

## base\_general.stan

W tym pliku mamy opis danych wejściowych, parametrów modelu i obliczenia przewidywanych śmierci i zakażeń.

```

1. data {
2.   int <lower=1> M; // number of countries
3.   int <lower=1> P; // number of covariates
4.   int <lower=1> N0; // number of days for which to impute infections
5.   int <lower=1> N[M]; // days of observed data for country m. each entry must be <= N2
6.   int <lower=1> N2; // days of observed data + # of days to forecast
7.   int cases[N2,M]; // reported cases
8.   int deaths[N2,M]; // reported deaths -- the rows with i > N contain -1 and should be ignored
9.   matrix[N2, M] f; // h * s
10.  matrix[N2, P] X[M];
11.  int EpidemicStart[M];
12.  real pop[M];
13.  real SI[N2]; // fixed pre-calculated SI using empirical data from Neil
14. }
15.
16. parameters {
17.   real <lower=0> mu[M]; // intercept for Rt
18.   real <lower=0> alpha_hier[P]; // sudo parameter for the hier term for alpha
19.   real <lower=0> kappa;
20.   real <lower=0> y[M];
21.   real <lower=0> phi;
22.   real <lower=0> tau;
23.   real <lower=0> ifr_noise[M];
24. }
25.
26. transformed parameters {
27.   vector[P] alpha;
28.   matrix[N2, M] prediction = rep_matrix(0, N2, M);
29.   matrix[N2, M] E_deaths = rep_matrix(0, N2, M);
30.   matrix[N2, M] Rt = rep_matrix(0, N2, M);
31.   matrix[N2, M] Rt_adj = Rt;
32.
33.   {
34.     matrix[N2, M] cumm_sum = rep_matrix(0, N2, M);
35.     for (i in 1:P) {
36.       alpha[i] = alpha_hier[i] - (log(1.05) / 6.0);
37.     }
38.     for (m in 1:M) {
39.       for (i in 2:N0) {
40.         cumm_sum[i, m] = cumm_sum[i-1, m] + y[m];
41.       }
42.       prediction[1:N0, m] = rep_vector(y[m], N0); // learn the number of cases in the first N0 days
43.
44.       Rt[m] = mu[m] * exp(-X[m] * alpha);
45.       Rt_adj[1:N0, m] = Rt[1:N0, m];
46.       for (i in (N0+1):N2) {
47.         real convolution0;
48.         for (j in 1:(i-1)) {
49.           convolution += prediction[j, m] * SI[i-j];
50.         }
51.         cumm_sum[i, m] = cumm_sum[i-1, m] + prediction[i-1, m];
52.         Rt_adj[i, m] = ((pop[m] - cumm_sum[i, m]) / pop[m]) * Rt[i, m];
53.         prediction[i, m] = Rt_adj[i, m] + convolution;
54.       }
55.
56.       E_deaths[1, m] = 1e-15 * prediction[1, m];
57.       for (i in 2:N2) {
58.         for (j in 1:(i-1)) {
59.           E_deaths[i, m] += prediction[j, m] * f[i-j, m] + ifr_noise[m];
60.         }
61.       }
62.     }
63.   }
64. }
65.
66. model {
67.   tau ~ exponential(0.03);
68.   for (m in 1:M) {
69.     y[m] ~ exponential(1/tau);
70.     phi ~ normal(0, 5);
71.     kappa ~ normal(0, 0.5);
72.     mu ~ normal(3.28, kappa); // citation: https://academic.oup.com/jtm/article/27/2/taaa021/5735319
73.     alpha_hier ~ gamma(.167, 1);
74.     ifr_noise ~ normal(1, 0.1);
75.     for (m in 1:M) {
76.       deaths[EpidemicStart[m]:N[M], m] ~ neg_binomial_2(E_deaths[EpidemicStart[m]:N[M], m], phi);
77.     }
78.   }
79. }
80.
81. generated quantities {
82.   matrix[N2, M] prediction0 = rep_matrix(0, N2, M);
83.   matrix[N2, M] E_deaths0 = rep_matrix(0, N2, M);
84.
85.   {
86.     matrix[N2, M] cumm_sum0 = rep_matrix(0, N2, M);
87.     for (m in 1:M) {
88.       for (i in 2:N0) {
89.         cumm_sum0[i, m] = cumm_sum0[i-1, m] + y[m];
90.       }
91.       prediction0[1:N0, m] = rep_vector(y[m], N0);
92.       for (i in (N0+1):N2) {
93.         real convolution0 = 0;
94.         for (j in 1:(i-1)) {
95.           convolution0 += prediction0[j, m] * SI[i-j];
96.         }
97.         cumm_sum0[i, m] = cumm_sum0[i-1, m] + prediction0[i-1, m];
98.         prediction0[i, m] = ((pop[m] - cumm_sum0[i, m]) / pop[m]) * mu[m] + convolution0;
99.       }
100.      E_deaths0[1, m] = uniform_rng(1e-16, 1e-15);
101.      for (i in 2:N2) {
102.        for (j in 1:(i-1)) {
103.          E_deaths0[i, m] += prediction0[j, m] * f[i-j, m] + ifr_noise[m];
104.        }
105.      }
106.    }
107.  }
108. }
109.
110.

```

$\alpha_k \sim \text{Gamma}(1/6, 1) - \frac{\log(1.05)}{6},$

$R_{t,m} = R_{0,m} \exp\left(-\sum_{k=1}^6 \alpha_k I_{k,t,m} - \beta_m I_{t,m}\right),$

$c_{t,m} = \left(1 - \frac{\sum_{i=1}^{t-1} c_{i,m}}{N_m}\right) R_{t,m} \sum_{\tau=0}^{t-1} c_{\tau,m} g_{t-\tau},$

$d_{t,m} = \text{ifr}_m^* \sum_{\tau=0}^{t-1} c_{\tau,m} \pi_{t-\tau,m}^*,$

$c_{1,m}, \dots, c_{6,m} \sim \text{Exponential}(1/\tau), \text{ where } \tau \sim \text{Exponential}(0.03).$

$R_{0,m} \sim N^*(3.28, |\kappa|) \text{ with } \kappa \sim N(0, 0.5),$

$D_{t,m} \sim \text{Negative Binomial}\left(d_{t,m}, d_{t,m} + \frac{d_{t,m}^2}{\psi}\right),$

Counterfactual:  
liczymy tylko na podstawie  $R_{0,m}$   
(nie obliczamy  $R_{t,m}$ )

$c_{t,m} = \left(1 - \frac{\sum_{i=1}^{t-1} c_{i,m}}{N_m}\right) R_{t,m} \sum_{\tau=0}^{t-1} c_{\tau,m} g_{t-\tau},$

$d_{t,m} = \text{ifr}_m^* \sum_{\tau=0}^{t-1} c_{\tau,m} \pi_{t-\tau,m}^*,$

W tym pliku podajemy parametry do modelu w `base_general.stan`, np. liczbę dni, które chcemy przewidzieć, czas od zakażenia do śmierci  $\pi$

$$\pi \sim \text{Gamma}(5.1, 0.86) + \text{Gamma}(17.8, 0.45)$$

```

regions.csv | port_ifr.csv | serial_interval.csv | base_general.r | preprocessing-subnation-brazil.r | process-covariates.r | compute-ifr-europ
Source on Save
94 covariates$schools_universities[covariates$schools_universities > covariates$lockdown] <- covariates$lockdown[covariates$schools_universities > covariates$lockdown]
95 covariates$public_events[covariates$public_events > covariates$lockdown] <- covariates$lockdown[covariates$public_events > covariates$lockdown]
96 covariates$social_distancing_encouraged[covariates$social_distancing_encouraged > covariates$lockdown] <- covariates$lockdown[covariates$social_distancing_encouraged > covariates$lockdown]
97 covariates$self_isolating_if_ill[covariates$self_isolating_if_ill > covariates$lockdown] <- covariates$lockdown[covariates$self_isolating_if_ill > covariates$lockdown]
98
99 forecast = 0
100
101 N2 = 90 # increase if you need more forecast
102
103 dates = list()
104 reported_cases = list()
105 stan_data = list(M=length(countries),N=NULL,covariate1=NULL,covariate2=NULL,covariate3=NULL,covariate4=NULL,covariate5=NULL,cases=NULL,S1=serial_interval$fit[1:N2],
106                 EpidemicStart = NULL, pop = NULL) # N0 = 6 to make it consistent with Rayleigh
107
108 deaths_by_country = list()
109
110 # various distributions required for modeling
111 mean1 = 5.1; cv1 = 0.86; # infection to onset
112 mean2 = 18.8; cv2 = 0.45 # onset to death
113 x1 = rgammaAlt(1e7,mean1,cv1) # infection-to-onset distribution
114 x2 = rgammaAlt(1e7,mean2,cv2) # onset-to-death distribution
115
116 ecdf.saved = ecdf(x1+x2)
117
118 for(Country in countries) {
119   IFR=ifr.by.country$ifr[ifr.by.country$country == Country]
120
121   covariates1 <- covariates[covariates$Country == Country, c(2,3,4,5,6)]
122
123   d1_pop = ifr.by.country[ifr.by.country$country==Country,]
124   d1=d[d$Countries.and.territories==Country,c(1,5,6,7)]
125   d1$date = as.Date(d1$date,format='%d/%m/%Y')
126   d1$t = decimal_date(d1$date)
127   d1=d1[order(d1$t),]
128
129 }
110:46 (Top Level)
R Script

```

# IFR

Jest odwrotnie, niż myśleliśmy - dane o age-specific IFR są pobierane, a potem jest z nich liczona średnia IFR dla danego kraju. Średnie IFR są wpisywane do pliku **popt\_ifr.csv**

```
1 ["", "country", "popt", "ifr"  
2 "1", "Denmark", 5792203, 0.0102074697882139  
3 "2", "Norway", 5421242, 0.00914956406203488  
4 "3", "Sweden", 10099270, 0.0103110432111081  
5 "4", "United Kingdom", 67886004, 0.0103504384028517  
6 "5", "Italy", 60461828, 0.0124496263593357  
7 "6", "Spain", 46754783, 0.0107838730158524  
8 "7", "Austria", 9006400, 0.0103882259256609  
9 "8", "Belgium", 11589616, 0.0109598776668092  
10 "9", "France", 65273512, 0.012556187488595  
11 "10", "Germany", 83783945, 0.0123324426034139  
12 "11", "Switzerland", 8654618, 0.0102134528252841  
13 "12", "Greece", 10423056, 0.0117992290838236  
14 "13", "Portugal", 10196707, 0.0117258680881815  
15 "14", "Netherlands", 17134873, 0.010289760240957  
16
```

```
base_generalstan % base_general % compute-ifr-europe %
1 ### This code was written by Patrick Walker and Charlie for the LMIC global report
2 ### Edited by Etkie for European setting
3
4 # Load Required Packages and Source Functions
5 library(tidyverse)
6 library(readxl)
7 library(socialmixr)
8 library(dfoptim)
9
10 source("utils/get-ar.r")
11
12 # Loading in Population Data and Severity Parameters
13 demog_wpp <- readRDS("data/country-inputs.rds")
14 pop_columns <- grep("pop", names(demog_wpp))
15 severity_inputs <- readRDS("data/severity-inputs.rds")
16 ifrs <- severity_inputs$IFR_adj ← pobieramy IFR adjusted (czyli z podziałem na wiek)
17
18 # Set Parameters for Optimisation
19 R <- 3.28
20 guess_hom <- 0.85 # guess homogeneous attack rate
21 guess_modifier <- 0.7 # guess a lower bound for extent age-specific matrix alters average attack rate
22 reiterations <- 3
23 iterates <- 10000
24 restarts <- 10
25 tol <- 1e-07
26 init <- 1
27
28 country_data <- read.csv("data/pop_ifr.csv", stringsAsFactors = FALSE)
29 countries <- unique(country_data$country) ← lista pojedynczych IFR dla krajów
30
31 IFR <- vector(length = length(countries))
32 total_pop <- vector(length = length(countries))
33
34 for (i in 1:length(countries)){
35   # Pick the state you want and Extract Population
36   country <- countries[i]
37   idx <- which(demog_wpp$country_or_region == country)
38   raw_country_pop <- unlist(demog_wpp[idx, pop_columns])
39   country_pop <- c(raw_country_pop[1:15], sum(raw_country_pop[16:21])) * 1000
40
41   # Pick the Country you want and Extract Relevant Contact Matrix
42   # Note: Only limited countries have contact matrices available.
43   # Contact matrices are taken from PolyMod apart for France
44   # Mossong J, Hens N, Jit M, Beutels P, Auranen K, Mikolajczyk R, Massari M, Salmaso S, Tomba GS, Wallinga J, Hejblum J, Sadowka-Todys M, Rosinska M, Edmunds WJ (2017). "POLYMOD
45   contact_mat_list <- readRDS("data/contact-matrices.rds")
46   contact_mat <- data.matrix((contact_mat_list[[demog_wpp$Matrix[idx]]]))
47
48   # Processing the Contact Matrix to Generate a Probability Matrix
49   # (i.e. Likelihood a person in each age group mixes with people in a different age group)
50   M12 <- t(sapply(seq(country_pop), function(x){
51     contact_mat[x, "country_pop[x]
52   })))
53   adjust_mat <- (M12 + t(M12))/2
54   new_mix_mat <- t(sapply(seq(country_pop), function(x){
55     adjust_mat[x, "country_pop[x]
56   })))
57   c_mat <- t(sapply(seq(country_pop), function(x){
58     new_mix_mat[x, "sum(new_mix_mat[x,])
59   })))
60
61   ai <- rowSums(new_mix_mat)
62   ng_eigen <- Re(eigen(new_mix_mat)$val[1])
63   rmod <- R/ng_eigen*ai
64   tot_pop <- sum(country_pop)
65   total_pop[i] <- tot_pop
66
67   # Running an Optimiser to Get the Number Infected by Age for Each Age Group
68   x <- get_AR(R = R, rmod = rmod, c_mat = c_mat, demog = country_pop, init = init, guess_hom = guess_hom,
69     guess_modifiers = guess_modifier, iterates = iterates, reiterations = reiterations,
70     restarts = restarts, tol = tol)
71
72   # Number infected and attack rate for 5 year age bands up to 75+
73   number_inf_by_age <- x$par
74   attack_rates_by_age <- x$par/country_pop
75   #plot(attack_rates_by_age, ylim = c(0, 1))
76
77   # Splitting up 75+ into 75-80 and 80+ to incorporate the age-specific IFRs for these two
78   # groups that we have
79   infs_75_80 <- number_inf_by_age[16] * raw_country_pop[16]/(sum(raw_country_pop[16:21]))
80   infs_80_plus <- number_inf_by_age[16] * sum(raw_country_pop[17:21])/(sum(raw_country_pop[16:21]))
81   number_inf_by_age[16] <- infs_75_80
82   number_inf_by_age[17] <- infs_80_plus
83
84
85
86 # Calculating the number of Deaths in Each Age Group
87 deaths <- number_inf_by_age * ifrs
88 IFR[i] <- sum(deaths)/sum(number_inf_by_age)
89 }
90
91 ifrs <- data.frame("country" = countries, "pop" = total_pop, "ifr" = IFR) ← wpisujemy do pliku
92
93
```



Szukałam źródła danych o age-specific IFR, w źródle z Supplementary information jest ta tabela:

Age-group (years)	% symptomatic cases requiring hospitalisation	% hospitalised cases requiring critical care	Infection Fatality Ratio
0 to 9	0.1%	5.0%	0.002%
10 to 19	0.3%	5.0%	0.006%
20 to 29	1.2%	5.0%	0.03%
30 to 39	3.2%	5.0%	0.08%
40 to 49	4.9%	6.3%	0.15%
50 to 59	10.2%	12.2%	0.60%
60 to 69	16.6%	27.4%	2.2%
70 to 79	24.3%	43.2%	5.1%
80+	27.3%	70.9%	9.3%

(<https://www.imperial.ac.uk/media/imperial-college/medicine/mrc-gida/2020-03-16-COVID19-Report-9.pdf>)

Są w niej dane o pacjentach z Chin. W Supplementary information tłumaczą, że dane Attack Rate w innych krajach pobrali z

<https://www.imperial.ac.uk/media/imperial-college/medicine/sph/ide/gida-fellowships/Imperial-College-COVID19-Global-Impact-26-03-2020v2.pdf> - te dane są tam zbierane na podstawie ankiet o narażeniu na kontakt.

