

EXERCISES ABOUT THE TURING MACHINE (TM)

1 Turing Machine **[SELECTED]**

- a) Draw a TM that recognizes the language of palindromes over the alphabet $\{0,1\}$.
- b) What is the computation trace when the input on the tape is 01110?
- c) Was the pushdown automata (PDA) studied for this language deterministic or not? What about this TM?

2 Turing Machine **[SELECTED]**

- d) Project a TM that recognizes the language of strings with an even number of 0s and an even number of 1s.
- e) What is the computation trace when the input on the tape is 011110?
- f) What is the relation between the TM you obtained and the DFA for the same language?

3 Turing Machine **[SELECTED]**

- a) Project a TM that recognizes the language $\{a^n b^n a^n \mid n \geq 0\}$.
- b) What is the computation trace when the input on the tape is *aabbbaa*?
- c) To which category does this language belong to?

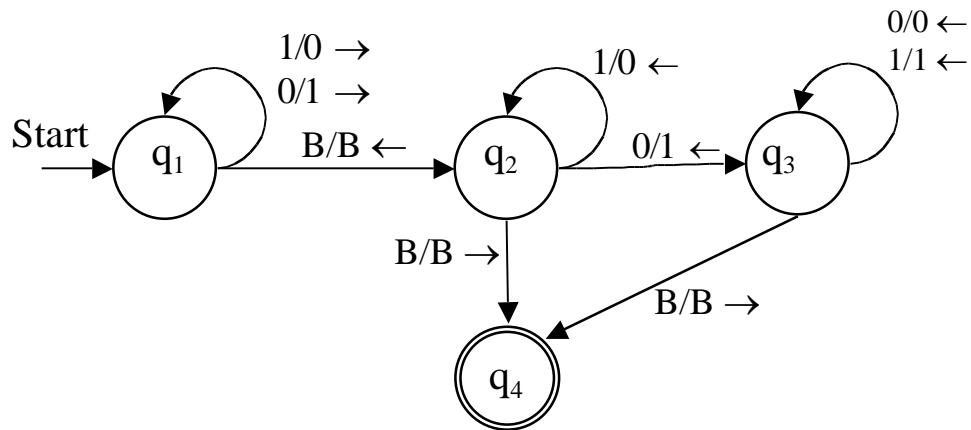
4 Turing Machine

- d) Project a TM that recognizes the language of string in the format 0^n , where n is a power of 2.
- e) What is the computation trace when the input on the tape is 0000?

5 Turing Machine

- a) Draw a Turing machine whose input is the binary representation of two numbers, in the format $=n_1+n_2$, and whose output contains their respective sum, placed on the left of $=$, being irrelevant what remains to its right. Briefly, explain the general idea behind the machine.
- b) Show the sequence of instantaneous descriptions of the machine when the input is the string $=01+10$.

6 Consider the following Turing machine, that calculates the two's complement of a binary number, ignoring an eventual *overflow*. This machine can be seen as executing a computation and producing a result that remains in the tape.



- Project, based on the machine shown above, a TM that works on the paradigm of language recognition. In this case, the accepted strings are in the format $[n_1, n_2]$ where n_2 is the two's complement of n_1 .
- What is the computation trace when the input on the tape is $[10, 10]$.