

CS1010S Tutorial 5

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AY2018/19 Sem 1, Week 8

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Materials: pengnam.github.io/1010s

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Feedback

Tuples in ADTs

- Tuples have been very common in ADTs so far
- But they can become very confusing when ADTs have ADTs in ADTs have ADTs...
- Deeply nested ADTs can mean deeply nested tuples
- Which can be difficult to visualise

Tuples in ADTs

An mild example from the train mission: (Try to identify this ADT)

```
(( 'TRAIN 0-0' ,), ( True , ( 'CC4' , 'Promenade' ),  
  ( 'CC3' , 'Esplanade' )), datetime.datetime(2016, 1, 1, 9, 27))
```

Some tips to visualising nested tuples in ADTs:

1. Good formatting (given a print output)
2. Following abstraction (given a variable)

Tuples in ADTs

Good formatting:

```
(  
    (  
        'TRAIN 0-0',  
    ),  
    (  
        True,  
        ('CC4', 'Promenade'),  
        ('CC3', 'Esplanade')  
    ),  
    datetime.datetime(2016, 1, 1, 9, 27)  
)
```

The *Train* ADT, *TrainPosition* ADT, and *time* align themselves.

Tuples in ADTs

Following abstraction:

In your mind, don't start thinking like this:

```
(
  (
    'TRAIN 0-0',
  ),
  (
    True,
    ('CC4', 'Promenade'),
    ('CC3', 'Esplanade')
  ),
  datetime.datetime(2016, 1, 1, 9, 27)
)
```

Rather, follow the abstractions:

```
(train, train_position, time)
```

Tuples in ADTs

Then, unpack them as you go.

1. To find the name of the next station:

```
- (train, train_position, time)
```

2. Note that the next *Station* is part of the *TrainPosition...*

```
- (train, (is_moving, from_station, to_station), time)
```

3. Note that the name is part of the next *Station...*

```
- (train, (is_moving, (station_code, station_name), to_station), time)
```

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Tuple Concatenation

- Tuple concatenation (with the `+`) combines two *tuples*
- Tuples are immutable, so a new tuple is created
- Be careful about nested tuples!

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Tuple Concatenation

Visualising tuple concatenation:

1. In order to add the two tuples:

- (1, (2,), 3) + (4,)

2. Replace the middle) + (with a , (comma)

- (1, (2,), 3, 4,)

3. Remove the trailing comma

- (1, (2,), 3, 4)

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Visualising tuple concatenation:

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Tuple Concatenation

- Caveat: the following doesn't work (why?)
 - $(1, 2, 3) + ((1,))$

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 1. Indexing—throws an `IndexError`
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Tuple Index vs Slicing

Indexing

```
a = (1, 2, 3)
```

```
a[3] # IndexError: tuple index out of range
```

Slicing

```
a = (1, 2, 3)
```

```
a[3:] # ()
```

Tuple Index vs Slicing

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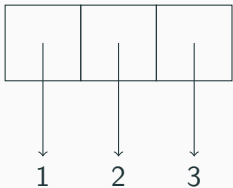
Tutorial

Most of the time, it's easier to draw 'inside-out'

E.g. to draw $((1, 2, 3), 4, 5), 6)$

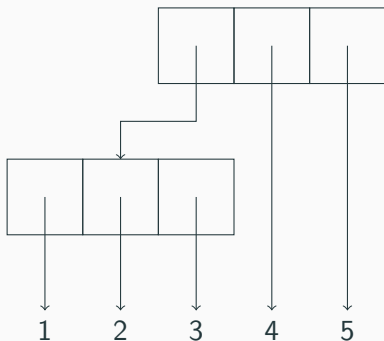
Box-and-pointers

`((1, 2, 3), 4, 5), 6)`



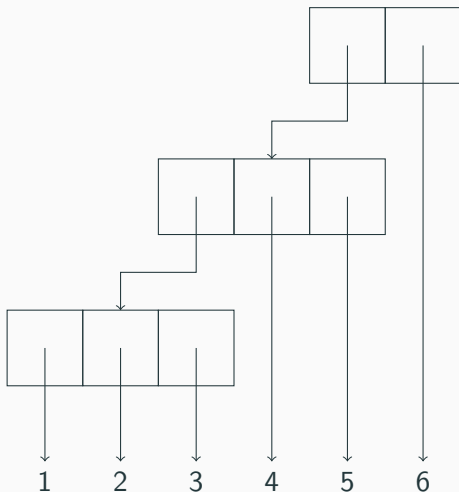
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Box-and-pointers

$((1, 2, 3), 4, 5), 6)$

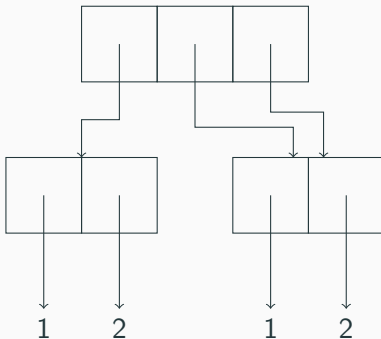


Additional practice? repl.it/@ningyuansg/Tree-Generator
(Hit the green 'play' button at the top)

Box-and-pointers: Identity

$a = (1, 2)$

$b = ((1, 2), a, a)$ # draw the box-and-pointer for b



Box-and-pointers: Identity

```
a = (1, 2)
```

```
b = ((1, 2), a, a)
```

```
b[0] is b[1] # False
```

```
b[1] is b[2] # True
```

```
b[0] is b[2] # False
```

Even Rank

Write a Python function called `even_rank` that takes in a tuple as its only argument and returns a tuple containing all the elements of even rank every second element from the left) from the input tuple

Odd Even Sum

Write a function called `odd_even_sums` that takes in a tuple of numbers as its only argument and returns a tuple of two elements: the first is the sum of all odd- ranked numbers in the input tuple, whereas the second element is the sum of all even-ranked elements in the input.

Towers of Hanoi

To move a stack of n from `src` to `dest`,

1. Move a stack of $n - 1$ from `src` to `aux`
2. Move the n^{th} disk to `dest`
3. Move the stack of $n - 1$ from `aux` to `dest`

Wishful thinking: steps 1 and 3.

Recall *Fibonacci*. To calculate the n^{th} Fibonacci number,

1. Calculate the $n - 1^{\text{th}}$ term
2. Calculate the $n - 2^{\text{th}}$ term
3. Add the $n - 1^{\text{th}}$ and $n - 2^{\text{th}}$ term

Wishful thinking: steps 1 and 2.

We resolve wishful thinking by solving the base case.

Towers of Hanoi

