanced Communication LAB:-



- fading is deviation which effects a signal during propagation.
 → Caused by interference b/w 2 (or) more version of signals which arrive at receiver at slight different time.

Part - 1:- (System) HW/SW:-
 Digital → A system need to generate an digital data for propagation of information through a wireless medium (i.e. wireless device tx data through antenna) etc.,

Exp - 1



i.e. the digital system for generation of an random data in an sequence. Res a type of Pseudorandom binary sequence known as maximum length sequence (MLS). using maximum linear feedback shift register (flip-flops). which are so called periodic and reproducible every binary sequence that can be reproduced by shift register.
 i.e. of (m) length register Periodic sequence of length $(2^m - 1)$

figure
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sequence represented as Co-efficient of irreducible polynomials in polynomial ring over $(\frac{\mathbb{Z}}{2\mathbb{Z}})$.

Practical applications:- include ~~measuring~~ measuring impulse response. (Eg:- of room reverberation).

Used for Direct Sequence Spread Spectrum & Frequency Hopping Spread Spectrum transmission systems.

n - index time ; k - bit register position.

$+$ \rightarrow represents modulo-2 addition.

\rightarrow Gold Code:- is also known as Gold sequence is a type of binary sequence used in tele-comm (CDMA) & satellite navigation (GPS).

\rightarrow Gold Codes have bounded small Cross Correlations with a set, useful with multiple devices are broadcasting a same message.

\rightarrow It consists of $(2n-1)$ sequences. Each one period of $(2n-1)$

operation:- 2 maximal length sequences of same length $(2n-1)$ such that absolute Cross Correlation is less than equal to $(\frac{2(n+2)}{2})$ where 'n' is size of LFSR (linear feedback shift register)

used to generate m-sequences

\rightarrow The Exclusive-ors of 2 Gold sequences from same sets is another Gold code in same phase

If 2 is odd $t = \frac{2(2+1)}{2} + 1$

2 is even $t = \frac{2(2+2)}{2} + 1$

The Gold sequence formally is an absolutely phase of sequence in the set $G(u, v)$

$$G(u, v) = \{u * v, u * \tau_1 v, u * \tau_2 v, \dots, u * \tau_{N-1} v\}$$

The circular operator which shifts vector cyclically to left by 'k' places.

$*$ \rightarrow Exclusive-OR operation.

$u, v \rightarrow$ m-sequences of period generated by primitive binary polynomials.

Properties:-

(i) Balanced Property

(ii) Runlength "

(iii) Autocorrelation "