This is a WinBUGS Codes for the artificial example in Chapter 9, Section 9.7.

Model: Two-level nonlinear structural equation model Data Set Name: YO.dat Sample Size: N=1555 Note: pi[g,j] is for omega(2g,j), lb and lw are for lambda2 and lambda_1, respectively. model{ for(g in 1:50){ for(i in 1:N[g]){ for(i in 1:9){ $y[kk[g]+i,j]\sim dnorm(u[kk[g]+i,j],psi[j])$ ephat[kk[g]+i,j]<-y[kk[g]+i,j]-u[kk[g]+i,j]u[kk[g]+i,1]<-mu[1]+pi[g,1]+eta[g,i]u[kk[g]+i,2]<- mu[2]+lb[1]*pi[g,1]+lw[1]*eta[g,i] u[kk[g]+i,3]<- mu[3]+lb[2]*pi[g,1]+lw[2]*eta[g,i] u[kk[g]+i,4]<-mu[4]+pi[g,2]+xi[g,i,1]u[kk[g]+i,5]<-mu[5]+lb[3]*pi[g,2]+lw[3]*xi[g,i,1]u[kk[g]+i,6]<-mu[6]+lb[4]*pi[g,2]+lw[4]*xi[g,i,1]u[kk[g]+i,7]<-mu[7]+pi[g,3]+xi[g,i,2]u[kk[g]+i,8]<-mu[8]+lb[5]*pi[g,3]+lw[5]*xi[g,i,2]u[kk[g]+i,9]<-mu[9]+lb[6]*pi[g,3]+lw[6]*xi[g,i,2] $xi[g,i,1:2]\sim dmnorm(ux[1:2],phi[1:2,1:2])$ # ux=[0 0]^T is fixed constant eta[q,i]~dnorm(nu[q,i], psd) nu[g,i] < -gam[1]*xi[g,i,1]+gam[2]*xi[g,i,2]+gam[3]*xi[g,i,1]*xi[g,i,2]dthat[g,i]<-eta[g,i]-nu[g,i] }# end of i pi[g,1:3]~ dmnorm(uu[1:3],phip[1:3,1:3]) }# end of a uu[1]<- 0.0 uu[2]<- 0.0 uu[3]<- 0.0 ux[1]<- 0.0 ux[2]<- 0.0 # priors on loadings and coefficients mu[1]~dnorm(4.248.4.0) mu[2]~dnorm(4.668.4.0) $mu[3]\sim dnorm(4.56.4.0)$ mu[5]~dnorm(3.161,4.0) $mu[4]\sim dnorm(2.389,4.0)$ mu[6]~dnorm(3.445,4.0) $mu[7]\sim dnorm(0.526,4.0)$ $mu[8]\sim dnorm(0.375,4.0)$ $mu[9]\sim dnorm(0.596,4.0)$ var.bw[1]<-4.0*psi[2] var.bw[2]<-4.0*psi[3] var.bw[3]<-4.0*psi[5] var.bw[4]<-4.0*psi[6] var.bw[5]<-4.0*psi[8] var.bw[6]<-4.0*psi[9] lb[1]~dnorm(1.096,var.bw[1]) lb[2]~dnorm(0.861,var.bw[2]) lb[3]~dnorm(0.590,var.bw[3]) lb[4]~dnorm(1.470,var.bw[4]) lb[5]~dnorm(0.787,var.bw[5]) lb[6]~dnorm(0.574,var.bw[6]) $[w_1]\sim (0.825, var.bw_1)$ $[w_2]\sim (0.813, var.bw_2)$ $lw[3]\sim dnorm(0.951, var.bw[3])$ $lw[4]\sim dnorm(0.692,var.bw[4])$ $lw[5]\sim dnorm(0.986,var.bw[5])$ lw[6]~dnorm(0.800,var.bw[6]) var.gam<-4.0*psd gam[1]~dnorm(0.577,var.gam) gam[2]~dnorm(1.712,var.gam) gam[3]~dnorm(-0.571,var.gam) # priors on precisions for(j in 1:9){psi[j]~dgamma(10.0,4.0) ivpsi[j]<-1/psi[j]}

psd~dgamma(10.0,4.0)

phi[1:2,1:2]~dwish(R0[1:2,1:2],5) phx[1:2,1:2]<-inverse(phi[1:2,1:2])

ivpsd<-1/psd

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phip[1:3,1:3]~dwish(R1[1:3,1:3],5)
php[1:3,1:3]<-inverse(phip[1:3,1:3])
}# end of model
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Data

Three different initial values

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\begin{split} & \text{list}(\text{lb=c}(0.6,0.6,0.5,2.2,0.6,0.4), \, \text{lw=c}(0.3,0.3,0.3,0.3,0.3,0.3,0.3), \, \\ & \text{mu=c}(3.0,3.5,3.3,1.0,2.0,2.2,0.2,0.0,0.2), \\ & \text{psi=c}(0.3,\,0.3,\,0.3,\,0.3,\,0.3,\,0.3,0.3,0.3,0.3,0.3), \, \text{psd=0.6, \, gam=c}(0.2,1.0,-0.4), \\ & \text{phip=structure}(.\text{Data=c}(0.7,-0.1,0.0,-0.1,0.2,0.0,0.0,0.0,0.18), \, .\text{Dim=c}(3,3)), \\ & \text{phi=structure}(.\text{Data=c}(0.7,\,0.4,0.4,0.7), \, .\text{Dim= c}(2,2))) \\ & \text{list}(\text{lb=c}(0.8,0.8,0.7,2.5,0.8,0.6), \, \text{lw=c}(0.7,0.7,0.7,0.7,0.7,0.7,0.7), \\ & \text{mu=c}(4.0,4.0,4.0,2.0,3.0,3.0,0.5,0.4,0.6), \\ & \text{psi=c}(0.5,\,0.5,\,0.5,\,0.5,\,0.5,0.5,0.5,0.5,0.5), \, \text{psd=0.36, \, gam=c}(0.5,1.7,0.6), \\ & \text{phip=structure}(.\text{Data=c}(0.5,0.1,-0.1,0.1,0.2,0.0,-0.1,0.0,0.5), \, .\text{Dim=c}(3,3)), \\ & \text{phi=structure}(.\text{Data=c}(0.5,\,0.1,0.1,0.5), \, .\text{Dim= c}(2,2))) \\ & \text{list}(\text{lb=c}(1.0,1.0,1.0,3.0,1.0,1.0), \, \text{lw=c}(1.0,1.0,1.0,1.0,1.0,1.0,1.0), \\ & \text{mu=c}(4.8,4.8,4.8,3.5,4.0,4.2,0.8,0.8,0.8), \\ & \text{psi=c}(0.8,\,0.8,\,0.8,\,0.8,\,0.8,\,0.8,0.8,0.8,0.8,0.8,0.8), \\ & \text{psi=c}(0.8,\,0.8,\,0.8,\,0.8,\,0.8,\,0.8,0.8,0.8,0.8), \\ & \text{psi=tructure}(.\text{Data=c}(0.6,-0.2,0.2,-0.2,0.4,0.1,0.2,0.1,0.3), \, .\text{Dim=c}(3,3)), \\ & \text{phi=structure}(.\text{Data=c}(0.9,\,0.0,0.0,0.6), \, .\text{Dim= c}(2,2))) \\ \\ \end{aligned}
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