

## Step 1 – Generate you feature vectors

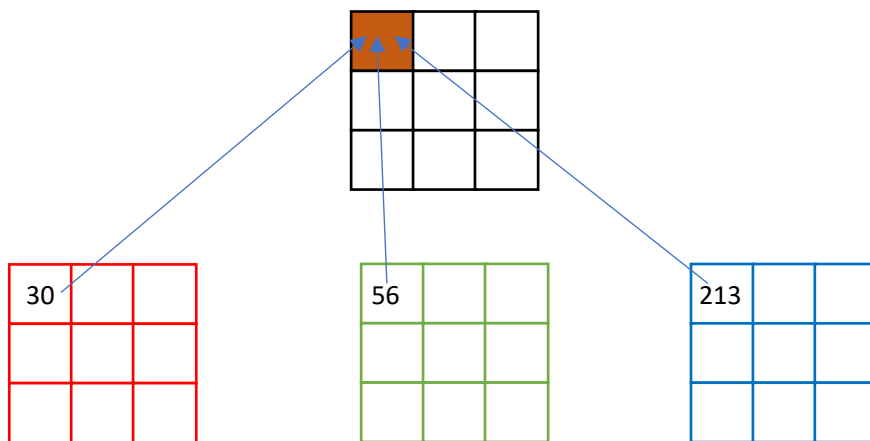
Each **RGB** image provided in the training set is a matrix of size 24 x 24 x 3. In other words, each image contains:

- One matrix for **RED** intensities of size 24 x 24 x 1
- One matrix for **GREEN** intensities of size 24 x 24 x 1
- One matrix for **BLUE** intensities of size 24 x 24 x 1

In RGB images each pixel is created by the combination of different amounts of red, green and blue. These amounts (intensities) can take values from 0 to 255.

Example:

Consider RGB images of 3 x 3 pixels. The final color that we observe in a pixel is a combination of red, green and blue



Possible features you can use:

- Smallest amount of **red** in the image (R\_min)
- Mean of **red** values in the whole image (R\_mean)
- Smallest amount of **green** in the image (G\_min)
- Mean of **green** values in the whole image (G\_mean)
- Smallest amount of **blue** in the image (B\_min)
- Mean of **blue** values in the whole image (B\_mean)

## Step 2 – Calculate parameters $\theta, \mu_0, \mu_1, \Sigma$

See these calculations on page 9 of the slides.

Check also the Excel file where I explain how you make these calculations.

### Step 3 – Test your Gaussian classifier using the Bayes rule

See the Bayes rule on page 5 of the slides.

Once you have calculated parameters  $\theta, \mu_0, \mu_1, \Sigma$  you calculate the probability of an image  $x$  to belong to class 0, which is  $p(y = 0|x)$ :

$$p(y = 0|x) = \frac{p(x|y = 0)p(y = 0)}{p(x|y = 0)p(y = 0) + p(x|y = 1)p(y = 1)}$$

where

$$p(x|y = 0) = \frac{1}{(2\pi)^{n/2}|\Sigma|^{1/2}} e^{\left(-\frac{1}{2}(x-\mu_0)^T \Sigma^{-1}(x-\mu_0)\right)}$$

and

$T$  means transpose

$|\Sigma|$  is the determinant of  $\Sigma$

$n$  is the number of features

$$p(y = 0) = 1 - \theta = \frac{30}{60} = 0.5$$

Then you calculate the probability that the image  $x$  belongs to class 1, which is  $p(y = 1|x)$ :

$$p(y = 1|x) = \frac{p(x|y = 1)p(y = 1)}{p(x|y = 0)p(y = 0) + p(x|y = 1)p(y = 1)}$$

where

$$p(x|y = 1) = \frac{1}{(2\pi)^{n/2}|\Sigma|^{1/2}} e^{\left(-\frac{1}{2}(x-\mu_1)^T \Sigma^{-1}(x-\mu_1)\right)}$$

and

$$p(y = 1) = \theta = \frac{30}{60} = 0.5$$

The final decision/classification depends on the largest probability:

$$\text{If } p(y = 1|x) > p(y = 0|x)$$

the image  $x$  represents an image with a parasite (class 1)

Otherwise

it is an image without a parasite (class 0)