

# PHYS 462 (optics) HW#6

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## 1 8.5

$$\tilde{E} = \frac{\hat{i} - \hat{j}}{\sqrt{2}} E_o e^{(\omega t + (x+y)/\sqrt{2}\lambda + \pi/2)i}$$

## 2 8.9

We are told that the angle between the light and the polariser is  $60^\circ$  we also know that the intensity goes as  $\cos^2(\theta)$  of the incident light. So the intensity will be  $(\cos(60))^\circ = (\frac{1}{2})^\circ = .25$  so 25% of the light will be transmitted.

## 3 8.14

We will assume that the polariser is ideal given no other information. We then see that there is a  $60^\circ$  angle between the polariser and the incident light. From the previous section we know that the intensity will be quartered to  $50W/m^2$ .

## 4 8.18

If we take non-polarized light and polarize it the intensity is reduced by the average value of  $\cos^2(x)$  which is  $\frac{1}{2}$  so the first polariser reduces the intensity by .5. if we then have a polariser at  $50^\circ$  off of the previous one we will reduce the intensity by another  $\cos^2(50)$  so our intensity will be  $I = I_o \cdot .5\cos^2(50^\circ) = 207W/m^2$ . With the third polariser in place we then get  $I = I_o \cdot .5\cos^2(25^\circ)\cos^2(25^\circ) = 337W/m^2$ .

## 5 8.23

The light leaving the paper has lost its polarization since the paper absorbs the light and then transmits the light.

## 6 8.30

This will be the Brewsters angle so  $(8.25) \tan(\theta) = n = 1.39$ .

## 7 8.35

In the crystal the ordinary waves have a index of 1.5443 so there wavelength is  $381.60nm$  and there frequency is preserved at  $c/\lambda = 5.09E14Hz$ . The extraordinary light has a index of 1.5534 and so will have a wavelength of  $379.36nm$  and the same frequency of  $5.09E14Hz$ .

## 8 8.41

The initial polariser will reduce the outgoing light by  $1/2$  however the quarter wave plates will not reduce intensity and will simply rotate the light by  $\pi/2$  thus oner it has gone through all of the plates it will be rotated by  $\pi/2$  and be able to go through the last polariser. So the total intensity will be reduced by  $1/2$ .