



Team 10: Taking out the trash

Alex Sundström

`alexsu@kth.se`

Konrad Magnusson

`konradma@kth.se`

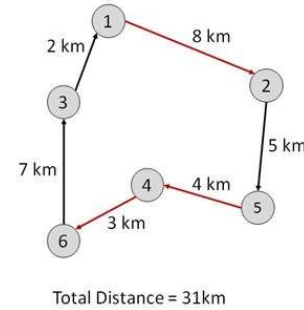
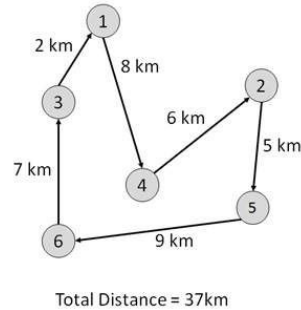
Tim Olsson

`tiol@kth.se`

Henrik Karlsson

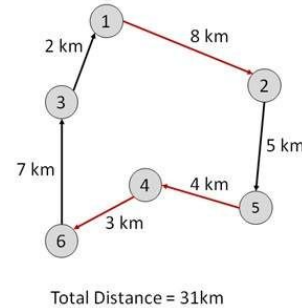
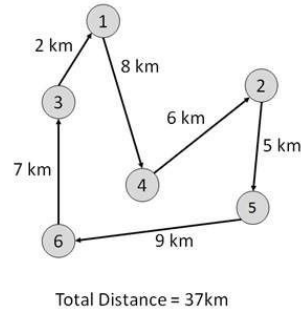
`henrik10@kth.se`

Travelling Salesman Problem (TSP)



- Travel to all cities in the shortest time/distance possible
- Find the shortest hamiltonian path, i.e. shortest path that covers all vertices.

Travelling Salesman Problem (TSP)



- Travel to all cities in the shortest time/distance possible
- Find the shortest hamiltonian path, i.e. shortest path that covers all vertices.
- Complete search in $O(n!)$



Multi-Agent TSP

- Visit all cities in the shortest time possible
- All salesmen travel equally fast



Multi-Agent TSP

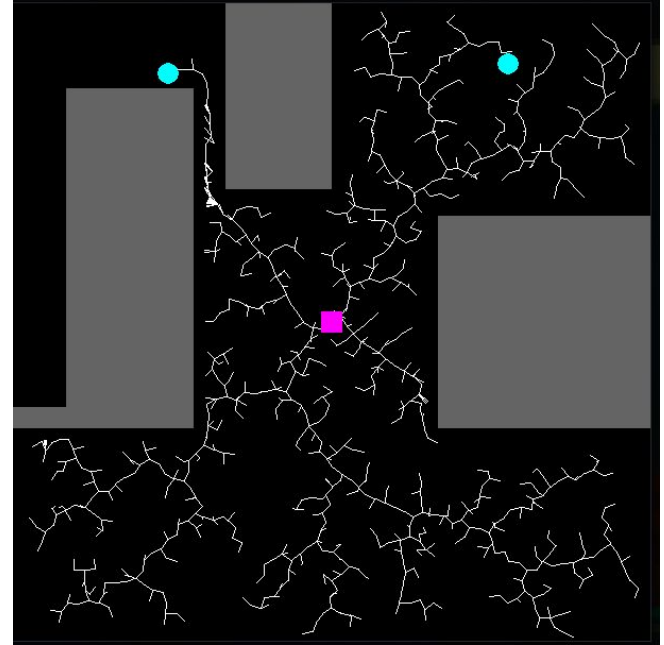
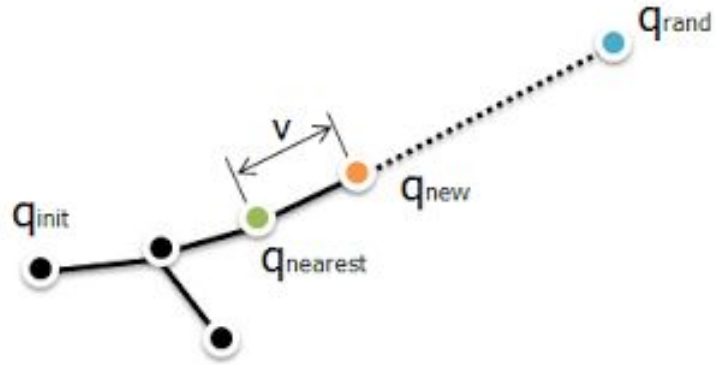
- Visit all cities in the shortest time possible
 - All salesmen travel equally fast
- The last salesman needs to finish as soon as possible



Solve in two steps:

1. Construct the graph
2. Find solution by solving MA-TSP

RRT







PDDL

- PyDDL, a PDDL planner in Python by Gary Doran¹
 - Can use an A* algorithm
- We let the heuristics = 0, we got Dijkstra's algorithm
- Works fine when # trash cans < 10

¹GitHub repository: <https://github.com/garydoranjr/pyddl>



PDDL - Domain

Objects:

0, ..., N-1 agent

-- N: number of agents

0, ..., N+M-1 trash_can

-- N + M: agents + trash_cans



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Objects:

<code>0, ..., N-1 agent</code>	<code>-- N: number of agents</code>
<code>0, ..., N+M-1 trash_can</code>	<code>-- N + M: agents + trash_cans</code>

Init:

<code>at(0,0), ..., at(N-1,N-1)</code>	<code>-- Agents at "Trash cans" 0,2, ..., N-1</code>
<code>unchecked(N), ..., unchecked(N+M-1)</code>	<code>-- Real trash cans N, N+1, ..., N+M-1</code>



PDDL - Domain

Objects:

```
0, ..., N-1 agent          -- N: number of agents
0, ..., N+M-1 trash_can    -- N + M: agents + trash_cans = locations
```

Init:

```
at(0,0), ..., at(N-1,N-1)  -- Agents at "Trash cans" 1,2, ..., N
unchecked(N), ..., unchecked(N+M-1) -- REAL trash cans N, N+1, ..., N+M-1
```

Goal:

```
checked(N), ..., checked(N+M-1) -- Check all REAL trash cans
```



PDDL - Actions

Action: Check

Parameters:

A1 agent	-- the robots
T1, T2 trash_can	-- locations/trash cans



PDDL - Actions

Action: Check

Parameters:

A1 agent	-- the robots
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Precondition:

at(A1, T1)	
unchecked(T2)	-- don't check twice



PDDL - Actions

Action: Check

Parameters:

A1 agent	-- the robots
T1, T2 trash_can	-- locations/trash cans

Precondition:

at(A1, T1)	
unchecked(T2)	-- don't check twice

Effects:

travelled(A1, T1, T2)	-- keep track of the distance travelled
~at(A1, T1)	-- leave T1
at(A1, T2)	-- move to T2
checked(T2)	-- T2 is checked
~unchecked(T2)	

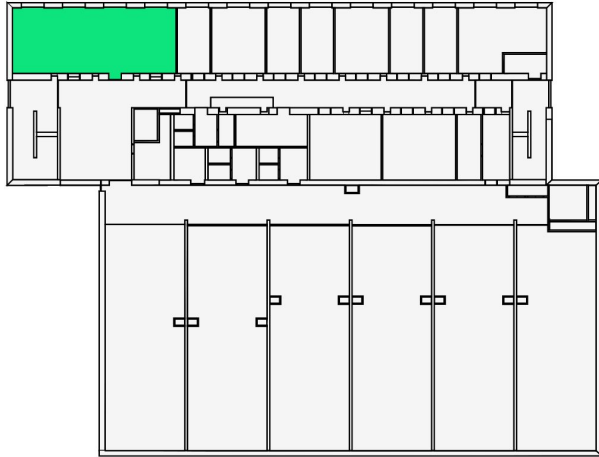


PDDL - cost function

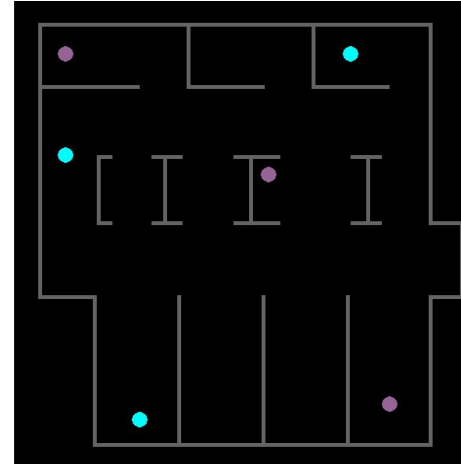
- $\text{Cost} = \max_{i \in A} (\text{dist}(a_i))$
 - where $\text{dist}(a_i)$ is the distance a_i has travelled.
- Minimizes the time to check trash cans
 - Doesn't minimize the total distance travelled
- We get the distance from RRT* and travelled/3 predicate

Test cases

- The suggested test case was Teknikringen 14
- We experimented with some other cases as well



Teknikringen 14

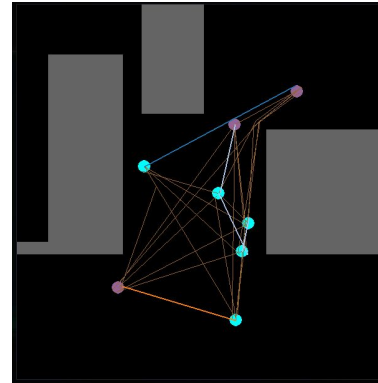


Our “artistic” interpretation

Custom test cases

- Can define agents, targets and obstacles in text files
- Was easy and fast to implement

```
r 250 350  
t 380 420  
t 25 500  
t 500 100  
t 322 532  
t 500 450  
w 50 80 120 320  
w 0 380 50 20
```





Results

- RRT makes up the bulk of the execution time
 - The RRT phase is not deterministic, can result in different plans on same test case
- The planner is pretty fast though for small N
 - However, the time complexity seems to be $\sim O(N!)$
 - Bad scaling

Future work

- Faster pathfinding
 - RRT connect
- More iterations of RRT to reduce variance in the distance matrix
 - Simulate the robot's path better
- Better planning
 - Use heuristics for PDDL if N is big
 - Just use A*



Thank you for your time!

:^)