## This is a WinBUGS program for the artificial example in Chapter 13, Section 13.6.

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Model: Nonlinear Structural Equation Model with Exponential Family,
nonignorable missing data, and Fixed Covariates (fc2)
Data Set Names: YO2.dat, IR.dat, and fc2.dat
Sample Size: N=500
model {
   for(i in 1:N){
      #structural equation model
      xi[i,1:2]~dmnorm(zero2[1:2],phi[1:2,1:2])
      eta[i]~dnorm(etamu[i],psd)
      etamu[i]<-ubeta*x2[i,1]+gam[1]*xi[i,1]+gam[2]*xi[i,2]+gam[3]*xi[i,1]*xi[i,2]
      dthat[i]<-eta[i]-etamu[i]
      #missingness mechanism model
      for(j in 1:P){
         IR[i,j]~dbern(pi[i,j])
         logit(pi[i,j]) < -b[1] + b[2] * z[i,1] + b[3] * z[i,2] + b[4] * z[i,3] + b[5] * z[i,4] + b[6] * z[i,5]
                      +b[7]*z[i,6]+b[8]*z[i,7]+b[9]*z[i,8]+b[10]*z[i,9]
      }
      #measurement equation model
      for(j in 1:P){
         z[i,j]\sim dbin(pb[i,j],5)
         logit(pb[i,j])<-mu[i,j]
      mu[i,1]<-uby[1]+eta[i]
      mu[i,2]<-uby[2]+lam[1]*eta[i]
      mu[i,3]<-uby[3]+lam[2]*eta[i]
      mu[i,4] < -uby[4] + xi[i,1]
      mu[i,5]<-ubv[5]+lam[3]*xi[i,1]
      mu[i,6] < -uby[6] + lam[4]*xi[i,1]
      mu[i,7] < -uby[7] + xi[i,2]
      mu[i,8]<-uby[8]+lam[5]*xi[i,2]
      mu[i,9]<-uby[9]+lam[6]*xi[i,2]
   }# end of i
   for(i in 1:2){zero2[i]<-0}
   #priors on loadings and coefficients
   for (i in 1:P){ uby[i]~dnorm(0.8,4.0) }
   lam[1]\sim dnorm(0.6,4.0)
                                 lam[2]\sim dnorm(0.6,4.0)
   lam[3]~dnorm(0.7,4.0)
                                 lam[4] \sim dnorm(0.7,4.0)
   lam[5] \sim dnorm(0.6, 4.0)
                                 lam[6] \sim dnorm(0.6, 4.0)
   ubeta~dnorm(0.6,4.0)
   var.gam<-4.0*psd
   gam[1]\sim dnorm(0.5, var.gam) gam[2]\sim dnorm(0.5, var.gam)
                                                                   gam[3]~dnorm(0.5,var.gam)
   b[1]~dnorm(-4.0,4.0) b[2]~dnorm(0.5,4.0)
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b[3]~dnorm(0.5,4.0)
                          b[4]\sim dnorm(0.5,4.0)
   b[5]\sim dnorm(0.5,4.0)
                          b[6]\sim dnorm(0.5,4.0)
   b[7]\sim dnorm(0.5,4.0)
                          b[8]~dnorm(-1.5,4.0)
   b[9]~dnorm(-1.0,4.0)
                          b[10]~dnorm(-1.0,4.0)
   #priors on precisions
   psd~dgamma(10,8)
   sqd<-1/psd
   phi[1:2,1:2]~dwish(R[1:2,1:2], 8)
   phx[1:2,1:2]<-inverse(phi[1:2,1:2])
} #end of model
Data
list(N=500, P=9,
   R=structure(.Data=c(5.0,2.5,2.5,5.0),.Dim=c(2,2)),
   z=structure(.Data=c(paste YO2.dat here),.Dim=c(500,9)),
   IR=structure(.Data=c(paste IR.dat here),.Dim=c(500.9)).
   x2=structure(.Data=c(paste fc2.dat here),.Dim=c(500,1)))
Three different initial values
list(
   b=c(-4.0, 0.5, 0.5, 0.5, 0.5, 0.5, 0.5, -1.5, -1.0, -1.0),
   uby=c(0.8,0.8,0.8,0.8,0.8,0.8,0.8,0.8,0.8),
   ubeta=0.6,
   lam=c(0.6,0.6,0.7,0.7,0.6,0.6),
   gam=c(0.5,0.5,0.5),
   psd=1.4,
   phi=structure(
      .Data=c(1.3333, -0.6667, -0.6667, 1.3333),
      .Dim=c(2,2))
list(
   b=c(-3.0, 0.5, 0.5, 0.5, 0.5, 0.5, 0.5, -0.5, -2.0, -2.0),
   uby=c(1.0,1.0,1.0,1.0,1.0,1.0,1.0,1.0,1.0)
   ubeta=1.0,
   lam=c(1.0,1.0,1.0,1.0,1.0,1.0)
   gam=c(1.0,1.0,1.0),
   psd=1.0,
   phi=structure(
      .Data=c(2.0, -1.0, -1.0, 2.0),
      .Dim=c(2,2))
list(
   uby=c(0.0,0.0,0.0,0.0,0.0,0.0,0.0,0.0,0.0)
   ubeta=0.0,
   lam=c(0.0,0.0,0.0,0.0,0.0,0.0)
   gam=c(0.0,0.0,0.0)
   psd=0.36,
   phi=structure(
      .Data=c(0.6, -0.2, -0.2, 0.6),
      .Dim=c(2,2))
```