Assignment 2 Introduction

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Deep Learning Exercise

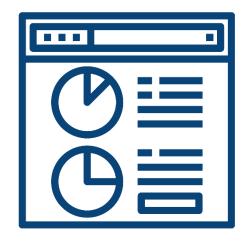
Chair of Explainable Machine Learning (xAI)

28 November 2022





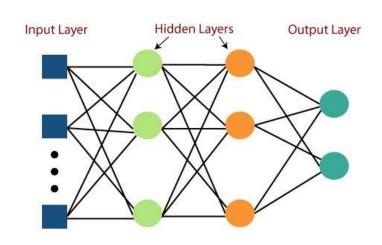
Overview



Overview



- 1. Softmax Regression
- 2. 2-Layer Neural Network
- 3. Activation functions
 - a) Sigmoid
 - b) ReLU
- 4. Cross-entropy loss
- 5. Optimizer
 - a) SGD with regularization





Experiment Report



Experiment Report



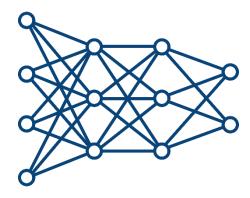
Include all generated plots within the PDF report

Use the provided template to collect your experiment results

Add additional pages to the template if necessary

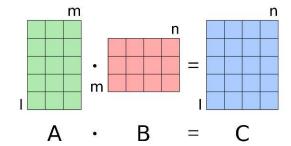


Softmax Regression (SR)





y: $(N,) \rightarrow \text{ each is 1 of 10 possible labels}$



Forward

$$Z = XW$$

$$R = ReLU(Z)$$

$$S = softmax(R)$$

$$L = CE(S, y)$$

Dimensions

L is the loss (scalar)



$$\frac{\partial L}{\partial W} = \frac{\partial L}{\partial R} \frac{\partial L}{\partial Z} \frac{\partial Z}{\partial W}$$

Backward

$$L = CE(softmax(R), y)$$

$$\frac{\partial L}{\partial R} = \frac{\partial CE(softmax(R), y)}{\partial R}$$

$$\frac{\partial L}{\partial Z} = \frac{\partial L}{\partial R} \frac{\partial R}{\partial Z}$$

$$\frac{\partial L}{\partial W} = \frac{\partial L}{\partial Z} \frac{\partial Z}{\partial W}$$

Dimensions

L is the loss (scalar)

Same as R

Same as Z

Same as W



Convenient Derivation for: $\frac{\partial L}{\partial R}$



- $\frac{\partial L}{\partial R}$ is the derivative of the cross entropy loss function w.r.t. the logits.
- Read <u>this article</u> for a detailed explanation



Tips:

- If you are confused by working with batches, try working through an example with a single sample first and generalize to batches afterward
- When performing matrix operations, think about the dimensions of the desired output and how you can arrive at that given the dimensions of the inputs (e.g. if transposes are needed, which matrix comes first)
- For CE Loss, be sure to take the average across the batch, not the sum