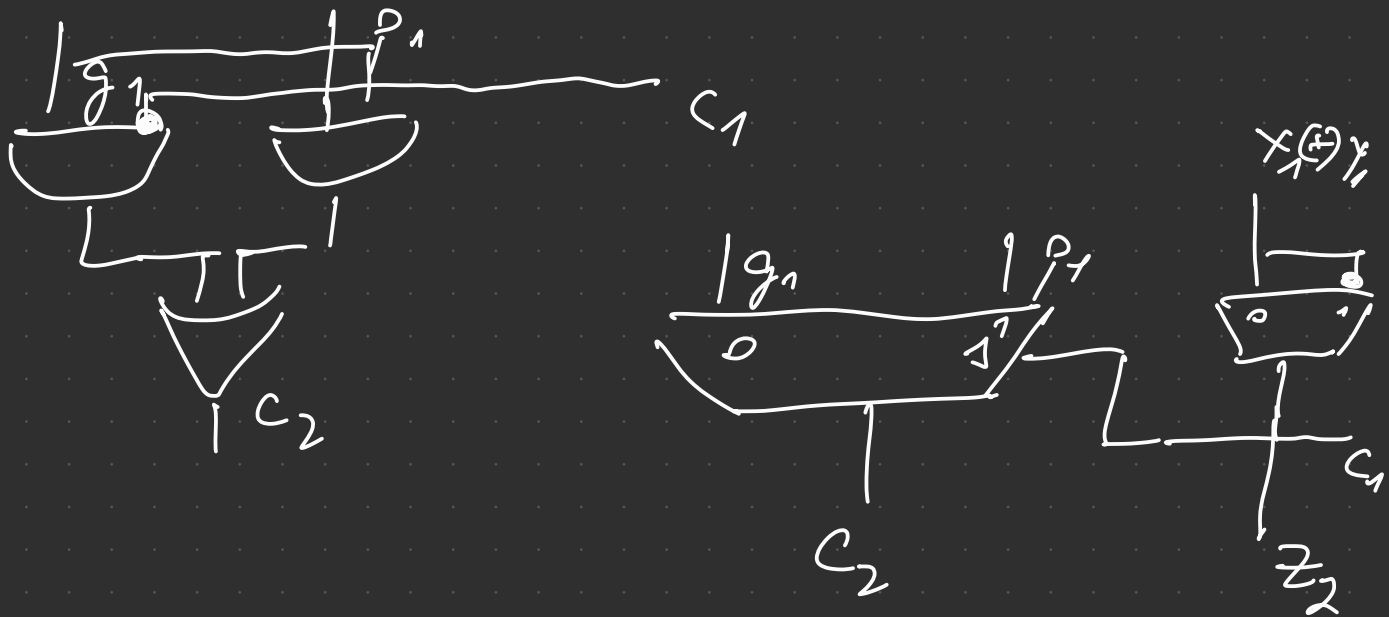
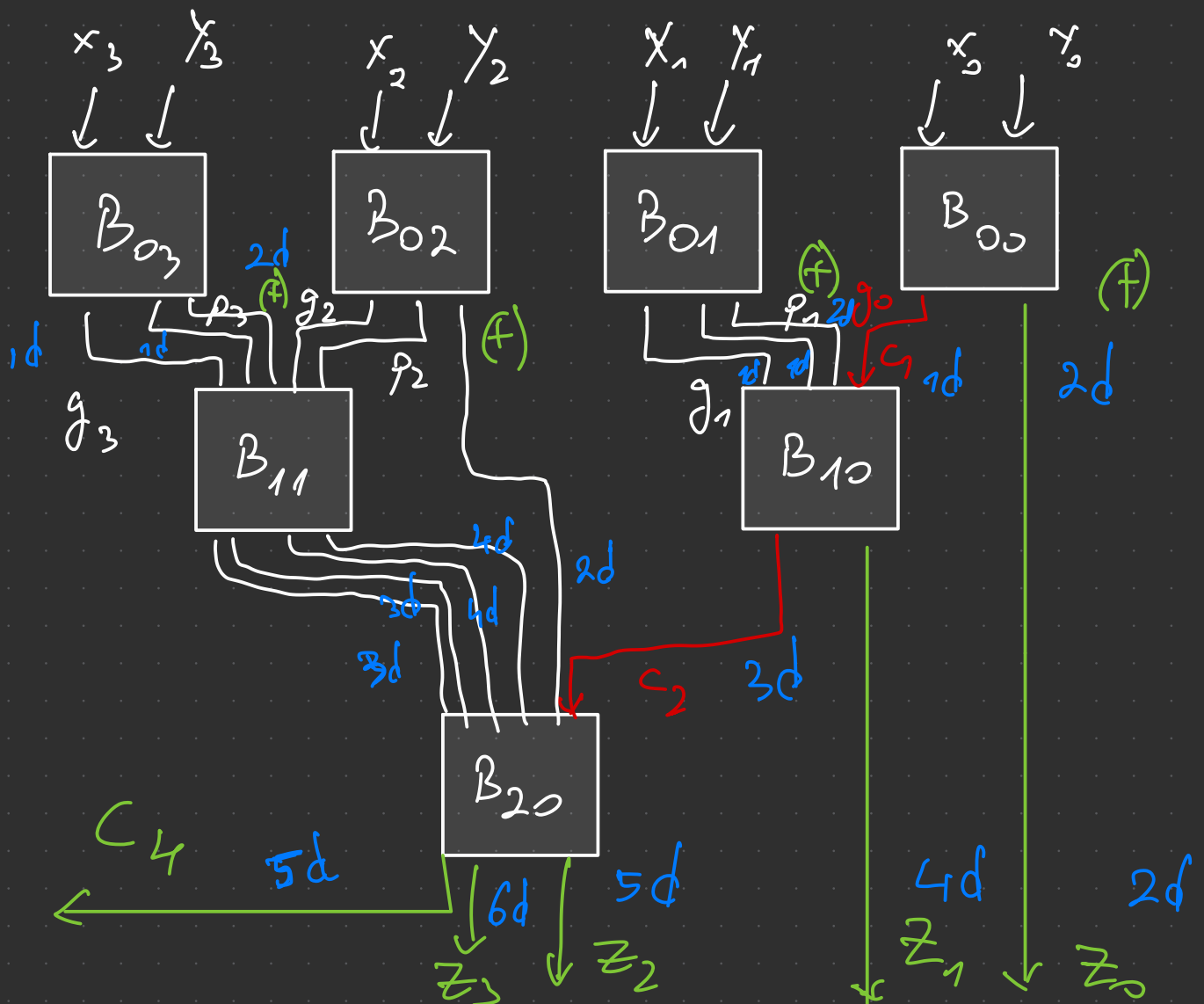


# Conditional Sum Adder CSuA

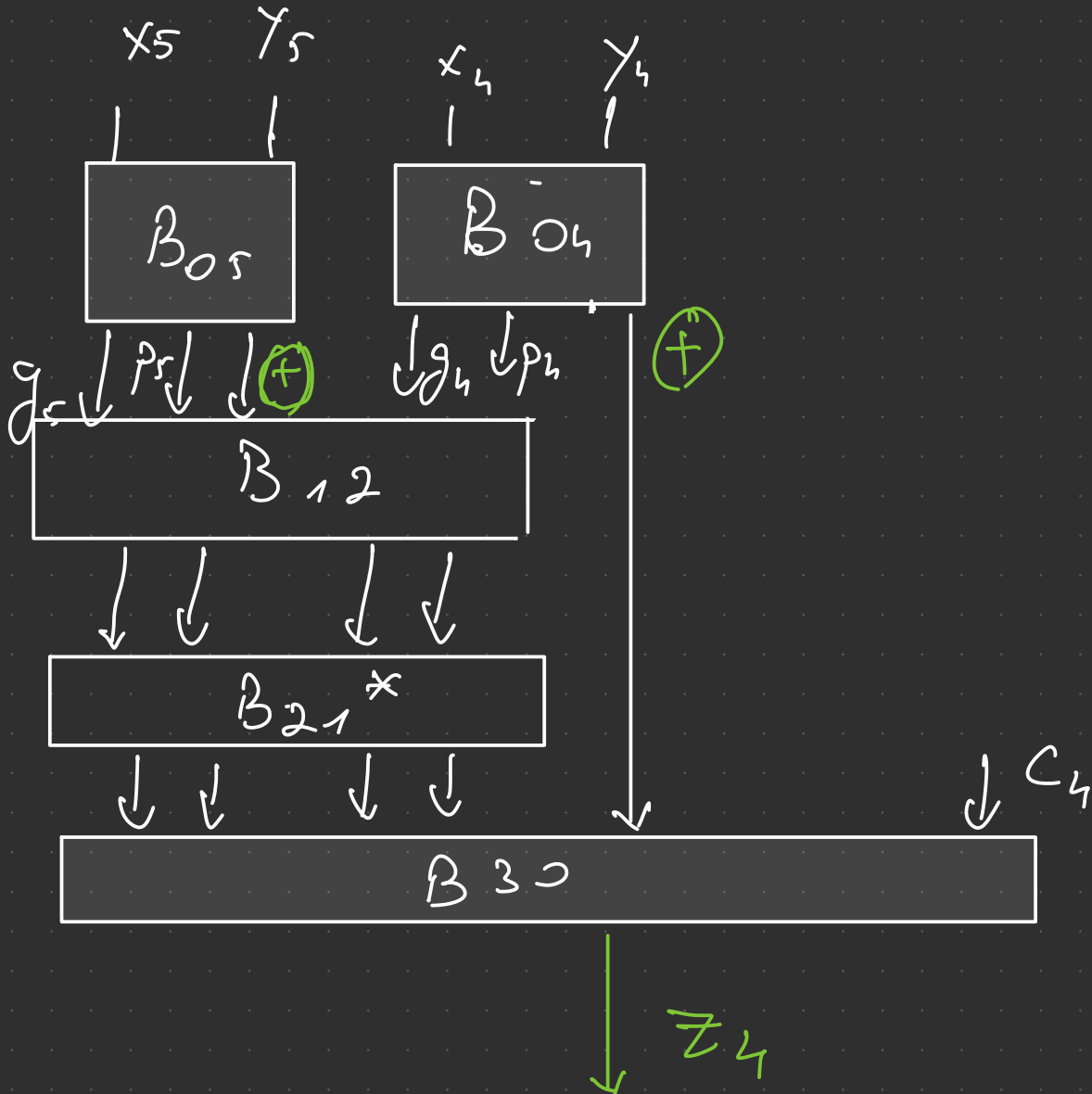


Intan zeri



$$n \text{ bits} \quad \Delta_{CS_uA}^z - n = 2d + 2 \lceil \log_2 n \rceil$$

$$\Delta_{CS_uA}^{\text{cont}} = 1d + 2 \lceil \log_2 n \rceil d$$



→ obligatoriu transport de intrare 0

| $CS_u A$                      | $CS_e A$                       | ML-CLA                        | RCA                            |
|-------------------------------|--------------------------------|-------------------------------|--------------------------------|
| $\delta_Z = 18d$              | $\delta_Z = 258d$              | $\delta_Z = 31d$              | $\delta_Z = 512d$              |
| $\delta_{\text{Count}} = 17d$ | $\delta_{\text{Count}} = 258d$ | $\delta_{\text{Count}} = 19d$ | $\delta_{\text{Count}} = 512d$ |

$$X = 0110010011$$

$$Y = 1101101110$$

[illegible]

$$X = 0110010011$$

$$Y = 1101101110$$

|             |       | 9 | 8 | 7 | 6 | 5 | 4 | 3 | 2 | 1 | 0 |
|-------------|-------|---|---|---|---|---|---|---|---|---|---|
| x           |       | 0 | 1 | 1 | 0 | 0 | 1 | 0 | 0 | 1 | 1 |
| y           |       | 1 | 1 | 0 | 1 | 1 | 0 | 1 | 1 | 1 | 0 |
| Block Level | Carry | C | S | C | S | C | S | C | S | C | S |
| i=0         | 0     | 0 | 1 | 1 | 0 | 0 | 1 | 0 | 0 | 1 | 1 |
|             | 1     | 1 | 0 | 1 | 1 | 0 | 1 | 0 | 1 | 1 | 0 |
| i=1         | 0     | 1 | 0 | 0 | 1 | 1 | 0 | 1 | 1 | 0 | 1 |
|             | 1     | 1 | 0 | 1 | 1 | 0 | 0 | 1 | 0 | 0 | 0 |
| i=2         | 0     | 1 | 0 | 0 | 0 | 1 | 1 | 1 | 1 | 0 | 0 |
|             | 1     | 1 | 0 | 1 | 1 | 0 | 0 | 0 | 0 | 0 | 0 |
| i=3         | 0     | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 |
|             | 1     | 1 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| i=4         | 0     | 1 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|             | 1     | 1 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |



# Carry Save Adder

→ sumă în formă redundantă

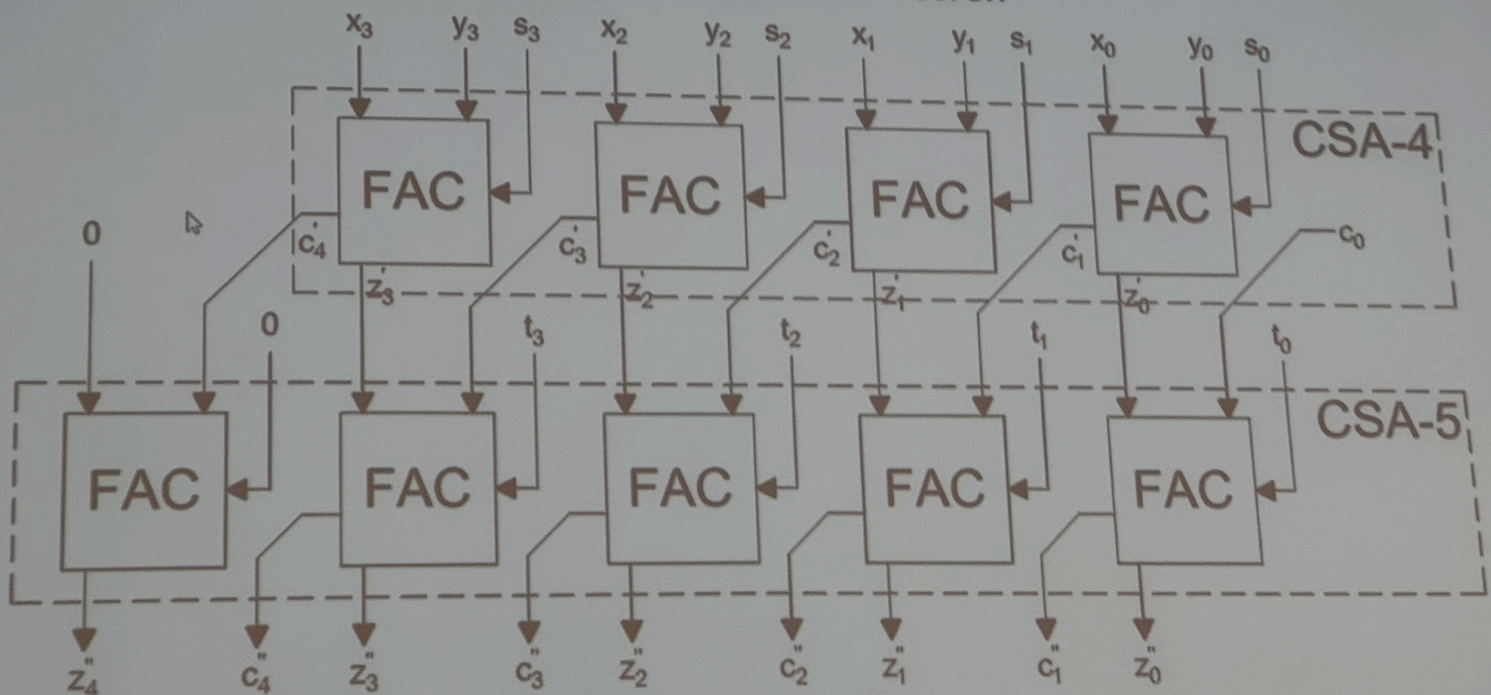
→ 2 vectori  $\begin{cases} \text{sumă} \\ \text{transport} \end{cases}$

→ adunarea multi operand

$x, y, s, t$  pe 4 biți  $Z = x + y + s + t$

- ▶ sumă în format redundant: 2 vectori  $\begin{cases} \text{sumă} \\ \text{transport} \end{cases}$
- ▶ vectorul transport este cu o poziție mai semnificativ decât cel sumă
- ▶ permite realizarea adunării multi-operand

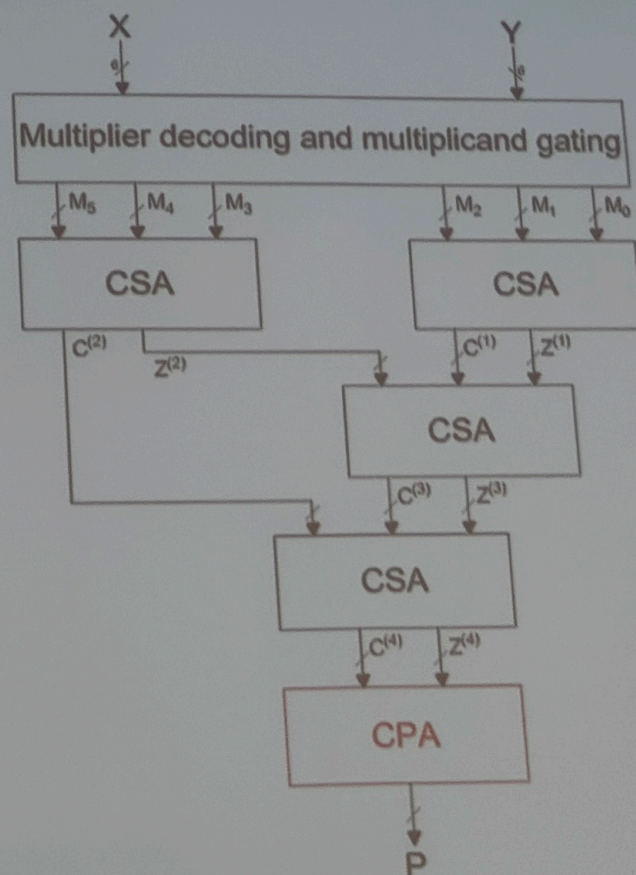
Se consideră operandii  $X, Y, S$  și  $T$ , pe 4 biți. Suma  $Z = X + Y + S + T$  poate fi calculată astfel:





- facilitează realizarea operației de înmulțire (combi-național)

Fie  $X$  și  $Y$  fără semn pe 6 biți. Produsul  $P = X * Y$  este obținut prin adunarea produselor de 1-bit  $M_i = x_i * Y * 2^i$



$$X = \begin{array}{r} x_5 \ x_4 \ x_3 \mid x_2 \ x_1 \ x_0 \\ 1 \ 0 \ 1 \mid 1 \ 0 \ 1 \end{array} = 45$$

$$Y = \begin{array}{r} 1 \ 0 \ 0 \ 1 \end{array} = 5$$

405

$$M_i = x_i \cdot Y \cdot 2^i$$

$$M_0 \qquad \qquad \qquad 1 \ 0 \ 0 \ 1 \qquad M_3 \qquad \qquad \qquad 1 \ 0 \ 0 \ 1$$

$$M_1 \qquad \qquad \qquad 0 \ 0 \ 0 \ 0 \qquad M_4 \qquad \qquad \qquad 0 \ 0 \ 0 \ 0$$

$$M_2 \qquad \qquad \qquad 1 \ 0 \ 0 \ 1 \qquad M_5 \qquad \qquad \qquad 1 \ 0 \ 0 \ 1$$

---


$$\begin{array}{r} Z^{(1)} \qquad \qquad \qquad 1 \ 0 \ 1 \ 1 \ 0 \ 1 \qquad Z^{(2)} \qquad \qquad \qquad 1 \ 0 \ 1 \ 1 \ 0 \ 1 \\ C^{(1)} \qquad \qquad \qquad 0 \ 0 \ 0 \ 0 \ 0 \ 0 \qquad C^{(2)} \qquad \qquad \qquad 0 \ 0 \ 0 \ 0 \ 0 \ 0 \end{array}$$


---

$C^{(1)} \times 2$

$2C^{(1)}$  0 0 0 0 0 0 0 0 | 0

$Z^{(1)}$  0 0 0 1 0 1 1 0 1

$Z^{(2)}$  1 0 1 1 0 1 0 0 0

---

$Z^{(3)}$  1 0 1 0 0 0 1 0 1

$C^{(3)}$  0 0 0 1 0 1 0 0 0

---

$2C^{(3)}$  0 0 0 1 0 1 0 0 0

$Z^{(3)}$  1 0 1 0 0 0 1 0 1

$2 \times C^{(2)}$  0 0 0 0 0 0

---

$Z^{(4)}$  0 1 0 0 0 1 0 1 0 1

$C^{(4)}$  0 0 0 1 0 0 0 0 0 0

$2C^{(4)}$  0 0 0 1 0 0 0 0 0 0

$Z^{(4)}$  0 1 0 0 0 1 0 1 0 1

405

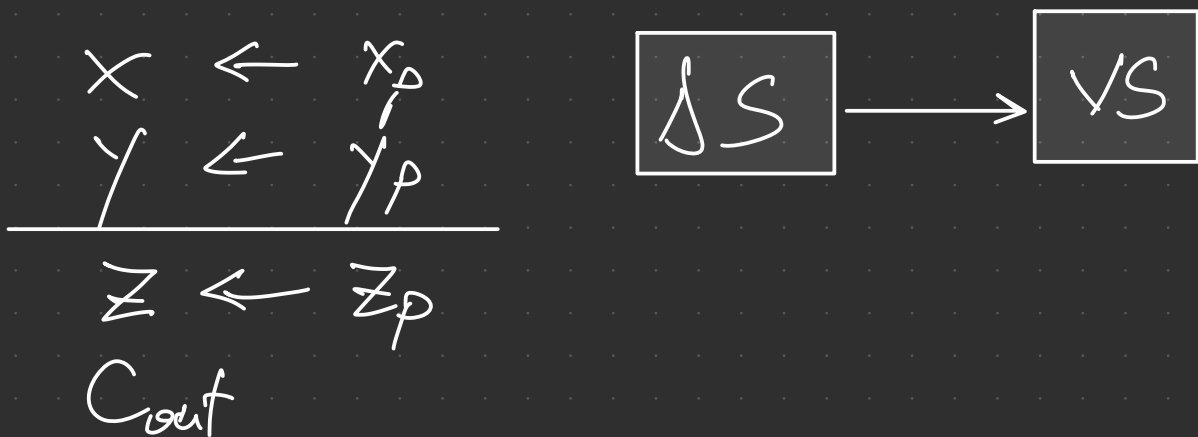
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$P$  0 0 1 1 0 0 1 0 1 0 1

# Calcul fiabil

- disponibilitate
- fiabilitate
- mentenabilitate

## Sumatoare binare cu control de paritate



$$x_p = x_{n-1} \oplus x_{n-2} \oplus \dots \oplus x_0$$

$$y_p = y_{n-1} \oplus \dots \oplus y_0$$

$$z_p = \text{---} \parallel \text{---}$$

$$z_i = x_i \oplus y_i \oplus c_i$$

$$z_p = x_p \oplus y_p \oplus \underbrace{(c_{n-1} \oplus c_{n-2} \oplus \dots \oplus c_0)}_{c_p}$$