## This is a WinBUGS Codes for the artificial example in Chapter 8, Section 8.4.3.

```
Model: Nonlinear Structural Equation Model with covariates
Data Set Name: YO.dat
Sample Size: N=500
model{
   for(i in 1:N){
     for(j in 1:10)\{y[i,j] < -yy[i,j]\}
     x[i] <- yy[i,11]
     # measurement equation model
     for(j in 1:10){
        y[i,j]~dnorm(mu[i,j],psi[j])
        ephat[i,i]<-y[i,j]-mu[i,j]
     mu[i,1]<- u[1]+eta[i]
                                             # lam[1]=lam[2,1]
     mu[i,2]<- u[2]+lam[1]*eta[i]
     mu[i,3]<- u[3]+lam[2]*eta[i]
                                            # lam[2]=lam[3,1]
     mu[i,4] <- u[4] + xi[i,1]
     mu[i,5]<- u[5]+lam[3]*xi[i,1]
                                            # lam[3]=lam[5,2]
     mu[i,6]<- u[6]+lam[4]*xi[i,1]
                                            # lam[4]=lam[6,2]
     mu[i,7] <- u[7] + lam[5]*xi[i,1]
                                            \# lam[5]=lam[7,2]
     mu[i,8]<- u[8]+xi[i,2]
     mu[i,9]<- u[9]+lam[6]*xi[i,2]
                                            # lam[6]=lam[9,3]
     mu[i,10]<- u[10]+lam[7]*xi[i,2]
                                             # lam[7]=lam[10,3]
     # structural equation model
     xi[i,1:2] \sim dmnorm(u0[1:2],ph[1:2,1:2]) # u0=[0 0]^T is a fixed constant vector
     eta[i] ~ dnorm(nu[i], psd)
     nu[i]<-gam[1]*x[i]+gam[2]*xi[i,1]+gam[3]*xi[i,2]+gam[4]*xi[i,1]*xi[i,2]
          +gam[5]*xi[i,1]*xi[i,1]+gam[6]*xi[i,2]*xi[i,2]
                 dthat[i]<-eta[i]-nu[i]
   # priors on loadings and coefficients
   for(j in 1:10){ u[j] \sim dnorm(0.0,1.0) }
   lam[1] \sim dnorm(0.9, psi[2]) lam[3] \sim dnorm(0.9, psi[5]) lam[6] \sim dnorm(0.9, psi[9])
   lam[2] \sim dnorm(0.7, psi[3]) lam[4] \sim dnorm(0.7, psi[6]) lam[7] \sim dnorm(0.7, psi[10])
   lam[5] \sim dnorm(0.5, psi[7])
   gam[1]\sim dnorm(0.5,psd) gam[2]\sim dnorm(0.4,psd) gam[3]\sim dnorm(0.4,psd)
   gam[4]\sim dnorm(0.3,psd) gam[5]\sim dnorm(0.2,psd) gam[6]\sim dnorm(0.5,psd)
   # priors on precisions
   for(j in 1:10){psi[j] \sim dgamma(9,4)}
               sigma[j]<-1/psi[j]}
   psd ~ dgamma(9,4)
   sigd<-1/psd
   ph[1:2,1:2] \sim dwish(R[1:2,1:2],4)
   phx[1:2,1:2] <- inverse(ph[1:2,1:2])
   # output of parameters
   for(j in 1:10){alpha[j]<- u[j]}
   lambda[2,1]<- lam[1] lambda[3,1]<- lam[2] lambda[5,2]<- lam[3]
                                                                             lambda[6,2]<- lam[4]
   lambda[7,2]<- lam[5] lambda[9,3]<- lam[6] lambda[10,3]<- lam[7]
   beta[1]<- gam[1] for(i in 1:5){ gamma[i]<- gam[1+i] }
   for(j in 1:10){ psiepsilon[j]<- sigma[j] }
   psidelta<- sigd
   phi[1,1]<- phx[1,1]
```

```
phi[1,2]<- phx[1,2]
phi[2,2]<- phx[2,2]
}#end of model
```

## Data

```
list(N=500, u0=c(0,0), R=structure(.Data= c(1.0989, -0.3297, -0.3297, 1.0989), .Dim= c(2,2)), yy=structure(.Data= c(paste YO.dat here), .Dim= c(500,11)))
```

## Three different initial values

```
\begin{split} & \mathsf{list}(\mathsf{u} \texttt{=} \mathsf{c}(-0.2, -0.2, -0.2, -0.2, -0.2, -0.2, -0.2, -0.2, -0.2), \, \mathsf{lam} \texttt{=} \mathsf{c}(1.2, 0.9, 1.2, 0.9, 0.7, 1.2, 0.9), \\ & \mathsf{psi} \texttt{=} \mathsf{c}(0.7, \, 0.7, \, 0.7, \, 0.9, \, 0.9, \, 0.9, \, 0.9, \, 0.8, \, 0.8, 0.8), \, \mathsf{psd} \texttt{=} 0.8, \\ & \mathsf{gam} \texttt{=} \mathsf{c}(0.8, 0.7, 0.7, 0.6, 0.5, 0.6), \quad \mathsf{ph} \texttt{=} \mathsf{structure}(.\mathsf{Data} \texttt{=} \mathsf{c}(1.2, \, 0.5, 0.5, 1.2), \, .\mathsf{Dim} \texttt{=} \, \mathsf{c}(2, 2))) \end{split}
```