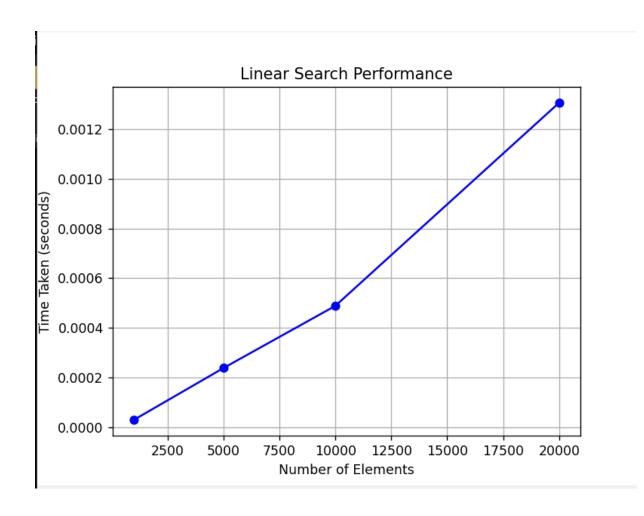
1.Linear Search

```
import time
import random
import matplotlib.pyplot as plt
def linear search(arr, key):
  return arr.index(key) if key in arr else -1
sizes = [1000, 5000, 10000, 20000]
times = []
for n in sizes:
  arr = sorted(random.sample(range(1, 1000000), n))
  key = arr[-1]
  print(f"Array size: {n}")
  print(f"Sample elements: {arr[:10]} ...")
  print(f"Target element: {key}\n")
  start time = time.perf counter()
  position = linear search(arr, key)
  end time = time.perf counter()
  times.append(end time - start time)
  print(f"Search element found at position: {position + 1}" if position != -1 else "Search element not
found.")
  print(f"Time taken: {times[-1]:.6f} seconds\n")
plt.plot(sizes, times, marker='o', linestyle='-', color='b')
plt.xlabel("Number of Elements")
plt.ylabel("Time Taken (seconds)")
plt.title("Linear Search Performance")
plt.grid()
plt.show()
```

```
====== RESTART: D:/Download/eee.py ====
Array size: 1000
Sample elements: [650, 1562, 3532, 4552, 7604, 8170, 8933, 9923, 12070, 12400] .
Target element: 999740
Search element found at position: 1000
Time taken: 0.000030 seconds
Array size: 5000
Sample elements: [296, 329, 586, 621, 1016, 1179, 1450, 1458, 1515, 2078] ...
Target element: 999945
Search element found at position: 5000
Time taken: 0.000238 seconds
Array size: 10000
Sample elements: [212, 363, 499, 618, 685, 687, 961, 1039, 1207, 1257] ...
Target element: 999862
Search element found at position: 10000
Time taken: 0.000489 seconds
Array size: 20000
Sample elements: [177, 206, 296, 439, 506, 550, 598, 608, 615, 626] ...
Target element: 999948
Search element found at position: 20000
Time taken: 0.001306 seconds
```

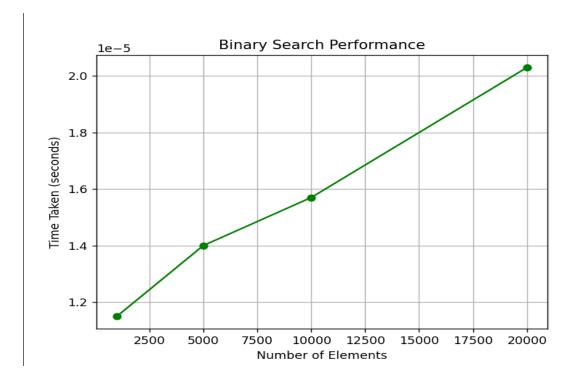


2.Binary Search

```
import time
import random
import matplotlib.pyplot as plt
def binary search(arr, key):
  low, high = 0, len(arr) - 1
  while low <= high:
     mid = (low + high) // 2
     if arr[mid] == key:
       return mid
     elif arr[mid] < key:
       low = mid + 1
     else:
       high = mid - 1
  return -1
sizes = [1000, 5000, 10000, 20000]
times = []
for n in sizes:
  arr = sorted(random.sample(range(1, 1000000), n))
  key = arr[(0+n)//2]
  print(f"Array size: {n}")
  print(f"Sample elements: {arr[:10]} ...")
  print(f"Target element: {key}\n")
  start time = time.perf counter()
  position = binary_search(arr, key)
  end time = time.perf counter()
  times.append(end time - start time)
  print(f''Search element found at position: \{position + 1\}'' if position != -1 else "Search element not
found.")
  print(f"Time taken: {times[-1]:.6f} seconds\n")
plt.plot(sizes, times, marker='o', linestyle='-', color='g')
```

```
plt.xlabel("Number of Elements")
plt.ylabel("Time Taken (seconds)")
plt.title("Binary Search Performance")
plt.show)
```

```
==== RESTART: D:/Download/binary.py ====
Array size: 1000
Sample elements: [945, 1283, 1532, 1538, 2065, 6201, 9128, 9196, 11243, 11819] .
Target element: 521774
Search element found at position: 501
Time taken: 0.000011 seconds
Array size: 5000
Sample elements: [125, 354, 474, 486, 556, 748, 785, 788, 952, 1369] ...
Target element: 503617
Search element found at position: 2501
Time taken: 0.000014 seconds
Array size: 10000
Sample elements: [45, 63, 66, 161, 205, 815, 897, 905, 970, 1047] ...
Target element: 495485
Search element found at position: 5001 Time taken: 0.000016 seconds
Array size: 20000
Sample elements: [26, 84, 89, 111, 127, 149, 180, 356, 361, 398] ...
Target element: 498692
Search element found at position: 10001
Time taken: 0.000020 seconds
```



3. Naive pattern search

```
def search(pat, txt):
    n = len(txt)
    m = len(pat)
    found = False
    for i in range(n - m + 1):
        if txt[i:i + m] == pat:
            print(f"Pattern found at index {i}")
            found = True
        if not found:
            print("Pattern not found")

txt = input("Enter the text: ")

pat = input("Enter the pattern: ")

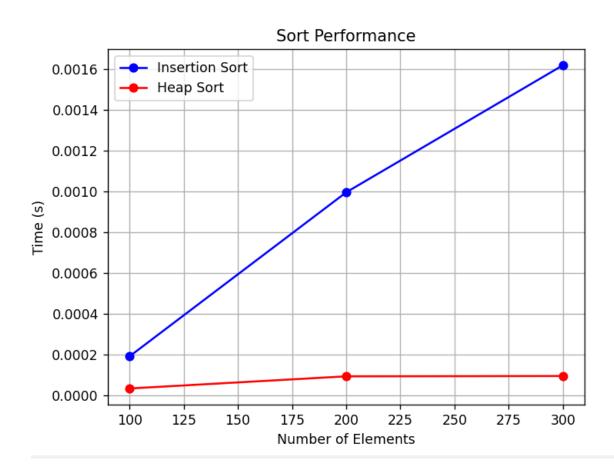
search(pat, txt)
```

```
= RESTART: D:/Download/naivepattern.py
Enter the text: AABAACAADAABAAABAA
Enter the pattern: AABA
Pattern found at index 0
Pattern found at index 9
Pattern found at index 13
```

3.Insertionsort vs Heapsort

```
import time
import random
import matplotlib.pyplot as plt
import heapq
definsertion sort(arr):
  for i in range(1, len(arr)):
     key, j = arr[i], i - 1
     while j \ge 0 and arr[j] \ge key:
       arr[j+1] = arr[j]
       i = 1
     arr[i + 1] = key
def heap sort(arr):
  heapq.heapify(arr)
  return [heapq.heappop(arr) for in range(len(arr))]
sizes = [100, 200, 300]
insertion times, heap times = [], []
for n in sizes:
  arr = random.sample(range(1, 1000000), n)
  start = time.perf counter()
  insertion sort(arr[:])
  insertion times.append(time.perf counter() - start)
  start = time.perf counter()
  heap_sort(arr[:])
  heap times.append(time.perf counter() - start)
  print(f"Size: {n} | Insertion Sort: {insertion times[-1]:.6f}s | Heap Sort: {heap times[-1]:.6f}s")
plt.plot(sizes, insertion times, 'bo-', label="Insertion Sort")
plt.plot(sizes, heap times, 'ro-', label="Heap Sort")
plt.xlabel("Number of Elements"), plt.ylabel("Time (s)"), plt.title("Sort Performance")
plt.legend(), plt.grid(), plt.show()
```

```
= RESTART: D:/Download/insertionheap.py
Size: 100 | Insertion Sort: 0.000190s | Heap Sort: 0.000033s
Size: 200 | Insertion Sort: 0.000996s | Heap Sort: 0.000092s
Size: 300 | Insertion Sort: 0.001619s | Heap Sort: 0.000094s
```



5.DFS

```
n = int(input("Enter the number of Vertices: "))
graph = {i: [] for i in range(n)}
for _ in range(int(input("Enter the number of Edges: "))):
    u, v = map(int, input("Edge (u v): ").split())
    graph[u].append(v)
    graph[v].append(u)

def dfs(node, visited):
    if node in visited:
        return
    print(node, end=" ")
    visited.add(node)
    for neighbor in graph[node]:
        dfs(neighbor, visited)

visited = set()

dfs(int(input("Start vertex: ")), visited)
```

```
= RESTART: D:/Download/dfs.py
Enter the number of Vertices: 5
Enter the number of Edges: 4
Edge (u v): 0 1
Edge (u v): 0 2
Edge (u v): 1 3
Edge (u v): 1 4
Start vertex: 0
0 1 3 4 2
```

6.BFS

```
from collections import deque
n = int(input("Enter the number of Vertices: "))
graph = \{i: set() \text{ for } i \text{ in } range(n)\}
for _ in range(int(input("Enter the number of Edges: "))):
  u, v = map(int, input("Edge (u v): ").split())
 graph[u].add(v)
 graph[v].add(u)
def bfs(start):
 visited, queue = set(), deque([start])
  while queue:
    node = queue.popleft()
    if node in visited: continue
    print(node, end=" ")
    visited.add(node)
    queue.extend(graph[node] - visited)
print("\nBFS Traversal:")
bfs(int(input("Start vertex: ")))
Enter the number of Vertices: 5
Enter the number of Edges: 4
 Edge (u v):
Edge
         (u \ v): 0 \ 2
         (u \ v): 1 \ 3
Edge
           (u \ v): 1 \ 4
Edge
 BFS Traversal:
 Start vertex: 0
    1 2 3 4
```

7.Dijikstra

```
V = int(input("Enter the number of Vertices: "))
print("Enter the adjacency matrix:")
graph = [list(map(int, input().split())) for in range(V)]
def dijkstra(graph, src):
 INF = float('inf')
  dist, visited = [INF] * V, set()
  dist[src] = 0
  for in range(V - 1):
    u = min((d, v) \text{ for } v, d \text{ in enumerate(dist) if } v \text{ not in visited)}[1]
    visited.add(u)
    for v in range(V):
      if v not in visited and graph[u][v] and dist[u] + graph[u][v] < dist[v]:
        dist[v] = dist[u] + graph[u][v]
  print("\nVertex \t Distance from Source")
  for i, d in enumerate(dist):
    print(f"{i} \t {d}")
dijkstra(graph, int(input("Source vertex: ")))
 Enter the number of Vertices:
 Enter the adjacency matrix:
 0 10 6 5
 10 0 15 0
 6 15 0 4
 5 0 4 0
 Source vertex: 0
                  Distance from Source
 Vertex
                   0
 0
 1
                   10
 2
                   6
 3
                   5
```

8.Prims's

```
V = int(input("Enter the number of Vertices: "))
print("Enter the adjacency matrix:")
graph = [list(map(int, input().split())) for in range(V)]
selected, edges, total cost = [False] * V, 0, 0
selected[0] = True
print("\nMST Edges (u - v : weight):")
while edges < V - 1:
 min weight, u, v = float('inf'), -1, -1
  for i in range(V):
    if selected[i]:
      for j in range(V):
        if not selected[j] and 0 < \text{graph}[i][j] < \text{min weight:}
          min weight, u, v = graph[i][j], i, j
 print(f''\{u\} - \{v\} : \{min weight\}'')
 selected[v], total cost, edges = True, total cost + min weight, edges + 1
print("\nTotal MST Cost:", total cost)
                            Enter the number of Vertices: 4
Enter the adjacency matrix:
0 10 6 5
10 0 15 0
6 15 0 4
5 0 4 0
MST Edges (u - v : weight):
3 - 2 :
0 - 1
              10
Total MST Cost: 19
```

9.Floyd

```
INF = float('inf')
V = int(input("Enter the number of vertices: "))
print(f"Enter the adjacency matrix (\{V\}x\{V\}) row by row:")
graph = []
for i in range(V):
  row = list(map(int, input().split()))
  graph.append([INF if x == 0 and i != j else x for j, x in enumerate(row)])
dist = [row[:] for row in graph]
for k in range(V):
  for i in range(V):
    for j in range(V):
      if dist[i][k] != INF and dist[k][j] != INF:
        dist[i][j] = min(dist[i][j], dist[i][k] + dist[k][j])
print("\nShortest distances between every pair of vertices:")
for row in dist:
  for val in row:
    print("INF" if val == INF else val, end="\t")
 print()
Enter the number of vertices: 5
Enter the adjacency matrix (5x5) row by row:
 0 4 0 0 0
 0 8 0 7 0
 00709
 0 0 0 9 0
 Shortest distances between every pair of vertices:
                         12
                                     19
                                                  28
 0
             4
 4
             0
                         8
                                     15
                                                  24
                                                  16
 12
                                     7
 19
             15
                         7
                                     0
                                                  9
 28
             24
                         16
                                     9
                                                  0
```

10.Warshall

```
n = int(input("Enter the number of vertices: "))
graph = []
print("Enter the adjacency matrix row by row:")
for _ in range(n):
  graph.append(list(map(int, input().split())))
for k in range(n):
  for i in range(n):
    for j in range(n):
      graph[i][j] = graph[i][j] or (graph[i][k] and graph[k][j])
print("Transitive Closure:")
for row in graph:
 print(" ".join(map(str, row)))
 = RESTART: D:/python/warshall.py
 Enter the number of vertices: 4
 Enter the adjacency matrix row by row:
 0 1 0 0
 1 0 1 0
 1 0 0 1
 0 1 1 0
 Transitive Closure:
 1 1 1 1
 1 1 1 1
 1 1 1 1
 1 1 1 1
```

11.Minmax

```
def find max min(arr):
  if len(arr) == 1:
    return arr[0], arr[0]
  if len(arr) == 2:
    return (arr[0], arr[1]) if arr[0] > arr[1] else (arr[1], arr[0])
  mid = len(arr) // 2
  left max, left min = find max min(arr[:mid])
  right max, right min = find max min(arr[mid:])
  return max(left max, right max), min(left min, right min)
n = int(input("Enter the number of elements: "))
arr = list(map(int, input(f''Enter {n} elements separated by spaces: ").split()))
if len(arr) != n:
  print("Error: Number of elements entered does not match the expected count.")
else:
  max num, min num = find max min(arr)
  print("Maximum number:", max num)
  print("Minimum number:", min num)
                ==== RESTART: D:/python/maxmin.py ==
Enter the number of elements: 6
Enter 6 elements separated by spaces: 23 5 1 0
Maximum number: 122
Minimum number:
```

12.MergeVS Quick

```
import time
import random
import matplotlib.pyplot as plt
def merge_sort(arr):
  if len(arr) > 1:
     mid = len(arr) // 2
     left, right = arr[:mid], arr[mid:]
     merge_sort(left)
     merge_sort(right)
     i = j = k = 0
     while i < len(left) and j < len(right):
       if left[i] < right[j]:
          arr[k] = left[i]
          i += 1
        else:
          arr[k] = right[j]
          j += 1
       k += 1
     while i < len(left):
       arr[k] = left[i]
       i += 1
        k += 1
     while j < len(right):
        arr[k] = right[j]
```

```
j += 1
       k += 1
def quick sort(arr):
  if len(arr) \le 1:
     return arr
  pivot = arr[len(arr) // 2]
  left = [x for x in arr if x < pivot]
  middle = [x for x in arr if x == pivot]
  right = [x \text{ for } x \text{ in arr if } x > pivot]
  return quick sort(left) + middle + quick sort(right)
sizes = [100, 200, 300]
merge times, quick times = [], []
for n in sizes:
  arr = random.sample(range(1, 1000000), n)
  start = time.perf counter()
  merge sort(arr[:])
  merge times.append(time.perf counter() - start)
  start = time.perf counter()
  quick sort(arr[:])
  quick times.append(time.perf counter() - start)
  print(f"Size: {n} | Merge Sort: {merge times[-1]:.6f}s | Quick Sort: {quick times[-1]:.6f}s")
plt.plot(sizes, merge times, 'bo-', label="Merge Sort")
plt.plot(sizes, quick times, 'ro-', label="Quick Sort")
plt.xlabel("Number of Elements"), plt.ylabel("Time (s)"), plt.title("Sort Performance")
plt.legend(), plt.grid(), plt.show()
```

Size: 100 | Merge Sort: 0.000144s | Quick Sort: 0.000170s
Size: 200 | Merge Sort: 0.000291s | Quick Sort: 0.000347s
Size: 300 | Merge Sort: 0.000604s | Quick Sort: 0.000664s

