

# Some topic ideas

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## 1 Generalized negation

A natural extension of *generalized conjunction* and *generalized disjunction* is *generalized negation*, i.e., allowing negation to apply to any expression which has a boolean type.

- Consider whether this over-predicts the distribution of negation in natural language, drawing on evidence from sentences with negation in English/German.

Some interesting examples to consider (and attempt to analyze):

- (1) John and not Mary sneezed.
- (2) John, Sue, and not Mary met in the classroom.
- (3) \*Not John sneezed.

## 2 Atom vs. set predicates

Main references:

- (Winter 1998)
- (de Vries 2015)

In this class, we've talked about collective predicates such as "gather" as if they are a homogeneous class. However, Winter argues that collective predicates come in two distinct categories: *set predicates* and *atom predicates*.

Some examples of set predicates include familiar collective predicates like *gather* and *meet*.

Some examples of atom predicates include *be a good team*, and *be numerous*.

One of the primary diagnostics for set vs. atom predicate is whether or not the predicate is compatible with a Noun Phrase headed by the determiner *all*.

- (4) The students gathered.
- (5) All the students gathered.
- (6) The students are numerous.
- (7) \*All the students are numerous.

Assess Winter's account of atom vs. set (perhaps drawing on linguistic data from atom vs. set predicates in German).

## 3 Overlapping individuals

- Main reference: (Champollion 2016), section 4.

In class, we learned about Champollion's account of *collective conjunction of predicates*, which makes use of *existential raising*, *generalized conjunction* (i.e., intersection), and *minimization*. As he points out, the basic story runs into trouble when we do collective conjunction of *overlapping predicates*.

- (8) A doctor and lawyer met.

(8) can be used in a context where some individuals might be both lawyers and doctors. If we apply minimization in such a case, it returns (i) singleton sets of individuals who are both doctors and lawyers, and (ii) two element sets consisting of an individual who is a lawyer-and-not-doctor, and another individual who is a doctor-and-not-lawyer.

This (erroneously!) predicts that the sentence should be *false* if Mary and Sue met, if Mary and Sue are both doctors and lawyers.

In order to solve this problem, Champollion introduces a more sophisticated notion of existential raising which he calls *choice raising*.

## 4 Comparing generalized conjunction to *conjunction reduction*

- Main references: (Hirsch 2017a) (also (Hirsch 2017b)).

In class, we learned about how *generalized conjunction* can make sense of the broad distribution of coordination in natural language, together with why it tends to license *distributive inferences*.

For example, in the following sentence, we could analyze *and* as expressing generalized conjunction, since both *every student* and *every professor* are of a boolean type ( $ET \rightarrow T$ ).

(9) John saw [every student] and [every professor].

The *generalized conjunction* of *every student* and *every professor* is itself a quantifier of type  $ET \rightarrow T$ , which may be interpreted as quantifiers in object position usually are (i.e., via *quantifier raising*):

(10)  $\lambda P. \text{every}(\text{student})(P) \wedge \text{every}(\text{professor})(P)$

There is however an alternative to generalized conjunction, which maintains that conjunction is *always* type  $T \rightarrow T \rightarrow T$ , and appeals to a syntactic mechanism of “conjunction reduction” to make sense of sentences such as (9). According to the conjunction reduction analysis, (9) is *underlyingly represented* as (11).

(11) John saw [every student] and ~~John saw~~ [every professor].

This topic is based on comparing the predictions of generalized conjunction and conjunction reduction, using Hirsch’s paper as a starting point.

## References

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