

- negative numbers 26 Jan 2019 + 29 Jan 2024
- call code, entry code etc 24 Jan 2023 + 8 Feb 2018 + 30 Jan 2024
- addresses 31 Jan 2020 + 22 Jan 2024 (not some machine instructions)
- overflow 9 Feb 2018 + Model 1
- datatypes 14 Feb 2022
- flags 18 Feb 2019
- basic elements Model 2

Negative numbers - 23 January 2019

- Explain and exemplify how negative numbers are represented and operated at the level of the 80x86 architecture. Detail the representation mechanism and give 2 adequate examples. How can we obtain the corresponding signed value in base 10 (interpretation) for a given representation in base 2? Which are the possible methods to be applied?

Mathematically, the value $2^n - V$, where V is the absolute value of the represented number, is the representation of a negative number (2's complement).

Let us take $-\overline{abc}$ as a number. \overline{abc} is simply the binary representation of the value, but for $-\overline{abc}$ we must use 2's complement.

There are a few methods used for getting the 2's complement of a number:

1) $2^n - V$: for example $136 = 10001000_2 = 88_{10}$

the fact that the sign bit is 1 means that we have 2 interpretations for this representation: signed and unsigned

What is the signed interpretation? $-(2^8 \text{ complement of } 10001000)$

n is the number of bits +1 e.g. here is 9

$$\begin{array}{r} 100000000 - \\ 10001000 \\ \hline 01111000 \\ 4 \quad 8 \end{array} \longrightarrow 01111000_2 = 78_{10} = 120$$

\Rightarrow the sign interpretation of 10001000 is -120 .

$-120 \in [-128, 127]$ signed interp. on 8 bits

but $-346 \notin [-128, 127]$, therefore we must represent it on 16 bits ($\in [-2^{15}, 2^{15}-1]$)

$$2^{16} - 346 = 65160 = 111111010001000_2 = F88_{10}$$

$$\begin{array}{r} 1000000000000000 - \\ 101111010001000 \\ \hline 1111111010001000 \end{array}$$

2) invert all bits and add 1

$$10001000 \rightarrow 01110111 + 1 = 01111000$$

3) keep the bits from right to left, including the first 1 and invert all the other ones: $1000\cancel{1}000 \rightarrow 01111000$

stays the same

* to verify that our interpretation is correct, the sum of the absolute values of the 2 complementary numbers should always be the cardinal of the set of values representable on that size : $256 - 136 = 120 \Rightarrow -\overline{abc} = -120$

↳ this is also the quickest way to find the interpretation of a number, if that what interests us

- Present how the programmer operates with negative numbers at the level of assembly. in the case of each of the 4 basic arithmetic operations (1 source code each, explained and justified)

1) Addition - ADD and Subtraction - SUB

↳ regardless of the interpretation, the addition at the level of assembly is done the same way for both signed and unsigned numbers (this is the reason why we don't have iADD or iSUB)

```
MOV AL, 3 ; AL = 0000 0011
MOV BL, -2 ; BL = 1111 1110
ADD AL, BL ; AL = 0000 0001 also CF=1
= 1 → correct result
```

```
MOV AL, -4 ; AL = 1111 1001
MOV BL, 3 ; BL = 000000011
ADD AL, BL ; AL = 11111100 =< 252 unsigned
= -4 signed => correct result
```

```
MOV AL, -4 ; AL = 1111 1001
MOV BL, -8 ; BL = 1111 1000
SUB AL, BL ; AL = 0000 0001 = 1 correct
```

```
MOV AL, -4 ; AL = 1111 1001
MOV BL, 3 ; BL = 0000 0011
SUB AL, BL ; AL = 11110110 =< 246
= -10 correct
```

2) IMUL and IDIV

↳ unlike for addition and subtraction, multiplication and division work differently for signed and unsigned numbers, this is why we need to specify BEFORE the operation takes place the interpretation for the result

```
MOV AX, 2 ; AX = 0002h
MOV BX, -3 ; BX = FFFF Dh
IMUL BX ; DX:AX = FFFF FFFFAh
```

whereas:

```
MOV AX, 2 ; AX = 0002h
MOV BX, -3 ; BX = FFFFh
MUL BX ; DX:AX = 0001 FFFFAh
```

notice how DX (or the high part of the result, giving the sign) was NOT computed the same way, leaving the latter representation with only a positive interpretation (SF=0), which is false

* same goes for IDIV

```
MOV AX, -8 ; AX = FFFF8h
MOV BL, 2 ; BL = 02h
IDIV BL ; AX / BL → AL = FC h = -4 signed
```

- Present and exemplify every arm. instruction (or category of instructions if they are similar) capable to operate with such numbers.

The operations presented before, (i.e. ADD, iMUL, SUB, iDiv) are obviously capable of operating negative numbers. Another category is the conversion instructions, such as CBW, CWD, CWDE since they work with extending the sign byte.

Mov AL, -3 ; AL = FD
cbw ; AX = FFFD

? every instruction, pretty much, works with negative numbers, since we talk about interpretation

- How is the value 0 considered and why?

0 is considered a positive value, since the sign bit is 0 \Rightarrow it is NOT a negative number, therefore it is positive :)

- Define and explain the concept of call code, entry code and exit code in the general context of programming languages, after which analyze how they are reflected at the level of linking a C module with a x86 asm. module. Explain the ? task of each stage, giving source code adequate schematic examples to clarify the involved responsibilities and needs. Who is responsible for generating these codes and when exactly? Why is needed the asm. language involvement in working with these concepts? Describe the STDCALL and CDECL call conventions, explain where are they used. Present and explain the communication mechanism between the modules involved in a multimodule ASM-ASM programming and ASM-C resp.

* definition → what's given → implication → conclusion

with the call code you "open" some parentheses that need to be closed with the exit code

↳ every action must be unrolled somewhere below

- In the general sense, call code, entry code and exit code are what part of what we call subroutine call implementation. Any call implementation, independently of the OS has something similar, that differ by the call conventions, but the steps remain the same.

Call code: → the caller's responsibility

1) Saving volatile resources (EAX, ECX, EDX, eFlags)

↳ the volatile resources are those registers that the calling convention defines as belonging to the call subroutine.

↳ this is why the caller, as part of the call code, is responsible to save their values and, after the subroutine is called, to restore the initial vals.

*) Extra step: Assure the compliance

↳ this means checking that the stack is aligned, DF=0 etc.

2) Passing parameters

↳ pushing them onto the stack, since it is a one of the shared physical resources, for them to be accessed later from another file.

3) Saving the return address and performing the actual call

ex:

```
extern exit, printf
import exit msvcrt.dll
import printf msvcrt.dll
global start
segment data wr32 class="data"
format db "%d", 10, 13, 0
```

segment code wr 32 class = "code"

Start:

```
    mov ecx, 10 ; ECX = 00 00 00 0AH  
    xor eax, eax ; EAX = 0
```

enumerator:

```
    push eax } saves the volatile resources  
    push ecx } (x) stack is aligned  
    push eax } pushing the params for a cdecl call  
    push dword format }  
    call [printf]  
    add esp, 4+fd  
    pop ecx } restore the volatile resources  
    pop eax  
    inc eax  
    loop enumerator  
    push dword 0  
    call [exit]
```

* the volatile resources need to be saved because printf uses them to return an error code

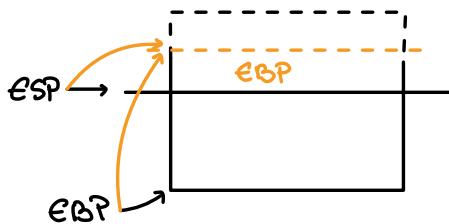
Entry code → caller's responsibility

1) Configuring the stack frame

- ↳ stack frame = data structure stored in the stack, of fixed dimension, containing:
 - params prepared by the caller
 - return address
 - copies of the non-volatile resources
 - local variables

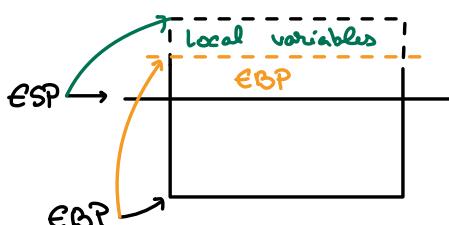
```
push EBP } !always at the beginning of the entry code  
mov EBP, ESP }
```

↳ here we construct a new empty stack frame



2) Allocating space for local variables

```
sub ESP, n_bytes ; the new formed stack gets bigger
```



- 3) Saving the non-volatile resources (exposed to be modified)
 - ↳ something that is modified, but is not volatile

Exit code - Caller

- 1) Restore altered non-volatile resources
- 2) Restore the local variables
- 3) Deallocate the stack frame
- 4) Return from the function and deallocate passed parameters

Ex:

```

pop ebx ; initial value
add esp, h ; free the stack
pop ebp ; restore the initial value of ebp
ret h ; return to the initial stackframe
  
```

- When linking a C and .asm module we need ways and methods to communicate since they involve separate compilation we obtain different .obj files

Linkers check if everything was defined only once (declaration + allocation)

- The communication between modules happens through:

↳ extern and global directives
 ↳ registers and stack which are shared fiscal resources } ASM + ASM
 ↳ in C + asm

- CDECL

↳ has a variable number of parameters
 ↳ the caller is responsible for clearing the stack
 (in asm everything is your responsibility)

↳ is specific to the C language
 ↳ volatile resources ECX, EDX, EAX, EFLAGS
 ↳ result stored: ECX, EDX: EAX, STO

- STDCALL

↳ used by windows
 ↳ fixed num. of params
 ↳ callee is responsible for clearing the stack

- Why use .asm for multi-module?

Since .asm works with registers directly it is very fast for getting computations done, therefore it is useful to have subroutines written in .asm

Overflow - 9 feb 2018 + Model 1

Elaborate an analysis regarding the "overflow" concept at the level of the arithmetic operations, focusing afterwards on how the x80 architecture reacts when overflow appears in the case of each of the 4 basic arithmetic operation (addition, subtraction, multiplication and division).

- Which are the cases considered by the .asm language "overflows" and how does the microprocessor react to them? Present for each of the 4 cases 2 adequate source code examples illustrating the appearance of such situations and the lack of them respectively
- Explain which is the exact reaction of the computing system for each presented case and what can the programmer do after such a situation arises (how can he take into account, use or interpret the issue of such situation by the processor) How can the programmer avoid overflow situations?

At the level of .asm language, an overflow is a situation or condition which expresses that the result of the last performed operation didn't fit the reserved space for it or it doesn't belong to that admissible representation (sign bit) or is a mathematical nonsense in that particular operation

1) Addition

↳ In the case of addition, since the two operands are of the same size, overflow occurs when result didn't fit the reserved space (add byte, byte = byte) or it is a mathematical nonsense

$\begin{array}{r} 1000\ 1001 + \\ 0111\ 1001 \\ \hline 1000000010 \end{array}$	$\begin{array}{r} 89h + \\ 49h \\ \hline 102h \end{array}$	<table border="0"><tr><td style="text-align: center;">Signed</td><td style="text-align: center;">$\frac{-119 + 121}{2}$</td></tr><tr><td colspan="2" style="text-align: center;">2</td></tr></table>	Signed	$\frac{-119 + 121}{2}$	2		<table border="0"><tr><td style="text-align: center;">Unsigned</td><td style="text-align: center;">$\frac{134 + 121}{258}$</td></tr><tr><td colspan="2" style="text-align: center;">2</td></tr></table>	Unsigned	$\frac{134 + 121}{258}$	2	
Signed	$\frac{-119 + 121}{2}$										
2											
Unsigned	$\frac{134 + 121}{258}$										
2											

$\Rightarrow CF=1$ since a carry occurred
for the most significant digit

$\begin{array}{r} 1000\ 1001 + \\ 1010\ 1001 \\ \hline 100110010 \end{array}$	$\begin{array}{r} 89h + \\ 49h \\ \hline 132h \end{array}$	<table border="0"><tr><td style="text-align: center;">$-119 +$</td><td style="text-align: center;">$\frac{-84}{-206}$</td></tr><tr><td colspan="2" style="text-align: center;">2</td></tr></table>	$-119 +$	$\frac{-84}{-206}$	2		<table border="0"><tr><td style="text-align: center;">$137 +$</td><td style="text-align: center;">$\frac{165}{306}$</td></tr><tr><td colspan="2" style="text-align: center;">2</td></tr></table>	$137 +$	$\frac{165}{306}$	2	
$-119 +$	$\frac{-84}{-206}$										
2											
$137 +$	$\frac{165}{306}$										
2											

but $32h = 50 \neq -206 + 306$

$OF=1$ since it is a mathematically incorrect conclusion:
the sum of two negative numbers cannot be positive

2) Subtraction

↳ the concept here is "we need a borrow but don't have it"

$\begin{array}{r} 0110\ 0010 - \\ 1100\ 1000 \\ \hline 1001\ 1010 \end{array}$	$\begin{array}{r} 98 - \\ 200 \\ \hline 15h \end{array}$	$\begin{array}{r} 98 - \\ -56 \\ \hline -102 \end{array}$	$CF = OF = 1$
--	--	---	---------------

3) Multiplication

- ↳ this is the only operation that will never trigger only OF
- ↳ since the result of a multiplication is always stored on a register double the size of the operand, we won't have overflow in the real sense
- ↳ CF and OF here signal if the result can be restrained to the size of the operand

if $b \neq b$:

- 1) $CF = OF = 0 \rightarrow$ the result fits on a byte ("no overflow")
- 2) $CF = OF = 1 \Rightarrow$ the result only fits on a word ("overflow")

mov al, 250

mov bl, 2

mul bl ; here $CF = OF = 1$, because $250 * 2 = 500 \notin [0, 255] \Rightarrow$ doesn't fit a byte

4) Division

- ↳ the rule for division is that a register double the size of the explicit operand is divided and the result is stored on the register the same size of the operand (word / byte - byte)

- ↳ here the two flags don't tell you anything because the fact that the program didn't crash is enough to tell you that the division went well

- * the possible errors that can occur are "zero divide", "division overflow" or "division by zero"

mov ax, 4096 ; $AX = 0FFFh$

mov bl, 2 ; $BL = 02h$

div bl

→ program crashes because
 $4096 : 2 = 2048 \notin [0, 255]$
↓
al \Rightarrow doesn't fit

- The two flags OF and CF are set exactly for this reason, to allow you to correct the mistake by using instructions such as ADC or SBB, which are the equivalent of ADD and SUB, but take into account the value stored in the flags:

xor ax, ax	; clear the register
mov al, 250	; $AL = FAh$
mov bl, 4	; $BL = 04h$
add al, bl	; $AL = 00h \quad CF = 1$
adc ah, 0	; $AH = 01h \Rightarrow AX = 0100h \Rightarrow$ true result

- ↳ therefore to obtain the right answer the programmer must take into account CF and OF

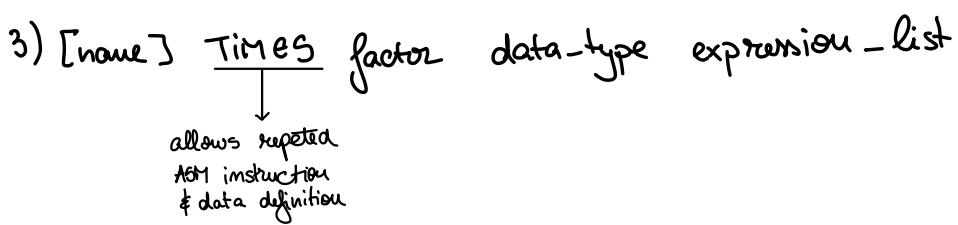
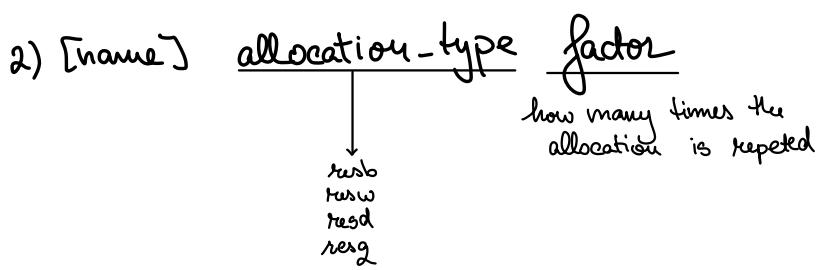
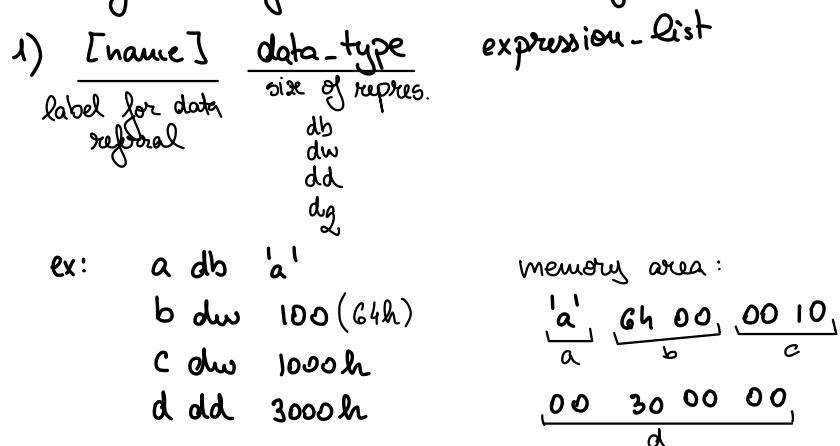
Datatypes - 14 feb 2022

- Define the concept of datatype at the level of x86 .asm language. What are the define mechanisms of a datatype in .asm. Give examples of variable declarations (with and without initialization) for every datatype. What are situations in which the type operands are (not) necessary? Justify and exemplify with adequate examples and suggestive source code for each of the presented cases. Make a classification of the type conversions, presenting and exemplifying the methods of type conversions at the level of x86 asm.

At the level of x86 architecture, the memory can be accessed only by using the offset specification formula $\underset{\text{all}}{\text{base}} + \underset{\text{all except ESP}}{\text{index}} * \underset{1,2,4,8}{\text{scale}} + \underset{\text{ESP}}{\text{constant}}$, without variable naming being associated to it.

The task of data definition directives is not to specify an associated data type, as we understand it in high level programming languages, but rather it is to generate the corresponding number of bytes for a named memory area (following the little endian representation).

In the general form, a data definition line looks like this:



4) EQU - allows signing a numeric value during assembly time to a label without allocating any memory area

Label EQU value

The type operands are not necessary when the size of that

instruction is clear. For example:

`mov al, 5` — doesn't need to be `mov al, byte 5` since you can only fit a byte on AL

`push [label]` — on the other hand would raise an "operation size not specified" error

`push dword [label]` — would be syntactically correct

- Type conversions classifications

- 1) a) destructive : `cbw`, `cwd`, `cdq`, `cwde`, `movzx`, `movsx`

`mov al, -1` ; $AL = FFh$
`cbw` ; $AX = FFFFh$ | the content in AH is destroyed while extending AL

`mov bl, 100` ; $BL = C4h$
`mov bh, 0` ; $BX = 00C4h$ | BH was overwritten, destroying the previous contents

- b) non-destructive : byte, word, dword, qword

`a db 5`

`mov al, byte [a]` ; only AL was modified

- 2) a) signed `cbw`, `cwd` ...

`mov AL, -1` ; $AL = FFh$
`cbw` ; $AX = FFFFh$ | the sign bit is extended

- b) unsigned `movzx` ; `mov ah, 0`; `mov dx, 0`

`mov AL, -1` ; $AX = 00FF$, extended with 0
`movzx AX, AL`

- 3) a) by enlargement (1a) + 1b) - byte)

`a db 10`

`mov AX, word [a]`

- b) by narrowing (byte, word, dword)

`a dd 1000h`

`mov AL, byte [a]` ; $AL = 00h$

- 4) a) implicit

int \rightarrow float since no information is lost

- b) explicit

float \rightarrow int

Flags - 18 Feb 2019

- Explain which is the role of the flags in the functioning of the x86 microprocessor. Present the flags, their classification and exemplify the influence of most important flags, giving .asm code examples (at least 4).
- Which are the instructions for directly accessing the flags? Which are the flags having the strongest connection with the flag values?
- How can we modify the configuration of EFLAGS if needed? Which are the flags reacting to an overflow, their role and rules (+ done at overflow concept). Why is there more than one flag dealing with overflow?

A flag is an indicator on 1 bit. A configuration of EFLAGS shows an overview of the execution of each instruction. Some of them also dictate the way in which the execution of the next instruction is gonna go. EFLAGS register has 32 bits, but only 8 are used: OF, DF, CF, PF, ZF, IF, AF, TF, SF

CF - the "transport flag"

↳ set to 1 if the last performed operation had a digit outside of the representation domain, 0 otherwise

↳ signals unsigned overflow

<pre>mov al, 10001010b mov bl, 01111001b add al, bl</pre>	$ \begin{array}{r} 1000\ 1010b + \\ 0111\ 1001b \\ \hline 10000\ 0011 \end{array} $
---	--

CF=1 \Rightarrow the operation was not performed well

PF - PF + # bits 1 from the lower byte of the LPO \Rightarrow odd numb.

↳ # bits 1 odd \Rightarrow PF=1

↳ used in data transmission to check if the information was correctly transmitted

AF - "carry" between nibbles

↳ shows that there's a transport digit between bits 3 and 4

$$\begin{array}{r}
 0110\ 1100 + \\
 0010\ 0110 \\
 \hline
 1001\ 0010
 \end{array}$$

AF = 1

ZF \rightarrow a truth value flag

↳ if LPO was 0 \Rightarrow ZF=0

mov al, 2

mov bl, 2

sub al, bl \Rightarrow ZF=1

SF \rightarrow takes the value of the most significant bit

↳ SF=0 \Rightarrow positive numb., SF=1 \Rightarrow negative num.

↳ "Was the LPO a strictly negative numb?"

mov al, -2
 mov bl, 10
 imul bl ; $AX = AL * BL = 10 \cdot (-2) = -20 \Rightarrow SF = 1$

TF → trap flag

↳ used in debugging, every time F4 is pressed, TF=1

IF → interrupt flag

↳ when a critical section starts, $IF=0 \Rightarrow$ the code cannot be interrupted (rocket example)

OF → the equivalent of CF for singed interpretation

Mov al, 10010011b	$\begin{array}{r} 10010011b \\ 01110011b \\ \hline 100000110 \end{array}$	$\begin{array}{r} 164 \\ 115 \\ \hline 6 \end{array}$ false CF=1	$\begin{array}{r} -109 \\ 115 \\ \hline 6 \end{array}$ true OF=0
Mov bl, 01110011b			
add al, bl			

Some flags show us what just happened (CF, OF, TF, ZF, AF, SF) and others dictate what'll happen next (TF, IF, DF, CF)

- Some of the instructions that directly access the flags are cond. jup.
↳ at the level of the microprocessor, flags exist to offer the programmer the possibility to verify some conditions.

$$j_a \rightarrow CF=0 \quad ZF=0$$

$$\int^2 \rightarrow 2F = 1$$

$$je \rightarrow z^F = 1$$

$j\ell \rightarrow SF \leftrightarrow OF$

* also, instructions such as ADC & SBB, cwd, cbw, etc also work with the values of the flags.

- * instructions that set the flags: STC, STD, CLC, CLD,cmc
- * rcr, scl, sal, sar

- The contents of EFLAGS can be changed using PUSHF /POPF