Introducción a la Programación Segundo Entregable de laboratorio

Ejercicio 4

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 \label{eq:limber_problem} \mbox{Implementar la función def filasParecidas}(\dots) -> \mbox{bool, cuya especificación es la siguiente:} \\ \mbox{problema filasParecidas} \mbox{ (in } \mbox{$m:$ $seq\langle seq\langle \mathbb{Z}\rangle$)} : \mathbb{Z} \mbox{ } \{ \mbox{$requiere:$ $\{esMatriz(m)\}$} \mbox{$asegura:$ $\{res = True \leftrightarrow (\exists n : \mathbb{Z})(filasParecidasAanterior(m,n))\}$} \} \\ \mbox{pred esMatriz} \mbox{ ($m:$ $seq\langle seq\langle \mathbb{Z}\rangle$)} \mbox{ } \{ \mbox{$|m|>0 \land |m[0]|>0 \land (\forall i : \mathbb{Z})(0 \leq i < |m| \rightarrow |m[i]| = |m[0]|)$} \} \\ \mbox{pred filasParecidasAanterior} \mbox{ ($m:$ $seq\langle seq\langle \mathbb{Z}\rangle$), n: } \mathbb{Z}) \mbox{ } \{ \mbox{$(\forall i : \mathbb{Z})(1 \leq i < |m| \rightarrow filaAnteriorMasN(m,i,n))$} \} \\ \mbox{pred filaAnteriorMasN} \mbox{ ($m:$ $seq\langle seq\langle \mathbb{Z}\rangle$), i, n: } \mathbb{Z}) \mbox{ } \{ \mbox{$(\forall j : \mathbb{Z})(0 \leq j < |m[0]| \rightarrow m[i][j] = m[i-1][j] + n)$} \} \\ \mbox{$(\forall j : \mathbb{Z})(0 \leq j < |m[0]| \rightarrow m[i][j] = m[i-1][j] + n)$} \} \\ \mbox{$(\forall j : \mathbb{Z})(0 \leq j < |m[0]| \rightarrow m[i][j] = m[i-1][j] + n)$} \\ \mbox{$(\forall j : \mathbb{Z})(0 \leq j < |m[0]| \rightarrow m[i][j] = m[i-1][j] + n)$} \\ \mbox{$(\forall j : \mathbb{Z})(0 \leq j < |m[0]| \rightarrow m[i][j] = m[i-1][j] + n)$} \\ \mbox{$(\forall j : \mathbb{Z})(0 \leq j < |m[0]| \rightarrow m[i][j] = m[i-1][j] + n)$} \\ \mbox{$(\forall j : \mathbb{Z})(0 \leq j < |m[0]| \rightarrow m[i][j] = m[i-1][j] + n)$} \\ \mbox{$(\forall j : \mathbb{Z})(0 \leq j < |m[0]| \rightarrow m[i][j] = m[i-1][j] + n)$} \\ \mbox{$(\forall j : \mathbb{Z})(0 \leq j < |m[0]| \rightarrow m[i][j] = m[i-1][j] + n)$} \\ \mbox{$(\forall j : \mathbb{Z})(0 \leq j < |m[0]| \rightarrow m[i][j] = m[i-1][j] + n)$} \\ \mbox{$(\forall j : \mathbb{Z})(0 \leq j < |m[0]| \rightarrow m[i][j] = m[i-1][j] + n)$} \\ \mbox{$(\forall j : \mathbb{Z})(0 \leq j < |m[0]| \rightarrow m[i][j] = m[i-1][j] + n)$} \\ \mbox{$(\forall j : \mathbb{Z})(0 \leq j < |m[0]| \rightarrow m[i][j] = m[i-1][j] + n)$} \\ \mbox{$(\forall j : \mathbb{Z})(0 \leq j < |m[0]| \rightarrow m[i][j] = m[i-1][j] + n)$} \\ \mbox{$(\forall j : \mathbb{Z})(0 \leq j < |m[0]| \rightarrow m[i][j] = m[i-1][j] + n)$} \\ \mbox{$(\forall j : \mathbb{Z})(0 \leq j < |m[0]| \rightarrow m[i][j] = m[i-1][j] + n)$} \\ \mbox{$(\forall j : \mathbb{Z})(0 \leq j < |m[0]| \rightarrow m[i][j] = m[i-1][j] + n)$} \\ \mbox{$(\forall j : \mathbb{Z})(0 \leq j < |m[0]| \rightarrow m[i][j] = m[i-1][j] + n)$} \\ \mbox{$(\forall j : \mathbb{Z})(0 \leq j < |m[0]| \rightarrow m[i][j] + n)$} \\ \mbox{$(\forall j : \mathbb{Z})(0 \leq j < |m[0]| \rightarrow m[i][j] + n)$} \\ \mbox{$(\forall j : \mathbb{
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