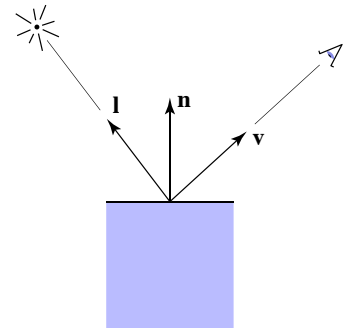


Shading Basics

CS 4620

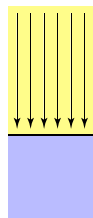
Shading

- Compute light reflected toward camera
- Inputs:
 - eye direction
 - light direction (for each of many lights)
 - surface normal
 - surface parameters (color, shininess, ...)

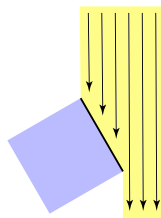


Diffuse reflection

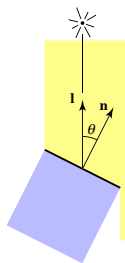
- Light is scattered uniformly in all directions
 - the surface color is the same for all viewing directions
- Lambert's cosine law



Top face of cube receives a certain amount of light



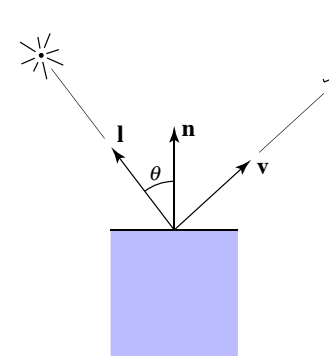
Top face of 60° rotated cube intercepts half the light



In general, light per unit area is proportional to $\cos \theta = \mathbf{l} \cdot \mathbf{n}$

Lambertian shading

- Shading independent of view direction

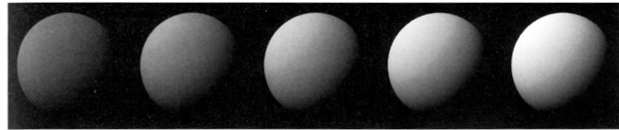


$$L_d = k_d I \max(0, \mathbf{n} \cdot \mathbf{l})$$

illumination from source
↓
 I
↑
diffuse coefficient
↑
 k_d
↑
diffusely reflected light

Lambertian shading

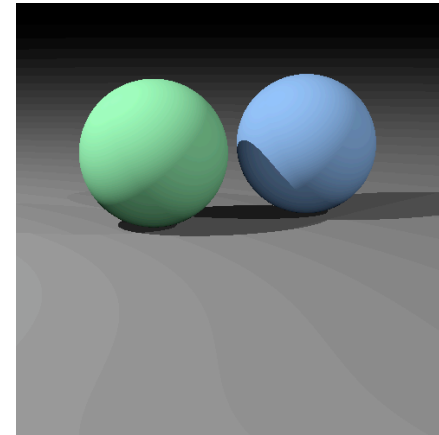
- Produces matte appearance



$k_d \longrightarrow$

[Foley et al.]

Diffuse shading



Shadows

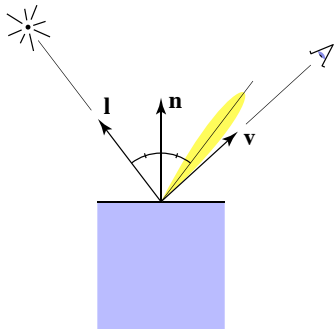
- Surface is only illuminated if nothing blocks its view of the light.
- With ray tracing it's easy to check
 - Just intersect a ray with the scene!
- Not so easy for rasterization pipeline
 - Since each triangle is processed separately
 - "Shadow Maps" [Williams] are raster-based alternative

Multiple lights

- Important to fill in black shadows
- Just loop over lights, add contributions
- Ambient shading
 - black shadows are not really right
 - one solution: dim light at camera
 - alternative: add a constant "ambient" color to the shading...

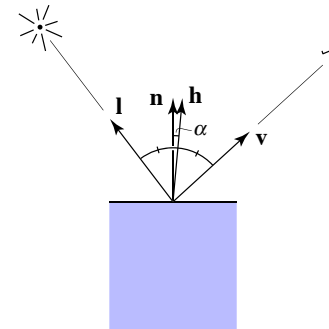
Specular shading (Blinn-Phong)

- Intensity depends on view direction
 - bright near mirror configuration



Specular shading (Blinn-Phong)

- Close to mirror \Leftrightarrow half vector near normal
 - Measure “near” by dot product of unit vectors



$$\mathbf{h} = \text{bisector}(\mathbf{v}, \mathbf{l})$$

$$= \frac{\mathbf{v} + \mathbf{l}}{\|\mathbf{v} + \mathbf{l}\|}$$

$$L_s = k_s I \max(0, \cos \alpha)^p$$

$$= k_s I \max(0, \mathbf{n} \cdot \mathbf{h})^p$$

↑
specularly
reflected
light

↑
specular
coefficient

Phong model—plots

- Increasing n narrows the lobe

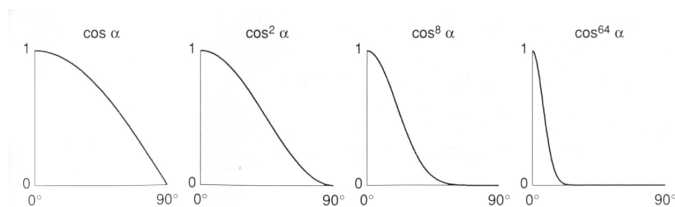
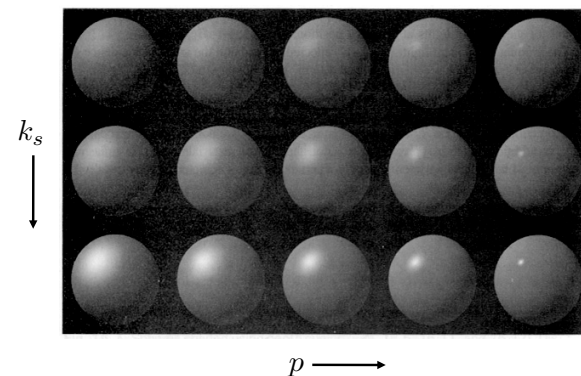


Fig. 16.9 Different values of $\cos^n \alpha$ used in the Phong illumination model.

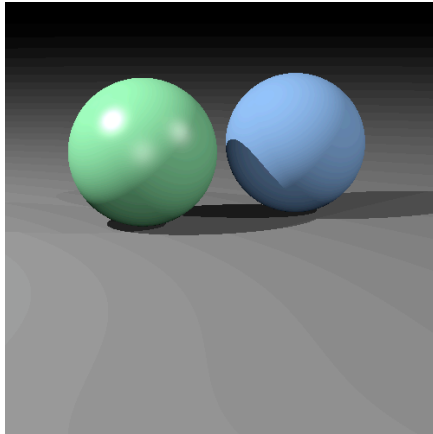
[Foley et al.]

Specular shading



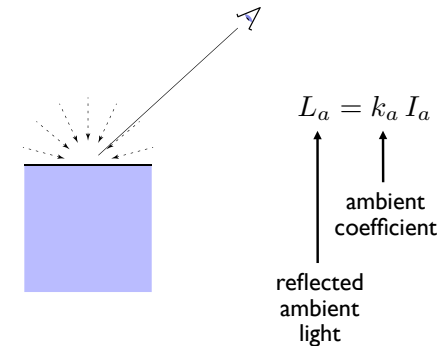
[Foley et al.]

Diffuse + Phong shading



Ambient shading

- Shading that does not depend on anything
 - add constant color to account for disregarded illumination and fill in black shadows



Putting it together

- Usually include ambient, diffuse, Phong in one model

$$L = L_a + L_d + L_s$$

$$= k_a I_a + k_d I \max(0, \mathbf{n} \cdot \mathbf{l}) + k_s I \max(0, \mathbf{n} \cdot \mathbf{h})^p$$

- The final result is the sum over many lights

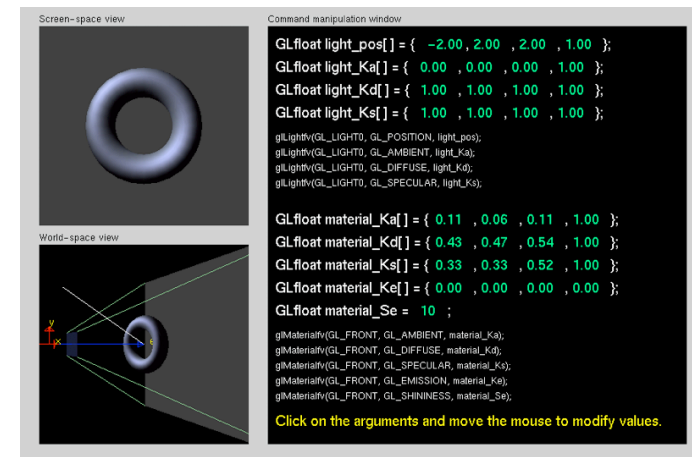
$$L = L_a + \sum_{i=1}^N [(L_d)_i + (L_s)_i]$$

$$L = k_a I_a + \sum_{i=1}^N [k_d I_i \max(0, \mathbf{n} \cdot \mathbf{l}_i) + k_s I_i \max(0, \mathbf{n} \cdot \mathbf{h}_i)^p]$$

LightMaterial Demo

OpenGL Tutors program by Nate Robins

<http://www.xmission.com/~nate/tutors.html>



Mirror reflection

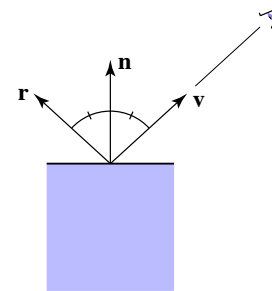
- Consider perfectly shiny surface
 - there isn't a highlight
 - instead there's a reflection of other objects
- Can render this using recursive ray tracing
 - to find out mirror reflection color, ask what color is seen from surface point in reflection direction
 - already computing reflection direction for Phong...
- “Glazed” material has mirror reflection and diffuse

$$L = L_a + L_d + L_m$$

- where L_m is evaluated by tracing a new ray

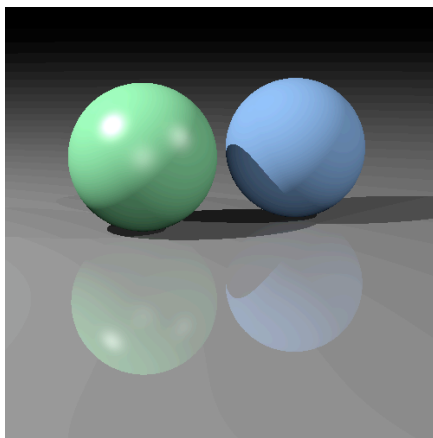
Mirror reflection

- Intensity depends on view direction
 - reflects incident light from mirror direction



$$\begin{aligned} \mathbf{r} &= \mathbf{v} + 2((\mathbf{n} \cdot \mathbf{v})\mathbf{n} - \mathbf{v}) \\ &= 2(\mathbf{n} \cdot \mathbf{v})\mathbf{n} - \mathbf{v} \end{aligned}$$

Diffuse + mirror reflection (glazed)



(glazed material on floor)