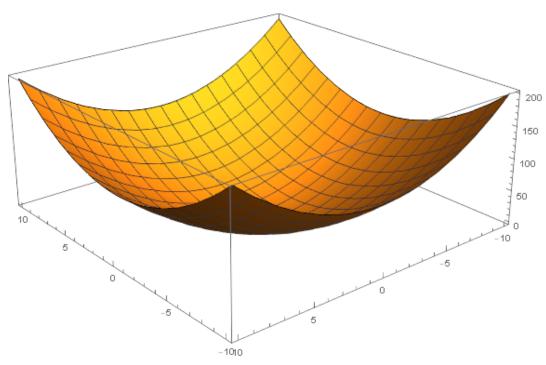
In[\*]:= Clear[f1]
f1=Function[{x,y},x²+y²];

 $lo(s) = Plot3D[f1[x, y], \{x, -10, 10\}, \{y, -10, 10\}, ImageSize \rightarrow Large]$ 



 $Out[ \circ ] = 2 x$ 

Out[ • ]= 2 y

In[ $\circ$ ]:=  $\partial_y f1[x, y]$ 

Derivada parcial reduz uma dimensão.

In[\*]:= Clear[f2]
f2=Function[{a,b,c,d,e},5a<sup>5</sup>+4b<sup>4</sup>+3c<sup>3</sup>+2d<sup>2</sup>+e];

$$ln[*]:= f2[a, b, c, d, e]$$
 $out[*]= 5 a^5 + 4 b^4 + 3 c^3 + 2 d^2 + e$ 
 $ln[*]:= \partial_a f2[a, b, c, d, e]$ 
 $out[*]= 25 a^4$ 

A derivada em uma variável é a derivada **só** da variável.

$$ln[\bullet]:= \partial_b f2[a, b, c, d, e]$$

$$Out[-]= 16 b^3$$

$$ln[\bullet]:=\partial_{a,b}f2[a,b,c,d,e]$$

$$ln[\bullet]:= \partial_{d,e} f2[a,b,c,d,e]$$

$$ln[\bullet]:=\partial_e f2[a, b, c, d, e]$$

$$ln[\cdot]:=\partial_{\{\{a,b,c,d,e\}\}}f2[a,b,c,d,e]$$

$$\textit{Out[ *]= } \left\{ 25 \text{ a}^4\text{, 16 b}^3\text{, 9 c}^2\text{, 4 d, 1} \right\}$$

Esta funciona parcial em mais de uma variável...

In[
$$\circ$$
]:= Clear[f3]  
f3=Function[{x,y},  $\frac{\sin[x \ y]}{x^2+y^2}$ ];

$$Out[*] = -\frac{2 x^2 \cos [x y]}{(x^2 + y^2)^2} - \frac{2 y^2 \cos [x y]}{(x^2 + y^2)^2} + \frac{\cos [x y]}{x^2 + y^2} + \frac{8 x y \sin [x y]}{(x^2 + y^2)^3} - \frac{x y \sin [x y]}{x^2 + y^2}$$

In[\*]:= Clear[f3b]  
f3b=Function[
$$\{x,y,z\}$$
,  $\frac{Sin[x \ y \ z]}{x^2+y^2+z^2}$ ];

$$\begin{aligned} & & \text{Out}[*] = & & \partial_{x,y} \, f3b \, [x,\,y,\,z] \\ & & \text{Out}[*] = & & -\frac{2 \, x^2 \, z \, \text{Cos} \, [x \, y \, z]}{\left(x^2 + y^2 + z^2\right)^2} \, - \, \frac{2 \, y^2 \, z \, \text{Cos} \, [x \, y \, z]}{\left(x^2 + y^2 + z^2\right)^2} \, + \, \frac{z \, \text{Cos} \, [x \, y \, z]}{x^2 + y^2 + z^2} \, + \, \frac{8 \, x \, y \, \text{Sin} \, [x \, y \, z]}{\left(x^2 + y^2 + z^2\right)^3} \, - \, \frac{x \, y \, z^2 \, \text{Sin} \, [x \, y \, z]}{x^2 + y^2 + z^2} \end{aligned}$$

O sinal da derivada parcial é se a variável da parcial está aumentado ou diminuindo para o valor da variável que foi fixada.  $^{1}$ 

<sup>1</sup> Applied Calculus, Hallet, Gleason, Lock, Flath, 2010.