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W tym zadaniu tylko zaimplementowałem metodę potęgową dla znalezienia najmniejszej wartości własnej.

Korzystam z algorytmu thomasa, ponieważ mamy trójdziagonalną macierz.

Output:

Odwrotna metoda potęgowa-

najmniejszy eigenvalue wynosi: 0.00040076683257458435

### Kod w pythonie (Salwa9.py):

```
# -*- coding: utf-8 -*-  
"""
```

```
Created on Sun Feb 05 17:54:55 2017
```

```
@author: salwus  
"""
```

```
from math import cosh,sqrt
```

```
N=1000
```

```
def vectorInit():
```

```
    global N
```

```
    h=20./(N-1)
```

```
    a=1./(h**2)
```

```
    b=2./(h**2)
```

```
    A=[]#diagonale
```

```
    B=[]
```

```
    C=[]
```

```
    A.append(0.)#indeks za macierza
```

```
    for i in range(0,N):
```

```
        x = (i-N/2)*h
```

```
        x = cosh(x)
```

```
        x = x**2
```

```
        if(i > 0):
```

```
            A.append(-a)
```

```
            B.append(b + 6/x)
```

```
            if(i< N-1):
```

```
                C.append(-a)
```

```
    C.append(0.)#indeks za macierza
```

```
    return A,B,C
```

```
#=====
```

```
def thomas(A,B,C,D):
```

```
global N
```

```
N -= 1
```

```
C[0] /= B[0]
```

```
D[0] /= B[0]
```

```
for i in range(1,N):
```

```
    C[i] /= B[i] - A[i]*C[i-1]
```

```
    D[i] = (D[i] - A[i]*D[i-1]) / (B[i] - A[i]*C[i-1])
```

```
D[N] = (D[N] - A[N]*D[N-1]) / (B[N] - A[N]*C[N-1])
```

```
i = N - 1
```

```
while i >= 0:
```

```
    D[i] -= C[i] * D[i+1]
```

```
    i -= 1
```

```
return A,B,C
```

```
#=====
```

```
def omp():
```

```
    global N
```

```
    A,B,C = vectorInit()
```

```
    Z = [1.,2.,3.,4.,5.,6.,7.]
```

```
    Lambda=0
```

```
    temp2=[]
```

```
    Evector=[]
```

```
    X=[]
```

```
    X_prev=[]
```

```
    Z=[]
```

```
    for i in range(0,N):
```

```
        Evector.append(0.)
```

```
        temp2.append(0.)
```

```
        X.append(1.)
```

```
        X_prev.append(1.)
```

```
        Z.append(0.)
```

```
    while(True):
```

```
        A,B,C = thomas(A,B,C,X)
```

```
        temp=0
```

```
        for i in range(0,N):
```

```
            temp += Evector[i]*X[i]
```

```
            temp2[i] = Evector[i]
```

```
        for i in range(0,N):
```

```
            temp2[i] *= temp
```

```
        for i in range(0,N):
```

```
            X[i] -= temp2[i]
```

```

    for i in range(0,N):
        Z[i] = X[i]

    X_norm = 0

    for i in range(0,N):
        X_norm += X[i]*X[i]
    X_norm = sqrt(X_norm)

    for i in range(0,N):
        X[i] /= X_norm
    if (abs( Lambda- X_norm ) < 0.00000001):
        break

    for i in range(0,N):
        X_prev[i] = X[i]
    Lambda = X_norm
    X_norm = 0
    for i in range(0,N):
        X_norm += Z[i]*X_prev[i]
    Eigenvalue = X_norm

    for i in range(0,N):
        Evector[i] = X[i]
        X_prev[i] = 1
        X[i] = 1

    print "Odwrotna metoda potegowa-\nnajmniejszy eignvalue wynosi: " + repr(Eigenvalue)

```

omp()