SPACEX DATA SCIENCE WRITE-UP

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Estimating the Quality of Shuttle Valves

The approach I took was to estimate the distribution of each time-series. Specifically, I model each point in the time-series as a single-parameter Gaussian, $y \sim \mathcal{N}(\theta, \sigma)$ with that parameter having a Gaussian distribution $\theta \sim \mathcal{N}(\mu, \tau)$. I then if a new data-point y_1 arrives, the updates is as follows:

$$\mu_1 = \frac{\frac{1}{\tau_0}\mu_0 + \frac{1}{\sigma^2}y_1}{\frac{1}{\tau_0^2} + \frac{1}{\sigma^2}}$$
$$\frac{1}{\tau_1^2} = \frac{1}{\tau_0^2} + \frac{1}{\sigma^2}$$

Since, there are 1000 data points in each time-series, I create a chain of 999 nodes (the first one is left off, since y models the differences and not the values themselves), and update it 4 times. To perform inference and estimate whether an input time-series is good or bad, I implemented a log-likelihood function:

$$\mathcal{L}(\mathbb{Y}|\theta) = \sum \log\{p(y_i|\theta)\}$$

The determination is made based on which model produces a higher log-likelihood. Some of the class which I implemented to help with these Bayesian updates are:

- SingleParamNormal: this class handles the updating; takes an initial value for the μ , τ , and σ
- NormalChain: creates a chain of normals, updates constituent Gaussian nodes, and can generate the log-likelihood for a new series
- Predictor: initialized with some NormalChain objects, and can make a prediction of how to classify a new time-series

All the code is in the included valve.py as well as the iPython Notebook (althought that is strictly for experimentaiton.

Results

The model was primitive as only 1 parameter, the mean, was being learned. Even so, it is able to classify the two types series, even when leaving one series out of the training (as detailed in the __main__). Here is sample output:

paul\$ python3 valve.py

good series

good good good

bad series: bad bad bad bad bad bad bad

A next step would be to create a two-parameter learner which also learns the $\theta_2 = \sigma$.

Date: Today.

The learned path (taking 1000 simulations) looks as follows:

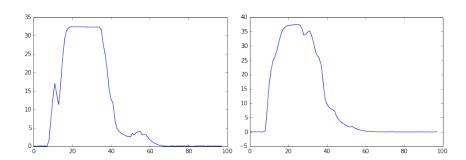


Figure 1. Learned Good (left) and Bad Paths