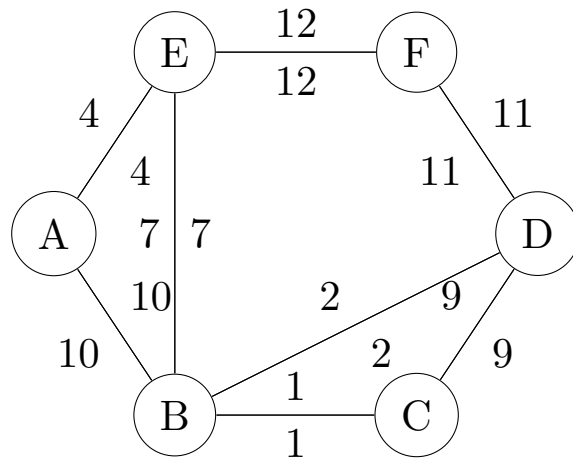


# **CPS740 - Prova 2**

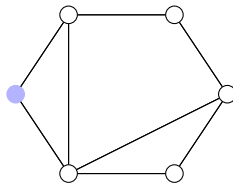
Pedro Maciel Xavier  
116023847

20 de setembro de 2020

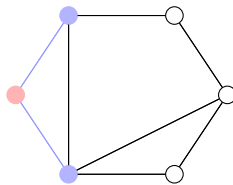
# Questão 1.:



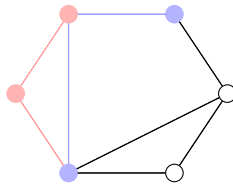
1 :: Algoritmo de *Dijkstra*



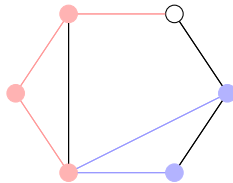
$v$	$d(u, v)$	$\mathbf{r}[v]$
A	0	A
B	$\infty$	$\emptyset$
C	$\infty$	$\emptyset$
D	$\infty$	$\emptyset$
E	$\infty$	$\emptyset$
F	$\infty$	$\emptyset$



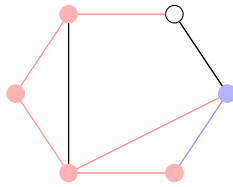
$v$	$d(u, v)$	$\mathbf{r}[v]$
A	0	A
B	10	A
C	$\infty$	$\emptyset$
D	$\infty$	$\emptyset$
E	4	A
F	$\infty$	$\emptyset$



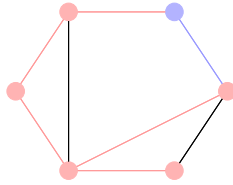
$v$	$d(u, v)$	$\mathbf{r}[v]$
A	0	A
B	10	A
C	$\infty$	$\emptyset$
D	$\infty$	$\emptyset$
E	4	A
F	16	E



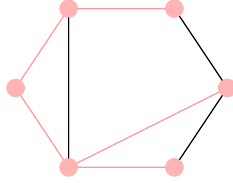
$v$	$d(u, v)$	$\mathbf{r}[v]$
A	0	A
B	10	A
C	11	B
D	12	B
E	4	A
F	16	E



$v$	$d(u, v)$	$\mathbf{r}[v]$
A	0	A
B	10	A
C	11	B
D	12	B
E	4	A
F	16	E



$v$	$d(u, v)$	$\mathbf{r}[v]$
A	0	A
B	10	A
C	11	B
D	12	B
E	4	A
F	16	E



$v$	$d(u, v)$	$\mathbf{r}[v]$
A	0	A
B	10	A
C	11	B
D	12	B
E	4	A
F	16	E

2 .:

3 .:

4 .: Independentemente do critério de ordenação na busca, uma árvore geradora oriunda de uma busca em largura optaria por atingir o vértice  $C$  utilizando-se da aresta  $(D, C)$ , de custo 9. A árvore de caminho mínimo, no entanto, chegaria ao vértice  $C$  através de  $B$ , uma vez que o caminho  $(D, B, C)$  possui distância total  $2 + 1 = 3$ .

5 .:

6 .:

## Questão 2.:

1 .:

2 .:

3 .:

4 .:

## Referências

- [1] SZWARCFITER, Jayme Luiz, **Teoria Computacional de Grafos**, 1<sup>a</sup> edição, Rio de Janeiro, 2018.