

## *Chapter 6 in Hoffman Plus Some Notes from Allison*

### 1. Poisson Regression with proc genmod

Poisson Distribution Assumptions:

- Mean = Variance
- Events are independent

Not independent then variance > mean. Known as overdispersion.

If mean > variance then underdispersion.

Mean = Variance known as equidispersion.

Because the Poisson model uses a log link function, the parameter estimates represent the expected change in the log scale. If you calculate  $100(e^{\hat{\beta}} - 1)$ , you obtain the percent change in the expected number of events with each one-unit increase in the predictor variable.

For example, if  $e^{\hat{\beta}} = 0.80$ , then a one-unit increase in X yields a 20% decrease in the estimated mean.

Aim is to predict expected counts for various groups.

Suggest you start with a full model then remove the nonsignificant factors one at a time, starting with the least-significant one (**width**), to reduce your model. See Allison for SAS coding examples and discussion.

### 2. Negative Binomial Regression with proc genmod

Negative binomial model is more appropriate than Poisson when events are not independent. See Allison for SAS coding examples and discussion.

### 3. Zero Inflated Poisson

In case there are a lot of zero counts the poisson regression model will give a poor fit. So, the zero inflated poisson model gives special treatment to the records with zero count. See Allison for SAS coding examples and discussion.