## assignment 4

pavan

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## setting working directory and loading packages

```
setwd("C:/Users/pavankumar pendela/Desktop/MSBA/Quantiative management
Dr.Wu/assignment 4")
library(lpSolve)
library(lpSolveAPI)
lpec \leftarrow make.lp(5,6)
set.objfn(lpec, c(622,614,630,641,645,649))
lp.control(lpec, sense = "min")
## $anti.degen
## [1] "fixedvars" "stalling"
##
## $basis.crash
## [1] "none"
## $bb.depthlimit
## [1] -50
##
## $bb.floorfirst
## [1] "automatic"
##
## $bb.rule
## [1] "pseudononint" "greedy"
                                      "dynamic"
                                                      "rcostfixing"
##
## $break.at.first
## [1] FALSE
##
## $break.at.value
## [1] -1e+30
##
## $epsilon
##
                               epsel
                                         epsint epsperturb
                                                             epspivot
        epsb
                   epsd
        1e-10
                   1e-09
                               1e-12
                                          1e-07
                                                                 2e-07
##
                                                     1e-05
##
## $improve
## [1] "dualfeas" "thetagap"
##
## $infinite
## [1] 1e+30
```

```
##
## $maxpivot
## [1] 250
##
## $mip.gap
## absolute relative
##
      1e-11
               1e-11
##
## $negrange
## [1] -1e+06
##
## $obj.in.basis
## [1] TRUE
##
## $pivoting
## [1] "devex"
                  "adaptive"
##
## $presolve
## [1] "none"
##
## $scalelimit
## [1] 5
##
## $scaling
## [1] "geometric" "equilibrate" "integers"
##
## $sense
## [1] "minimize"
##
## $simplextype
## [1] "dual" "primal"
##
## $timeout
## [1] 0
##
## $verbose
## [1] "neutral"
# Production Capacity Constraints:
set.row(lpec, 1, c(1,1,1), indices = c(1,2,3))
set.row(lpec, 2, c(1,1,1), indices = c(4,5,6))
# Warehouse demand Constraints:
set.row(lpec, 3, c(1,1), indices = c(1,4))
set.row(lpec, 4, c(1,1), indices = c(2,5))
set.row(lpec, 5, c(1,1), indices = c(3,6))
# Setting the rhs values
rhs \leftarrow c(100,120,80,60,70)
set.rhs(lpec, rhs)
# Setting the constraint type
set.constr.type(lpec, c("<=","<=","=","=","="))
```

```
# boundary condiiton for the decision variables
set.bounds(lpec, lower = rep(0, 6))
# Set the names of the rows (constraints) and columns (decision variables)
lp.rownames <- c("Plant A capacity", "Plant B capacity", "warehouse 1</pre>
demand", "warehouse 2 demand", "Warehouse 3 Demand")
lp.colnames <- c("PlantA to warehouse1", "PlantA to warehouse2", "PlantA to</pre>
warehouse3", "PlantB to warehouse1", "PlantB to warehouse2", "Plant B to
warehouse3")
dimnames(lpec) <- list(lp.rownames, lp.colnames)</pre>
# Return the linear programming object to ensure the values are correct
lpec
## Model name:
                         PlantA to warehouse1
                                                 PlantA to warehouse2
                                                                          PlantA
to warehouse3
                 PlantB to warehouse1
                                         PlantB to warehouse2 Plant B to
warehouse3
## Minimize
                                           622
                                                                    614
630
                        641
                                                645
                                                                         649
## Plant A capacity
                                             1
                                                                      1
                                                0
1
                        0
                                                                         0
                                                                           <=
100
## Plant B capacity
                                             0
                                                1
                        1
                                                                         1
                                                                            <=
120
## warehouse 1 demand
                                             1
0
                        1
                                                0
                                                                         0
                                                                             =
80
## warehouse 2 demand
                                             0
                                                                      1
0
                        0
                                                1
                                                                         0
                                                                             =
60
## Warehouse 3 Demand
                                             0
                                                                      0
                        0
                                                0
1
                                                                         1
70
## Kind
                                           Std
                                                                   Std
Std
                        Std
                                                Std
                                                                         Std
                                          Real
                                                                   Real
## Type
                        Real
                                                Real
                                                                         Real
Real
## Upper
                                           Inf
                                                                    Inf
Inf
                        Inf
                                                Inf
                                                                         Inf
                                             0
                                                                      0
## Lower
                        0
                                                0
                                                                         0
write.lp(lpec, filename = "assignment 4 lp", type = "lp")
```

## Solve the linear program

```
solve(lpec)
## [1] 0
```

"0" is the optimal solution for the problem

```
get.objective(lpec)
## [1] 132790
```

1,32,790 is the production cost based on the given values

```
get.variables(lpec)
## [1] 0 60 40 80 0 30
```

Plant A Units Shipped to warehouse 1: 0 units Plant A Units Shipped to warehouse 2: 60 units Plant A Units Shipped to warehouse 3: 40 units Plant B Units Shipped to warehouse 1: 80 units Plant B Units Shipped to warehouse 2: 0 units