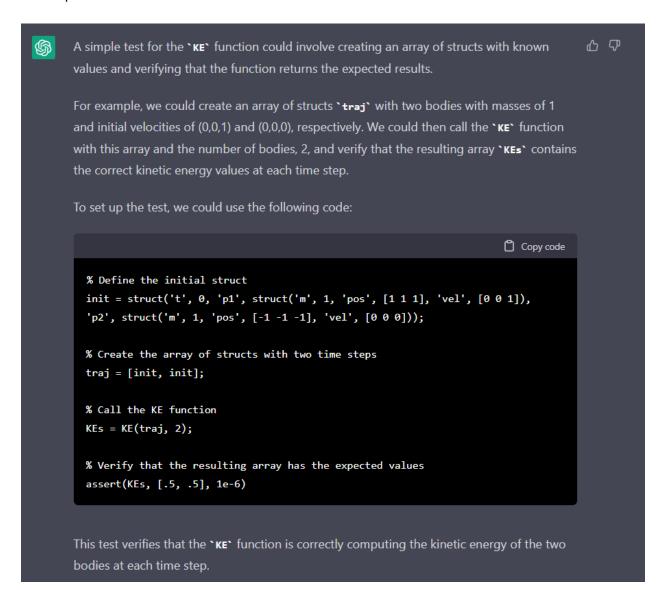
Initial prompt:

```
assume that 'traj' is an array of structs, with each struct containing information about an n
body 3d gravitational simulation at a given time. An example struct can be found below:
```matlab
init =
scalar structure containing the fields:
 t = 0
 p1 =
 scalar structure containing the fields:
 m = 1
 pos =
 vel =
 0 0 1
 p2 =
 scalar structure containing the fields:
 pos =
 vel =
 0 0 0
Using the working function below, come up with a simple test for the function.
function [KEs] = KE(traj,nbodies)
 total = numel(traj);
 KEs = [];
 for levels = 1:total
 that level = 0;
 for x = 1:nbodies
 str1 = sprintf("p%d", x);
 tempA = traj(levels);
 tempAvel = tempA.(str1).vel;
 mag_vel = sqrt(tempAvel(1)^2 + tempAvel(2)^2 + tempAvel(3)^2);
 tempAm = tempA.(str1).m;
 thatlevel = thatlevel + (.5 * tempAm * mag_vel^2);
 endfor
 KEs(levels) = thatlevel;
 endfor
end
```

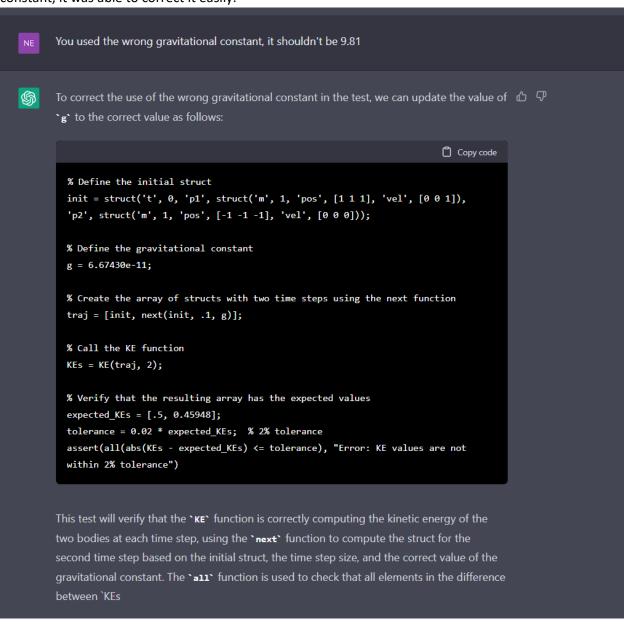
## The response:



Impressively, the test passes right off the bat. I am extremely impressed that ChatGPT was able to not only determine the exact data structure I was using. Unfortunately, it doesn't quite know about the next function, since I conveniently forgot to let it know that it exists, and it just set the second state of traj equal to init as well. It did however correctly calculate the kinetic energy of the two states it made:

```
KE = .5 mv^2
KE = .5 * 1 * 1^2 = .5
```

I let it know about the next function, and a 2% tolerance, then I get this. Note that the value of g is incorrect, it should not be equal to 9.81 m/s . After letting ChatGPT know it used the wrong gravitational constant, it was able to correct it easily.



The expected value of the kinetic energ	y of the second state	is wrong now that the v	value of g changed:



To correct the expected kinetic energy value based on the change in the value of the gravitational constant, we can compute the expected value using the correct value of  $\mathbf{\hat{g}}$  as follows:

```
<u>ፊ</u> ረ
```

```
Copy code
% Define the initial struct
init = struct('t', 0, 'p1', struct('m', 1, 'pos', [1 1 1], 'vel', [0 0 1]),
'p2', struct('m', 1, 'pos', [-1 -1 -1], 'vel', [0 0 0]));
% Define the gravitational constant
g = 6.67430e-11;
\mbox{\ensuremath{\mbox{\%}}} Create the array of structs with two time steps using the next function
traj = [init, next(init, .1, g)];
% Call the KE function
KEs = KE(traj, 2);
% Compute the expected kinetic energy value
m1 = init.p1.m;
v1 = sqrt(init.p1.vel(1)^2 + init.p1.vel(2)^2 + init.p1.vel(3)^2);
KE1 = .5 * m1 * v1^2;
m2 = init.p2.m;
v2 = sqrt(init.p2.vel(1)^2 + init.p2.vel(2)^2 + init.p2.vel(3)^2);
KE2 = .5 * m2 * v2^2;
expected_KEs = [KE1 + KE2, XXXXXX];
% Verify that the resulting array has the expected values
tolerance = 0.02 * expected_KEs; % 2% tolerance
assert(all(abs(KEs - expected_KEs) <= tolerance), "Error: KE values are not
within 2% tolerance")
```

To compute the expected kinetic energy value for the second time step, we can use the <code>`next`</code> function to compute the next state based on the initial struct, the time step size, and the correct value of the gravitational constant,

NE

what is the value of XXXXXX



To compute the value of `xxxxxx` in the test, we can use the `next` function to compute the  $\ \Box$   $\ \Box$  next state based on the initial struct, the time step size, and the correct value of the gravitational constant, and then compute the kinetic energy of the two bodies in the next state.

For example, we can modify the test as follows:

```
Copy code
% Define the initial struct
init = struct('t', 0, 'p1', struct('m', 1, 'pos', [1 1 1], 'vel', [0 0 1]),
'p2', struct('m', 1, 'pos', [-1 -1 -1], 'vel', [0 0 0]));
% Define the gravitational constant
g = 6.67430e-11;
% Create the array of structs with two time steps using the next function
traj = [init, next(init, .1, g)];
% Call the KE function
KEs = KE(traj, 2);
% Compute the expected kinetic energy value
m1 = init.p1.m;
v1 = sqrt(init.p1.vel(1)^2 + init.p1.vel(2)^2 + init.p1.vel(3)^2);
KE1 = .5 * m1 * v1^2;
m2 = init.p2.m;
v2 = sqrt(init.p2.vel(1)^2 + init.p2.vel(2)^2 + init.p2.vel(3)^2);
KE2 = .5 * m2 * v2^2;
\ensuremath{\mathrm{\%}} Compute the kinetic energy of the two bodies in the next state
next_state = next(init, .1, g);
m1 = next_state.p1.m;
v1 = sqrt(next_state.p1.vel(1)^2 + next_state.p1.vel(2)^2 +
next_state.p1.vel(3)^2);
KE1_next = .5 * m1 * v1^2;
m2 = next_state.p2.m;
v2 = sqrt(next_state.p2.vel(1)^2 + next_state
```

Where is the rest of the test?



To complete the test code, we can add the following lines:

```
Copy code
% Define the initial struct
init = struct('t', 0, 'p1', struct('m', 1, 'pos', [1 1 1], 'vel', [0 0 1]),
'p2', struct('m', 1, 'pos', [-1 -1 -1], 'vel', [0 0 0]));
% Define the gravitational constant
g = 6.67430e-11;
% Create the array of structs with two time steps using the next function
traj = [init, next(init, .1, g)];
% Call the KE function
KEs = KE(traj, 2);
% Compute the expected kinetic energy value
m1 = init.p1.m;
v1 = sqrt(init.p1.vel(1)^2 + init.p1.vel(2)^2 + init.p1.vel(3)^2);
KE1 = .5 * m1 * v1^2;
m2 = init.p2.m;
v2 = sqrt(init.p2.vel(1)^2 + init.p2.vel(2)^2 + init.p2.vel(3)^2);
KE2 = .5 * m2 * v2^2;
% Compute the kinetic energy of the two bodies in the next state
next_state = next(init, .1, g);
m1 = next_state.p1.m;
v1 = sqrt(next_state.p1.vel(1)^2 + next_state.p1.vel(2)^2 +
next_state.p1.vel(3)^2);
KE1 next = .5 * m1 * v1^2;
m2 = next_state.p2.m;
v2 = sqrt(next_state.p2.vel(1)^2 + next_state.p2.vel(2)^2 +
next_state.p2.vel(3)^2);
KE2_next = .5 * m2 * v2^2;
expected_KEs = [KE1 + KE2, KE1_next + KE2_next];
% Verify that the resulting array has the expected values
tolerance = 0.02 * expected_KEs; % 2% tolerance
assert(all(abs(KEs - expected_KEs) <= tolerance), "Error: KE values are not
within 2% tolerance")
```

And there we have a perfectly passing test.

It is incredible that an AI chatbot has the ability to create working code for something so complex.