

## Homework #5 — due Friday, 5/17

### To hand in:

**3.5:** 18

**3.7:** 3, 4, 11<sup>†</sup>, 14

**3.8:** 10\*, 12, 16\*\*

<sup>†</sup> *Note on 3.7 #11:* To find the damping coefficient  $\gamma$ , note that the problem says that the damping force is 3 N when  $u' = 5$ . In the standard equation for the motion a mass on a spring,  $mu'' + \gamma u' + ku = F(t)$ , the term  $\gamma u'$  is the damping force, so you can use these pieces of information to find  $\gamma$ . Also, the rule I gave in class isn't enough to find  $k$  in this problem. Here is a more general fact about springs that you can use to find  $k$  in this problem (and probably all others we'll face in 307): applying a force of  $F$  to a spring with spring constant  $k$  will stretch it a distance of  $L = F/k$  (so the higher  $k$  is, the stronger the spring is and the less it stretches). In class, we only talked about how to find  $k$  when we know how much the mass stretches the spring. This is a special case of the rule above, where  $F$  is the force due to gravity,  $F = mg$ .

\* *Note on 3.8 #10:* When using standard units (instead of metric units), remember that pounds are a unit of force. To get mass from pounds, divide by the acceleration due to gravity,  $g = 32\text{ft/s}^2$ . You'll also need to convert the measurements in inches to feet.

\*\* *Note on 3.8 #16:* We haven't yet covered circuits like this one in class. The book explains how to set up the differential equation for these circuits on pages 201–202.

### To do (not to be handed in):

**3.7:** 13, 18

**3.8:** 11