course notes. For the variable timestepping, use dnorm = .1 and an initial timestep of $\Delta \tau = T/25$. On each grid refinement, reduce the initial timestep by a factor of 4 and reduce dnorm by a factor of 1/2. Be sure

2. (20 marks) (Finite Difference, variable time step, American option)

that your timestep selector stops at the pricing code at t = T exactly.
Show the convergence table.
Show plots of the price and delta respectively, for the finest grid using CN-Rannacher timestepping. Explain what you see.

Modify your code to use the penalty method for American quadratic straddle option with payoff(S)= $\max(K-S^2, S^2-K)$. Carry out a convergence study assuming the local volatility model assumed in Question 1 and other data in Table 1. Use CN-Rannacher with both constant and variable timesteppings described in the

Submit your matlab code, plots, tables, and discussion.