

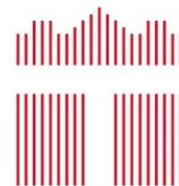
# *Applied Deep Learning*



## **Beyond Supervised Learning**



May 23rd, 2022 <http://adl.miulab.tw>



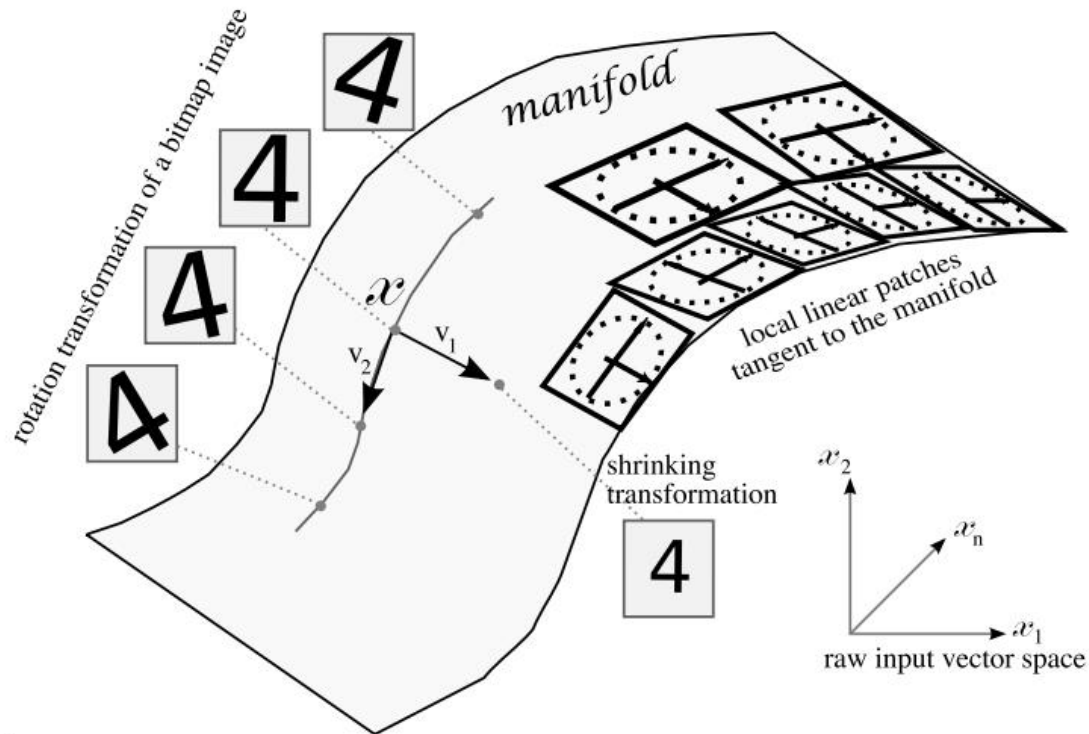
**National  
Taiwan  
University**  
國立臺灣大學

- ⦿ Big data  $\neq$  Big annotated data
- ⦿ Machine learning techniques include:
  - Supervised learning (if we have labelled data)
  - Reinforcement learning (if we have an environment for reward)
  - Unsupervised learning (if we do not have labelled data)

Why does unlabeled and unrelated data help the tasks?

Finding latent factors that control the observations

# Latent Factors for Handwritten Digits



# Latent Factors for Documents

## Topics

gene	0.04
dna	0.02
genetic	0.01
...	

life	0.02
evolve	0.01
organism	0.01
...	

brain	0.04
neuron	0.02
nerve	0.01
...	

data	0.02
number	0.02
computer	0.01
...	

## Documents

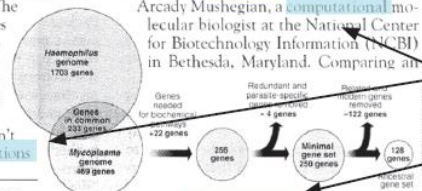
### Seeking Life's Bare (Genetic) Necessities

COLD SPRING HARBOR, NEW YORK—How many **genes** does an **organism** need to **survive**? Last week at the genome meeting here,\* two genome researchers with radically different approaches presented complementary views of the basic genes needed for **life**. One research team, using **computer** analyses to compare known **genomes**, concluded that today's **organisms** can be sustained with just 250 genes, and that the earliest life forms required a mere 128 **genes**. The other researcher mapped genes in a simple parasite and estimated that for this organism, 800 genes are plenty to do the job—but that anything short of 100 wouldn't be enough.

Although the numbers don't match precisely, those **predictions**

"are not all that far apart," especially in comparison to the 75,000 **genes** in the human genome, notes Siv Andersson at Uppsala University in Sweden, who arrived at the 800 number. But coming up with a consensus answer may be more than just a **genetic numbers game**, particularly if more and more **genomes** are completely mapped and sequenced. "It may be a way of organizing any newly **sequenced genome**," explains

Arcady Mushegian, a **computational** molecular biologist at the National Center for Biotechnology Information (NCBI) in Bethesda, Maryland. Comparing an



\* Genome Mapping and Sequencing, Cold Spring Harbor, New York, May 8 to 12.

Stripping down. **Computer analysis** yields an estimate of the minimum modern and ancient genomes.

SCIENCE • VOL. 272 • 24 MAY 1996











## Topic proportions and assignments



# Latent Factors for Recommendation System

單純呆

傲嬌

A	 	 	 	 
B				
C		 		

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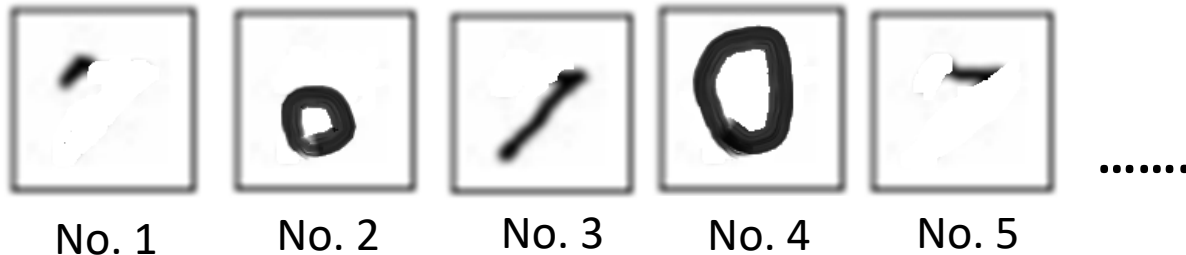
# Latent Factor Exploitation

## Handwritten digits



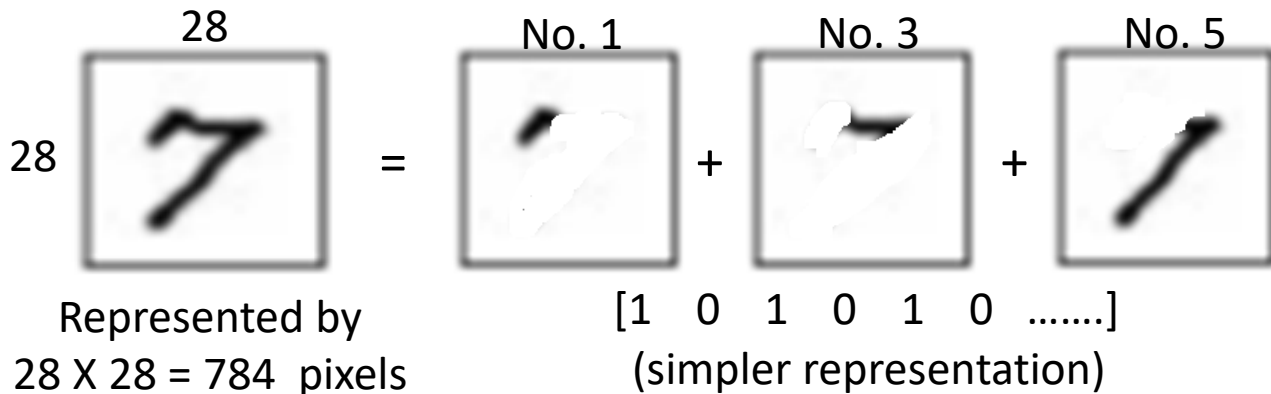
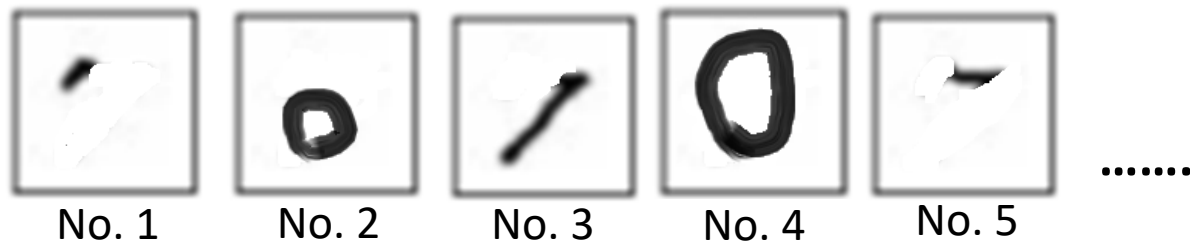
The handwritten images are composed of **strokes**

### Strokes (Latent Factors)



# 7 Latent Factor Exploitation

## Strokes (Latent Factors)



## Discriminative v.s. Generative

- ⦿ **Discriminative**: calculate the probability of output given input  $P(Y|X)$
- ⦿ **Generative**: calculate the probability of a variable  $P(X)$ , or multiple variables  $P(X, Y)$



# Variable Types

## Observed vs. Latent:

- Observed: something we can see from our data, e.g.  $X$  or  $Y$
- Latent: a variable that we assume exists without a given value

## Deterministic vs. Random:

- Deterministic: variables calculated directly via deterministic functions
- Random (stochastic): variables obeying a probability distribution

## A latent variable model is a probability distribution over two sets of variables

$$p(\mathbf{x}, \mathbf{z}; \theta)$$

Observed Latent

# Latent Variable Types

$$p(x, z; \theta)$$

Latent

- ⊙ Latent continuous vector
  - Auto-encoder
  - Variational auto-encoder
- ⊙ Latent discrete vector
  - Topic model
- ⊙ Latent structure
  - HMM
  - Tree-structured model

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# Auto-Encoder

Representation Learning

# Auto-Encoder

- An observed output  $x$
- A latent variable  $z$
- A function (network)  $f$  parameterized by  $\theta$  maps from  $z$  to  $x$

$$\underset{\text{Observed}}{x} = f(\underset{\text{Latent}}{z}; \theta)$$

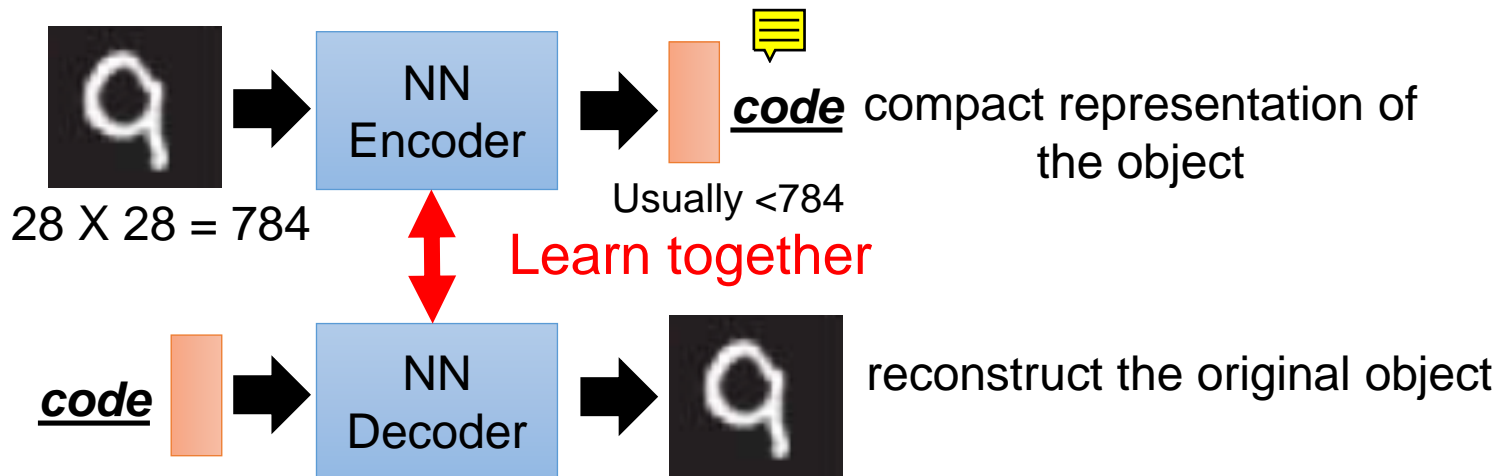
Idea: represent the output in a more compact way (latent codes)

# Auto-Encoder

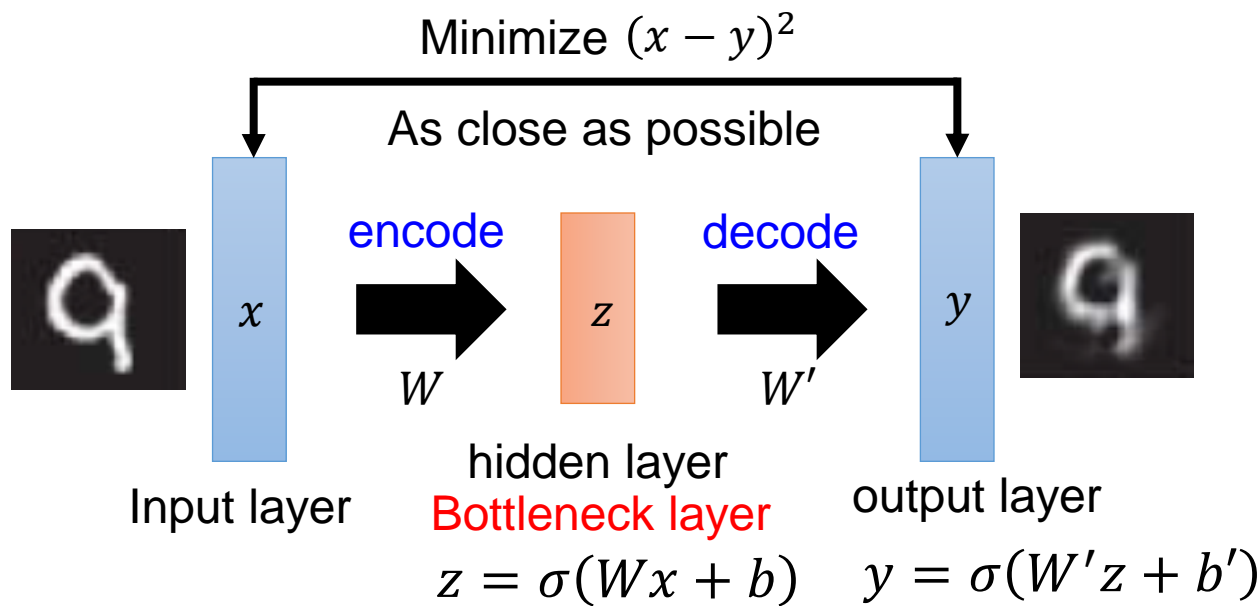


- Represent a digit using 28 X 28 dimensions
- Not all 28 X 28 images are digits

Idea: represent the images of digits in a more compact way



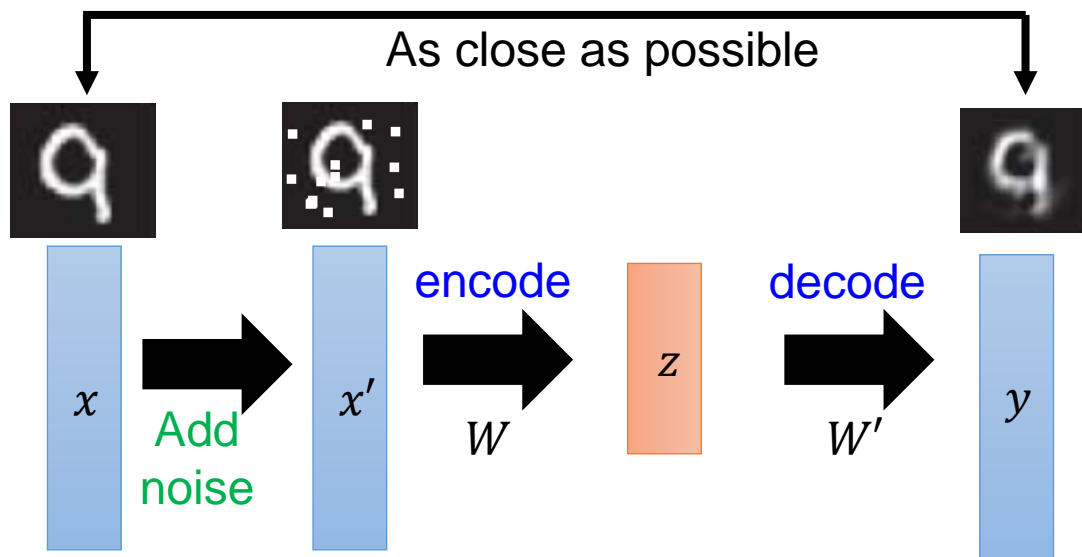
# Auto-Encoder



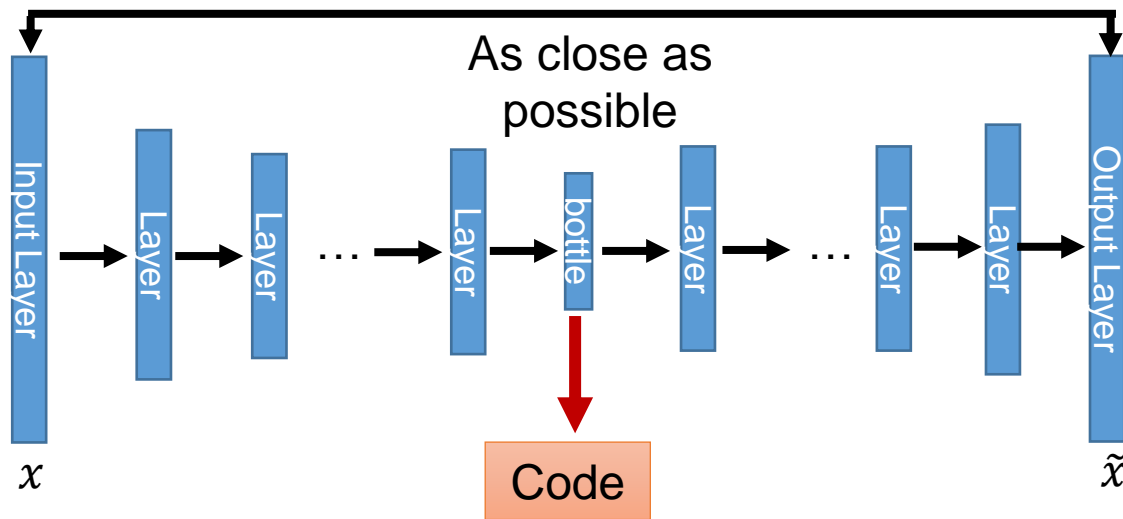
Output of the hidden layer is the code

# Denoising Auto-Encoder

- Improve robustness of a latent variable

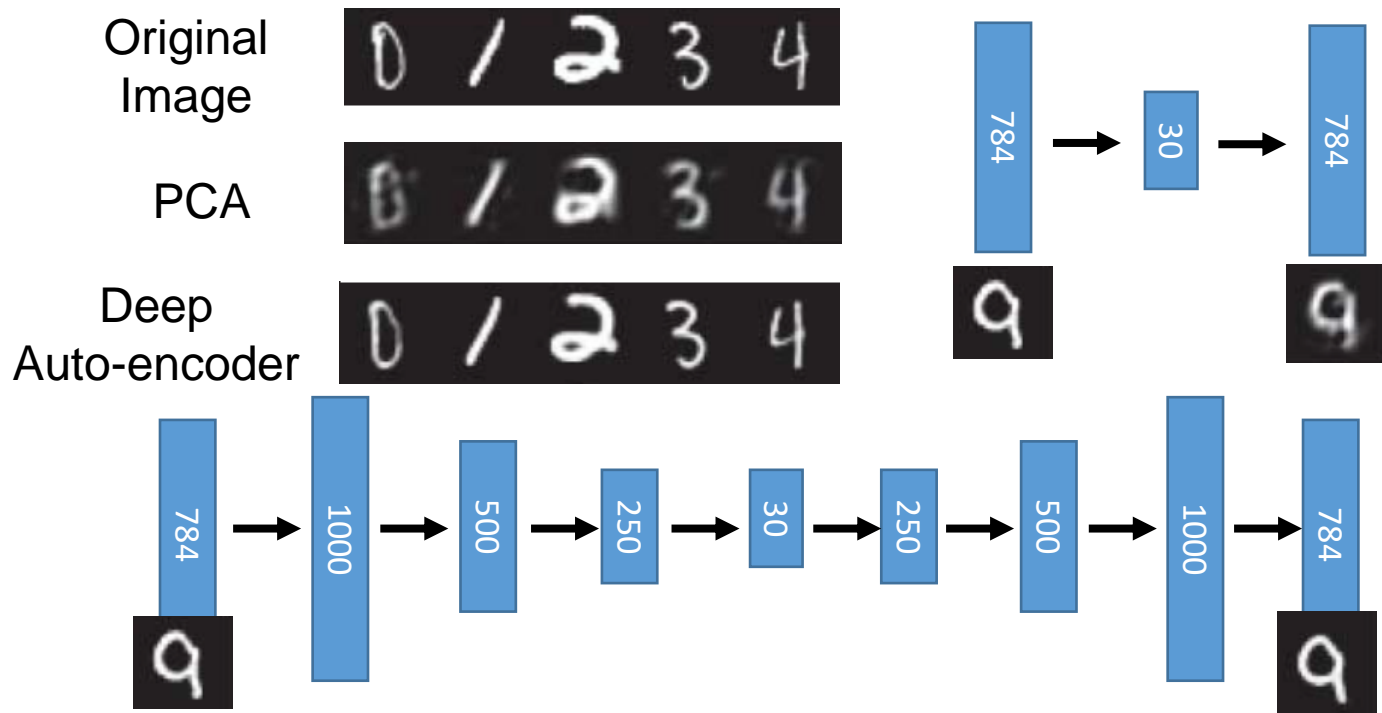


# Deep Auto-Encoder

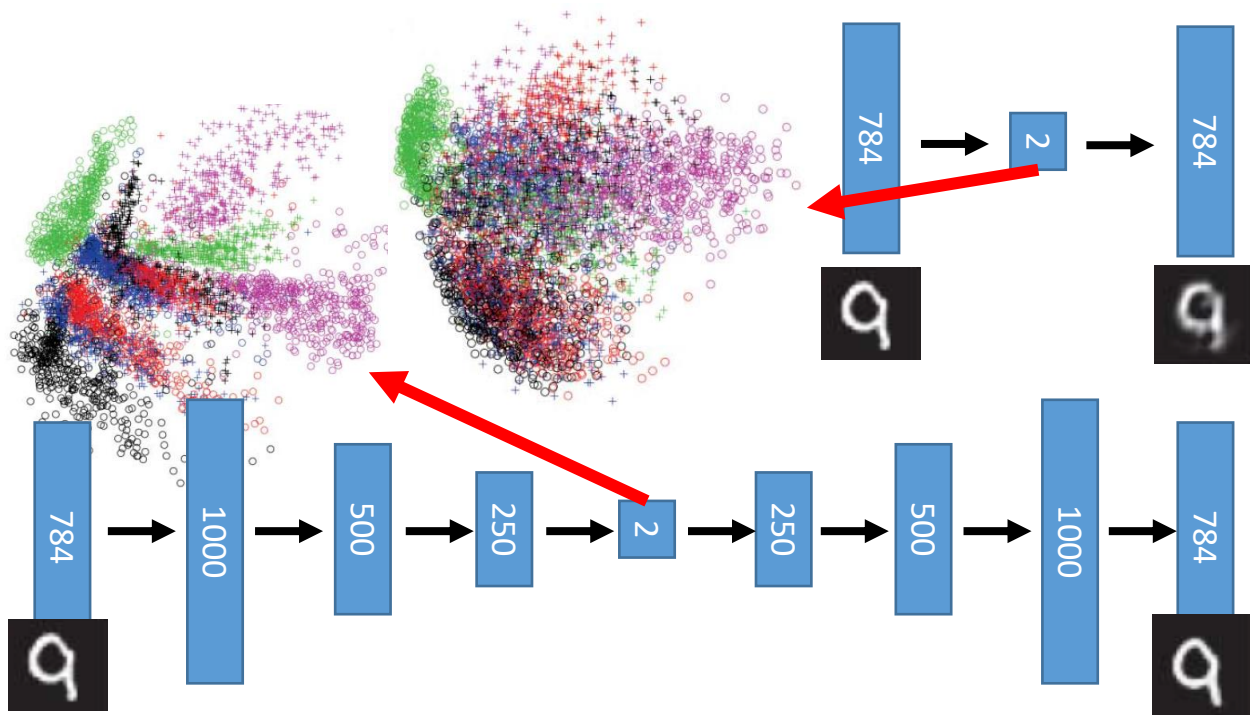




# Deep Auto-Encoder



# Feature Representation

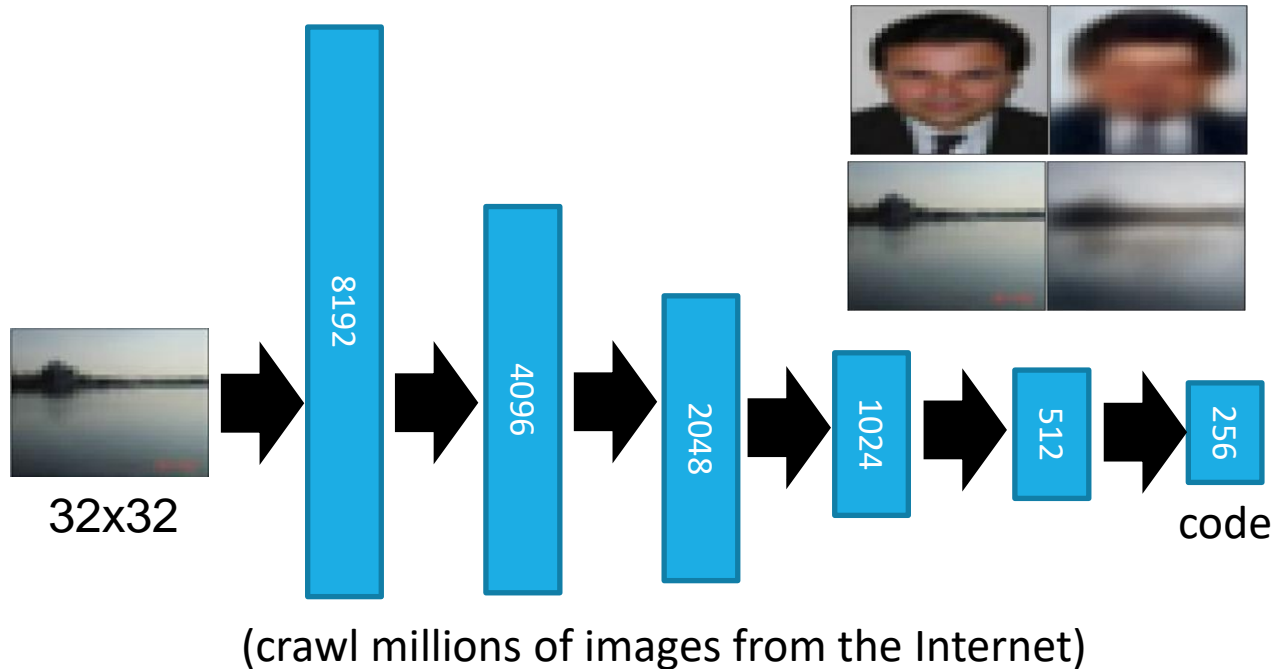


# Auto-Encoder – Similar Image Retrieval

- Retrieved using Euclidean distance in pixel intensity space

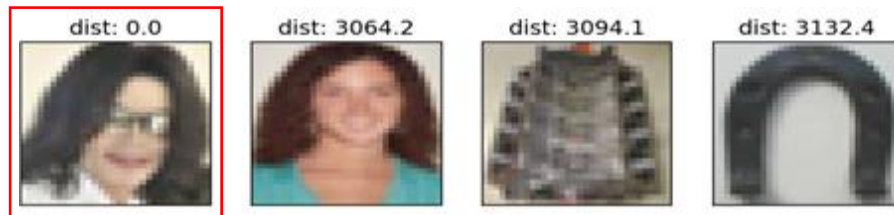


# Auto-Encoder – Similar Image Retrieval

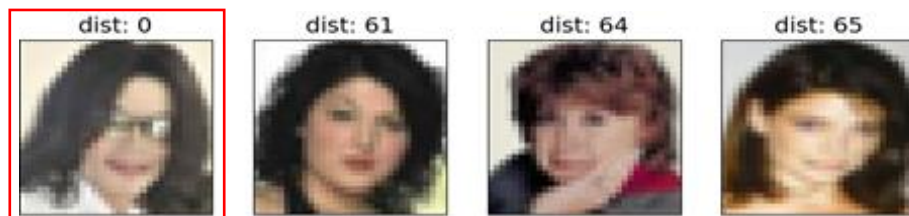


# Auto-Encoder – Similar Image Retrieval

- Images retrieved using Euclidean distance in pixel intensity space



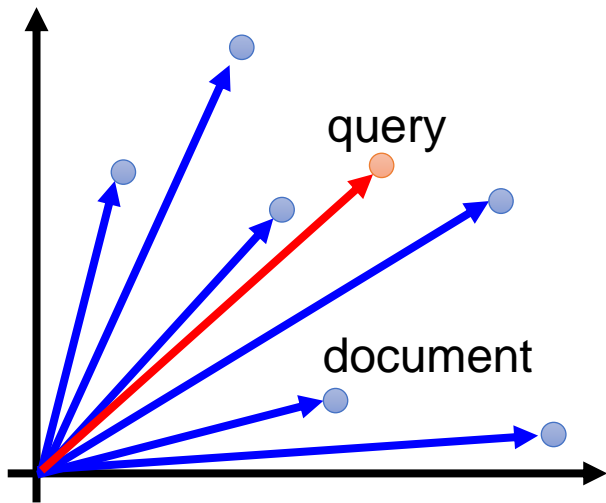
- Images retrieved using 256 codes



Learning the useful latent factors

# Auto-Encoder – Text Retrieval

## Vector Space Model

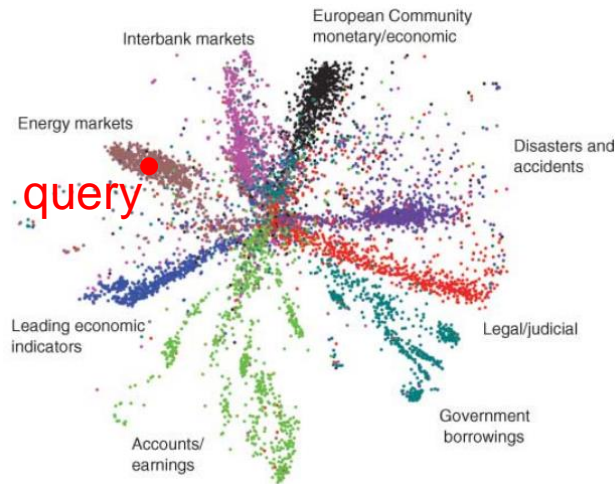
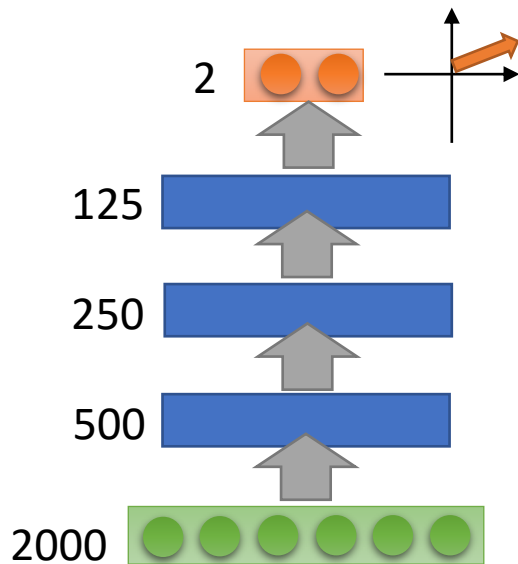


## Bag-of-words word string: "This is an apple"

this	●	1
is	●	1
a	●	0
an	●	1
apple	●	1
pen	●	0
⋮	⋮	

Semantics are not considered

# Auto-Encoder – Text Retrieval



The documents talking about the same thing will have close code

# Denoising Auto-Encoding

Objective: reconstructing  $\bar{x}$  from  $\hat{x}$

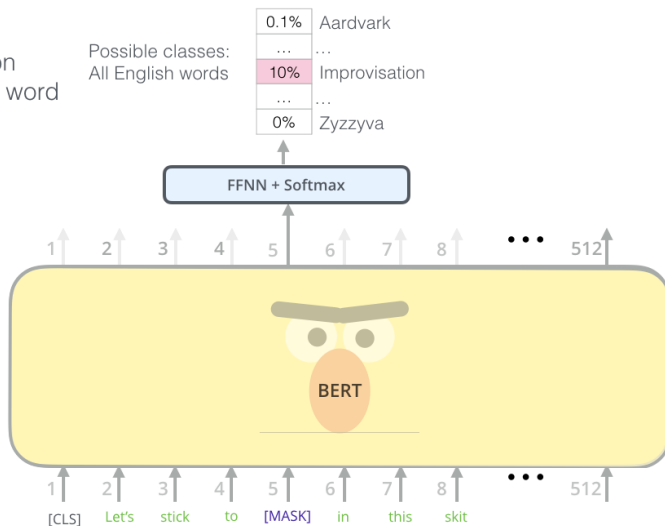
$$\max_{\theta} \log p_{\theta}(\bar{x} \mid \hat{x}) \approx \sum_{t=1}^T m_t \log p_{\theta}(x_t \mid \hat{x}) = \sum_{t=1}^T m_t \log \frac{\exp(H_{\theta}(\hat{x})_t^{\top} e(x_t))}{\sum_{x'} \exp(H_{\theta}(\hat{x})_t^{\top} e(x'))}$$

dimension reduction or denoising (masked LM)

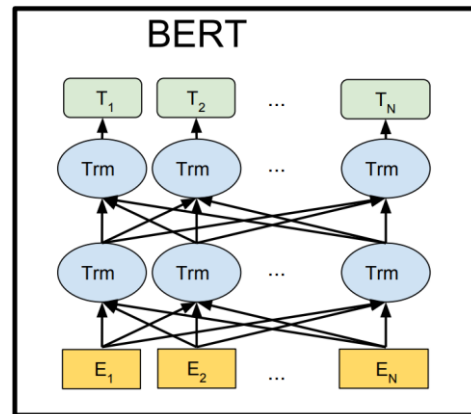
Use the output of the masked word's position to predict the masked word

Possible classes:  
All English words

0.1%	Aardvark
...	...
10%	Improvisation
...	...
0%	Zyzyva

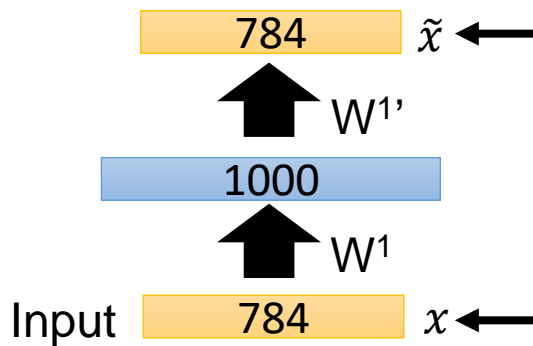
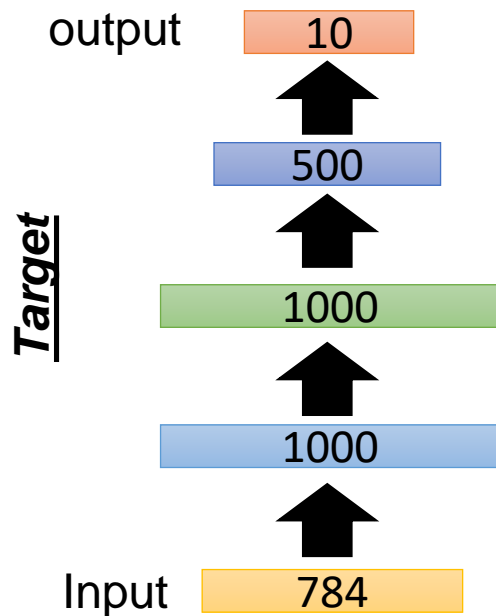


Randomly mask  
15% of tokens

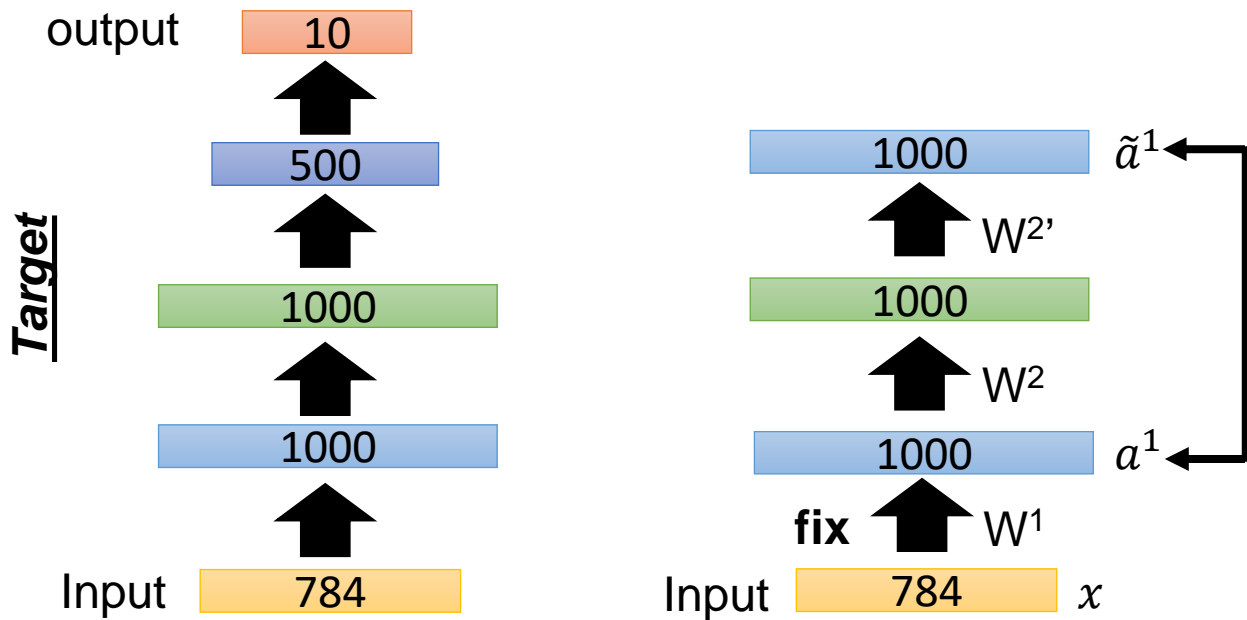




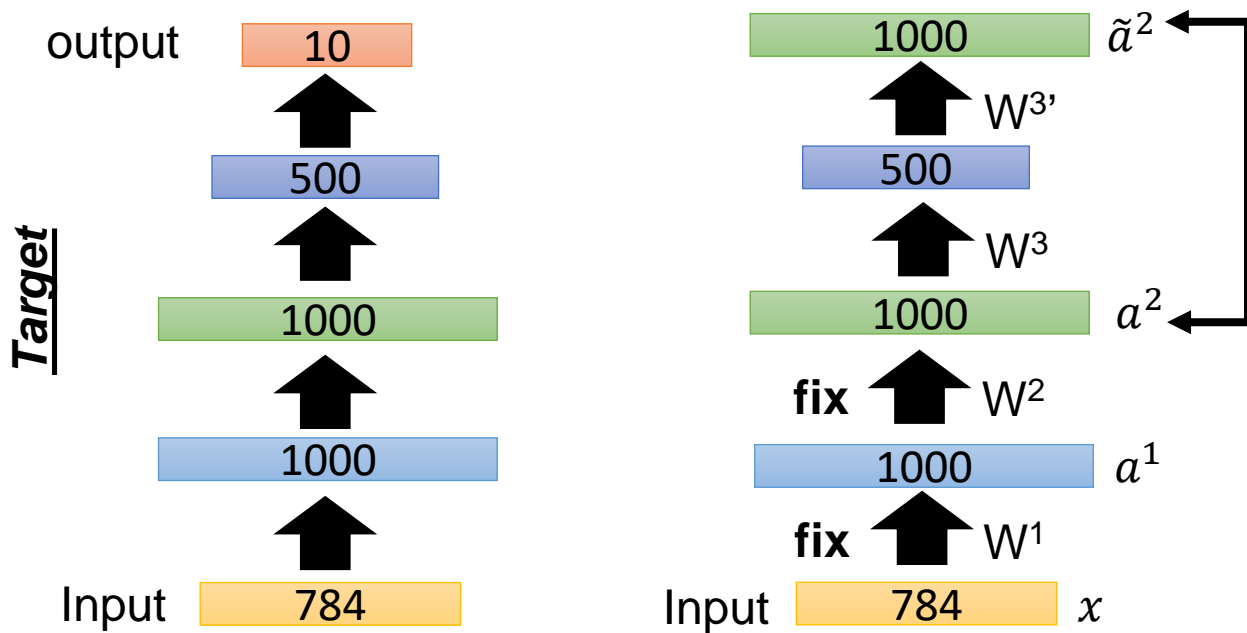
# Auto-Encoder Layer-Wise Pre-Training



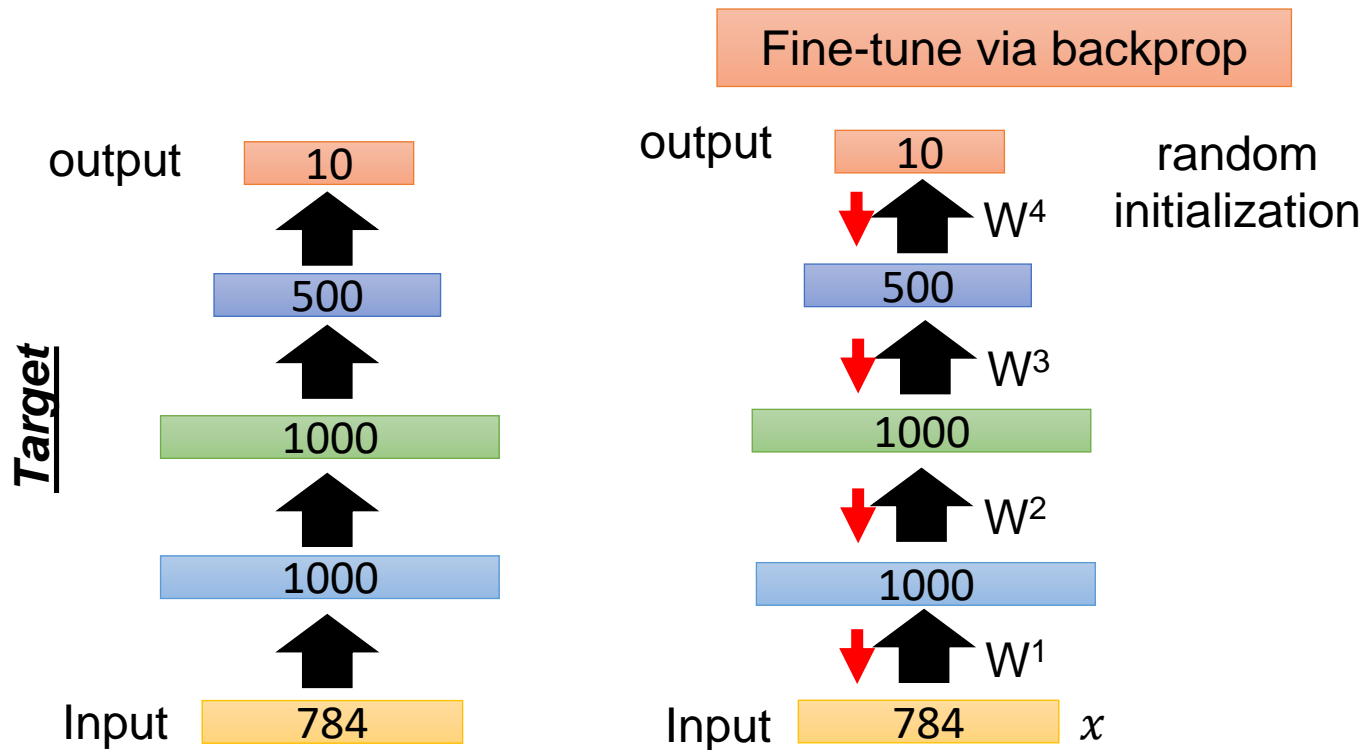
# Auto-Encoder Layer-Wise Pre-Training



# Auto-Encoder Layer-Wise Pre-Training

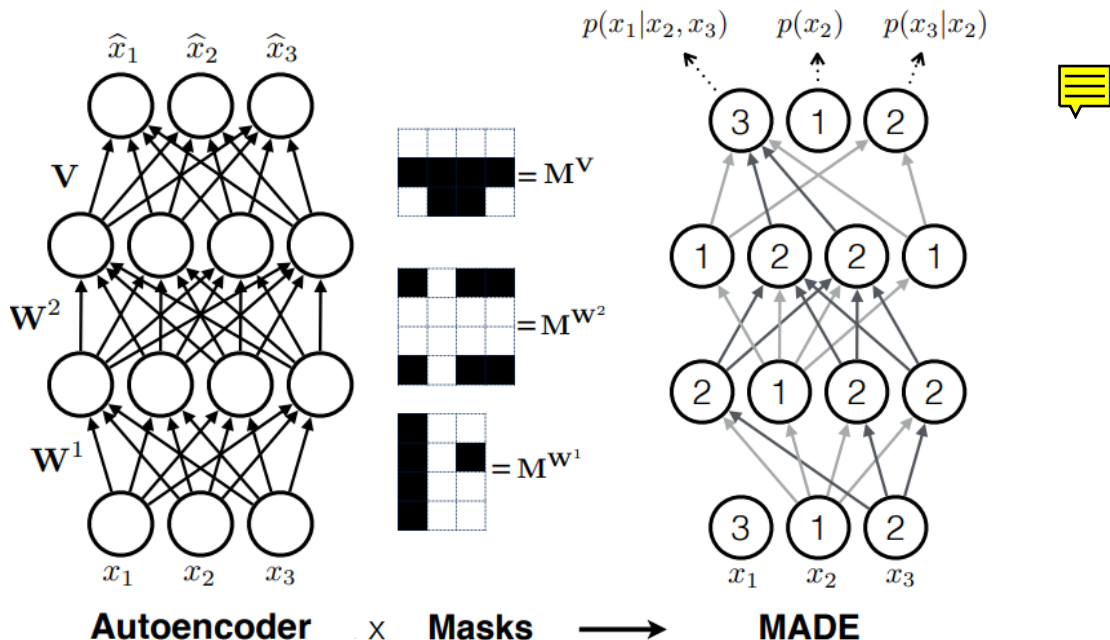


# Auto-Encoder Layer-Wise Pre-Training



# Masked Auto-Encoder (Germain et al., 2015)

- MADE: masked auto-encoder for distribution estimation
  - Reconstruction in a given ordering

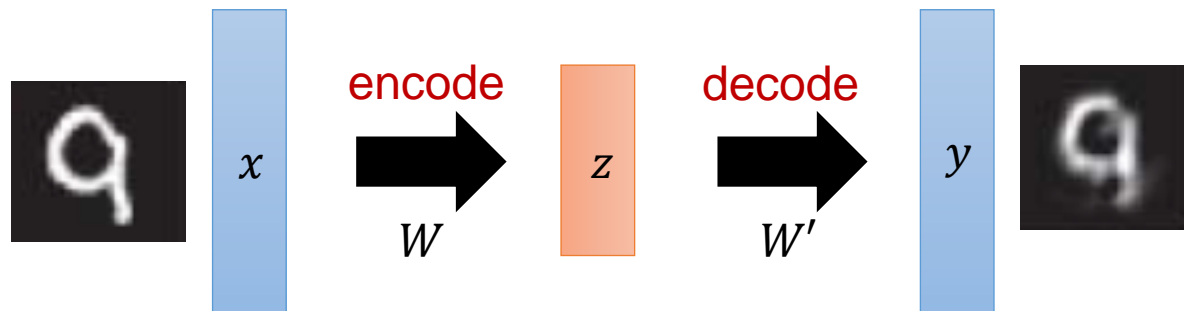


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# Variational Auto-Encoder

Representation Learning and Generation

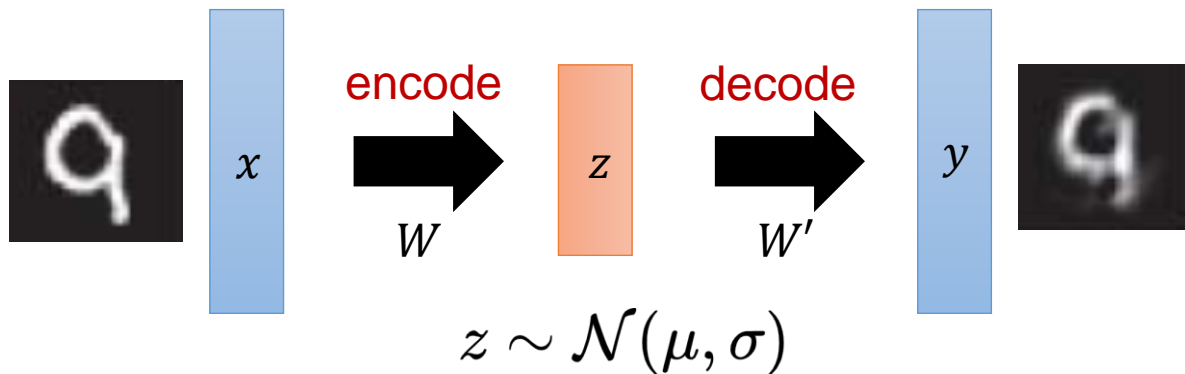
# Generation from Latent Codes



How can we set a latent code for generation?

# Latent Code Distribution Constraints

- ⦿ Constrain the **data distribution** for learned latent codes
- ⦿ Generate the latent code via a prior distribution

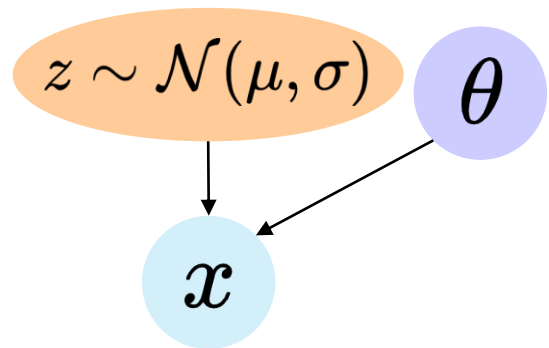




# Variational Auto-Encoder

- ⦿ An observed output  $x$
- ⦿ A latent variable  $z$  **generated from a Gaussian**
- ⦿ A function (network)  $f$  parameterized by  $\theta$  maps from  $z$  to  $x$

$$\underset{\text{Observed}}{x} = f(\underset{\text{Latent}}{z}; \theta)$$

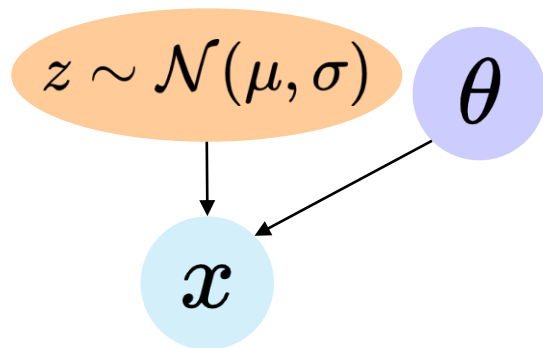


Idea: the compact representations follow a distribution

# Variational Auto-Encoder

$$\underset{\text{Observed}}{x} = f(\underset{\text{Latent}}{z}; \theta)$$

- For each datapoint  $i$ 
  - Draw latent variables  $z_i \sim p(z)$
  - Draw a datapoint  $x_i \sim p_\theta(x | z)$



- Joint probability distribution over data and latent variables

$$p(x, z) = \underset{\text{prior}}{p(z)} \underset{\text{posterior}}{p_\theta(x | z)}$$

- Learning objective: maximize the corpus log likelihood

$$\log P(\mathcal{X}) = \sum_{x \in \mathcal{X}} \log P(x; \theta)$$

# Variational Auto-Encoder

- ⊙ The marginal likelihood of a single datapoint  $x$

$$P(x; \theta) = \int P(x \mid z; \theta) P(z) dz$$

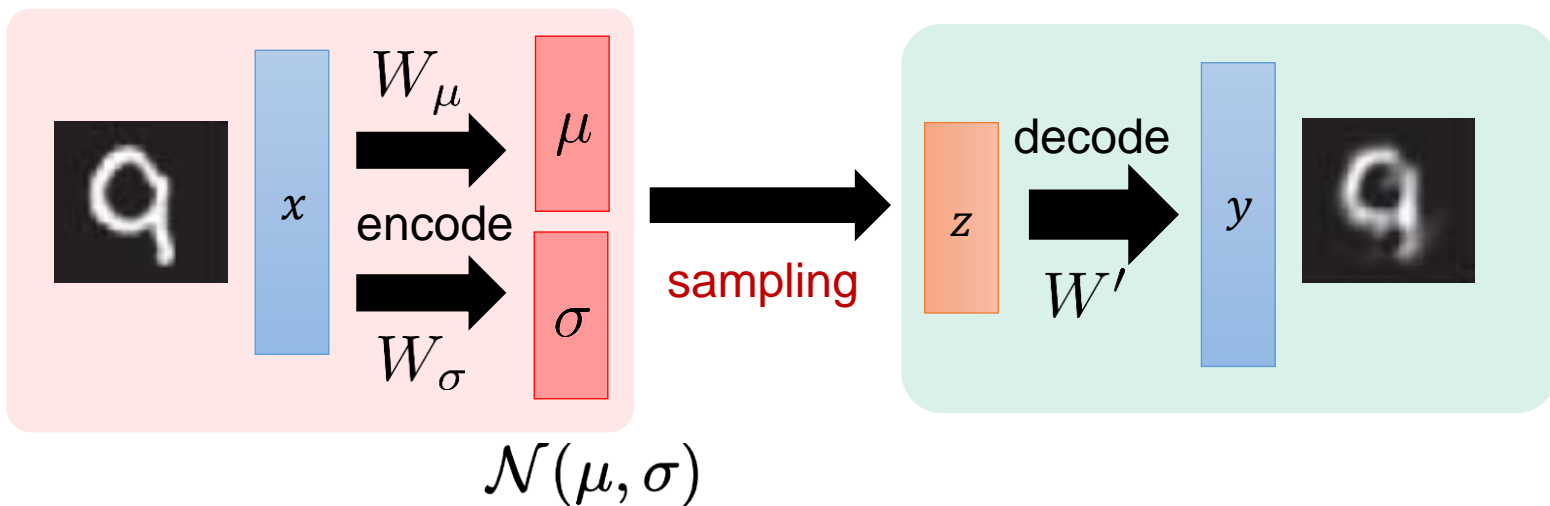
- ⊙ Approximation by sampling  $z$

$$P(x; \theta) \approx \sum_{z \sim P(z)} P(x \mid z; \theta)$$

# Variational Auto-Encoder

## Two tasks

- Learn to generate data from the latent code:  $p_{\theta}(x | z)$
- Learn the distribution of latent factors:  $p_{\theta}(z | x)$



# Variational Auto-Encoder

## Two tasks

- Learn to generate data from the latent code:  $p_{\theta}(x | z)$
- Learn the distribution of latent factors:  $p_{\theta}(z | x)$

$$p_{\theta}(z | x) = \frac{p_{\theta}(x | z)p(z)}{p(x)} = \int p(z)p_{\theta}(x | z)dz \quad \text{intractable}$$

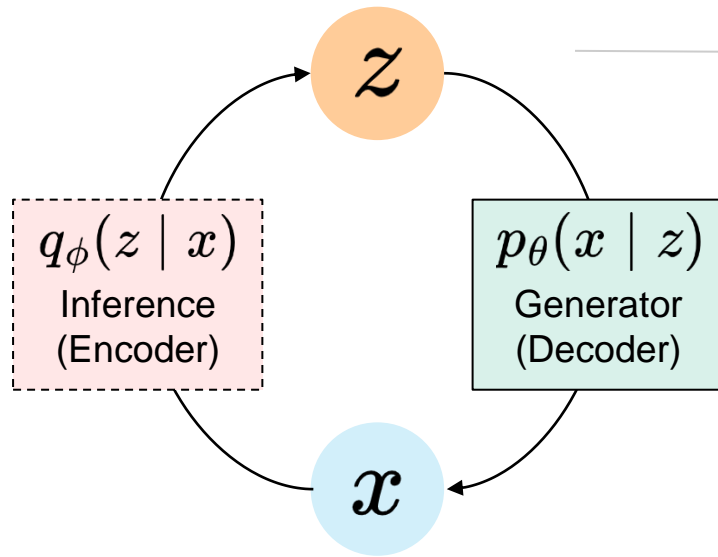
- Variational inference** approximates the true posterior  $p_{\theta}(z | x)$  with a family of distributions  $q_{\phi}(z | x)$

$$\text{minimize } \text{KL}(q_{\phi}(z | x) \parallel p_{\theta}(z | x))$$

# Variational Auto-Encoder

## Two tasks

- Generator (Decoder):  $p_{\theta}(x | z)$
- Inference (Encoder):  $q_{\phi}(z | x)$

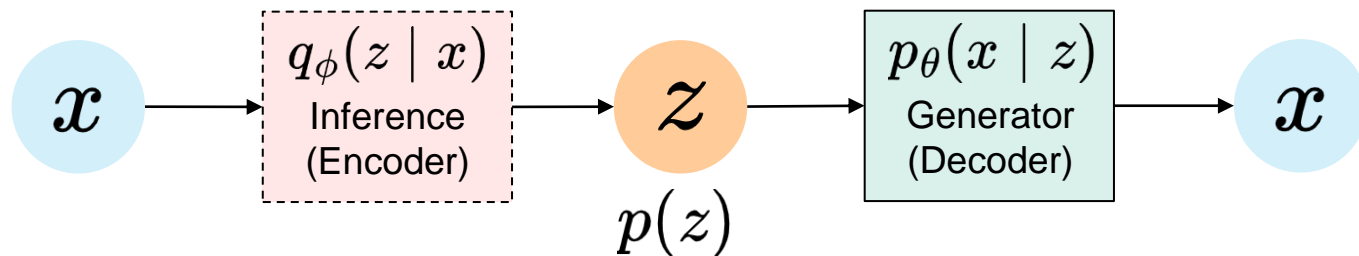


$$\underbrace{\mathbb{E}_{z \sim q_{\phi}(z|x)} [\log p_{\theta}(x | z)]}_{\text{reconstruction loss}} - \underbrace{D_{\text{KL}}(q_{\phi}(z | x) \parallel p(z))}_{\text{KL regularizer}}$$

Regularized Auto-Encoder

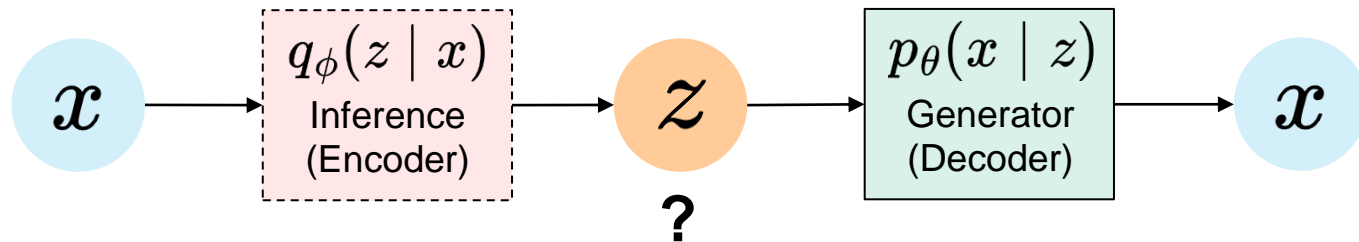
# Variational Auto-Encoder

## VAE



$$\mathbb{E}_{z \sim q_\phi(z|x)} [\log p_\theta(x | z)] - D_{\text{KL}}(q_\phi(z | x) \parallel p(z))$$

## AE



AE is not generative model: (1) Can't sample new data from AE  
(2) Can't compute the log likelihood of data  $x$

# Image Reconstruction

AE



VAE





# Text Reconstruction

## ⊙ AE: standard encoder-decoder

embedding interpolation

---

**i went to the store to buy some groceries .**  
*i store to buy some groceries .*  
*i were to buy any groceries .*  
*horses are to buy any groceries .*  
*horses are to buy any animal .*  
*horses the favorite any animal .*  
*horses the favorite favorite animal .*  
**horses are my favorite animal .**

---

## ⊙ VAE

embedding interpolation

---

**“ i want to talk to you . ”**  
*“i want to be with you . ”*  
*“i do n’t want to be with you . ”*  
*i do n’t want to be with you .*  
**she did n’t want to be with him .**

---

**he was silent for a long moment .**  
*he was silent for a moment .*  
*it was quiet for a moment .*  
*it was dark and cold .*  
*there was a pause .*  
**it was my turn .**

---

# VAE Training Tips

## Posterior collapse issue

- KL divergence is easier to learn, so model learning relies solely on decoder and ignore latent variable

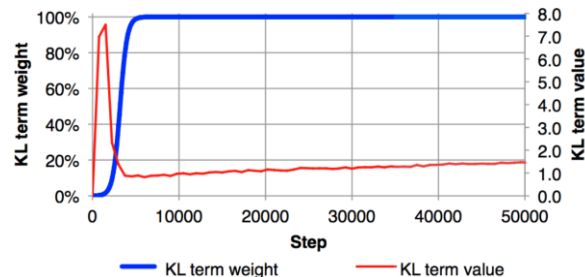
$$\mathbb{E}_{z \sim q_{\phi}(z|x)} [\log p_{\theta}(x | z)] - D_{\text{KL}}(q_{\phi}(z | x) || p(z))$$

requires good generative model

set the mean/variance of q to be the same as p

## Solutions

- KL divergence annealing: an increasing constant to weight KL term
- KL thresholding  $\sum_i \max[\lambda, D_{\text{KL}}(q_{\phi}(z_i|x)||p(z_i))]$



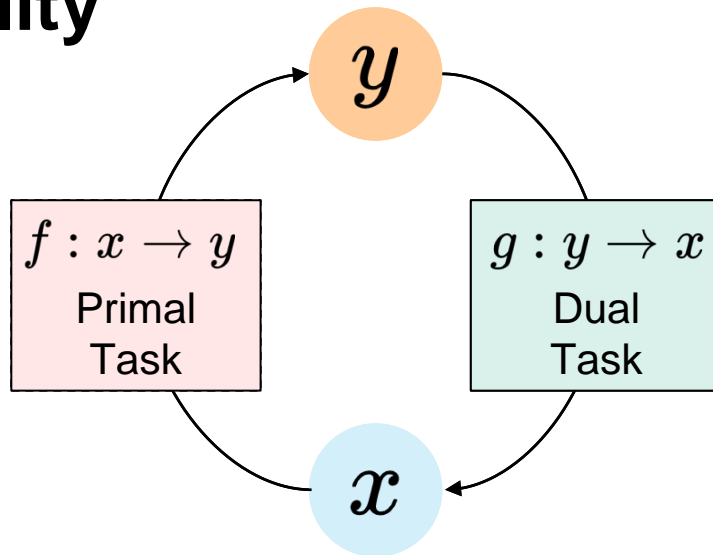
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# Dual Learning

Learning Two Tasks via Duality

Slides credited from ACML 2018 Tutorial

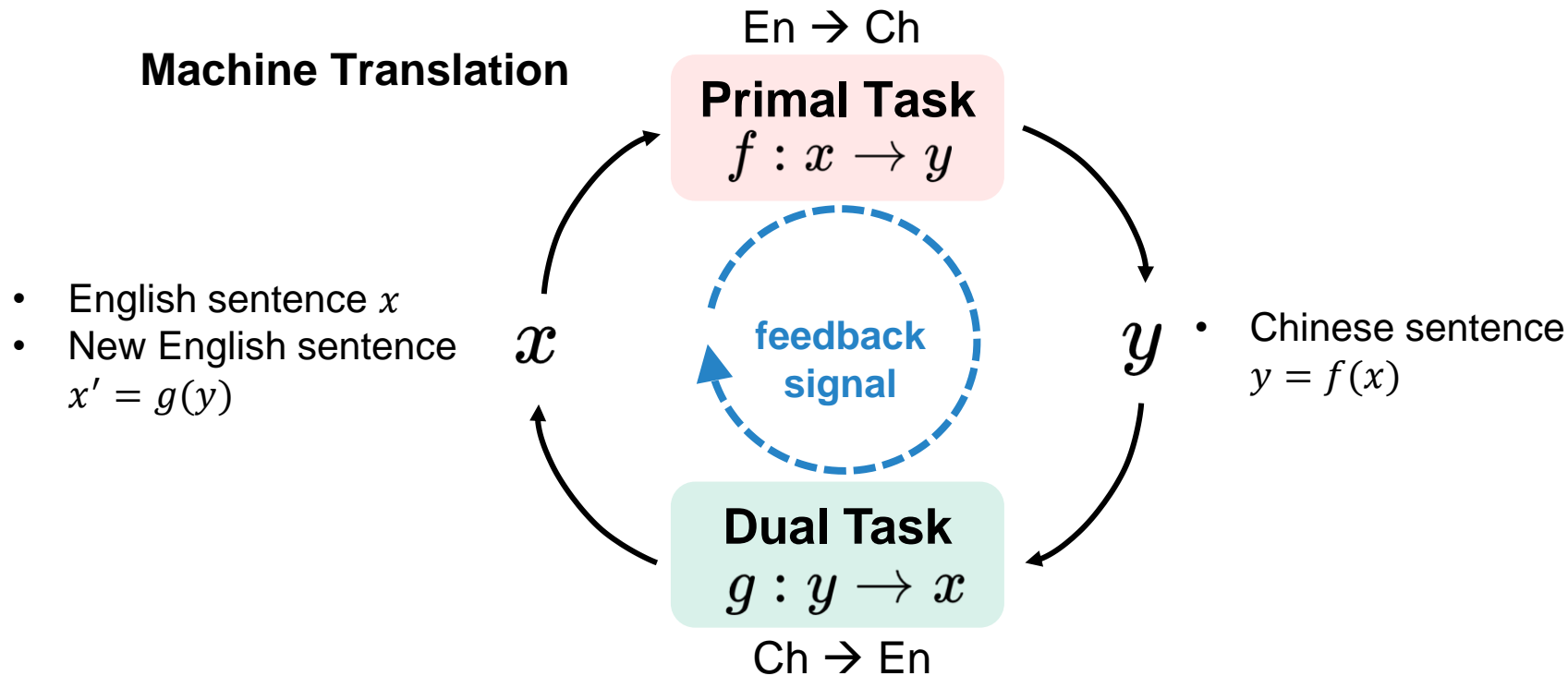
# Task Duality



AI Tasks	$f: x \rightarrow y$	$g: y \rightarrow x$
Machine translation	EN $\rightarrow$ CH	CH $\rightarrow$ EN
Speech processing	ASR	TTS
Image understanding	captioning	Image generation
Language understanding	Language understanding	Language generation
Question answering	QA	Question generation

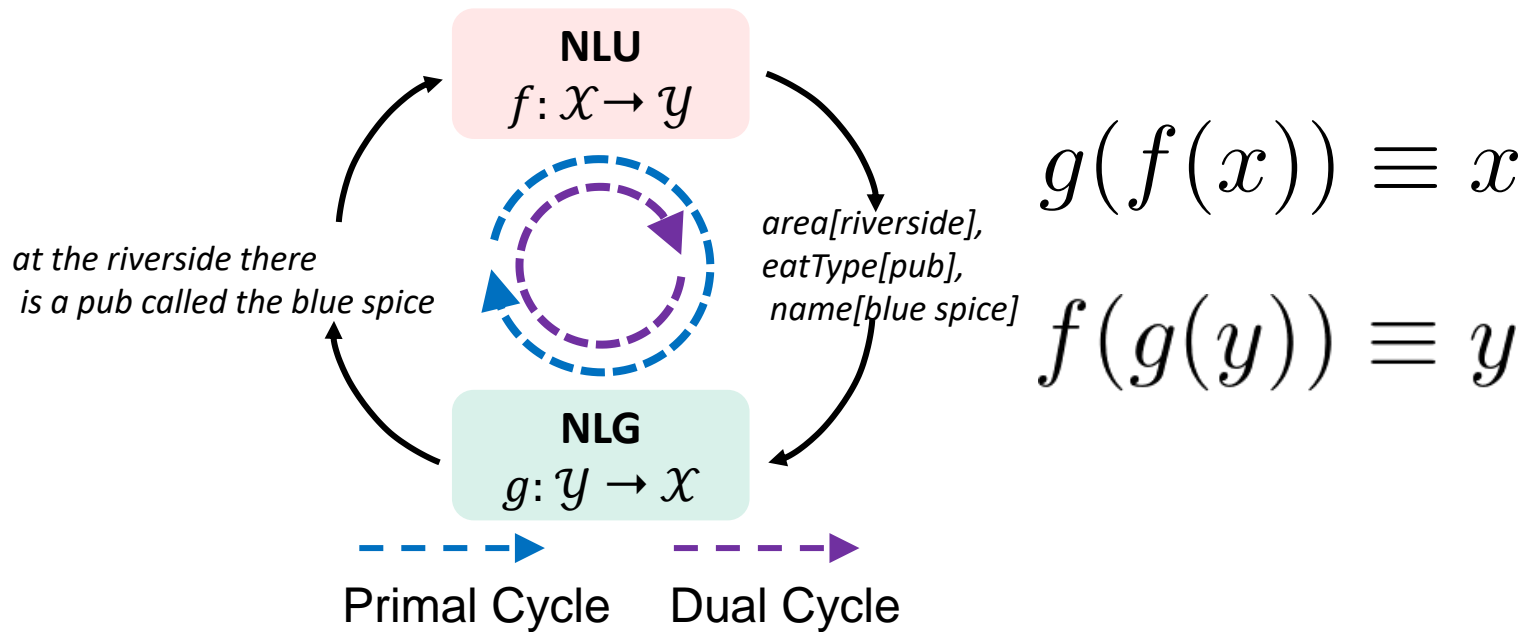
# 45 Dual Unsupervised Learning

- ⊙ Idea: improve tasks by leveraging feedback signal via RL etc.



# Joint Dual Learning

- ⊙ Idea: perfectly *reconstructing* the input via two models



# 47 Joint Dual Learning Objective

## Explicit

- Reconstruction Likelihood

$$\begin{cases} \log p(x \mid f(x_i; \theta_{x \rightarrow y}); \theta_{y \rightarrow x}) & \text{Primal} \\ \log p(y \mid g(y_i; \theta_{y \rightarrow x}); \theta_{x \rightarrow y}) & \text{Dual} \end{cases}$$

- Automatic Evaluation Score

- BLEU and ROUGE for language (NLG)
- F-score for semantic (NLU)

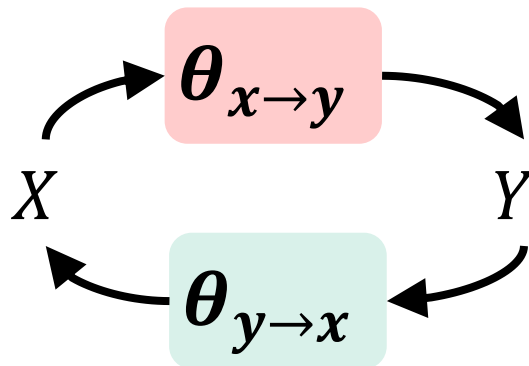
## Implicit

- Model-based methods estimating data distribution

- Language modeling (LM) for language
- Masked autoencoder (MADE) for semantics

# Dual Supervised Learning (Xia et al., 2017)

- Proposed for machine translation
- Consider two domains  $X$  and  $Y$ , and two tasks  $X \rightarrow Y$  and  $Y \rightarrow X$



We have  $P(x, y) = P(x | y)P(y) = P(y | x)P(x)$

Ideally  $P(x, y) = P(x | y; \theta_{y \rightarrow x})P(y) = P(y | x; \theta_{x \rightarrow y})P(x)$



# Dual Supervised Learning

- Exploit the duality by forcing models to follow the probabilistic constraint  $P(x | y; \theta_{y \rightarrow x})P(y) = P(y | x; \theta_{x \rightarrow y})P(x)$

Objective function

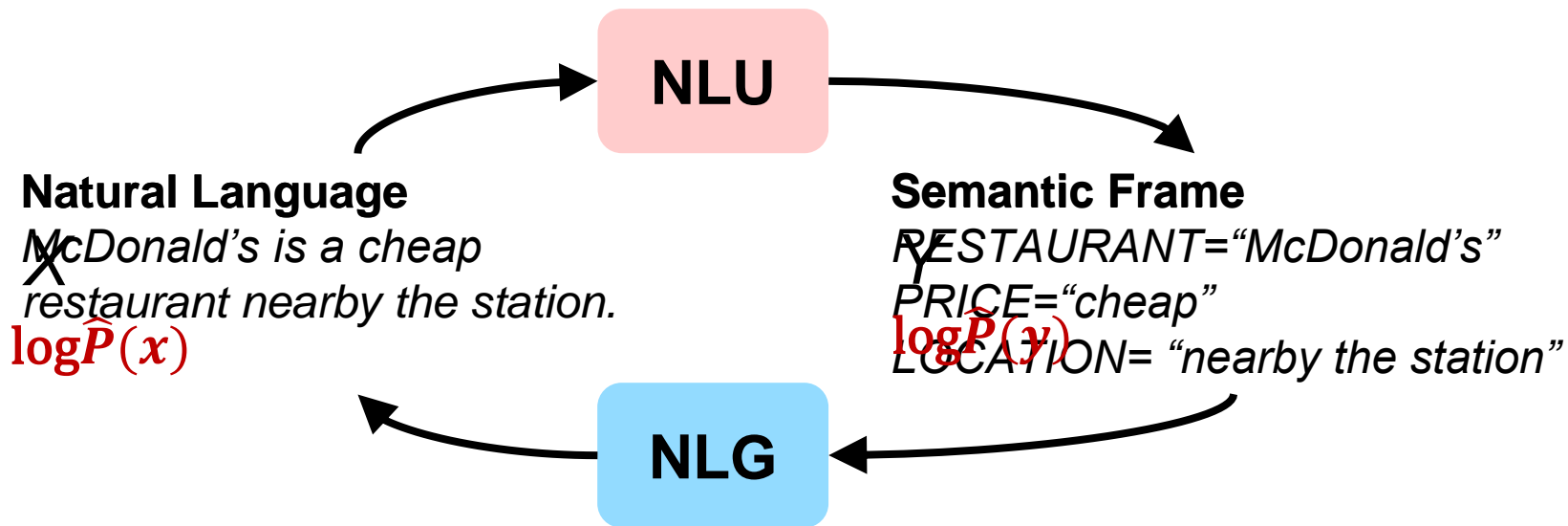
$$\begin{cases} \min_{\theta_{x \rightarrow y}} \mathbb{E}[l_1(f(x; \theta_{x \rightarrow y}), y)] + \lambda_{x \rightarrow y} l_{duality} \\ \min_{\theta_{y \rightarrow x}} \mathbb{E}[l_2(g(y; \theta_{y \rightarrow x}), x)] + \lambda_{y \rightarrow x} l_{duality} \end{cases}$$

$$l_{duality} = (\log \hat{P}(x) + \log P(y | x; \theta_{x \rightarrow y}) - \log \hat{P}(y) - \log P(x | y; \theta_{y \rightarrow x}))^2$$

How to model the marginal distributions of  $X$  and  $Y$ ?

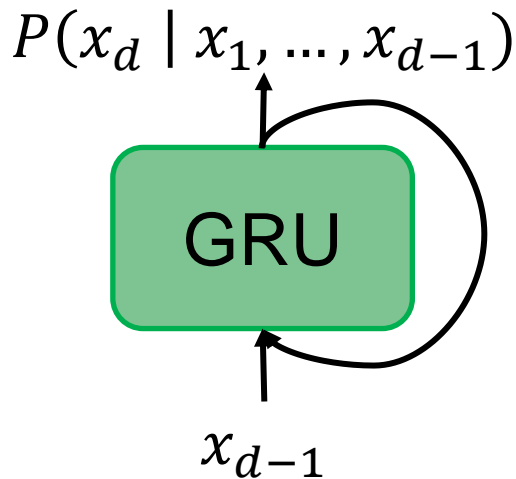
# Dual Supervised Learning

## Considering NLU and NLG



## Language modeling

$$p(x) = \prod_d^D p(x_d \mid x_1, \dots, x_{d-1})$$



# Semantic Frame $\log \hat{P}(y)$

- We treat NLU as a multi-label classification problem
- Each label is a slot-value pair

RESTAURANT="McDonald's"  
PRICE="cheap"  
LOCATION="nearby the station"



0
1
.
.
.
0
1

How to model the marginal distributions of  $y$ ?

# Semantic Frame $\log \hat{P}(y)$

## Naïve approach

- Calculate prior probability for each label  $\hat{P}(y_i)$  on training set.
- $\hat{P}(y) = \prod \hat{P}(y_i)$



Assumption: labels are independent

Restaurant: "McDonald's"	Price: "cheap"	Food: "Pizza"
Restaurant: "KFC"	Price: "expensive"	Food: "Hamburger"
Restaurant: "PizzaHut"		Food: "Chinese"

# Semantic Frame $\log \hat{P}(y)$

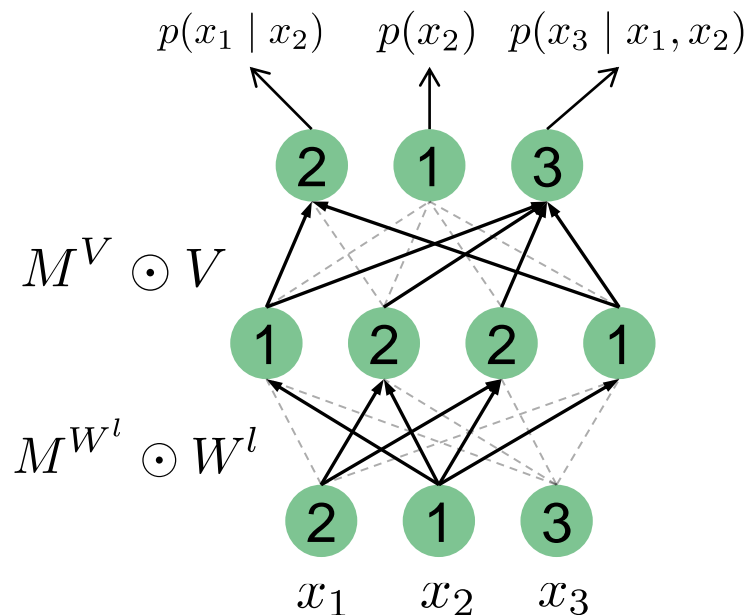
## Masked autoencoder for distribution estimation (MADE)

Introduce sequential dependency among labels by masking certain connections

$$M = \begin{cases} 1 & \text{if } m^l(k') \geq m^{l-1}(k) \text{ or } m^L(d) > m^{L-1}(k) \\ 0 & \text{otherwise} \end{cases}$$

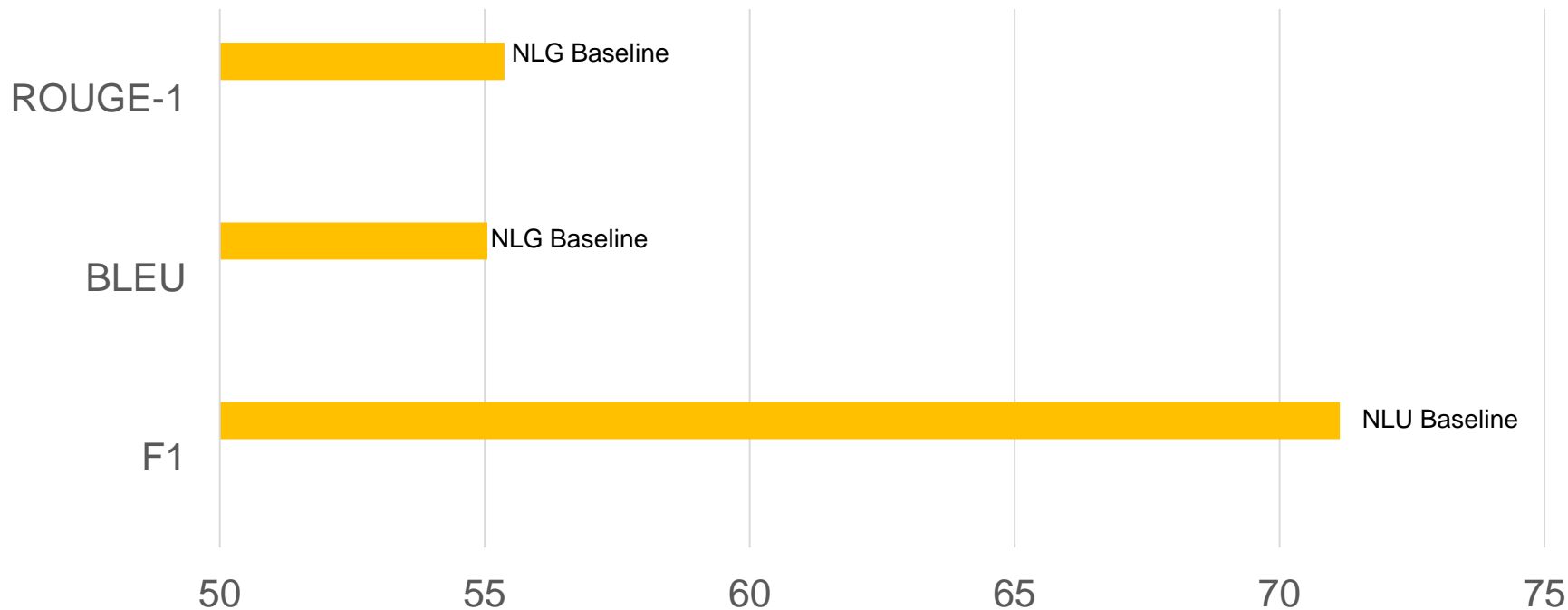
$$p(x) = \prod_d^D p(x_d \mid S_d)$$

→ marginal distribution of  $y$



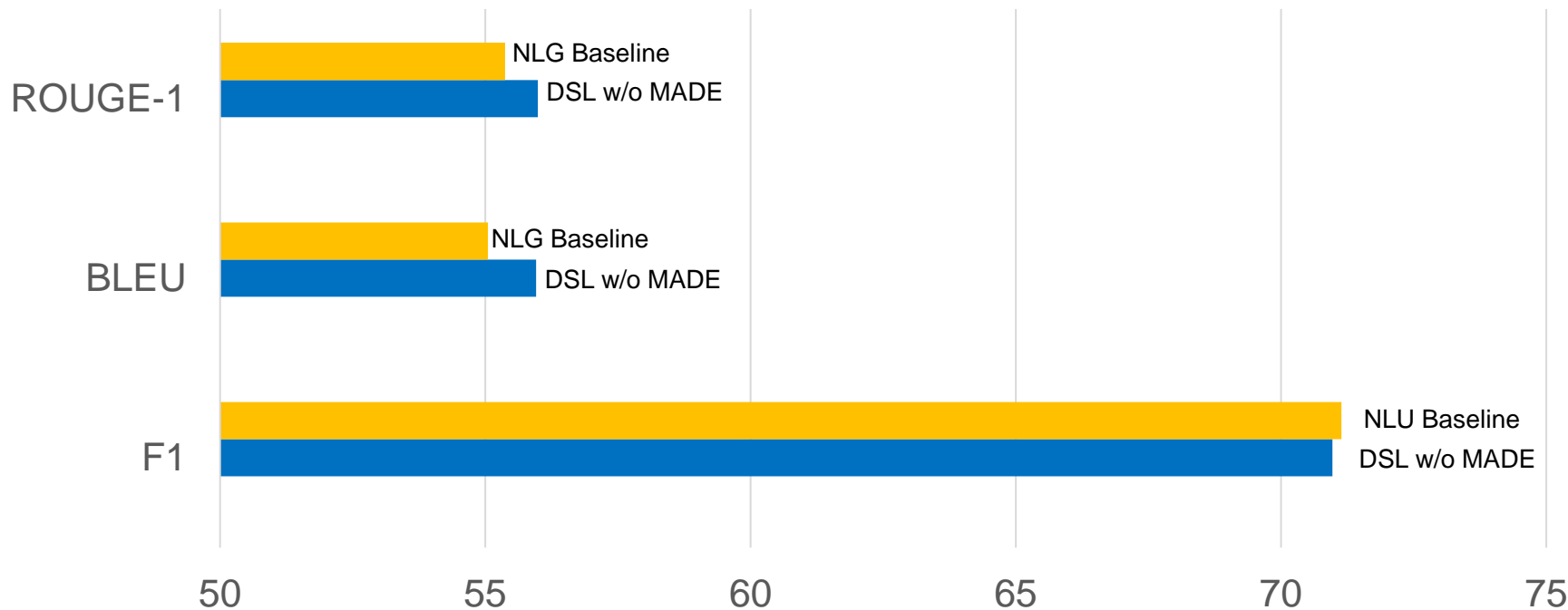
# NLU/NLG Results

- E2E NLG data: 50k examples in the restaurant domain
- NLU: F-1 score; NLG: BLEU, ROUGE



# NLU/NLG Results

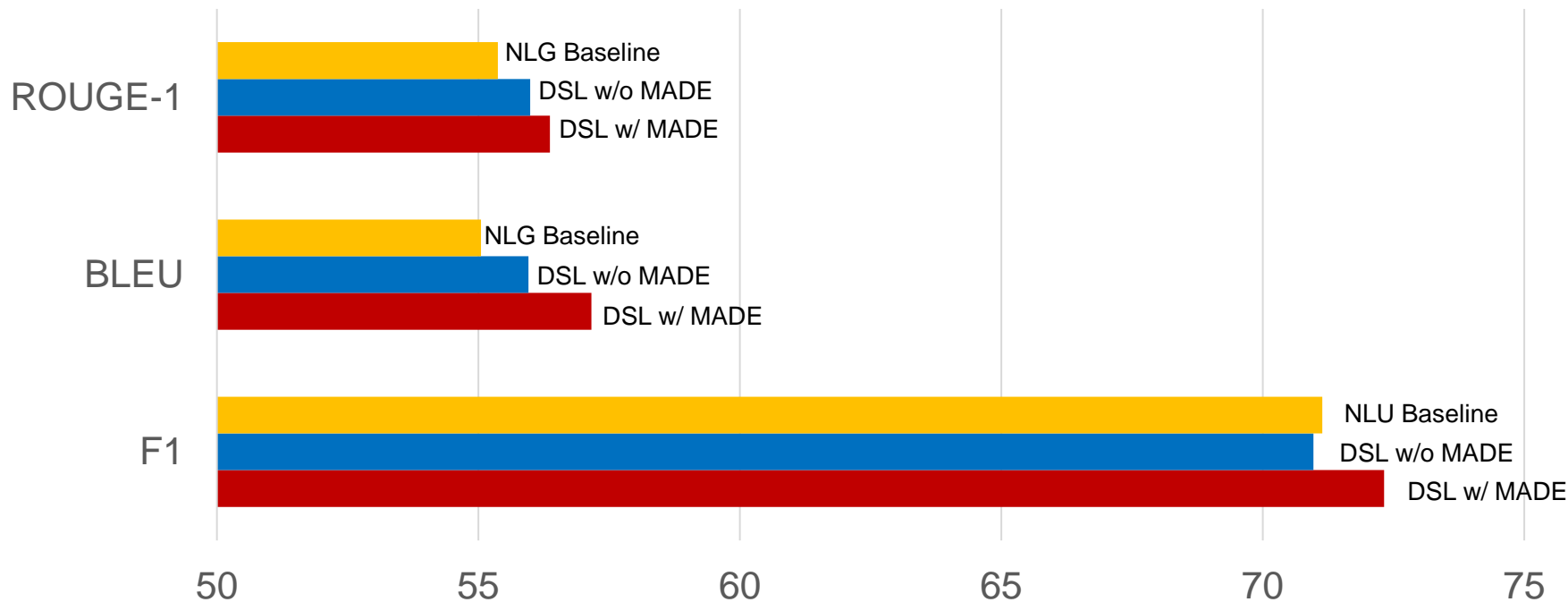
- ⦿ E2E NLG data: 50k examples in the restaurant domain
- ⦿ NLU: F-1 score; NLG: BLEU, ROUGE





# NLU/NLG Results

- ⦿ E2E NLG data: 50k examples in the restaurant domain
- ⦿ NLU: F-1 score; NLG: BLEU, ROUGE



# Comparison

**Unsupervised/semi-supervised learning:** only one task; no feedback signals for unlabeled data

**Co-training:** only one task; different feature sets provide complementary information about the instance

**Multi-task learning:** multiple tasks share the same representation

**Transfer learning:** use auxiliary tasks to boost the target task

**Dual learning:** multiple tasks involved; automatically generate reinforcement feedback for unlabeled data,

**Dual learning:** multiple tasks involved; no assumption on feature sets

**Dual learning:** don't need to share representations, only when the closed loop

**Dual learning:** all tasks are mutually and simultaneously boosted

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# Self-Supervised Learning

Self-Prediction and Contrastive Learning

[Slides credited from NeurIPS 2021 Tutorial](#)

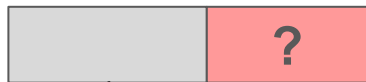
# Self-Supervised Learning

- ⦿ Self-supervised learning (SSL): a special type of representation learning via unlabeled data
- ⦿ Idea: constructing supervised tasks out of unsupervised data
  - High cost of data annotation
  - Limited annotated data
  - Good representation makes it easier to transfer to diverse downstream tasks

# Self-Supervised Learning

## Self-Prediction

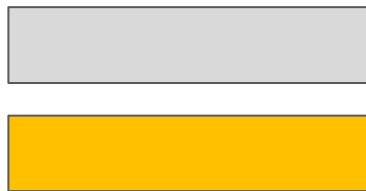
- Given **an individual** data sample, the task is to predict one missing part of the sample given the other part



“intra-sample” prediction

## Contrastive Learning

- Given **multiple** data samples, the task is to predict their relationship



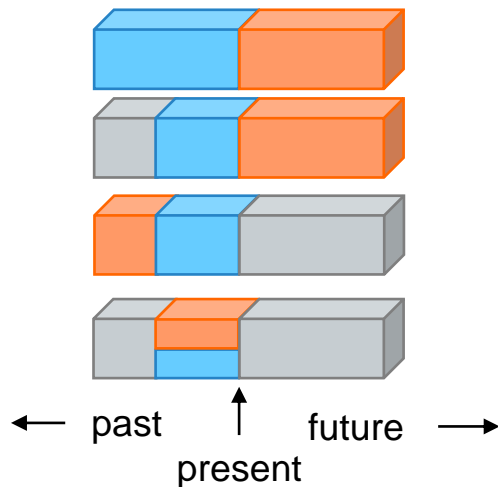
relationship?

“inter-sample” prediction

# Self-Prediction (illustration from Yann LeCun)

⊙ Assume: a part of the input is unknown and predict it

- Predict the **future** from the **past**
- Predict the **future** from the **recent past**
- Predict the **past** from the **present**
- Predict the **top** from the **bottom**
- Predict the occluded from the visible



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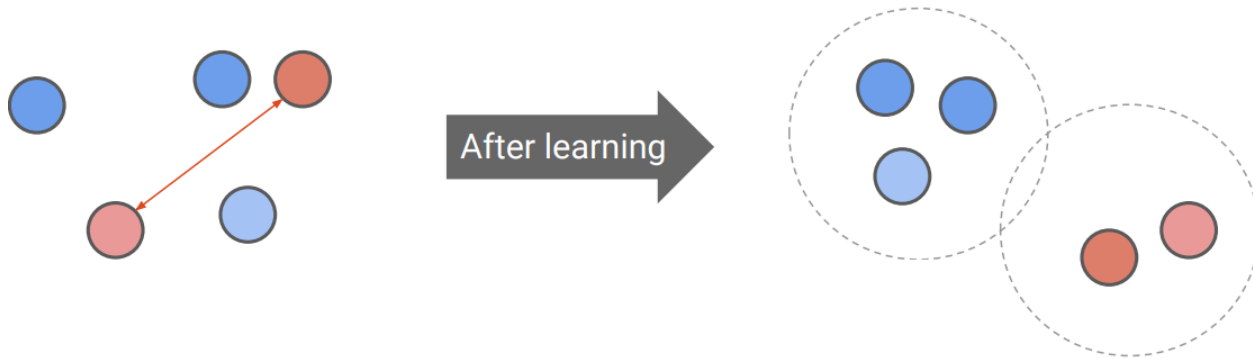
# Contrastive Learning

Adapting Embedding Spaces

# Contrastive Learning

🕒 Idea: learn an embedding space where *similar* sample pairs stay *close* to each other while *dissimilar* ones are *far apart*

- Inter-sample classification
- Feature clustering
- Multi-view coding





# Inter-Sample Classification

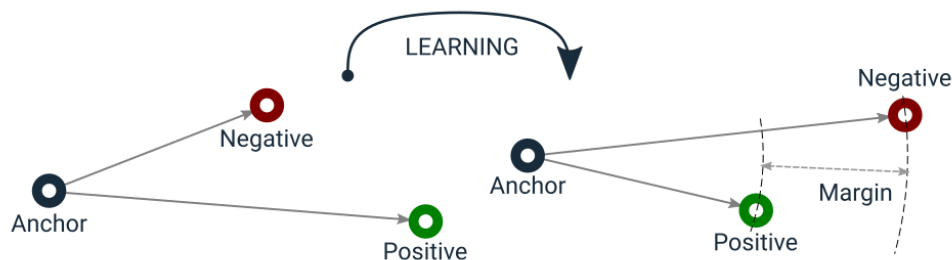
- ◎ Task: given both similar (“positive”) and dissimilar (“negative”) candidates, identifying which is similar to the anchor datapoint
- ◎ Datapoint candidates
  1. The original input and its distorted version
  2. Data capturing the same target from different views

# Inter-Sample Classification

## Triplet loss (Schroff et al., 2015)

- minimize the distance between the anchor  $x$  and positive  $x^+$  and maximize the distance between the anchor  $x$  and negative  $x^-$  at the same time

$$\mathcal{L}_{\text{triplet}}(x, x^+, x^-) = \sum_x \max(0, \underbrace{\|f(x) - f(x^+)\|_2^2}_{\text{as close as possible}} - \underbrace{\|f(x) - f(x^-)\|_2^2}_{\text{as far as possible}} + \epsilon)$$



# Inter-Sample Classification

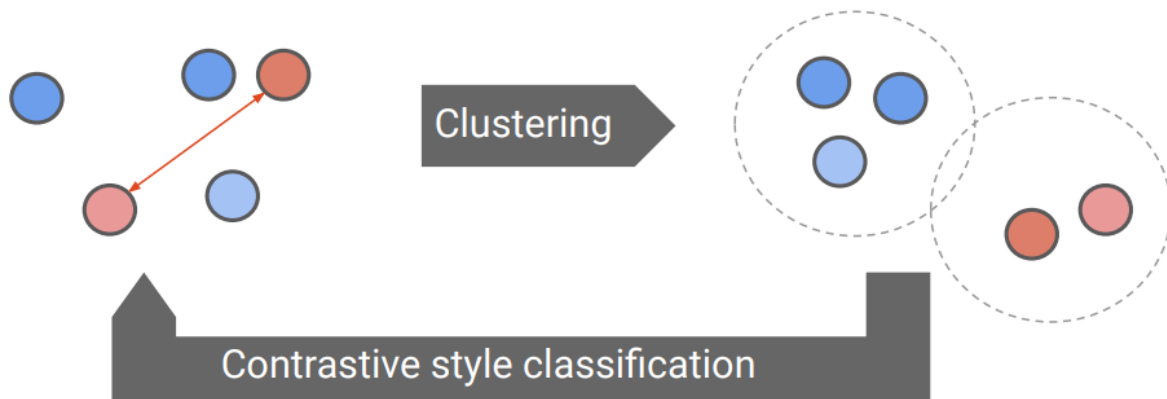
## ⊙ **N-pair loss** (Sohn, 2016)

- generalizes to include comparison with multiple negative samples

$$\mathcal{L}_{\text{N-pair}}(x, x^+, \{x_i^-\}) = \log \left( 1 + \sum_i \exp(f(x)^T f(x_i^-) - f(x)^T f(x^+)) \right)$$

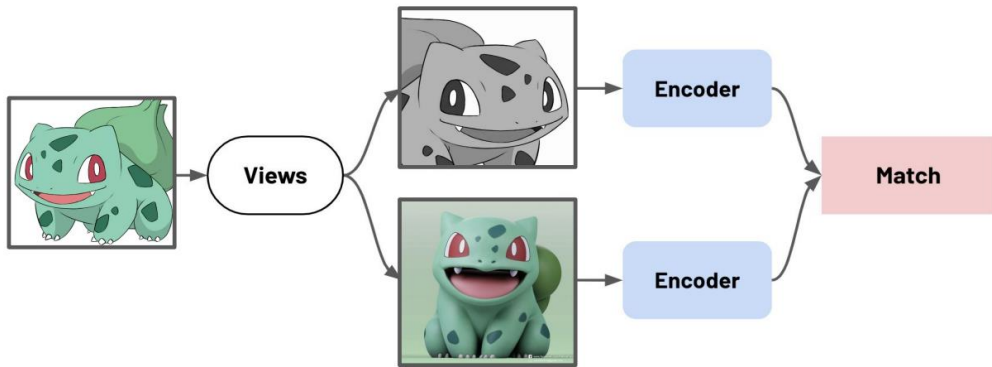
# Feature Clustering

- ① Idea: cluster similar datapoints based on learned features  
→ assign pseudo labels to samples for intra-sample classification



# Multiview Coding

- Idea: apply the InfoNCE objective to different views of input
  - Data augmentation is adopted for generating different views
  - “views” can come from different modalities



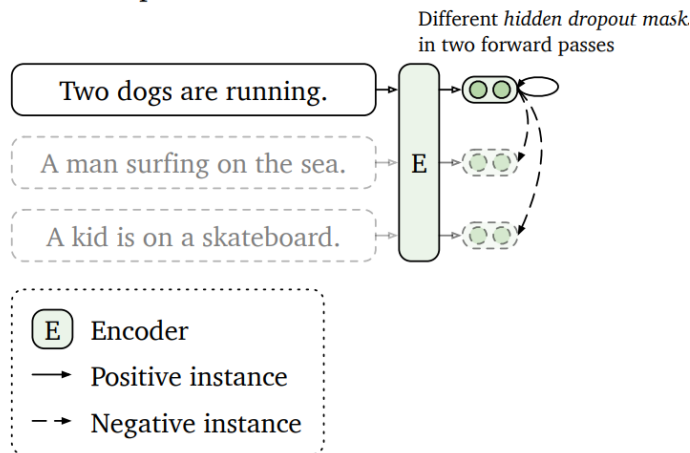
mainstream approaches for contrastive learning

# Contrastive Learning in NLP

## SimCSE (Gao et al., 2021): simple contrastive learning of sentence embeddings

- Unsupervised*: predict a sentence from itself with only dropout noise

(a) Unsupervised SimCSE



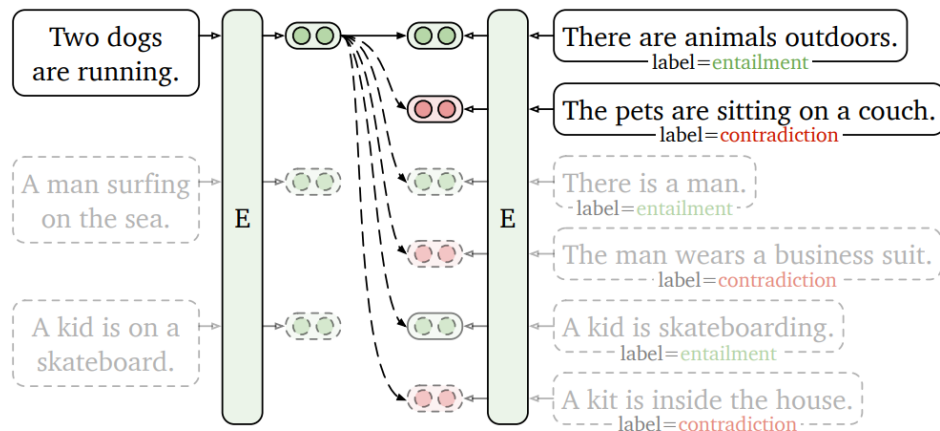
Model	STS12	STS13	STS14	STS15	STS16	STS-B	SICK-R	Avg.
<i>Unsupervised models</i>								
GloVe embeddings (avg.) <sup>*</sup>	55.14	70.66	59.73	68.25	63.66	58.02	53.76	61.32
BERT <sub>base</sub> (first-last avg.)	39.70	59.38	49.67	66.03	66.19	53.87	62.06	56.70
BERT <sub>base</sub> -flow	58.40	67.10	60.85	75.16	71.22	68.66	64.47	66.55
BERT <sub>base</sub> -whitening	57.83	66.90	60.90	75.08	71.31	68.24	63.73	66.28
IS-BERT <sub>base</sub> <sup>♥</sup>	56.77	69.24	61.21	75.23	70.16	69.21	64.25	66.58
CT-BERT <sub>base</sub>	61.63	76.80	68.47	77.50	76.48	74.31	69.19	72.05
<b>* SimCSE-BERT<sub>base</sub></b>	<b>68.40</b>	<b>82.41</b>	<b>74.38</b>	<b>80.91</b>	<b>78.56</b>	<b>76.85</b>	<b>72.23</b>	<b>76.25</b>
RoBERTa <sub>base</sub> (first-last avg.)	40.88	58.74	49.07	65.63	61.48	58.55	61.63	56.57
RoBERTa <sub>base</sub> -whitening	46.99	63.24	57.23	71.36	68.99	61.36	62.91	61.73
DeCLUTR-RoBERTa <sub>base</sub>	52.41	75.19	65.52	77.12	78.63	72.41	<b>68.62</b>	69.99
<b>* SimCSE-RoBERTa<sub>base</sub></b>	<b>70.16</b>	<b>81.77</b>	<b>73.24</b>	<b>81.36</b>	<b>80.65</b>	<b>80.22</b>	68.56	<b>76.57</b>
<b>* SimCSE-RoBERTa<sub>large</sub></b>	<b>72.86</b>	<b>83.99</b>	<b>75.62</b>	<b>84.77</b>	<b>81.80</b>	<b>81.98</b>	<b>71.26</b>	<b>78.90</b>

# Contrastive Learning in NLP

## SimCSE (Gao et al., 2021): simple contrastive learning of sentence embeddings

- Supervised*: further adapt embeddings based on labels

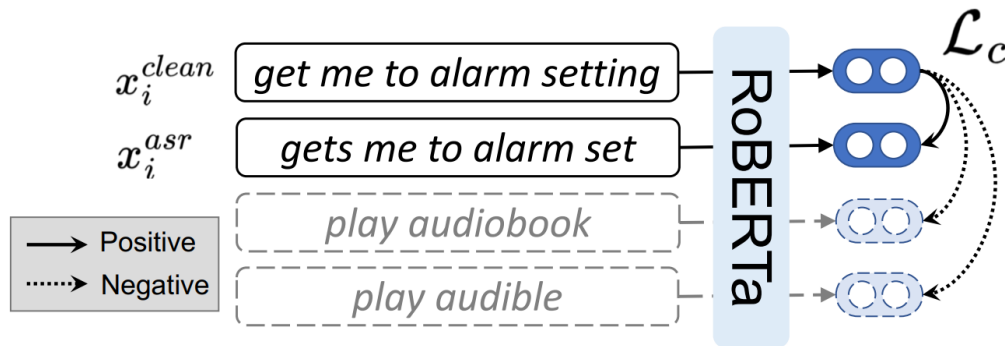
(b) Supervised SimCSE



Supervised models								
InferSent-GloVe <sup>*</sup>	52.86	66.75	62.15	72.77	66.87	68.03	65.65	65.01
Universal Sentence Encoder <sup>‡</sup>	64.49	67.80	64.61	76.83	73.18	74.92	76.69	71.22
SBERT <sub>base</sub> <sup>‡</sup>	70.97	76.53	73.19	79.09	74.30	77.03	72.91	74.89
SBERT <sub>base-flow</sub>	69.78	77.27	74.35	82.01	77.46	79.12	76.21	76.60
SBERT <sub>base-whitening</sub>	69.65	77.57	74.66	82.27	78.39	79.52	76.91	77.00
CT-SBERT <sub>base</sub>	74.84	83.20	78.07	83.84	77.93	81.46	76.42	79.39
* SimCSE-BERT <sub>base</sub>	<b>75.30</b>	<b>84.67</b>	<b>80.19</b>	<b>85.40</b>	<b>80.82</b>	<b>84.25</b>	<b>80.39</b>	<b>81.57</b>
SRoBERTa <sub>base</sub> <sup>‡</sup>	71.54	72.49	70.80	78.74	73.69	77.77	74.46	74.21
SRoBERTa <sub>base-whitening</sub>	70.46	77.07	74.46	81.64	76.43	79.49	76.65	76.60
* SimCSE-RoBERTa <sub>base</sub>	<b>76.53</b>	<b>85.21</b>	<b>80.95</b>	<b>86.03</b>	<b>82.57</b>	<b>85.83</b>	<b>80.50</b>	<b>82.52</b>
* SimCSE-RoBERTa <sub>large</sub>	<b>77.46</b>	<b>87.27</b>	<b>82.36</b>	<b>86.66</b>	<b>83.93</b>	<b>86.70</b>	<b>81.95</b>	<b>83.76</b>

# Contrastive Learning in NLP

- SpokenCSE** (Chang & Chen, 2022): improve ASR robustness
  - Unsupervised*: learning with the paired clean/noisy sentences



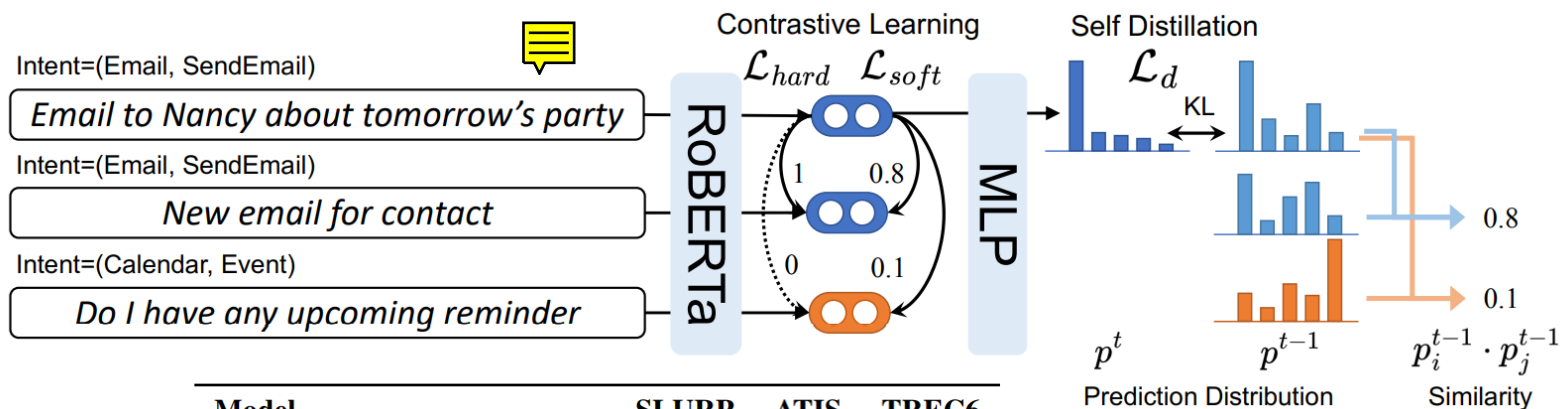
Model	SLURP	ATIS	TREC6
RoBERTa	83.97	94.53	84.08
Phoneme-BERT <sup>†</sup>	83.78	94.83	85.96
SimCSE	84.47	94.07	84.92
Proposed (pre-train only)	84.51	95.02	85.20



# Contrastive Learning in NLP

## SpokenCSE (Chang & Chen, 2022): improve ASR robustness

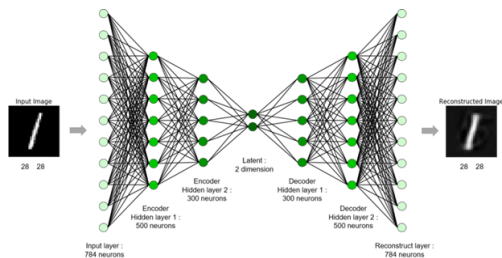
- Supervised: learning with self-distillation



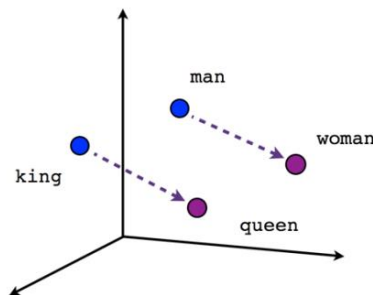
Model	SLURP	ATIS	TREC6
RoBERTa	83.97	94.53	84.08
Phoneme-BERT <sup>†</sup>	83.78	94.83	85.96
SimCSE	84.47	94.07	84.92
Proposed (pre-train only)	84.51	95.02	85.20
Proposed (pre-train + fine-tune)	<b>85.26</b>	<b>95.10</b>	<b>86.36</b>

# Diverse Approaches and Applications

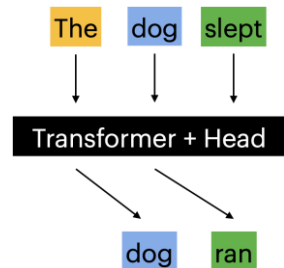
## Auto-Encoders



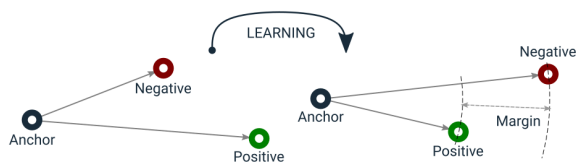
## word2vec



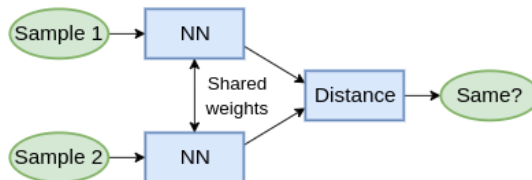
## Autoregressive Language Modeling





## Contrastive Learning



## Siamese Networks



# Concluding Remarks

- ⊙ Labeling data is expensive, but we have large unlabeled data
- ⊙ AE / VAE
  - exploits unlabeled data to learn latent factors as representations
  - learned representations can be transfer to other tasks
- ⊙ Dual Learning
  - utilize the duality of two tasks
  - towards semi-supervised learning / unsupervised learning
- ⊙ Self-Prediction 
  - predict one missing part of the sample given the other part
- ⊙ Contrastive Learning 
  - positive pairs have similar embeddings