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## Given data points

```
cycles = [1 10 100 1000 10000 100000 1000000];
stress = [1100 1000 925 800 625 550 420];

lncycles = log(cycles);
lnstress = log(stress);
```

## finding slopes and intercepts

```
[m,i] = line_regression(lncycles,lnstress);

% the question said that there is a linear relationship in log log
plot
% we can say that it is of the form  $y = mx + c$ 
% that means  $\ln y = m \ln x + c$ ;

% I found the values of m and c using linear regression
% Convert the  $\ln y$  equation to  $y =$  form by applying the exp obs
```

## function handles

```
y_logregression = @(x,m,i) m*log(x) + i;
y_actual = @(x,m,i) exp(i)*(x.^m);
```

## plots

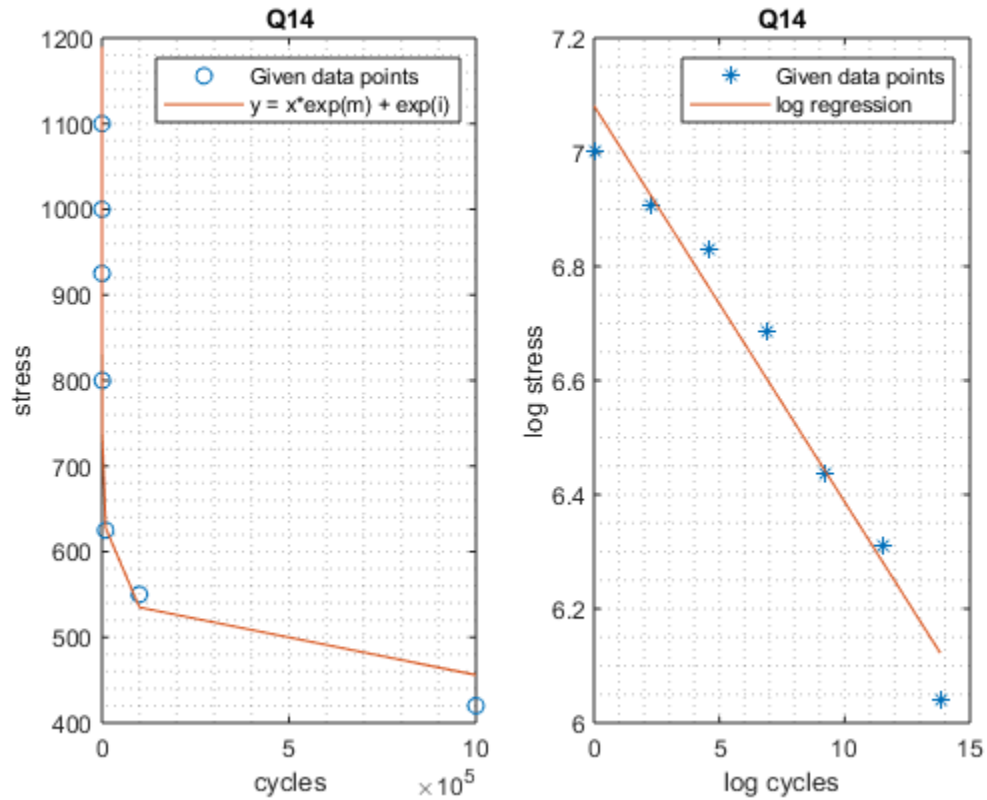
```
subplot(1,2,1)
plot(cycles, stress, 'o');
hold on;
xlabel('cycles');
ylabel('stress');
grid minor;
plot(cycles, y_actual(cycles,m,i));
legend('Given data points', 'y = x*exp(m) + exp(i)');
hold off;
title('Q14');
subplot(1,2,2)
plot(lncycles, lnstress, '*');
hold on;
```

---

```

grid minor;
xlabel('log cycles');
ylabel('log stress');
plot(lncycles,y_logregression(cycles,m,i));
legend('Given data points', 'log regression');
title('Q14');
hold off;

```



## function calls

```

function [m,i] = line_regression(x,y)
    m = sum( y.*(x - mean(x)))/sum(x.*(x - mean(x)));
    i = mean(y) - m*mean(x);
end

```

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