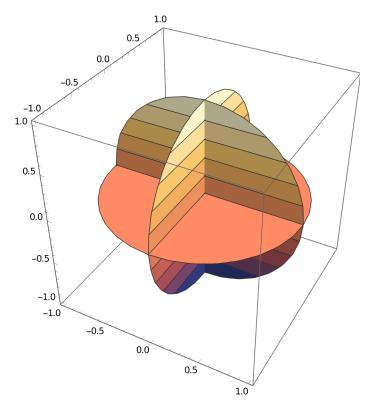
hat

In[94]:= deqn = -Laplacian[V[x, y, z], {x, y, z}] == 0;
 region = Ball[{0, 0, 0}];
 boundary = DirichletCondition[V[x, y, z] == z/Sqrt[(x^2+y^2+z^2)], True];
 solution = NDSolveValue[{deqn, boundary}, V, {x, y, z} ∈ region]
 SliceContourPlot3D[solution[x, y, z], "CenterPlanes", {x, y, z} ∈ region]

Out[97]=



Out[98]=



In[101]:=

(*
Function has no dependence on phi. setting phi → 0 for taking value:
*)
coords = CoordinateTransform[{"Spherical" → "Cartesian"}, {0.1, 0.3, 0}]
solution[0.029552020666133955, 0., 0.09553364891256061]

Out[101]=

{0.029552, 0., 0.0955336}

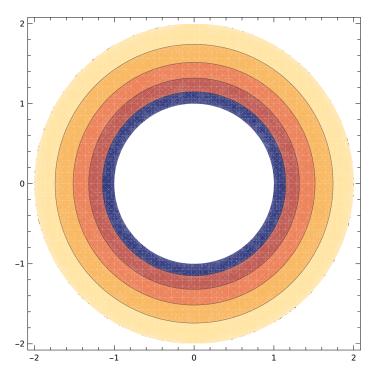
Out[102]=

0.0959505

Out[58]=

InterpolatingFunction Domain: {{-2., 2.}, {-2., 2.}}
Output: scalar

Out[59]=



```
ln[9]:= v[x] := Piecewise[{x^2, -10 < x < 0}, {x, 0 \le x < 10}}]
        \{\text{eval, evec}\}\ =\ \text{NDEigensystem}\Big[\Big\{-(1/2)\,\text{Laplacian}[\psi[x],\,\{x\}] + v[x] * \psi[x]\Big\}\,,\ \psi[x],\,\{x,\,-10,\,10\},\,3\Big]\Big]
Out[10]=
        InterpolatingFunction Domain: {{-10., 10.}} Output: scalar
          InterpolatingFunction[
 ln[17]:= Plot[evec, \{x, -10, 10\}, PlotRange \rightarrow Full]
Out[17]=
        -10
                                                                   10
 ln[41] = v[x_, y_] := x^2 + y^2
        region3 = Disk[{0, 0}, 5]
        boundary3 = DirichletCondition[v[x, y] == 0, Sqrt[x^2+y^2] == 5]
         NDEigensystem [-(1/2) \text{ Laplacian}[\psi[x, y], \{x, y\}] + v[x, y] * \psi[x, y]], \psi[x, y], \{x, y\} \in \text{region3, 3}]
        ContourPlot[evec[1], \{x, y\} \in region3, PlotRange \rightarrow All]
        ContourPlot[evec[2], \{x, y\} \in region3, PlotRange \rightarrow All]
        ContourPlot[evec[3], {x, y} ∈ region3, PlotRange → All]
Out[42]=
        Disk[{0, 0}, 5]
Out[43]=
```

DirichletCondition[$x^2 + y^2 == 0$, $\sqrt{x^2 + y^2} == 5$]



InterpolatingFunction Domain: {{-5., 5.}, {-5., 5.}}][x, y],

Out[45]=

