# **Reading 1: The Time Value of Money**

### How an Interest Rate is determined

#### **Risk Premium:**

- Default risk premium -- Can he pay me back?
- Liquidity risk premium -- How easy is it to convert to cash?
- Maturity risk premium -- How long does he take to pay me back?

Nominal Risk-free Rate: (min return an investor expects for any investment)

- Inflation Premium -- How much inflation is expected over this period
- Real risk-free rate -- Single-period interest rate for a risk-free security when there is no inflation

Required Interest Rate on a security = Nominal Risk-free Rate + Risk Premium

### **Interpretation of Interest Rate**

### Key factors when interpreting interest rate:

(can be same or slightly different depending on context)

#### 1. Required Rate of Return

Required rate of return is the minimum rate of return an investor would wish to earn to postpone current consumption.

2. **Opportunity Cost** (note that it might be slightly different than interest rate)

Opportunity cost is a key factor in interpreting interest rates. It refers to the interest foregone when investors opt for an alternate option, such as spending on current consumption instead of saving or investing

#### 3. Discount Rate

The discount rate refers to the interest rate used to discount future cash flows to reach the present value.

## **Calculate FV of a single Cash Flow**

Future Value of a single cash flow

$$FV = PV(1+r)^N$$

FV = Future Value

PV = Present Value

r = periodic interest rate

N = number of periods

 $(1+r)^N$  = Future Value Factor

\*Make sure the r and N corresponds to the right time period. The default of "interest rate" often refers to annual interest rate.\*

"p.a" = per annum ===> "4.95% p.a" = an annual interest rate of 4.95%

Also, be careful when asked "total interest earned" or "how much total interest can someone expect to earn":

Total Interest Earned = FV-PV

### Effective Annual Rate (EAR) / Effective Annual Yield (EAY)

Effective Annual Rate (EAR) -- how much interest is effectively being paid in a whole year

$$EAR = (1+r)^N - 1$$

EAR allows us to compare interests that are compounded at different frequencies on an even platform.

E.g. It can be used to compare which bank has a better deal (they might have different p.a and different pay periods).

# **Continuous Compounding**

Continuous Compounding -- The compound frequency becomes infinite

$$EAR_{cont} = e^r - 1$$

$$FV_{cont} = PV \times e^{rN}$$

Present Value of a single cash flow		