

Convolution

ZPRAC-16-17-Lab12

CONVOLUTION [30 Points]

ANNOUNCEMENT:

Up to 20% marks will be allotted for good programming practice. These include

- Comments for non trivial code
 - Indentation: align your code properly
 - Use dynamic memory allocation whenever array (any dimensional) is needed, not doing so will lead to zero marks (except for the kernel matrix)
 - Use the function definition given, changing the definition will lead to zero marks.
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In image processing and computer vision, convolving an Image with a Kernel matrix is a common technique use for blurring, edge detection, and various image filters. Given an $n \times n$ image (i.e $n \times n$ matrix of integers) A and 3×3 kernel matrix k , generate a $(n-2) \times (n-2)$ matrix C after convolving the image with the kernel.

Go generate the convolved matrix, $C[i][j]$ can be given by multiplying $A[i][j]$ with the center element of the kernel, the pixel to the top left of $A[i][j]$ with the element on the top left of the kernel, the element above $A[i][j]$ with the element above the center element in the kernel and so on and then adding all of these together. See that the kernel matrix has 9 elements (3×3 matrix) hence it takes the neighbourhood of $A[i][j]$ (i.e. 8 neighbours plus itself so 9 elements), multiplies them with the corresponding kernel entry and adds them saves them in $C[i][j]$. Since the edge elements don't have neighbours, they are not convolved, so we get an $(n-2) \times (n-2)$ convolved image.

Input:

First line contains an integer n

The next line contain the $n \times n$ image matrix

The next three lines contain the kernel matrix k

Note - you must complete the given initial template as it is, otherwise penalty will be incurred.

Example:

Input:

4
1 2 3 4
6 8 9 0
4 2 3 1
0 2 1 0
0 1 0
1 -3 1
0 1 0

Output:

-5 -13
11 4

Explanation: $0*1 + 1*2 + 0*3 + 1*6 + -3*8 + 1*9 + 0*4 + 1*2 + 0*1 = -5$