

A:8

B:5

C:1

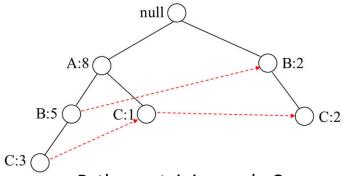
D:1

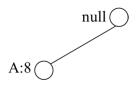
D:1

D:1

Paths containing node E

Paths containing node D





Paths containing node C

Paths containing node B

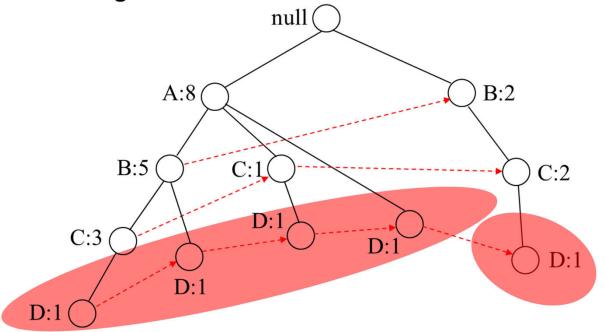
Paths containing node A



Suffix	Support Count
Е	{E}, {D,E}, {A,D,E}, {C,E}, {A,E}
D	
С	
В	
А	

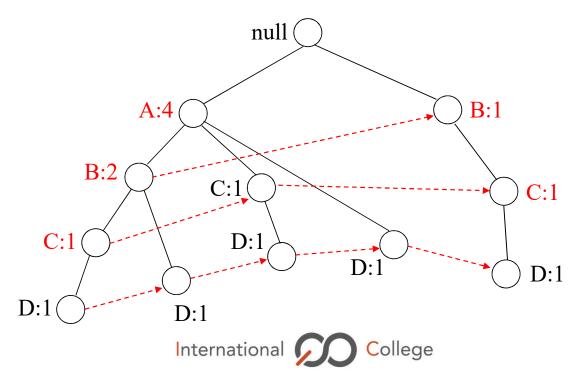
- Gather all the paths containing node D.
- Find support count for D by adding the support counts associate with node D from the prefix paths.

#### Prefix paths ending in D:



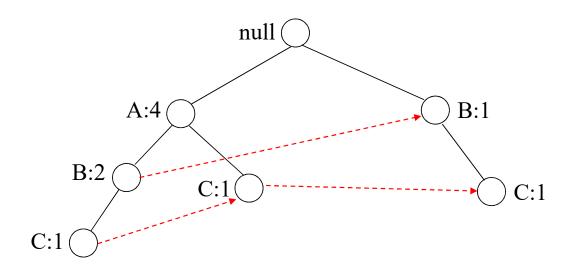
Support count of D = 4

- Itemset {D} is frequent, then convert the prefix paths ending in D into a **conditional FP-tree** in order to solve the subproblems of finding frequent itemsets ending in CD, BD, and AD.
  - 1) Update the support count along the prefix paths because some of the counts include transactions that do not contain item D.



**Data Mining** 

- 2) Remove the nodes D from the prefix paths and calculate support count of each item.
- 3) Remove nodes of items whose support counts are less than minimum support count.



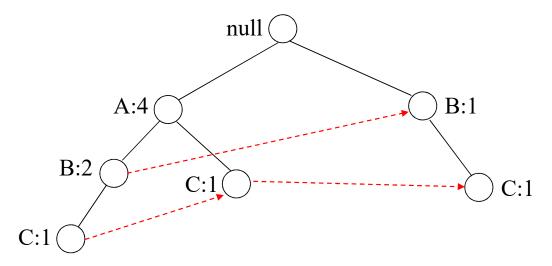
Item	Support Count
А	4
В	3
С	3

Conditional FP-tree for D



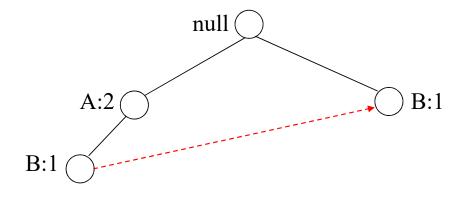
- Solve the subproblems of finding frequent itemsets ending in CD, BD, and AD using the conditional FP-tree for D.

#### **Prefix paths ending in CD**



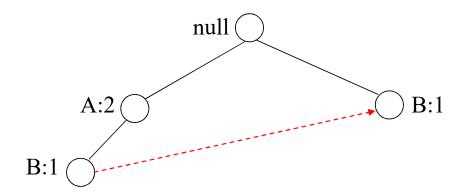
- Support count of CD = 3
- {C,D} is a frequent itemset.
- Construct the conditional FP-tree for CD

#### **Conditional FP-tree for CD**



- Solve the sub-subproblems of finding frequent itemsets ending in BCD and ACD using the conditional FP-tree for CD.

#### **Prefix paths ending in BCD**



- Support count of BCD = 2
- {B,C,D} is a frequent itemset.
- Construct the conditional FP-tree for BCD

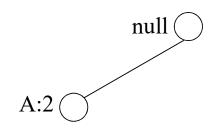
#### **Conditional FP-tree for BCD**

null (

Since the conditional FP-tree contains only null node, then the algorithm proceed to the next sub-subproblem ending in ACD.

- Once we are done with BCD, the algorithm moves on to the next sub-subproblem, which is to generate frequent itemsets ending in ACD.

#### Prefix paths ending in ACD

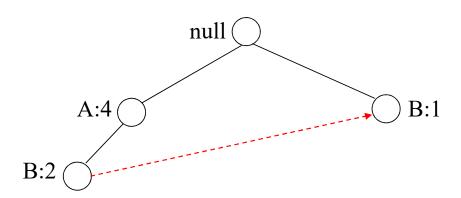


- Support count of ACD = 2
- {A,C,D} is a frequent itemset.

Done with finding frequent itemsets ending in CD!

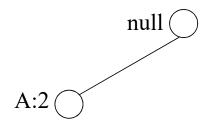
- Once we are done with CD, the algorithm moves on to the next subproblem, which is to generate frequent itemsets ending in BD.

#### Prefix paths ending in BD



- Support count of BD = 3
- {B,D} is a frequent itemset.
- Construct the conditional FP-tree for BD

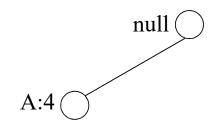
#### **Conditional FP-tree for BD**



Since the conditional FP-tree contains only one item, A, whose support count is equal to minimum support count, then the algorithm extracts the frequent itemset {A,B,D}.

- Once we are done with BD, the algorithm moves on to the next subproblem, which is to generate frequent itemsets ending in AD.

#### Prefix paths ending in AD



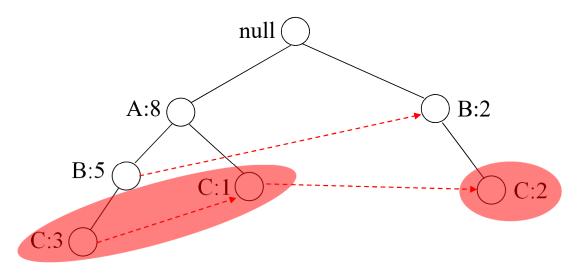
- Support count of AD = 4
- {A,D} is a frequent itemset.

Done with finding frequent itemsets ending in D!

Suffix	Support Count
E	{E}, {D,E}, {A,D,E}, {C,E}, {A,E}
D	{C}, {C,D}, {B,C,D}, {A,C,D}, {B,D}, {A,B,D}, {A,D}
С	
В	
А	

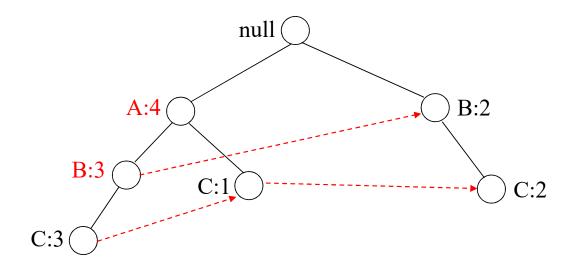
- Gather all the paths containing node C.
- Find support count for C by adding the support counts associate with node C from the prefix paths.

#### Prefix paths ending in C:

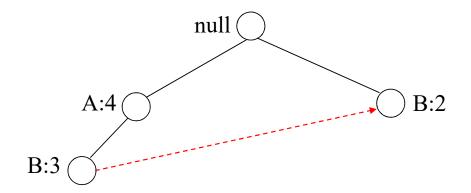


Support count of C = 6

- Itemset {C} is frequent, then convert the prefix paths ending in C into a **conditional FP-tree** in order to solve the subproblems of finding frequent itemsets ending in BC and AC.
  - 1) Update the support count along the prefix paths because some of the counts include transactions that do not contain item C.



- 2) Remove the nodes C from the prefix paths and calculate support count of each item.
- 3) Remove nodes of items whose support counts are less than minimum support count.



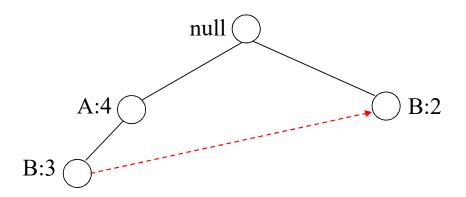
Item	Support Count
А	4
В	5

Conditional FP-tree for C



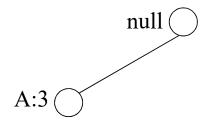
- Solve the subproblems of finding frequent itemsets ending in BC and AC using the conditional FP-tree for C.

#### **Prefix paths ending in BC**



- Support count of BC = 5
- {B,C} is a frequent itemset.
- Construct the conditional FP-tree for BC

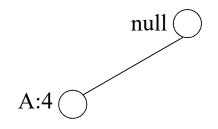
#### **Conditional FP-tree for BC**



Since the conditional FP-tree contains only one item, A, whose support count is greater than minimum support count, then the algorithm extracts the frequent itemset {A,B,C}.

- Once we are done with BC, the algorithm moves on to the next subproblem, which is to generate frequent itemsets ending in AC.

#### **Prefix paths ending in AC**



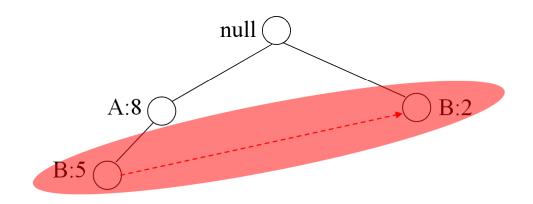
- Support count of AC = 4
- {A,C} is a frequent itemset.

Done with finding frequent itemsets ending in C!

Suffix	Support Count
E	{E}, {D,E}, {A,D,E}, {C,E}, {A,E}
D	{C}, {C,D}, {B,C,D}, {A,C,D}, {B,D}, {A,B,D}, {A,D}
С	{C}, {B,C}, {A,B,C}, {A,C}
В	
А	

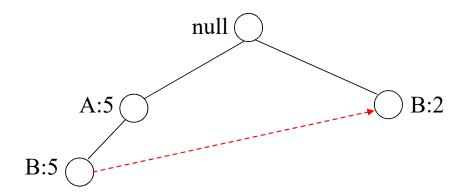
- Gather all the paths containing node B.
- Find support count for B by adding the support counts associate with node B from the prefix paths.

#### Prefix paths ending in B:



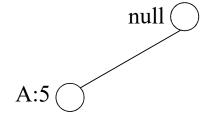
Support count of B = 7

- Itemset {B} is frequent, then convert the prefix paths ending in B into a **conditional FP-tree** in order to solve the subproblems of finding frequent itemsets ending in AB.
  - 1) Update the support count along the prefix paths because some of the counts include transactions that do not contain item B.



- 2) Remove the nodes B from the prefix paths and calculate support count of each item.
- 3) Remove nodes of items whose support counts are less than minimum support count.





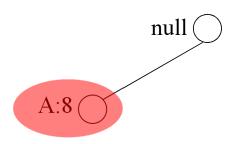
Item	Support Count
Α	5

Since the conditional FP-tree contains only one item, A, whose support count is greater than minimum support count, then the algorithm extracts the frequent itemset {A,B}.

Suffix	Support Count
Е	{E}, {D,E}, {A,D,E}, {C,E}, {A,E}
D	{C}, {C,D}, {B,C,D}, {A,C,D}, {B,D}, {A,B,D}, {A,D}
С	{C}, {B,C}, {A,B,C}, {A,C}
В	{B}, {A,B}
А	

- Gather all the paths containing node A.
- Find support count for A by adding the support counts associate with node A from the prefix paths.

#### Prefix paths ending in A:



Support count of A = 8

Since the prefix paths ending in A, whose support count is greater than minimum support count, then the algorithm extracts the frequent itemset {A}.

Suffix	Support Count
Е	{E}, {D,E}, {A,D,E}, {C,E}, {A,E}
D	{D}, {C,D}, {B,C,D}, {A,C,D}, {B,D}, {A,B,D}, {A,D}
С	{C}, {B,C}, {A,B,C}, {A,C}
В	{B}, {A,B}
Α	{A}