

# Hello Haskell!

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# Preliminaries

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- Read chapter 2 of *Haskell programming from first principles*, covering basic Haskell syntax.
- To the end-of-chapter exercises.

- Class on May 9th will take place remotely (I'll distribute a webex link via rocketchat closer to the time).
- Class on May 16th will be cancelled - I'm in America for a conference.

## Lambda calculus summary

- The lambda calculus is a *formal system* (i.e., a logic) for reasoning about *functions*.
- In the lambda calculus, computation is modelled as a form of simplification, using the following rules:
  - $\beta$ -reduction.  $(\lambda x.f(x))(y) \Rightarrow f(y)$
  - $\alpha$ -conversion.  $\lambda x.x \Rightarrow \lambda y.y$
  - $\eta$ -reduction.  $\lambda x.f(x) \Rightarrow f$
- Haskell can be thought of as a kind of lambda calculi, where *running a program* amounts to reducing a complex expression until we reach normal form.
- Reduction doesn't always converge on a normal form; sometimes expressions diverge; this corresponds to *non-terminating computations* (imagine, for example, a program implementing a timer that runs indefinitely).

$$(\lambda x y z. xz(yz))(\lambda x. z)(\lambda x. a)$$

1. Curry arguments:  $(\lambda x. \lambda y. \lambda z. xz(yz))(\lambda x. z)(\lambda x. a)$
2.  $\alpha$ -conversion:  $(\lambda x. \lambda y. \lambda z_1. xz_1(yz_1))(\lambda x. z)(\lambda x. a)$
3.  $\beta$ -reduce:  $(\lambda y. \lambda z_1. (\lambda x. z)z_1(yz_1))(\lambda x. a)$
4.  $\beta$ -reduce:  $\lambda z_1. (\lambda x. z)z_1((\lambda x. a)z_1)$
5.  $\beta$ -reduce:  $\lambda z_1. (\lambda x. z)z_1 a$
6.  $\beta$ -reduce:  $\lambda z_1. za$
7. Normal form!

# Getting started with Haskell

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- Everything you write in Haskell is either an *expression* or a *declaration*.
  - Expressions can be values, functions, functions applied to values, etc.
  - Declarations are bindings that allow us to name complex expressions.

Here are some examples of expressions in Haskell:

```
1  
1 + 1  
"Icarus"
```



- The GHCi REPL stands for the *Glasgow Haskell Compiler interactive Read-Eval-Print-Loop*.
- It allows us to evaluation Haskell expressions directly without the need to save the program in a source file.
- There are a few different ways to get a GHCi instance:
  - In the browser: <https://tryhaskell.org/>
  - By installing GHC and running `ghci` in the terminal.

- When we type an expression into the REPL it automatically evaluates it for us.
- The following expressions are already in normal form, so they simply evaluate to themselves.

```
ghci> 1
1
ghci> "Icarus"
"Icarus"
```

- In reality, it's a bit more complex than that.
- An expression like `1` evaluates to an *integer*, but technically speaking integers aren't the kind of things that can be printed to an output, rather their *string representations*.
- Under the hood, GHCi exploits Haskell's type system to determine whether an expression is *showable*; what we see is given by the function associated with the showable type class.
  - We'll learn more about what this means later in the semester.

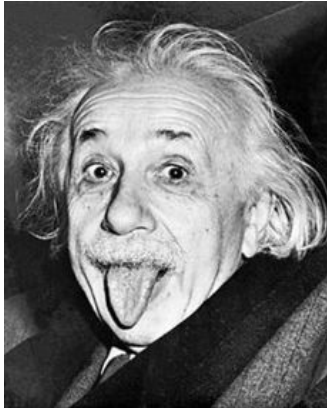
## Evaluating arithmetic expressions

- GHCi can be used as a basic calculator by inputting arithmetic expressions.
- Complex expressions are evaluated until we reach normal form:

```
ghci> ((1 + 2) * 3) + 100  
109
```

- Note that GHCi doesn't show us any of the intermediate steps.
- N.b. expressions that can be reduced are called *redexes* (i.e., *reducible expressions*).

- *Functions* in haskell are particular kinds of expressions, which play a very important role.
- Just like mathematical functions, they map inputs to outputs, in a determinate fashion.
- A Haskell function always evaluates to the same result when given the same argument values.
  - This property is known as *referential transparency*, and makes Haskell programs extremely straightforward to reason about.
  - For those of you with some experience programming in an imperative language like C, this is quite a departure! In imperative languages, evaluating a line of code might affect the state in a way which changes subsequent evaluations.



*"Insanity is doing the same thing over and over and expecting different results." (Albert Einstein)*

There are a number of different ways of declaring functions in haskell. Here is the simplest way:

```
ghci> triple x = x * 3
ghci> triple 4
12
```

Function names always start with lower case letters in haskell. It's good practice to use descriptive function names, which conventionally use camel case, e.g.:

```
ghci> multiplyByThree x = x * 3
ghci> multiplyByThree 4
12
```

- Note that the equals sign `=` indicates that this is a *declaration* rather than an expression.
- Note that declarations are much like abstractions, in the sense that the variable(s) to the left of the `=` bind the corresponding variable(s) to the right.
- In fact it's also possible to define functions directly as abstractions, using the following syntax:

```
ghci> triple = \x -> x * 3
ghci> triple 4
12
ghci> (\x -> x * 3) 4
12
```



- Remember when I said that printing values in GHCi is more complicated than it first appears?
- Try evaluating an abstraction, e.g.,

```
ghci> (\x -> x * 3)
```

How would we declare a function that has one parameter and works for all the following expressions?

```
pi * (5 * 5)
pi * (10 * 10)
pi * (2 * 2)
pi * (4 * 4)
```

Note that `pi` is an expression that is given by the Haskell **Prelude**. The prelude is a module (i.e., a set of declarations) that is implicitly imported by default.

```
ghci> circleArea radius = pi * (radius * radius)
ghci> circleArea 5
78.53981633974483
```

Note that as well descriptive function names, we can also use descriptive *variable* names; there's no reason (aside from brevity) that we have to use single letters as variable names.

As you've probably gathered, the syntax for *function application* in Haskell just involves whitespace, i.e., `f x` means  $f(x)$ .

The arithmetic operators like `+` are *infix operators*; they can be used as ordinary functions by enclosing them in parentheses:

```
ghci> 200 + 300
500
ghci> (+) 200 300
500
ghci> ((+) 200) 300
500
```

## Declarations in the REPL

We can define functions and later use them with a single REPL session; the REPL has a limited form of state.

```
ghci> y = 10
ghci> x = 10 * 5 + y
ghci> myResult = x * 5
ghci> myResult
300
```

You can quit the REPL by typing `:q`; declarations won't persist between REPL sessions, so typing `myResult` in a new session will give you the following error:

```
ghci> myResult
error: Variable not in scope: myResult
```

## Declarations in source files

In order to get your declarations to persist, you need to write them into source files (called *modules*). Try saving the following as `learn.hs`.

```
module Learn where

y = 10
x = 10 * 5 + y
myResult = x * 5
```

You can now *load* the module in GHCi.

```
ghci> :l learn.hs
Ok, one module loaded.
ghci> myResult
300
```

## Tips for writing source files

A module must always start with a module declaration `module MyModule where`; the module name should always start with a capital letter, unlike a function declaration.

White space and line-breaks are *significant*; the following won't compile; the second line should be indented:

```
x = 10 *  
5 + y
```

Comments are lines starting with a double dash.

```
-- a random declaration serving no apparent purpose:  
x = 10 * 5 + y
```

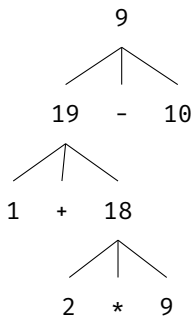
Using a text editor with support for Haskell syntax highlighting will be a big help. Some options:

- VS Code.
  - Probably the most popular text editor right now, with excellent haskell support built in.
- Emacs (with **haskell-mode**).
  - This is what I use. If you're not already familiar with emacs, I definitely wouldn't recommend it.
- Notepad++
  - I don't really know anything about this, but apparently it's a good option if you're running Windows.

You can also just use the online Haskell playground, which has syntax highlighting baked in.



Basic arithmetic can help us get a feel for how haskell expressions are evaluated, e.g.,  $1 + 2 * 9 - 10$ .



## Associativity and precedence

Arithmetic infix operators in haskell:

- `+` : addition
- `-` : subtraction
- `*` : multiplication
- `/` : fractional division

You can get information about operator *associativity* and *precedence* using the `:info` command in GHCi.

```
ghci> :i (+)
infixl 6 +
```

N.b. this will also give you information about the *type* of the expression. This won't be relevant yet, but will be important soon.

## The \$ operator

This `$` is an important infix operator that is often used to write terse haskell code without parentheses. Here is its definition:

```
f $ a = f a
```

This is an **infixr** operator with the lowest possible precedence:

```
(2^) $ 2 + 2  
(2^) (2 + 2)
```

## let and where

- **let** is used to introduce an expression.
- **where** is a *declaration* that is bound in its containing syntactic construct.

```
printInc n = print plusTwo  
  where plusTwo = n + 2
```

```
printInc n = let plusTwo = n + 2  
              in print plusTwo
```

```
z = 7
x = y ^ 2
waxOn = x * 5
y = z + 8
```

Write out what will happen when you run the following:

- 10 + waxOn
- (+ 10) waxOn
- (-) 15 waxOn
- (-) waxOn 15

*Fin*

