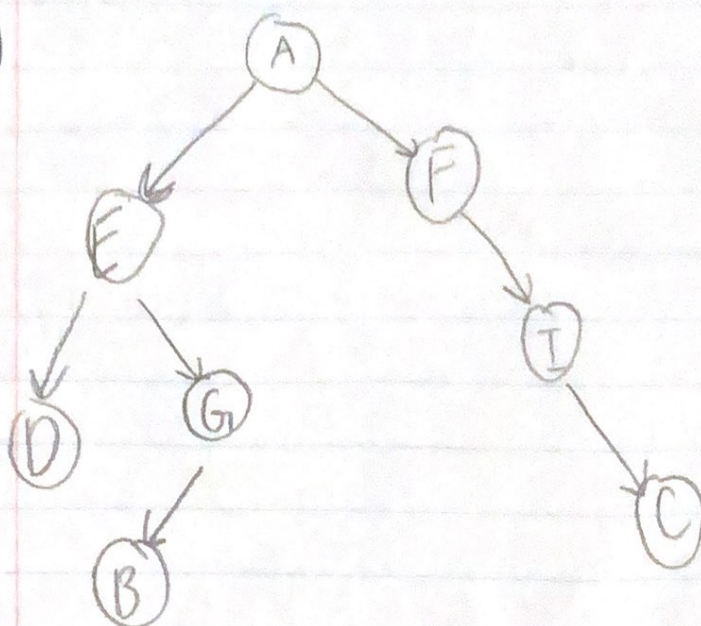
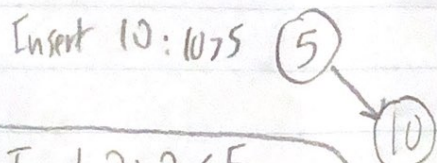


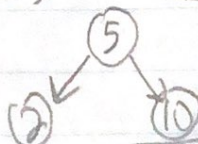
1.)



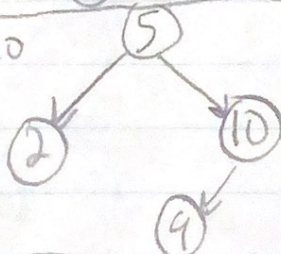
2.) Insert 5 : (5)



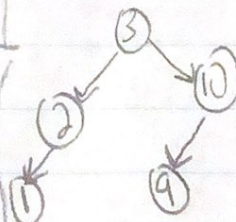
Insert 2:  $2 < 5$



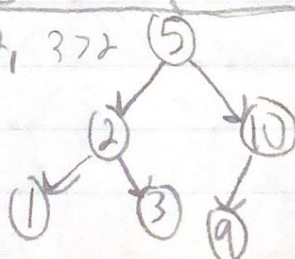
Insert 9:  $9 > 5, < 10$



To remove, you would put 3 in 5's place

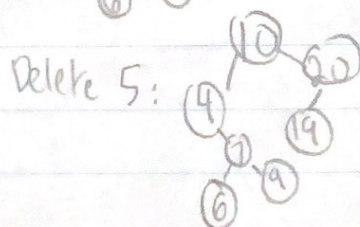
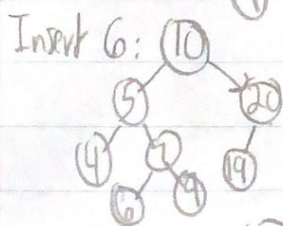
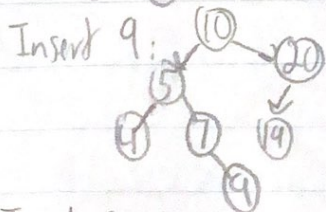
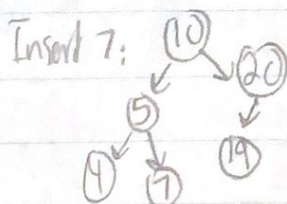
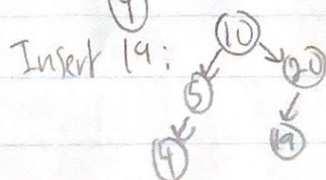
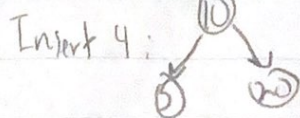
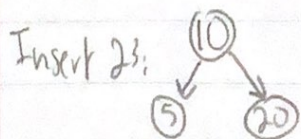
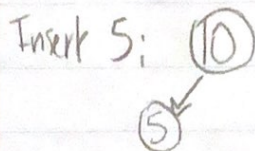


Insert 1 & 3, both  $< 5$ ,  $1 < 2$ ,  $3 > 2$





3.) Insert 10: (10)



4.) a.) Height: 4 (100-50-80-90-83)

b.) Minimum height: depth

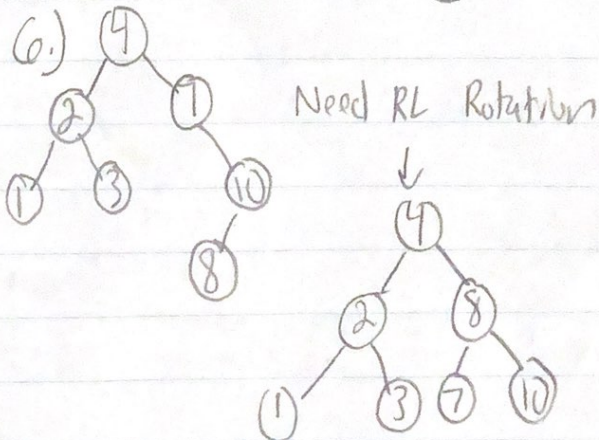
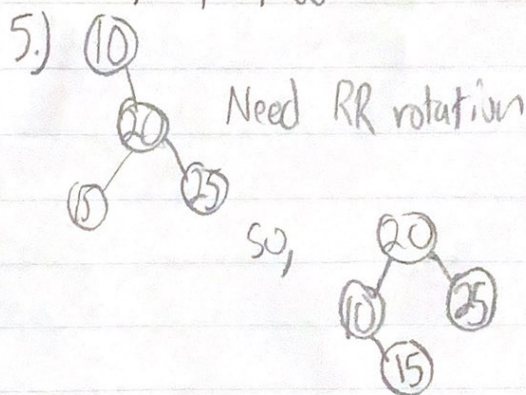
For 90: 3

c.) For 90, height is 1

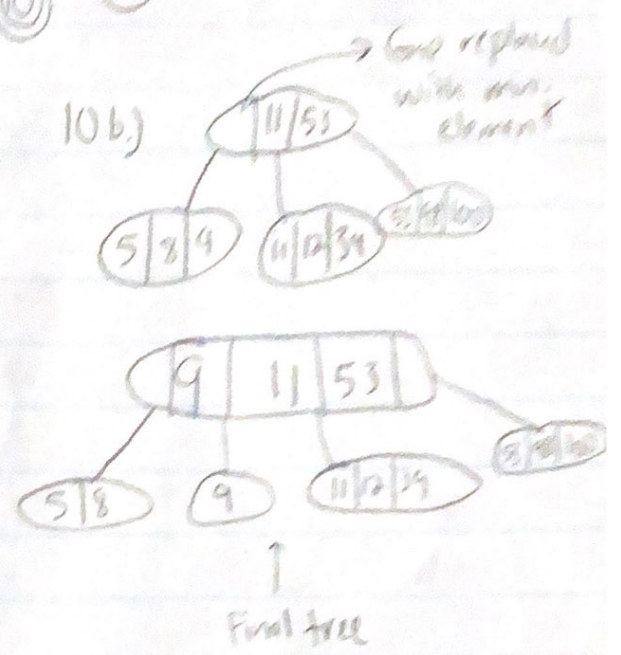
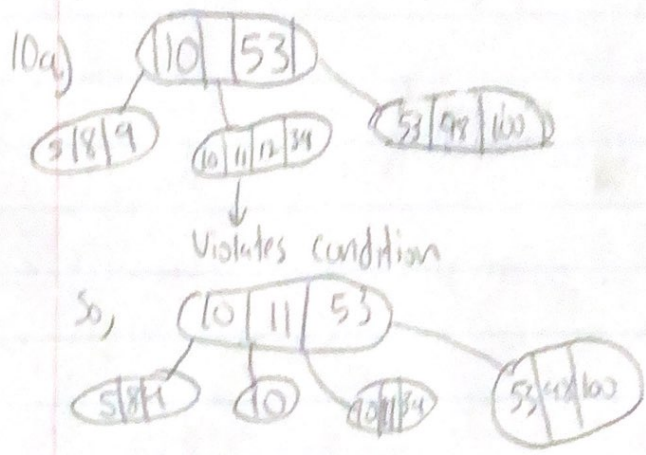
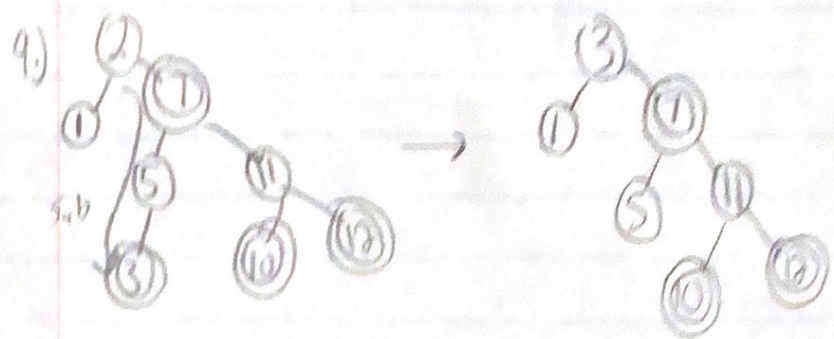
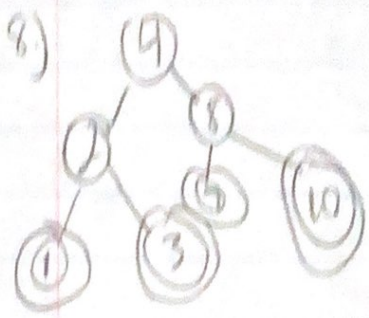
d.) Preorder: 100, 50, 3, 1, 20, 80, 52, 90, 83, 99, 150, 125, 152

In order: 1, 3, 20, 50, 52, 80, 83, 90, 99, 100, 125, 150, 152

Post order: 1, 20, 3, 52, 83, 99, 90, 80, 50, 125, 152, 150, 100









11a.) The size of the internal node is 3.

The size is 3, because we can see in the B-tree structure there are 3 nodes available



11b.) The size of B-tree leaf nodes (L) is 6. In the given B-tree their size is 6, in the node the last place is recognized as a pointer, there is a null that is assigned for the pointer.

11c.) The height of the B+ tree is:

$$\log_{(\frac{1}{2}m)}(N + \frac{1}{2}) =$$

$$11d.) \log_{(\frac{1}{2}(3000))}(30000.5) = 8.653 \approx 9$$

$$11e.) \log_{(\frac{1}{2}(2.5 \text{ mil}))}(2.5 \text{ mil} . 5) = 12.4949 \approx 12.5 \approx 13$$