

Processamento e Recuperação de Informação

Generic Document Model

The Boolean Model

The Vector Space Model

Probabilistic Models

Comparison of the Different Models

# Processamento e Recuperação de Informação Information Retrieval Models

Departamento de Engenharia Informática Instituto Superior Técnico

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### Outline

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# Bibliography

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### Retrieval Models

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### Index Terms

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Comparison of the Different Models In the classic IR models, documents are represented by index terms

- full text/selected keywords
- structure/no structure

Not all terms are equally useful

• index terms can be weighted

We assume that terms are mutually independent

• this is, of course, a simplification



### Definition of a Document Model

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#### Definition

Let t be the number of index terms in the collection of documents, and let  $k_i$  be a generic index term.

- $K = \{k_1, \dots, k_t\}$  is the set of all index terms.
- A weight  $w_{i,j} \ge 0$  is associated with each index term  $k_i$  of a document  $d_j$ .
- For an index term which does not appear in the document text,  $w_{i,j} = 0$ .
- Each document  $d_j$  is associated a term vector  $\vec{d_j}$ , represented by  $\vec{d_j} = (w_{1,j}, w_{2,j}, \dots, w_{t,j})$ .
- Function  $g_i(\vec{d_j})$  returns the weight of index term  $k_i$  in vector  $\vec{d_i}$ .



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### Boolean Model Queries

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Comparison of the Different Models Follows Boolean algebra syntax and semantics

Term weights are binary

• 
$$w_{i,j} \in \{0,1\}$$

• 
$$w_{i,j} = 1$$
 — term present,

• 
$$w_{i,j} = 0$$
 — term not present

Queries are Boolean expressions

• E.g., 
$$q = k_a \wedge (k_b \vee \neg k_c)$$

 Documents are considered relevant if the query evaluates to 1 (true)



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#### $d_1$

That government is best which governs least

#### $d_2$

That government is best which governs not at all

#### $d_3$

When men are prepared for it, that will be the kind of government which they will have



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 $d_1$ 

That government is best which governs least

 $d_2$ 

That government is best which governs not at all

 $d_3$ 

When men are prepared for it, that will be the kind of government which they will have  $q = \mathsf{government} \land \mathsf{best}$ 

answer:  $d_1, d_2$ 



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 $d_3$ 

When men are prepared for it, that will be the kind of government which they will have  $q = \mathsf{government} \land \mathsf{best}$ 

answer:  $d_1, d_2$ 

 $q = \mathsf{government} \land \mathsf{best} \land \neg \mathsf{all}$ 

answer:  $d_1$ 



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#### $d_1$

That government is best which governs least

#### $d_2$

That government is best which governs not at all

#### $d_3$

When men are prepared for it, that will be the kind of government which they will have  $q = \mathsf{government} \land \mathsf{best}$ 

answer:  $d_1, d_2$ 

 $q = \mathsf{government} \land \mathsf{best} \land \neg \mathsf{all}$ 

answer:  $d_1$ 

 $q = \mathsf{government} \lor \mathsf{best} \land \neg \mathsf{all}$ 

answer:  $d_1, d_2, d_3$ 



# **Document-Query Similarity**

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Comparison of the Different Models Queries can be translated to a disjunction of conjunctive vectors

$$\vec{q} = k_a \wedge (k_b \vee \neg k_c) \Leftrightarrow (1, 1, 1) \vee (1, 1, 0) \vee (1, 0, 0)$$

each tuple corresponds to a vector  $(k_a, k_b, k_c)$ 

Similarity of a document to a query is defined as:

$$\mathit{sim}(d_j,q) = \left\{ egin{array}{ll} 1 & ext{if } \exists \vec{q_c} \in \vec{q} | \forall_i, g_i(\vec{d_j}) = g_i(\vec{q_c}) \\ 0 & ext{otherwise} \end{array} \right.$$



### The Boolean Model

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#### Why is it good?

- Simple model based on Boolean algebra
- Intuitive concept
- Precise semantics
- Clear formal basis
- Widely adopted by early information systems



### Boolean Model

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#### Limitations:

- Retrieval based only on binary decisions
  - More similar to data retrieval than information retrieval
  - Can retrieve too many, or too little documents
  - Some documents may be more relevant than others
- How do you translate a query to a Boolean expression?
  - Non-expert users may not be able to represent their information needs using Boolean expressions
- Terms are all equally important
  - Index term weighting can bring great improvements in performance



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#### Documents as Vectors

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Comparison of the Different Models Documents are represented as vectors

• 
$$\vec{d}_j = (w_{1,j}, w_{2,j}, \dots, w_{t,j})$$

- $w_{i,j}$  is the weight of term i in document j
- Queries are also vectors

• 
$$\vec{q} = (w_{1,q}, w_{2,q}, \dots, w_{t,q})$$

 Vector operations can be used to compare queries×documents (or documents×documents)



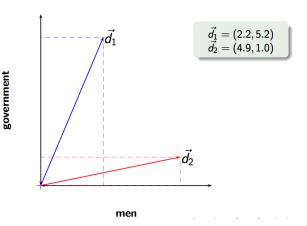
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### **Defining Document Vectors**

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#### Two questions are still unanswered:

- How do we define term weights?
- 4 How do we compare documents to queries?



# Defining Term Weights — TF

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### Term frequency

Term frequency is a measure of term importance within a document

#### Definition

Let N be the total number of documents in the system and  $n_i$  be the number of documents in which term  $k_i$  appears. The normalized frequency of a term  $k_i$  in document  $d_i$  is given by:

$$f_{i,j} = \frac{freq_{i,j}}{\max_{l} freq_{l,j}}$$

where  $freq_{i,j}$  is the number of occurrences of term  $k_i$  in document  $d_i$ .



# Defining Term Weights — IDF

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### (Inverse) Document frequency

Document frequency is a measure of term importance within a collection

#### Definition

The inverse document frequency of a term  $k_i$  is given by:

$$idf_i = \log\left(\frac{N}{n_i}\right)$$



# Defining Term Weights — TF-IDF

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#### Definition

The weight of a term  $k_i$  in document  $d_j$  for the vector space model is given by the tf-idf formula:

$$w_{i,j} = f_{i,j} \times \log\left(\frac{N}{n_i}\right)$$



### Components of TF-IDF

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Comparison of the Different Models Different TF-IDF formulations consider alternative approaches for the TF and IDF components, and also for normalizing the resulting vectors.

Term frequency		Document frequency		Normalization	
n (natural)	$tf_{t,d}$	n (no)	1	n (none)	1
l (logarithm)	$1 + \log(tf_{t,d})$	t (idf)	$\log \frac{N}{df_z}$	c (cosine)	$\frac{1}{\sqrt{w_1^2 + w_2^2 + + w_M^2}}$
a (augmented)	$0.5 + rac{0.5  imes  ext{t}  ext{f}_{t,d}}{ ext{max}_t ( ext{t}  ext{f}_{t,d})}$	p (prob idf)	$\text{max}\{0, \text{log} \frac{\textit{N}-\text{d}f_t}{\text{d}f_t}\}$	u (pivoted unique)	1/u
b (boolean)	$\begin{cases} 1 & \text{if } \operatorname{tf}_{t,d} > 0 \\ 0 & \text{otherwise} \end{cases}$			b (byte size)	$1/\mathit{CharLength}^{lpha}$ , $lpha < 1$
L (log ave)	$\frac{1 + \log(tf_{t,d})}{1 + \log(ave_{t \in d}(tf_{t,d}))}$				



# **Document Similarity**

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- Similarity between documents and queries is a measure of the correlation between their vectors
- Documents/queries that share the same terms, with similar weights, should be more similar
- Thus, as similarity measure, we use the cosine of the angle between the vectors

$$sim(d_j, q) = \frac{\vec{d_j} \cdot \vec{q}}{|\vec{d_j}| \times |\vec{q}|} = \frac{\sum_{i=1}^t w_{i,j} \times w_{i,q}}{\sqrt{\sum_{i=1}^t w_{i,j}^2} \times \sqrt{\sum_{i=1}^t w_{i,q}^2}}$$



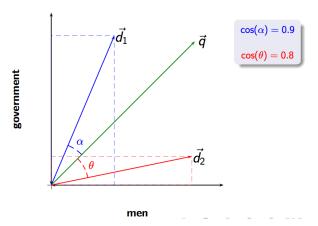
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### The Vector Space Model

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#### Why is it so good?

- Simple model, based on linear algebra
- Term weights are not binary
- Allows computing a continuous degree of similarity between queries and documents
- Thus, allows ranking documents according to their possible relevance



# Improving the VSM (1)

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#### The BM25 Model

Consider not only the term frequency and inverse document frequency heuristics, but also the document length as a normalization factor for the term frequency

$$TF_{i,j} = rac{f_{i,j} imes (k_1+1)}{f_{i,j} + k_1 imes \left(1 - b + b rac{|d_j|}{avgdl}
ight)}$$
 $IDF_i = \log rac{N - n_i + 0.5}{n_i + 0.5}$ 
 $sim(d_j, q) = \sum_{i \in q} IDF_i imes TF_{i,j}$ 

To be detailed in the next lecture



# Improving the VSM (2)

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#### Latent Semantic Indexing

- Find a low-rank approximation of the matrix which describes the occurrences of terms in documents
  - Singular Value Decomposition
  - Compare the documents in the low-dimensional space
- The consequence of the rank lowering is that some dimensions are combined (e.g., mitigates the problem of identifying synonymy)
- To be detailed latter in the course



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### Probabilistic Models for IR

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Comparison of the Different Models TF-IDF and VSM produces sufficiently good results in practice, but often criticized for being too ad-hoc or not principled

- Typically outperformed by probabilistic retrieval models and statistical language models in IR benchmarks
- Probabilistic retrieval models
  - use generative models of documents as bags-of-words
  - ullet explicitly model probability of relevance  $P(R|d_j,q)$
  - probabilistic justification for TF-IDF-like approaches
- Statistical language models
  - use generative models of documents and queries as sequences-of-words
  - consider likelihood of generating query from document model or divergence of document model and query model



### Probabilistic Retrieval Models

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#### Bayes optimal decision rule for set retrieval

$$d_j$$
 is relevant iff  $P(R|d_j,q)>P(\overline{R}|d_j,q)$ 

- Model the IR problem in a probabilistic framework
- Estimate the probability of document  $d_j$  being relevant to the user that that submited the query q
- When considering ranked retrieval, present documents in decreasing order of their estimated probability of relevance



# Binary Independence Model (BIM)

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### Simplifying assumptions for $P(R|d_i, q)$

- A simple probabilistic model can assume that:
  - probability depends only on query and document
  - there is a subset R of relevant documents
  - index terms are independent
  - 4 non-query terms are equally likely to appear in relevant and non-relevant documents
- Use binary term weights
  - documents and queries as binary term incidence vectors
  - terms not appearing in the query do not affect the ranking



# Document Query Similarity

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Comparison of the Different Models  As a similarity measure, we can use the ratio between the probability of finding the relevant documents and the probability of finding the non-relevant documents

$$sim(d_j, q) = rac{P(R|\vec{d_j}, \vec{q})}{P(\overline{R}|\vec{d_i}, \vec{q})}$$

• Often refered to as the Retrieval Status Value (RSV)



# Similarity Probabilities (1)

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#### **Initial Equation**

$$\mathit{sim}(\textit{d}_{j},\textit{q}) = \frac{\textit{P}(\textit{R}|\vec{\textit{d}}_{j},\vec{\textit{q}})}{\textit{P}(\overline{\textit{R}}|\vec{\textit{d}}_{j},\vec{\textit{q}})} = \frac{\textit{P}(\vec{\textit{d}}_{j},\vec{\textit{q}}|\textit{R}) \times \textit{P}(\textit{R})}{\textit{P}(\vec{\textit{d}}_{j},\vec{\textit{q}}|\overline{\textit{R}}) \times \textit{P}(\overline{\textit{R}})} \sim \frac{\textit{P}(\vec{\textit{d}}_{j},\vec{\textit{q}}|\textit{R})}{\textit{P}(\vec{\textit{d}}_{j},\vec{\textit{q}}|\overline{\textit{R}})}$$

#### Assuming term independence...

$$sim(d_j,q) \sim rac{\left(\prod_{g_i(ec{d}_j)=g_i(ec{q})=1} P(k_i|R)
ight) imes \left(\prod_{g_i(ec{d}_j)=0} P(\overline{k_i}|R)
ight)}{\left(\prod_{g_i(ec{d}_i)=g_i(ec{q})=1} P(k_i|\overline{R})
ight) imes \left(\prod_{g_i(ec{d}_i)=0} P(\overline{k_i}|\overline{R})
ight)}$$

### Taking logs and removing constant factors...

$$\mathit{sim}(d_j,q) = \sum_{i=1}^t w_{i,q} imes w_{i,j} imes \left(\log rac{P(k_i|R)}{1 - P(k_i|R)} + \log rac{1 - P(k_i|\overline{R})}{P(k_i|\overline{R})}
ight)$$



# Similarity Probabilities (2)

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#### Blind assumptions

$$P(k_i|R) = 0.5$$

$$P(k_i|\overline{R}) = \frac{n_i}{N}$$

#### After document retrieval or leveraging training data...

- Let V be the number of returned documents (i.e., number of documents estimated to be relevant)
- Let  $V_i$  be the number of returned docs with term  $k_i$

$$P(k_i|R) = \frac{V_i}{V}$$

$$P(k_i|\overline{R}) = \frac{n_i - V_i}{N - V}$$



# Similarity Probabilities (3)

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#### Avoiding small values when using blind assumptions...

- With zero counts probability is not well-defined
- Maximum likelihood estimates do not work for rare events
- To avoid zeros add 0.5 to each count (expected likelihood estimation) or use a different type of smoothing

$$P(k_i|R) = 0.5$$

$$P(k_i|\overline{R}) = \frac{n_i + 0.5}{N + 0.5}$$

#### Avoiding small values with estimates after retrieval...

$$P(k_i|R) = \frac{V_i + \frac{n_i}{N}}{V+1}$$

$$P(k_i|\overline{R}) = \frac{n_i - V_i + \frac{n_i}{N}}{N-V+1}$$



## Problems of this Simple Probabilistic Model

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- There is no accurate estimate for the first run probabilities
- Index terms are not weighted
- Terms are assumed mutually independent

In fact, many different probabilistic retrieval models have been proposed, some addressing the aforementioned limitations!



# Another Look at the BIM (1)

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#### Recall the log odds ratio for computing RSV

$$\mathit{sim}(d_j,q) = \sum_{i=1}^t w_{i,q} \times w_{i,j} \times \left(\log \frac{P(k_i|R)}{1 - P(k_i|R)} + \log \frac{1 - P(k_i|\overline{R})}{P(k_i|\overline{R})}\right)$$

#### Denoting $p_i = P(k_i|R)$ and $u_i = P(k_i|\overline{R})$

$$sim(d_j, q) = \sum_{i=1}^t w_{i,q} \times w_{i,j} \times \left(\log \frac{p_i}{1 - p_i} + \log \frac{1 - u_i}{u_i}\right)$$



# Another Look at the BIM (2)

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#### With the blind estimates, does the equation look familiar?

$$P(k_i|R)=p_i=0.5$$

$$P(k_i|\overline{R})=u_i=\frac{n_i}{N}$$

Replacing  $p_i$  and  $u_i$  in the previous equation...

$$\log \frac{p_i}{1 - p_i} = 0$$

$$\log \frac{1 - u_i}{u_i} = \log \frac{N - n_i}{n_i} \approx \log \left(\frac{\mathbf{N}}{\mathbf{n_i}}\right)$$



# Another Look at the BIM (3)

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- The BIM can be seen as TF-IDF with binary term frequencies and logarithmically dampened inverse document frequencies
- The score for document d is just IDF weighting of the guery terms present in the document

$$sim(d_j, q) = \sum_{i=1}^{t} w_{i,q} \times w_{i,j} \times \log\left(\frac{N}{n_i}\right)$$

Alternative formulation using smoothing

$$sim(d_j, q) = \sum_{i=1}^{t} w_{i,q} \times w_{i,j} \times \log\left(\frac{N - n_i + 0.5}{n_i + 0.5}\right)$$



## The Okapi BM25 Model (1)

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- Inspired by the BIM probabilistic formulation
- Considering an alternative for term weighting
- Captures various aspects in a simple formula, tuning each component
  - Inverse Document Frequency (IDF)
  - Term Frequncy (TF)
  - Document length
  - Query term fequency
- Effective and widely used model



## The Okapi BM25 Model (2)

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#### The BM25 Model

$$TF_{i,j} = \frac{f_{i,j} \times (k_1 + 1)}{f_{i,j} + k_1 \times \left(1 - b + b \frac{|d_j|}{avgdl}\right)}$$

$$IDF_i = \log \frac{N - n_i + 0.5}{n_i + 0.5}$$

$$sim(d_j, q) = \sum_{i \in q} IDF_i \times TF_{i,j}$$



## Probabilistic Language Models

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- Another simple probabilistic retrieval model
- Each document d is treated as (the basis for) a probabilistic language model
- Given a query q rank documents based on P(d|q)

$$P(d|q) = \frac{P(d) \times P(q|d)}{P(q)}$$

- The evidence P(q) is the same for all documents, so ignore
- *P*(*d*) is the prior
  - ullet often treated as the same for all d
  - we can give a higher prior to "high-quality" documents (e.g., those with high PageRank – to be seen latter)
- P(q|d) is likelihood, i.e. the probability of q given d



## How to compute P(q|d)

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Comparison of the Different Models Conditional independence assumption

$$P(q|d) = P(\lbrace t_1, \ldots, t_{|q|} \rbrace | d) = \prod_{1 < i < |q|} P(t_k|d)$$

- |q| is length of q
- ullet  $t_k$  is the token occurring at position k in q
- The above multinomial model is equivalent to:

$$P(q|d) = \prod_{ ext{distinct term } t \in q} P(t_k|d)^{TF_{t,q}}$$

- Component  $TF_{t,q}$  is the term frequency of t in q
- Parameters  $P(t_k|d)$  computed through maximum likelihood estimates

$$P(t_k|d) = \frac{TF_{t_k,d}}{|d|}$$



### LM Retrieval and Naïve Bayes

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The next class will introduce a simple probabilistic document classifyer, known as the Naïve Bayes approach

- We want to classify document d. We want to classify a query q
- Human-defined classes: e.g., politics, economics, sports. Each document in the collection is a different class
- Assume that d was produced by the generative model. Assume that a was generated by a generative model
- Which of the classes (= class models) is most likely to have generated the document d? Which document (=class) is most likely to have generated the query q?
- For which class do we have the most evidence? For which document (as source for query) do we have the most evidence?



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#### What makes these Models Work?

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#### Three main term weighting normalization driving features:

- TF Term Frequency
- IDF Inverse Document Frequency
- DL Document Length



### Comparison of the Different Models

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- Boolean model is considered the weakest
- There is some controversy over which shows better performance: vector space or probabilistic
  - Simple BIM is just IDF weighting of the terms
  - BM25 or language models offer a better performance
- Nowadays, BM25 is perhaps the most widely used



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### Questions?