## Caderno

#### pedroteosousa

#### Contents

1	Gec	ometry
	1.1	Point Struct
	1.2	Convex Hull
<b>2</b>	Dat	a Structures
	2.1	BIT
	2.2	Recursive Segment Tree
	2.3	Lazy Segment Tree

# 1 Geometry

#### 1.1 Point Struct

```
typedef long long type;
double EPS = 1e-12;
struct point {
    type x, y;
    point (type xp = 0.0, type yp = 0.0) {
        x = xp;
        y = yp;
    point(const fpoint &p) {
        x = p.x;
        y = p.y;
    point operator+ (const point &p) const {return point(x+p.x, y+p.y);}
    point operator - (const point &p) const {return point(x-p.x, y-p.y);}
    point operator* (type c) {return point(c*x, c*y);}
    point operator/ (type c) {return point (x/c, y/c);}
    bool operator < (const point &p) {return x < p.x \mid | x == p.x && y < p.y;}
};
```

```
type dot(point p, point q) {return p.x*q.x+p.y*q.y;}
type dist(point p, point q) {return sqrt(dot(p-q,p-q));}
type cross(point p, point q) {return p.x*q.y-p.y*q.x;}
point projectInLine(point c, point a, point b) {
    return a + (b-a)*dot(c-a, b-a)/dot(b-a, b-a);
point projectInSegment(point c, point a, point b) {
    point lineP = projectInLine(c, a, b);
    type maxDist = max(dist(a, lineP), dist(b, lineP));
    if (maxDist > dist(a, b)) {
        if (dist(a, c) > dist(b, c)) return b;
        else return a;
    else return lineP;
}
1.2
     Convex Hull
double side (point a, point b, point c) {
    return cross(a, b) + cross(b, c) + cross(c, a);
}
vector<point> convex_hull(vector<point> p) {
    int n = p.size(), k = 0;
    if (n == 1) return p;
    vector < point > hull(2*n);
    sort(p.begin(), p.end());
    for (int i=0; i < n; i++) {
        while (k \ge 2 \&\& (side(hull[k-2], hull[k-1], p[i]) \le 0)) k--;
        hull[k++] = p[i];
    }
    for (int i=n-2, t=k+1; i>=0; i--)
        while (k)=t \&\& (side(hull[k-2], hull[k-1], p[i]) <= 0)) k--;
        hull[k++] = p[i];
    }
    hull.resize(k-1);
    return hull;
}
```

### 2 Data Structures

#### 2.1 BIT

```
int b[N];
int update(int p, int val, int n) {
     for (; p < n; p += p \& -p) b[p] += val;
int getsum(int p) {
     int sum = 0;
     for (; p != 0; p -= p & -p) {
          sum += b[p];
     return sum;
}
2.2
      Recursive Segment Tree
const int N = 1e6 + 5;
int t [N < <1];
void build(int n) {
     \label{eq:formula} \begin{array}{lll} \text{for}\,\,(\,\,\text{int}\  \  \, i \, = \, n-1; \  \, i \, > \, 0; \  \, i\,-\!-) \  \  \, t\,[\,\,i\,\,] \, = \, \min(\,\,t\,\,[\,\,i\,\,<\!<\!1], \  \  \, t\,\,[\,\,i\,\,<\!<\!1|\,1]\,); \end{array}
}
void modify(int pos, int val, int n) {
     for (t [pos += n] = val; pos != 1; pos >>=1)
           t [pos >> 1] = min(t [pos], t [pos^1]);
}
int query(int 1, int r, int n) \{ // [1, r) \}
     int resp = 1000000007;
     for (1 += n, r += n; l < r; l >>= 1, r >>= 1) {
           if (1\&1) \text{ resp} = \min(\text{resp}, t[1++]);
           if (r\&1) resp = min(resp, t[--r]);
     }
     return resp;
}
```

## 2.3 Lazy Segment Tree

```
const int inf = 1791791791;
```

```
const int N = 1e6 + 5;
int seg[4*N];
int lazy [4*N];
void do_lazy(int root, int ll, int rl) {
    seg[root] += lazy[root];
    if (11 != rl) {
        lazy[2*root+1] += lazy[root];
        lazy [2*root+2] += lazy [root];
    lazy[root] = 0;
}
int update(int root, int ll, int rl, int l, int r, int val) {
    do_lazy(root, ll, rl);
    if (r < ll | | l > rl) return seg[root];
    if (ll >= l && rl <= r) {
        lazy[root] += val;
        do_lazy(root, ll, rl);
        return seg[root];
    }
    int update_left = update(2*root+1, ll, (1l+rl)/2, l, r, val);
    int update_right = update(2*root+2, (ll+rl)/2+1, rl, l, r, val);
    return seg[root] = min(update_left, update_right);
}
int query(int root, int ll, int rl, int l, int r) {
    do_lazy(root, ll, rl);
    if (r < ll || l > rl) return inf;
    if (11 >= 1 \&\& rl <= r) return seg[root];
    int query_left = query(2*root+1, ll, (ll+rl)/2, l, r);
    int query_right = query (2*root+2, (11+r1)/2+1, r1, 1, r);
    return min(query_left , query_right);
}
```