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Program ten ma złożoność liniową  $O(n)$ - jest tylko kilka pojedynczych pętli w funkcjach.

wynik:

x0= -0.2601626016260163  
x1= 0.44715447154471555  
x2= 0.4715447154471545  
x3= 0.6666666666666669  
x4= 0.8617886178861788  
x5= 0.8861788617886177  
x6= 1.5934959349593498

Kod w pythonie:

```
#=====
def shermanMorrison(Z, Q, UV):
    global N

    mian = 0.
    liczn = 0.

    for i in range(0, N):
        liczn += Z[i]*UV[i]
        mian += Q[i]*UV[i]

    mian += 1

    for i in range(0, N):
        Q[i] *= (liczn/mian)

#=====
def thomas(A, B, C, D):
    global N

    N -= 1

    C[0] /= B[0]
    D[0] /= B[0]

    for i in range(1, N):
        C[i] /= B[i] - A[i]*C[i-1]
        D[i] = (D[i] - A[i]*D[i-1]) / (B[i] - A[i]*C[i-1])

    D[N] = (D[N] - A[N]*D[N-1]) / (B[N] - A[N]*C[N-1])

    i = N - 1
    while i >= 0:
        D[i] -= C[i] * D[i+1]
```

i -= 1

#=====

```
A = [0.,1.,1.,1.,1.,1.,1.] #według wzoru (60) z wykładu
B = [3.,4.,4.,4.,4.,4.,3.] #thomasem uzyskuje wektory
C = [1.,1.,1.,1.,1.,1.,0.] #użyte we wzorze shermanamorrisona
```

```
Z = [1.,2.,3.,4.,5.,6.,7.]
UV = [1.,0.,0.,0.,0.,0.,1.]
Q = [1.,0.,0.,0.,0.,0.,1.]
N = len(A)
thomas(A,B,C,Z)
```

```
A = [0.,1.,1.,1.,1.,1.,1.]#definiuje jeszcze raz bo thomas() mi zmienia
B = [3.,4.,4.,4.,4.,4.,3.]
C = [1.,1.,1.,1.,1.,1.,0.]
N = len(A)
thomas(A,B,C,Q)
```

```
A = [0.,1.,1.,1.,1.,1.,1.]#definiuje jeszcze raz bo thomas() mi zmienia
B = [3.,4.,4.,4.,4.,4.,3.]
C = [1.,1.,1.,1.,1.,1.,0.]
N = len(A)
shermanMorrison(Z, Q, UV)
```

```
N = len(A)
print 'wynik:'
for i in range(0,N):
    print "x" + repr(i) + "= " +repr(Z[i]-Q[i])
```