

Ordenação dos dois terços

O algoritmo mais interessante do oeste

Referências

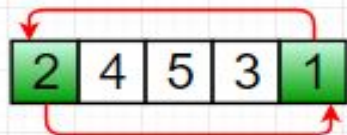
Michal Forišek, Stooge Sort -

Disponível em

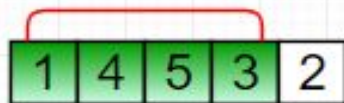
<https://www.quora.com/What-algorithms-have-the-most-unexpected-big-O-time-complexity>

Exemplo de Implementação -

Disponível em <https://www.geeksforgeeks.org/stooge-sort/>



Swap Initial & last element



Recursively sort initial 2/3rd element



Initial 2/3rd element sorted



Recursively sort last 2/3rd element



Last 2/3rd element sorted



Again, recursively sort initial 2/3rd element



Initial 2/3rd element sorted

Complexidade:

Recorrência:

$$a(x) = 3a\left(\frac{2}{3}x\right) + 1$$

(CLRS3d) Para n inteiro, seja uma recorrência DC $a(n)$ com custo de combinar $f(n)$:

$$a(n) = \alpha a(n/\beta) + f(n)$$

- (caso 1) se $f(n) = O(n^{\log_\beta \alpha - \epsilon})$ e $\epsilon > 0$ $a(n) = \Theta(n^{\log_\beta \alpha})$
(caso 2) se $f(n) = \Theta(n^{\log_\beta \alpha})$ $a(n) = \Theta(n^{\log_\beta \alpha} \lg n)$
(caso 3) se $f(n) = \Omega(n^{\log_\beta \alpha + \epsilon})$ e $\epsilon > 0$ $a(n) = \Theta(f(n))$

Complexidade

(caso 1) se $f(n) = O(n^{\log_\beta \alpha - \epsilon})$ e $\epsilon > 0$ $a(n) = \Theta(n^{\log_\beta \alpha})$

$$a(n) = 3 \cdot a\left(\frac{2}{3}n\right) + 1$$

$$\alpha = 3$$

$$\beta = \frac{3}{2}$$

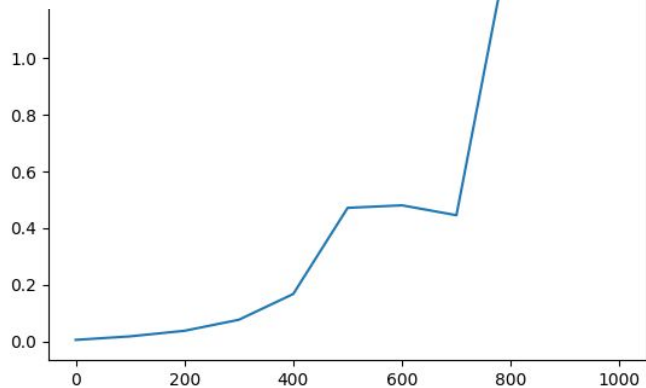
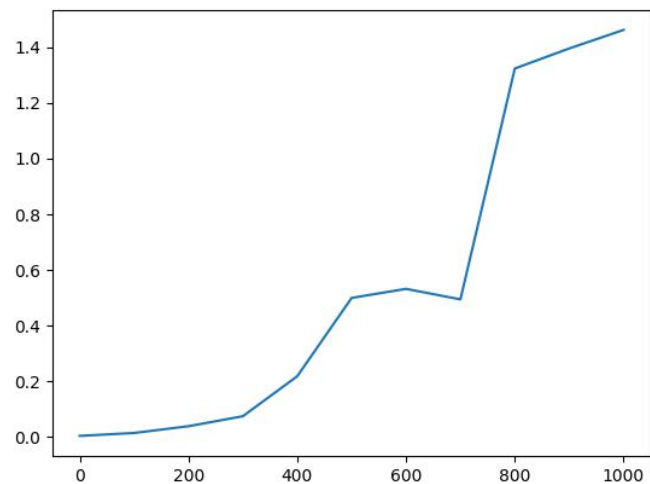
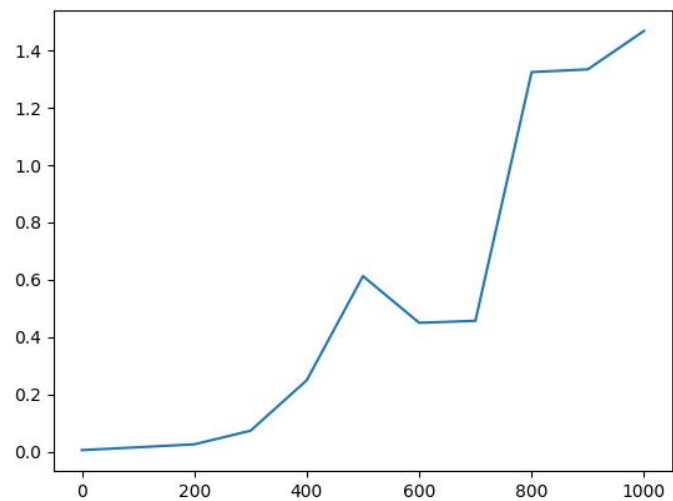
$$f(n) = 1$$

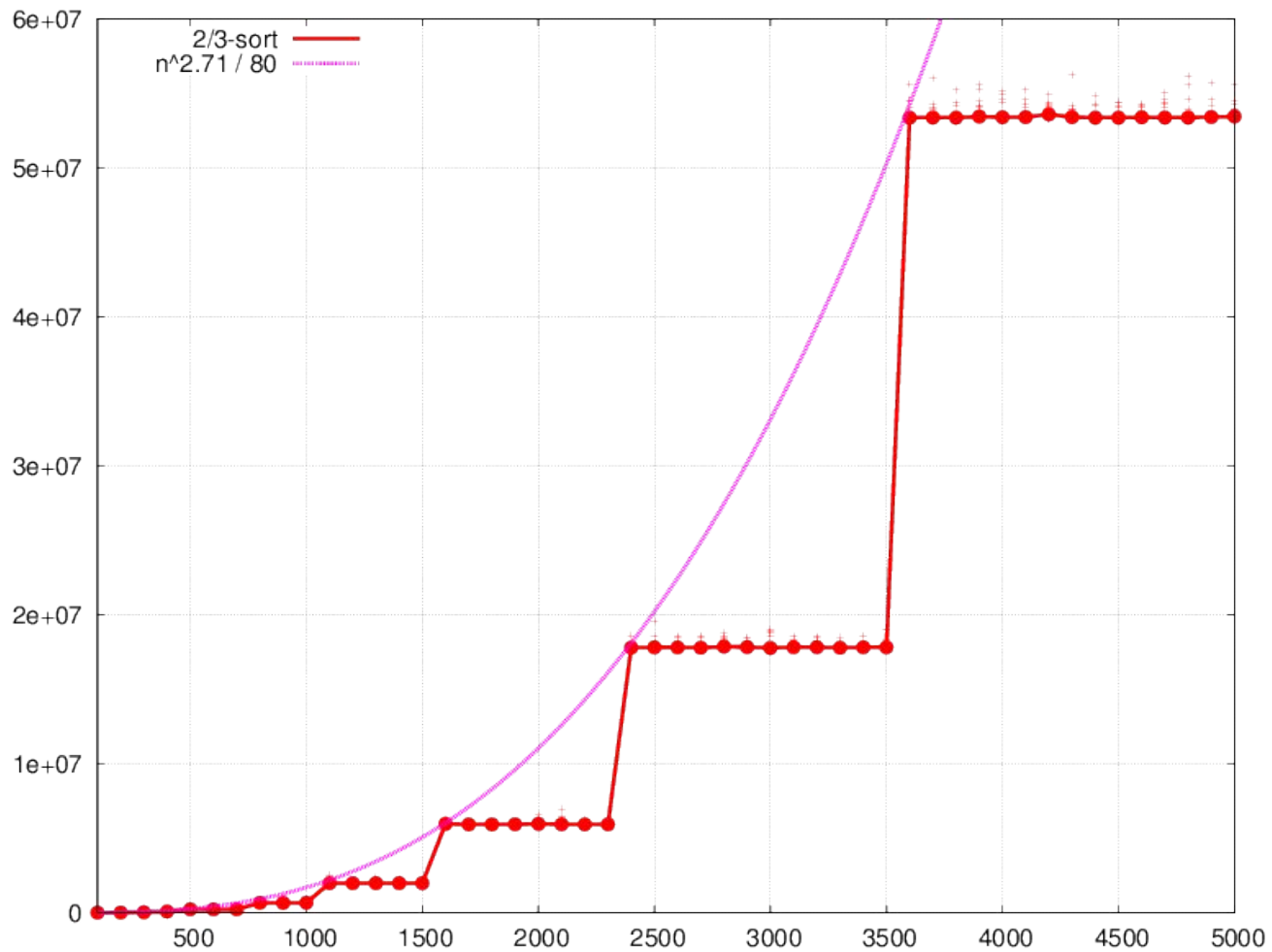
$$f(n) = O(n^{\log_{\frac{3}{2}} 3 - e})$$

escolhendo $e = 2$,

$$f(n) = O(n^{\log_{\frac{3}{2}} 1}) = O(n^{\log_{\frac{3}{2}} 1}) = O(n^0) = O(1)$$

$$a(n) = \Theta(n^{\log_{\frac{3}{2}} 3}) = \Theta(n^{2.7095})$$





Variação

$$a(n) = 2.a\left(\frac{2}{3}n\right) + \frac{2}{3}n$$

$$\text{(caso 1) se } f(n) = O(n^{\log_{\beta} \alpha - \epsilon}) \text{ e } \epsilon > 0 \quad a(n) = \Theta(n^{\log_{\beta} \alpha})$$

$$f(n) = O(n^{\log_{\frac{3}{2}} 3 - e}) = O(n^{\log_{\frac{3}{2}} \frac{3}{2}}) = O(n)$$

$$a(n) = \Theta\left(n^{\log_{\frac{3}{2}} 2}\right) = \Theta(n^{1.7095})$$