

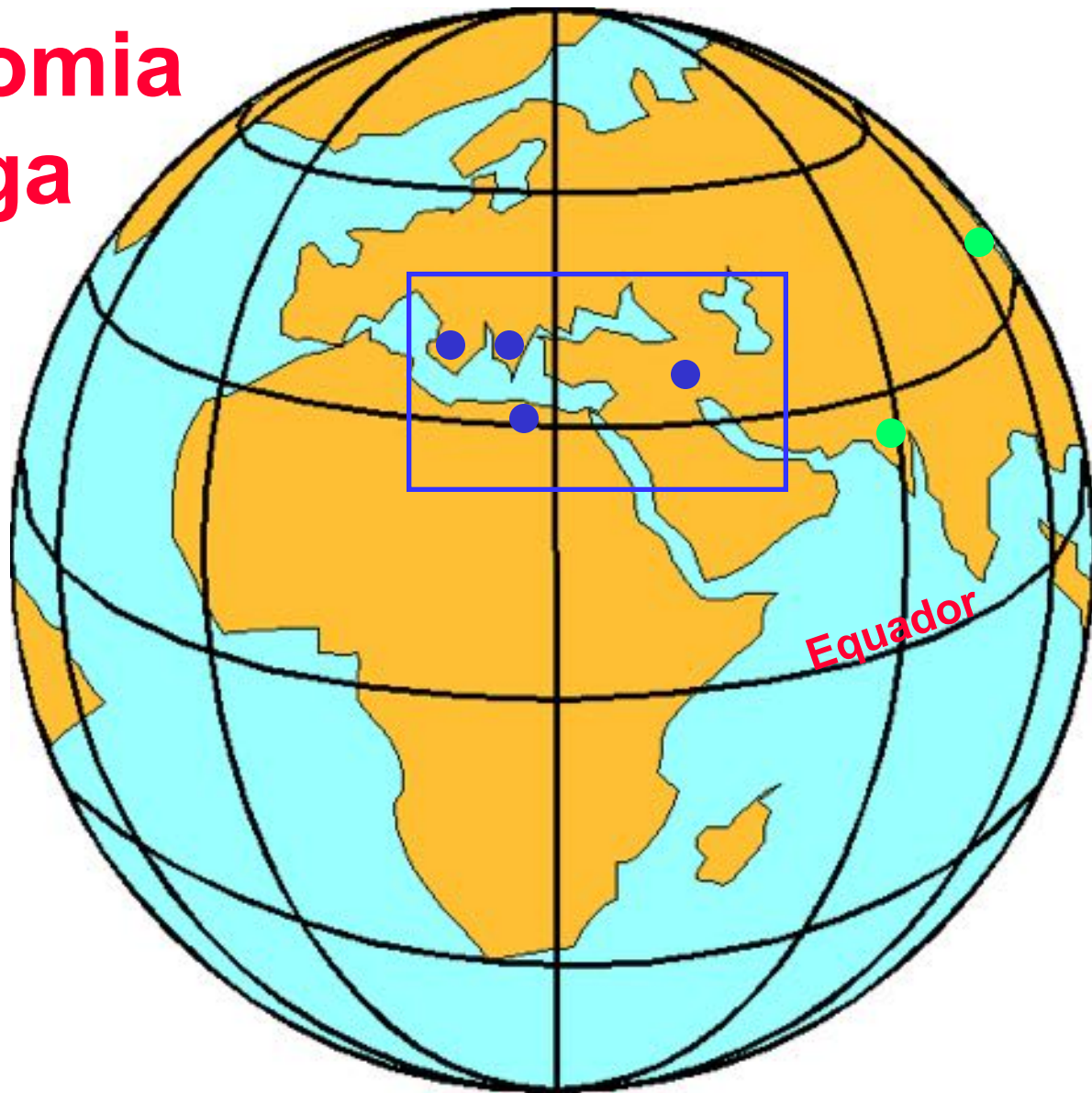
Início da Astronomia: História e Métodos

R. Boczko

(mod. R. Costa)

IAG-USP

Astronomia Antiga



Filósofos e Astrônomos Antigos Famosos

Pitágoras

Heráclides

Aristóteles

Aristarco

Eratóstenes

Hiparcos

Ptolomeu

Al Qarismi

Ulugh Beg

400

200

0

200

400

600

800

1000

1200

1400

1600

Copérnico

Tycho Brahe

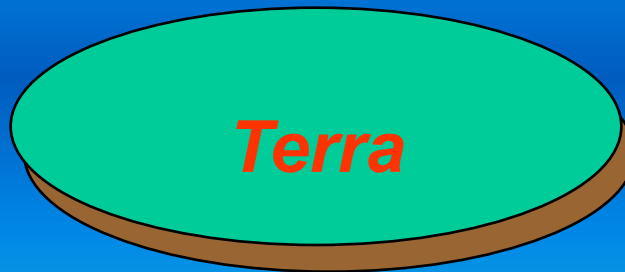
Galileu

Kepler

Newton

Tales

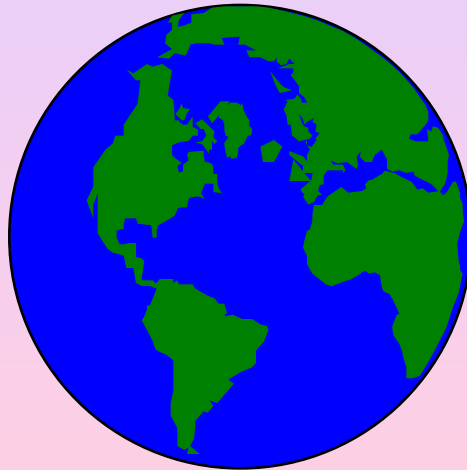
(Grego, séc. VI a.C.)



A Terra é um disco chato num
Universo infinito de água

Pitágoras

(Grego, séc. VI a.C.)

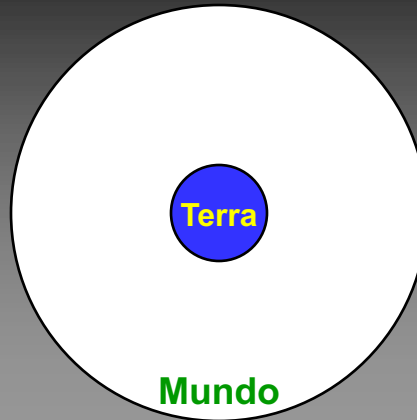


Propôs de que a Terra fosse esférica

Aristóteles

(Grego, séc. IV a.C.)

**Geocentrismo por
convicção filosófica!**

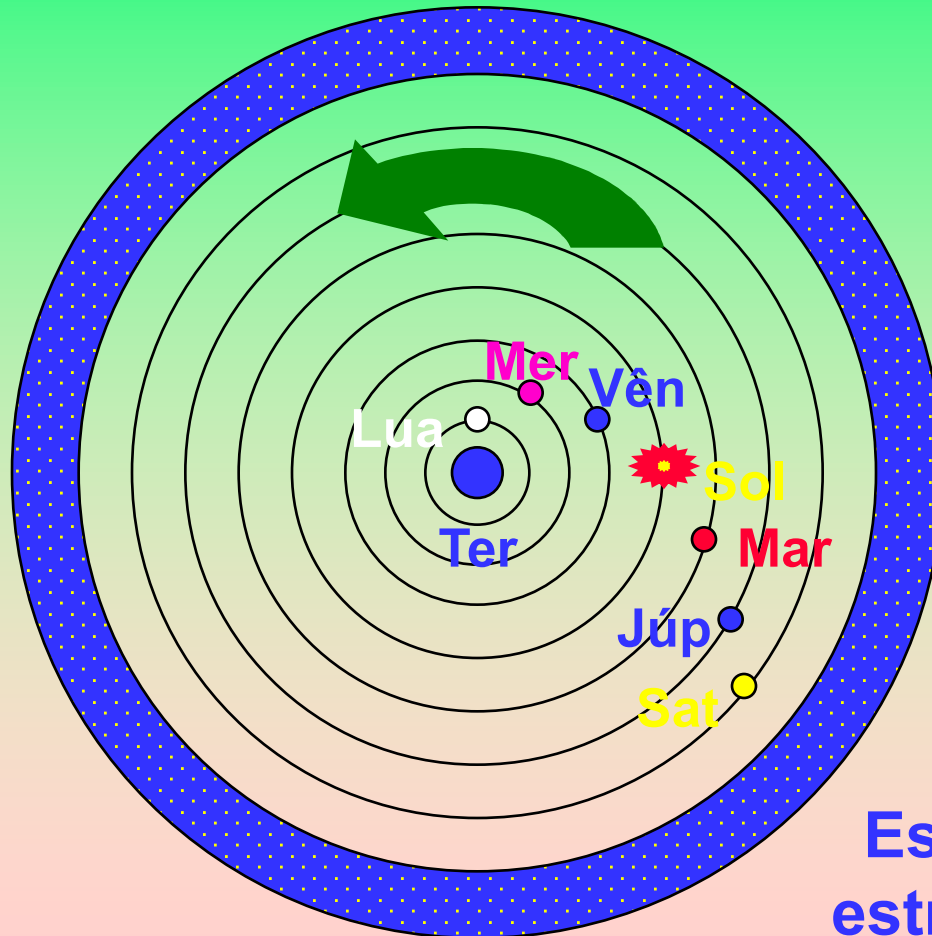


Sistema Geocêntrico



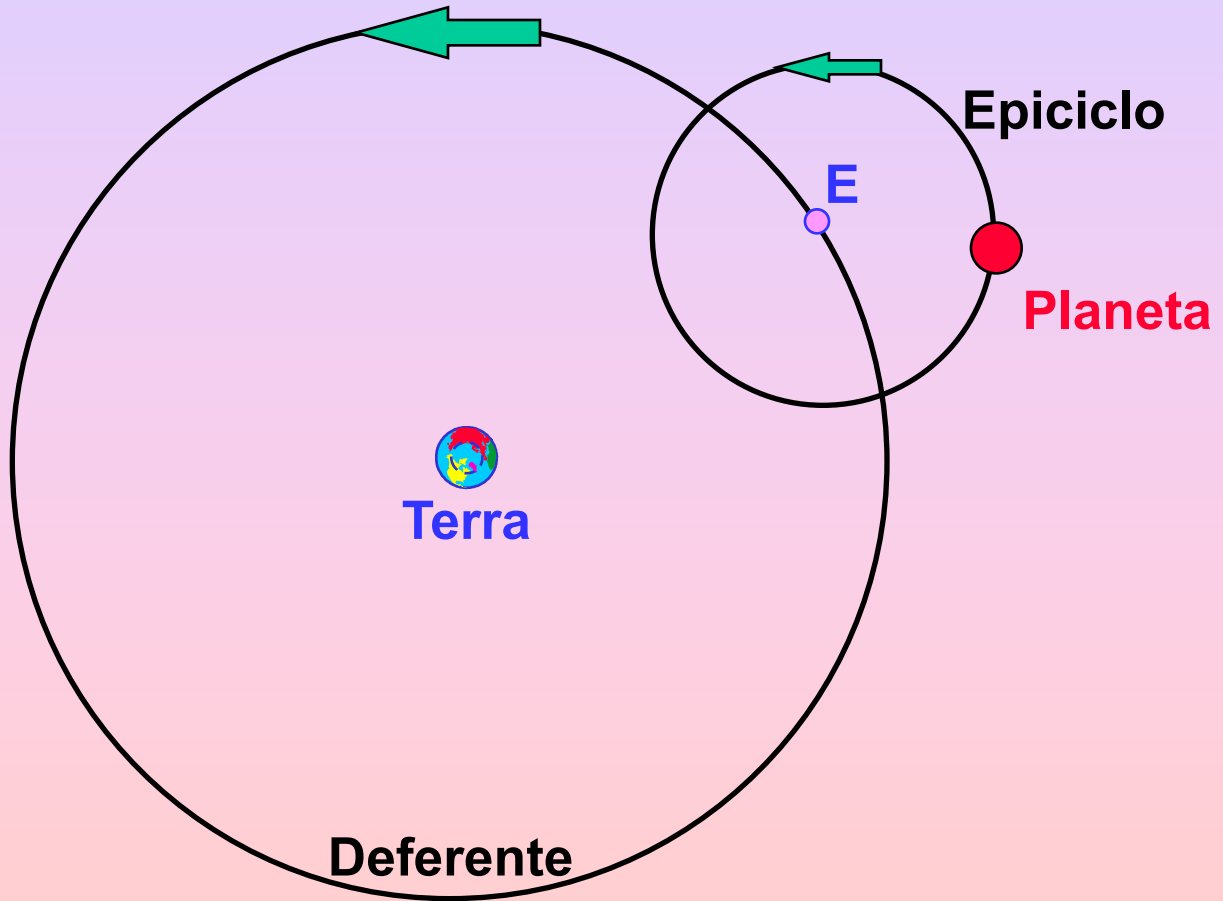
Sistema Geocêntrico

(Grego, Ptolomeu, séc. II)

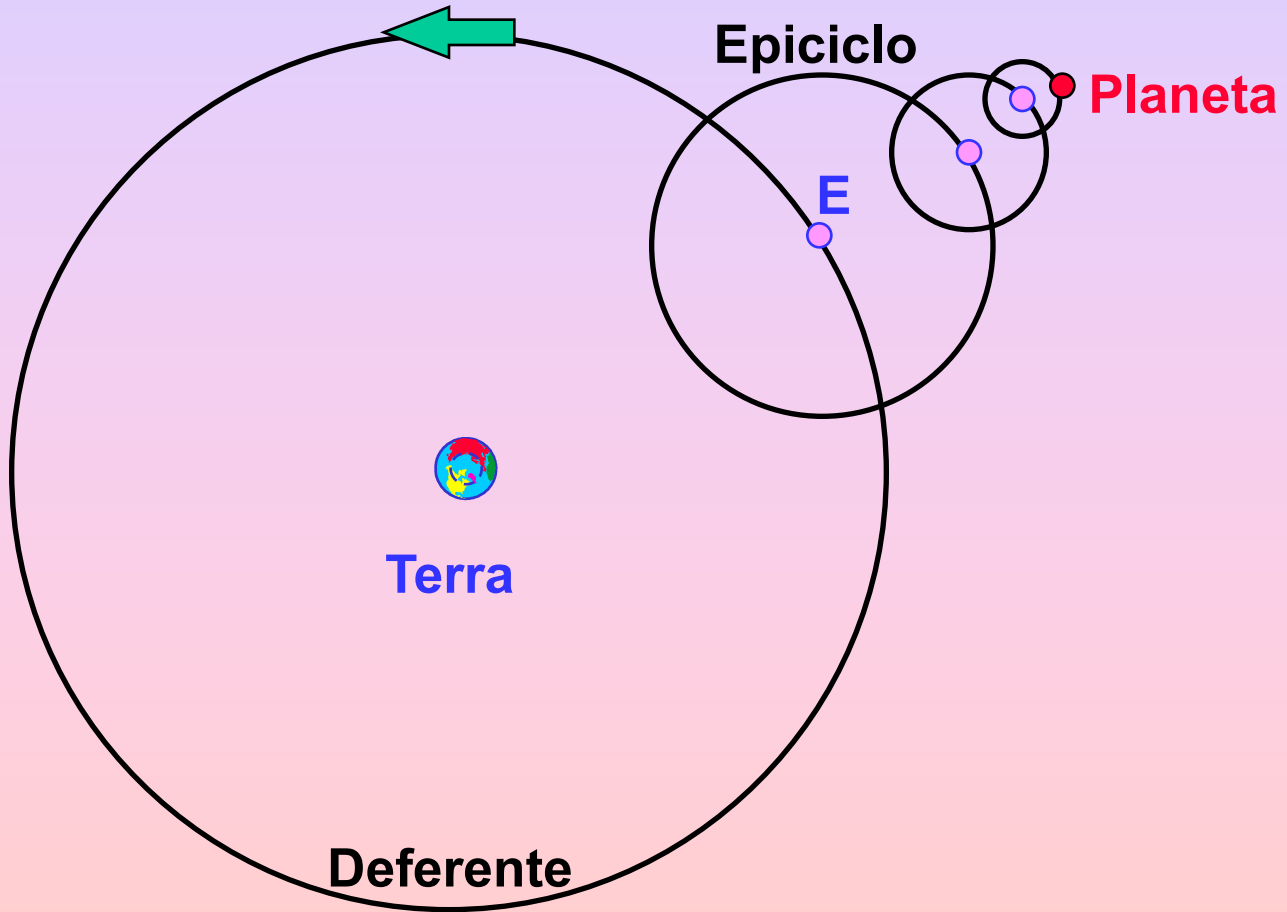


Sistema de Epiciclos

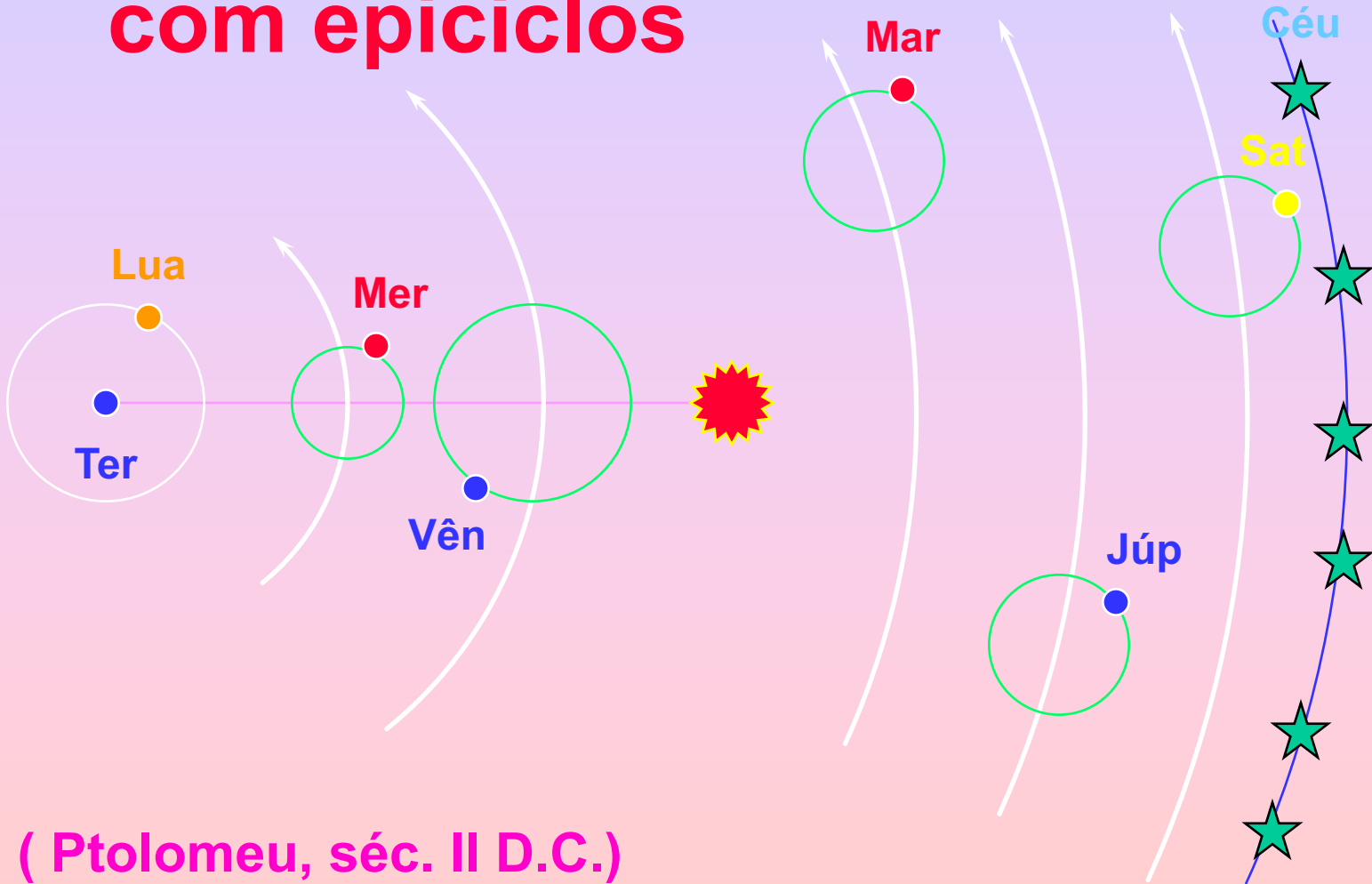
(Apolônio de Perga, 261 a.C. – 190 a.C.)



Sistema Complexo de Epiciclos

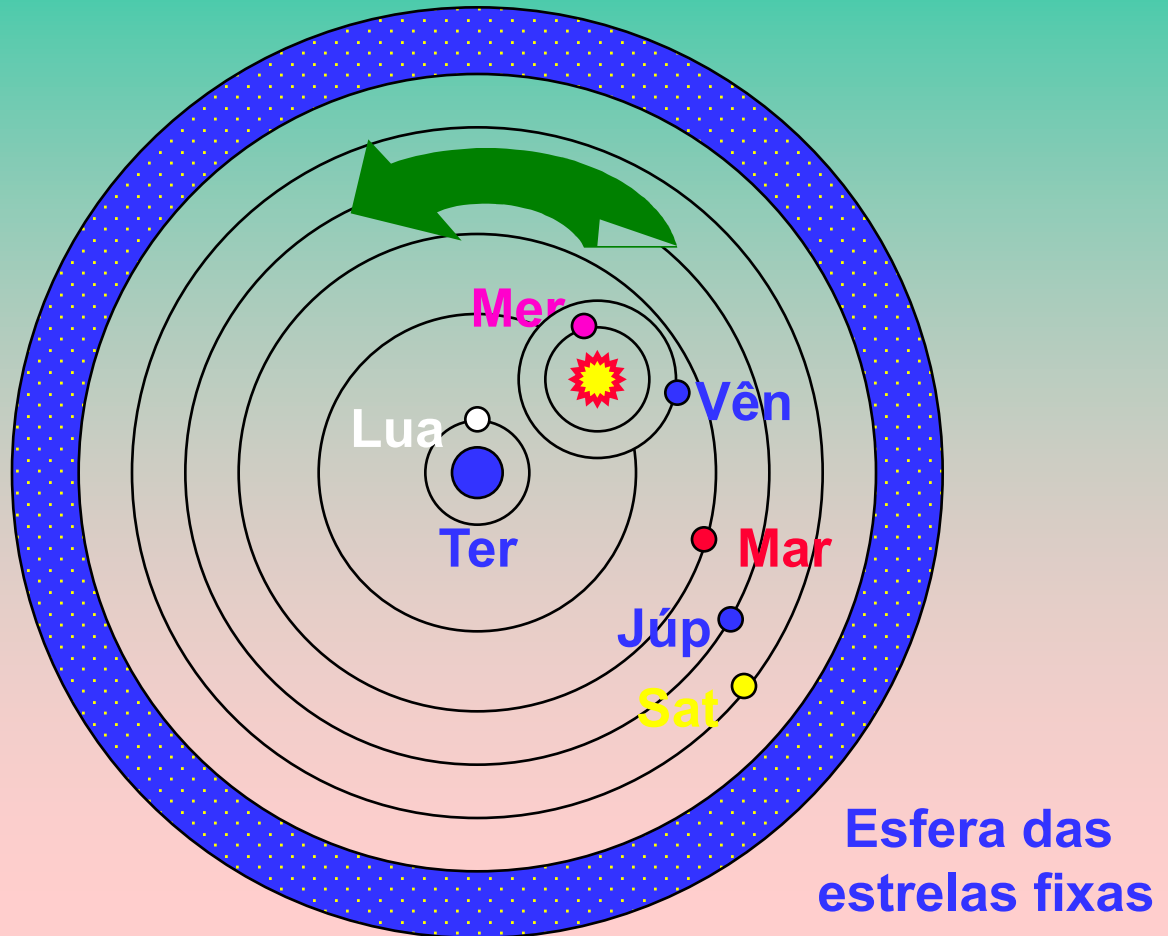


Geocentrismo com epiciclos



Sistema Híbrido

(Heráclides, séc. IV a .C.)



Instrumentos Astronômicos Antigos

Sol



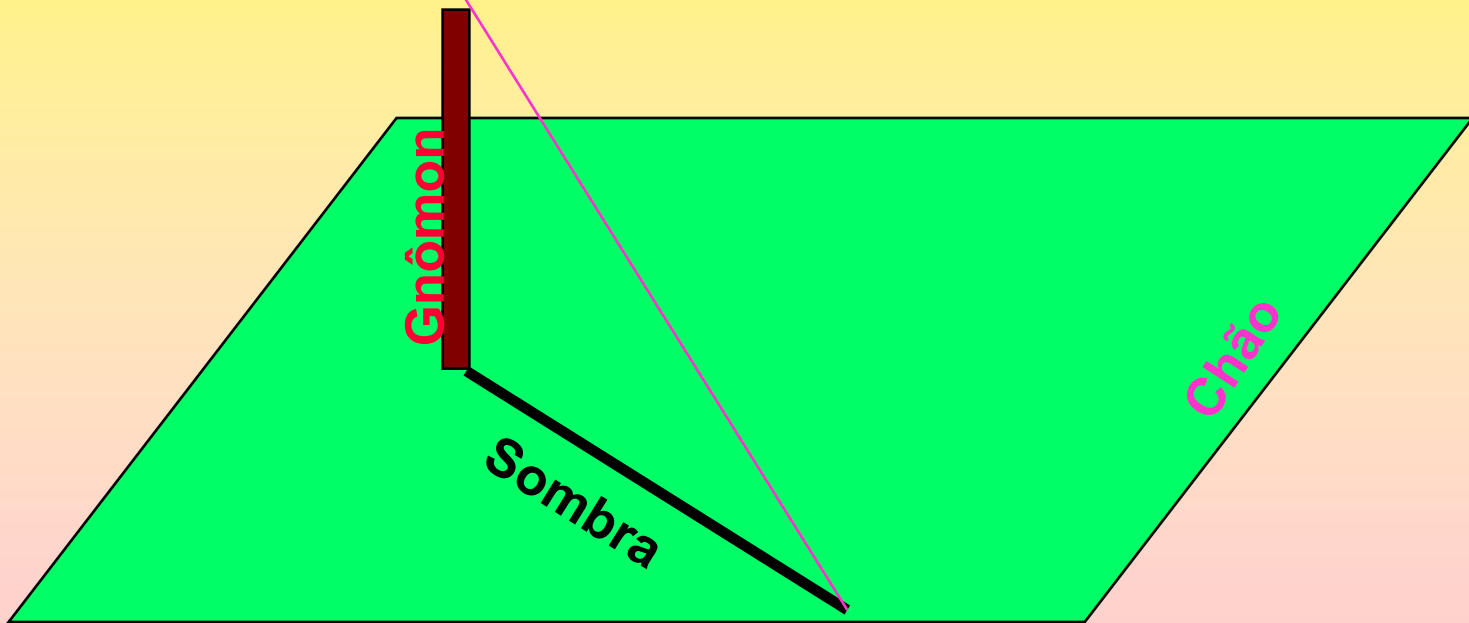
Gnômon

(Relógio de Sol)

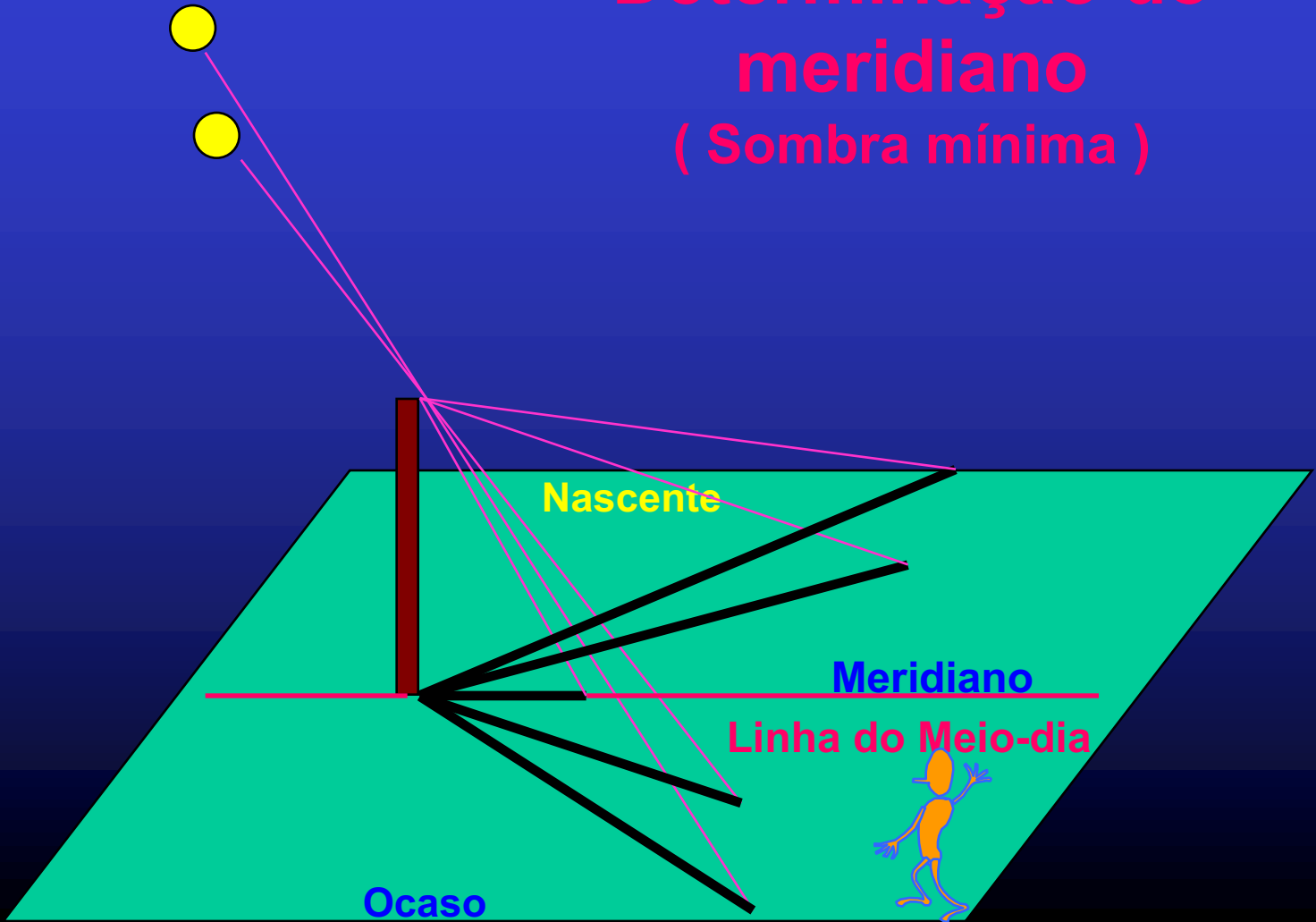
Gnômon

Chão

Sombra

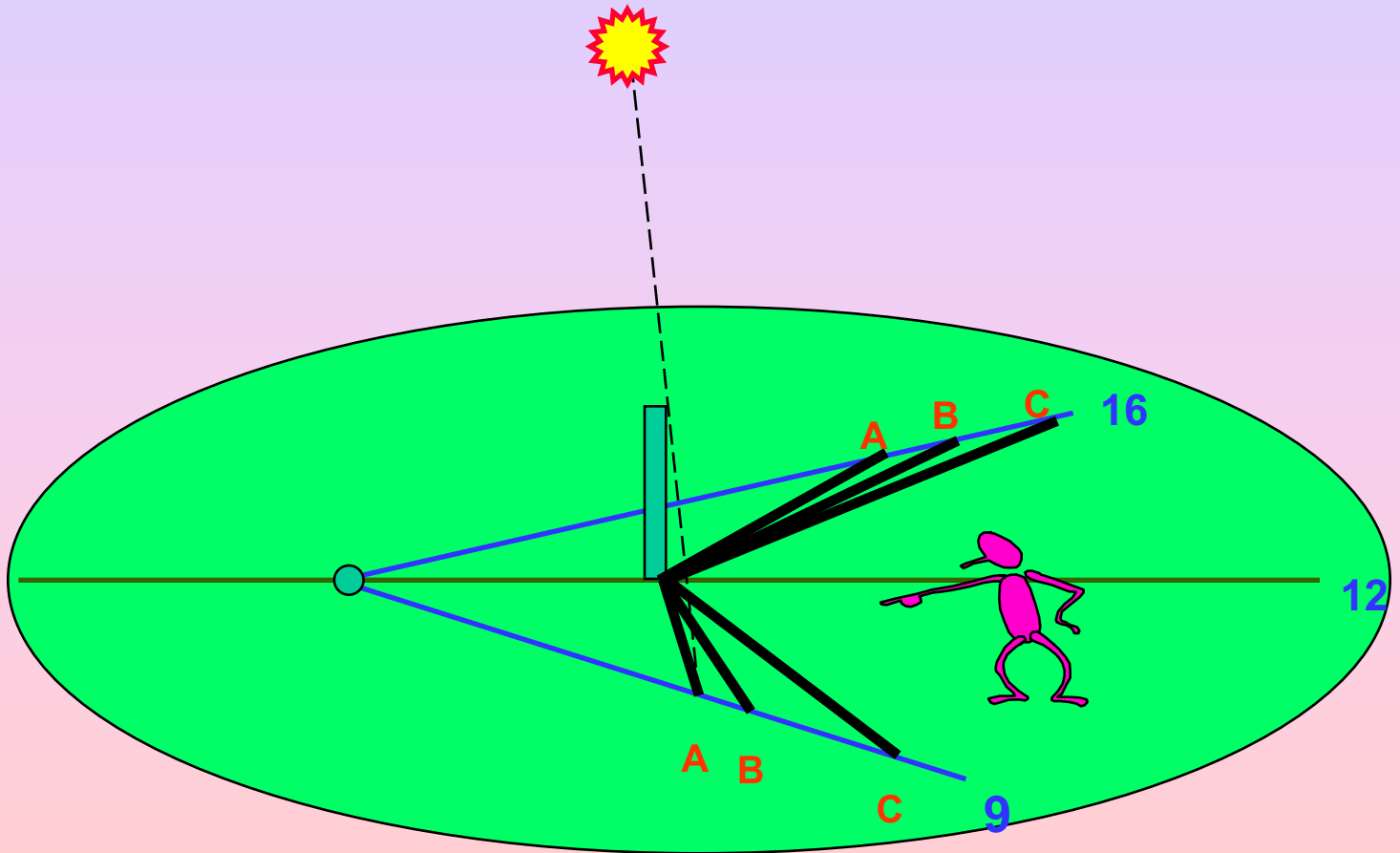


Determinação do meridiano (Sombra mínima)

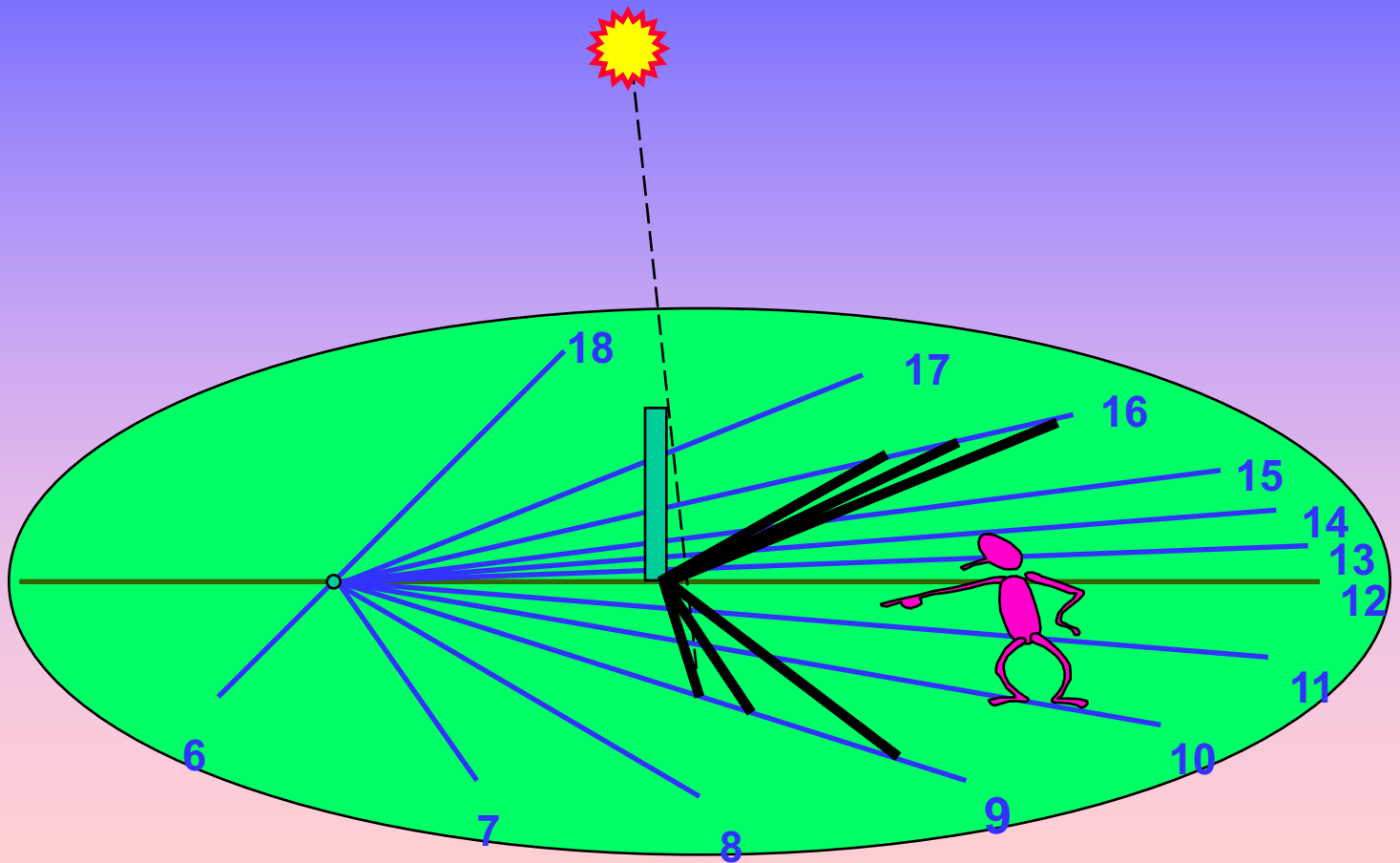


Relógios de Sol

Fundamentos do Gnômon com mostrador horizontal

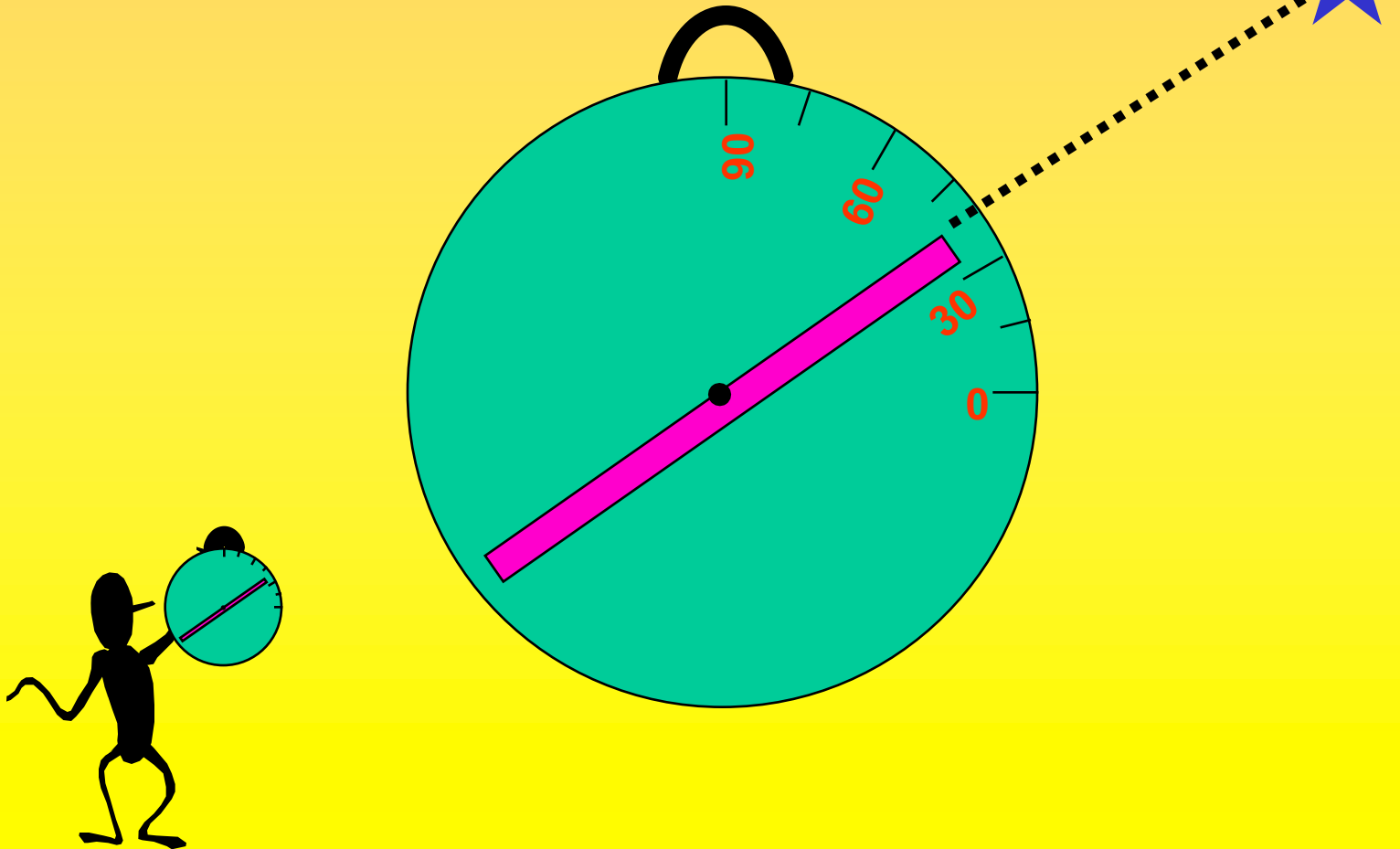


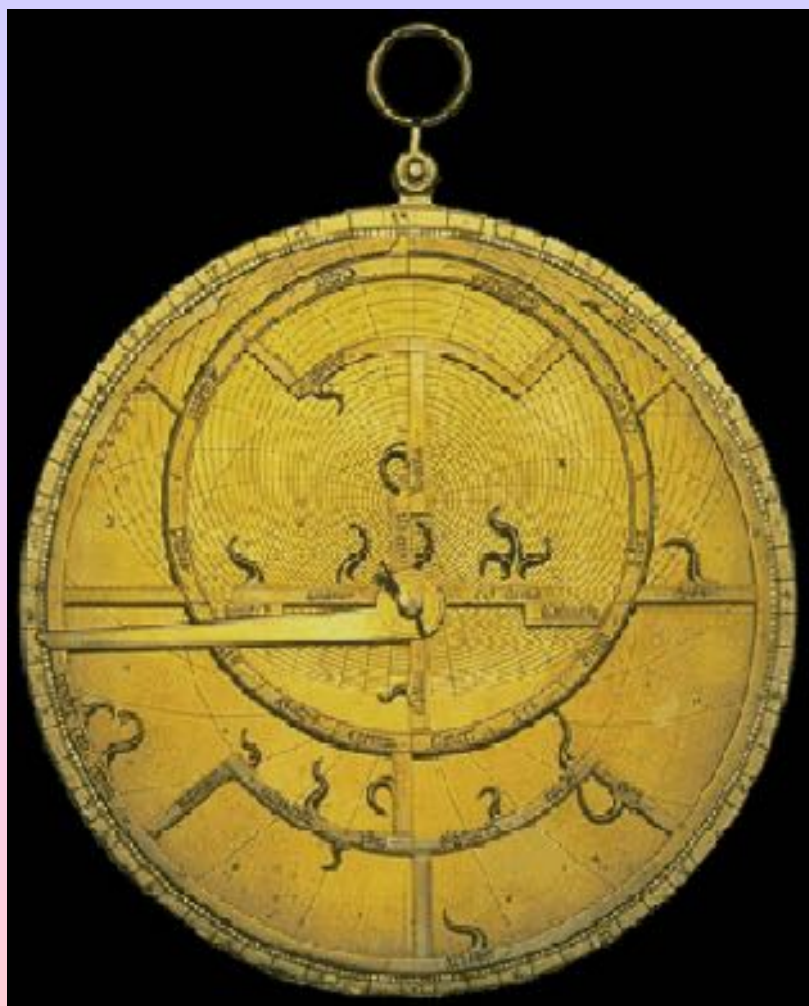
Gnômon com mostrador horizontal



Astrolábio

(Origem Babilônica)





Astrolábio astronômico



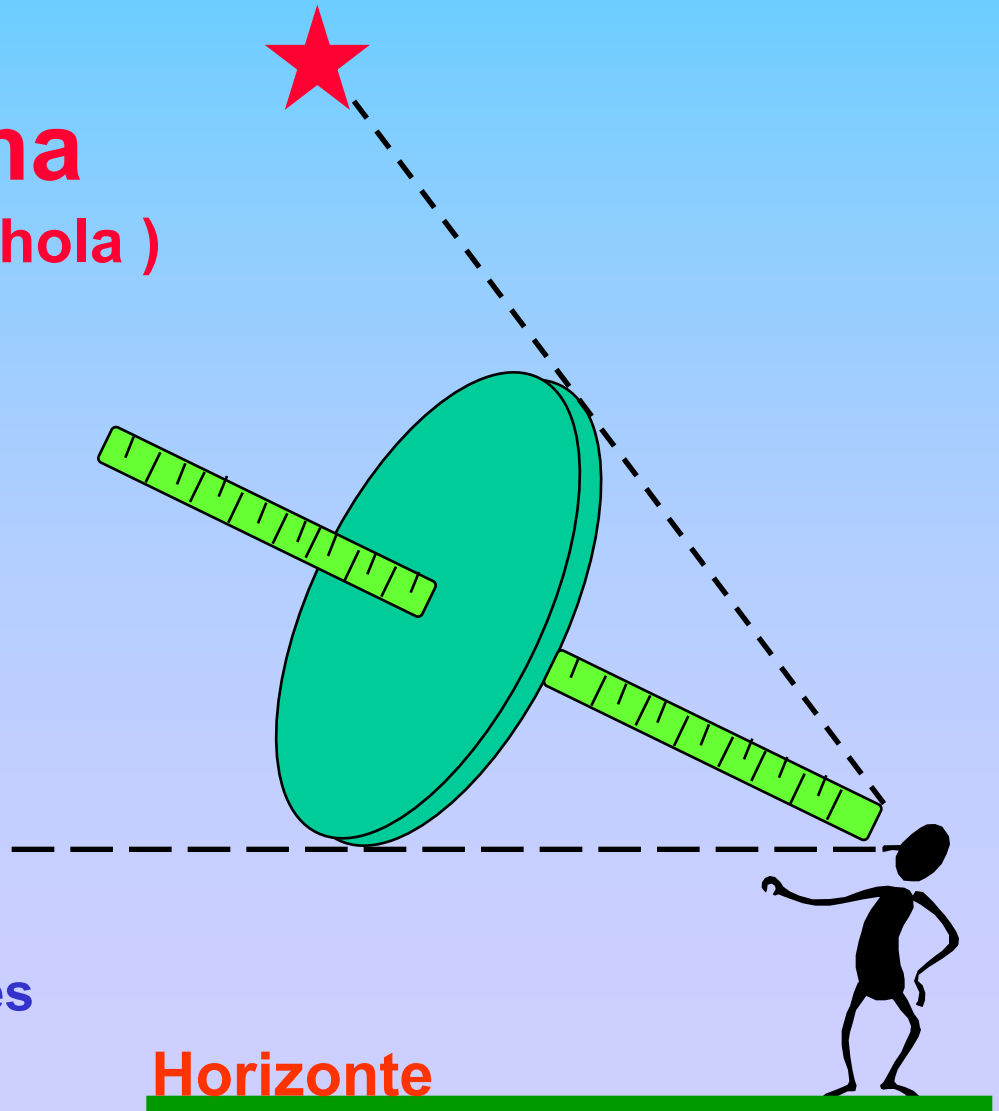
Astrolábio de marinheiro

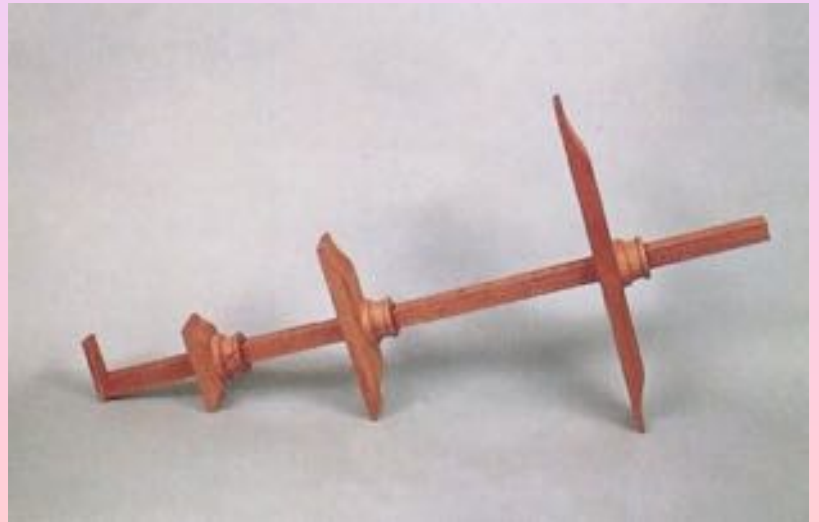
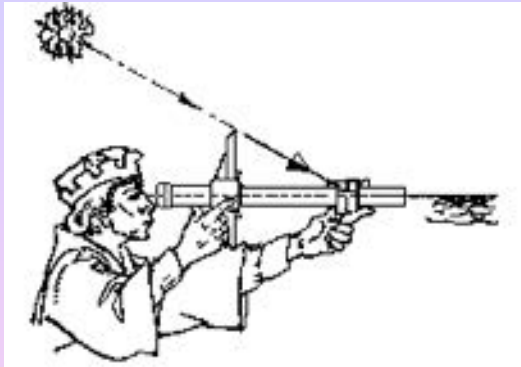


Balestilha

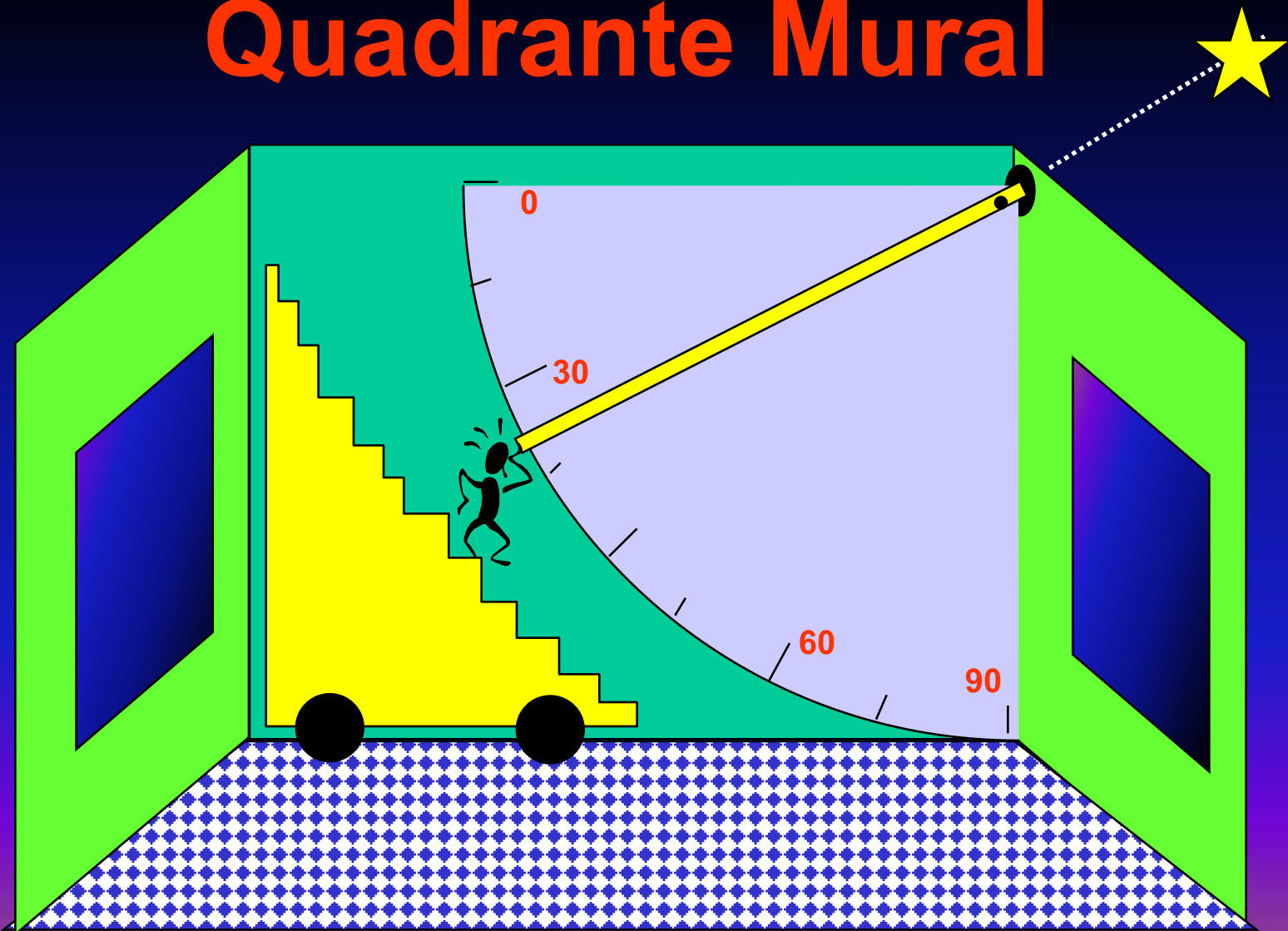
(Origem espanhola)

Usado pelo
Fernão de Magalhães

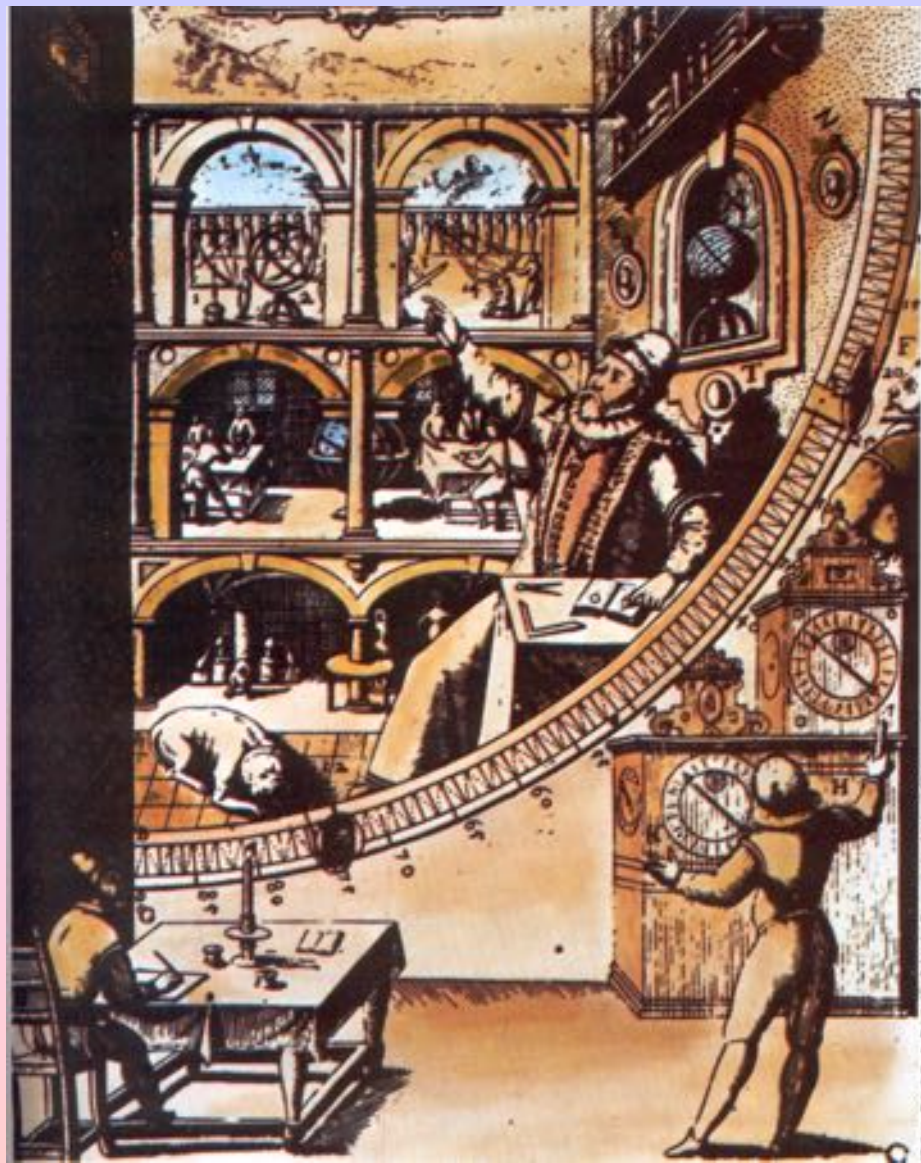




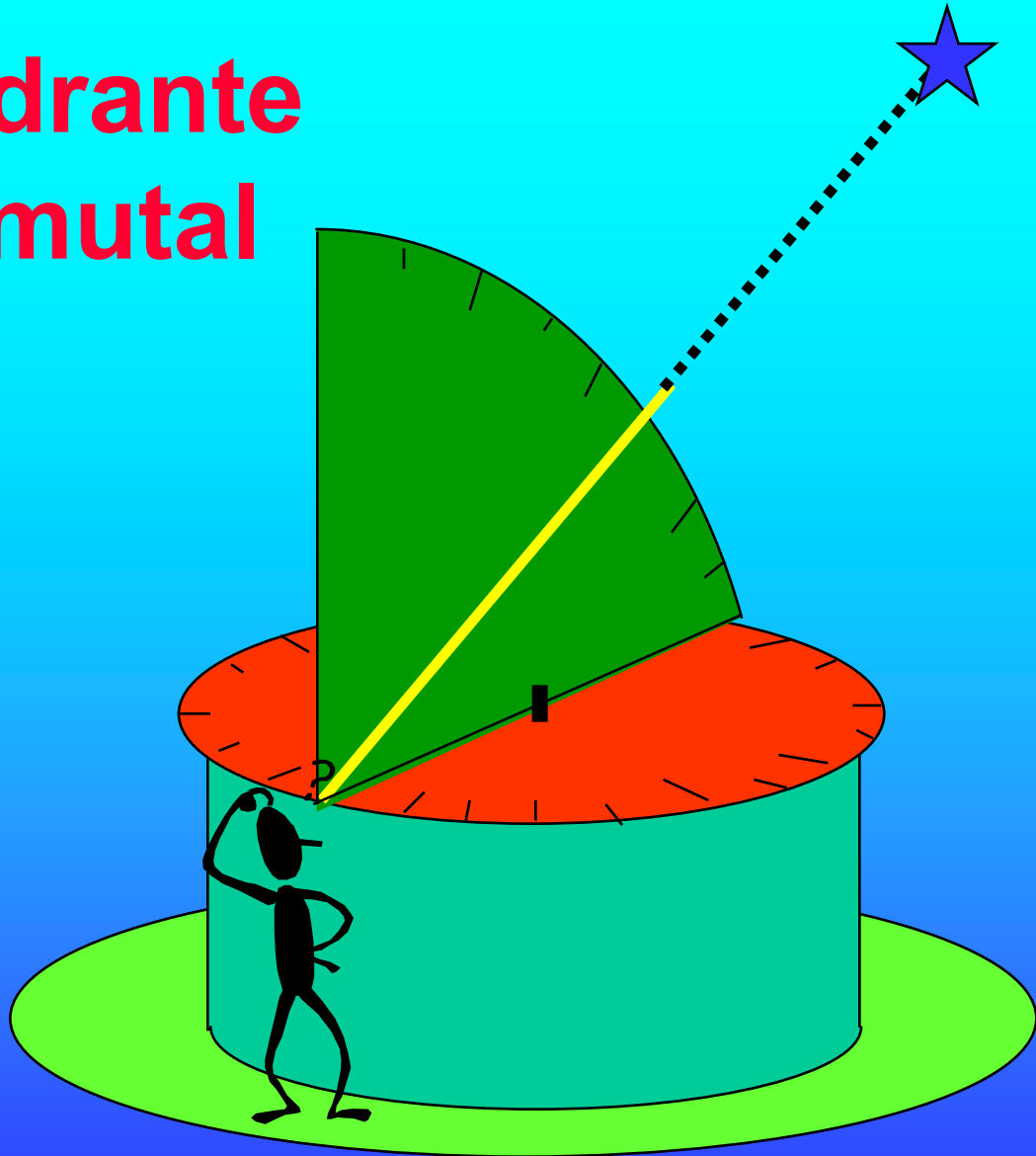
Quadrante Mural



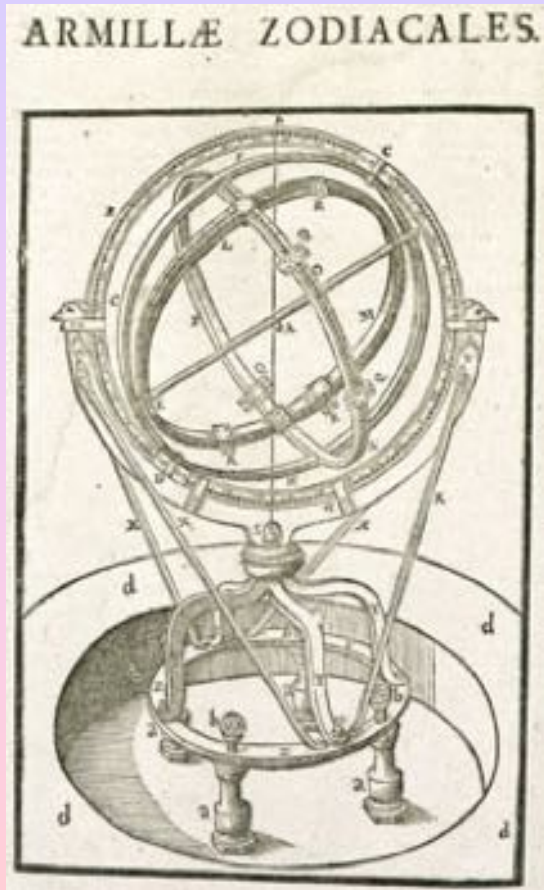
Quadrante
mural do
Observatório
de
Tycho Brahe
da
Ilha de Ven
(Dinamarca)



Quadrante Azimutal



Extraído de uma obra de Tycho Brahe

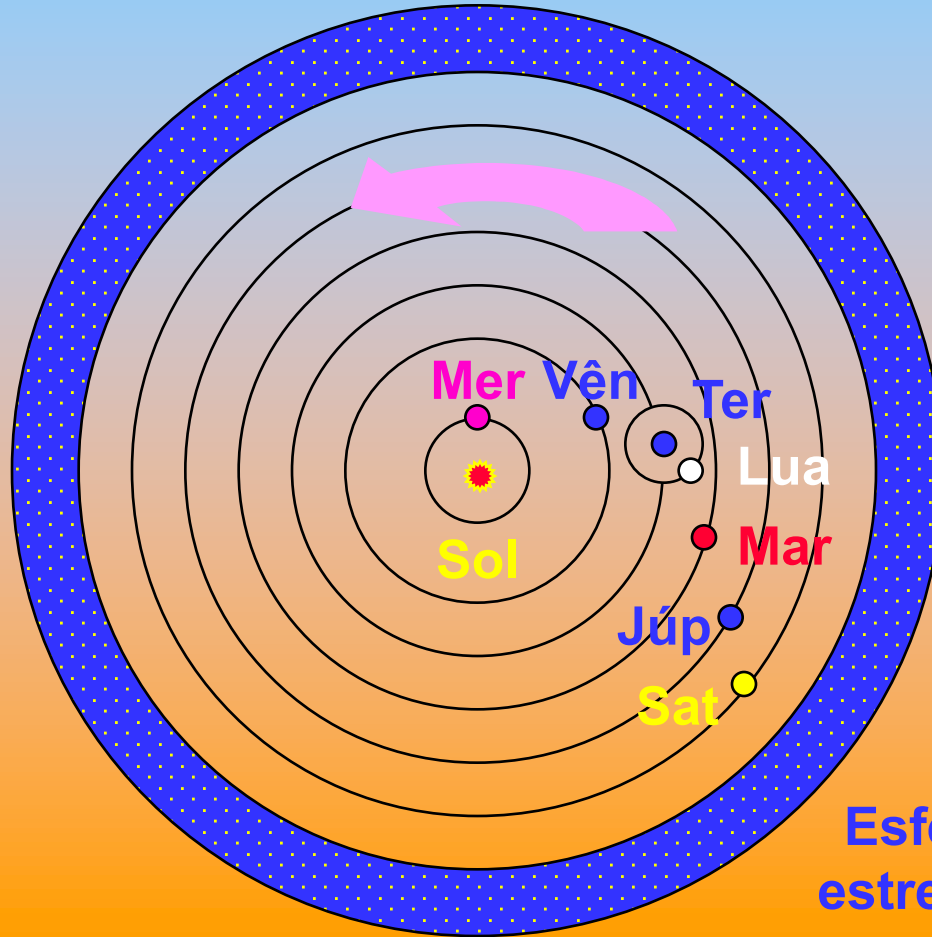


Esfera armilar moderna



Sistema Heliocêntrico

(Copérnico, séc. XVI)

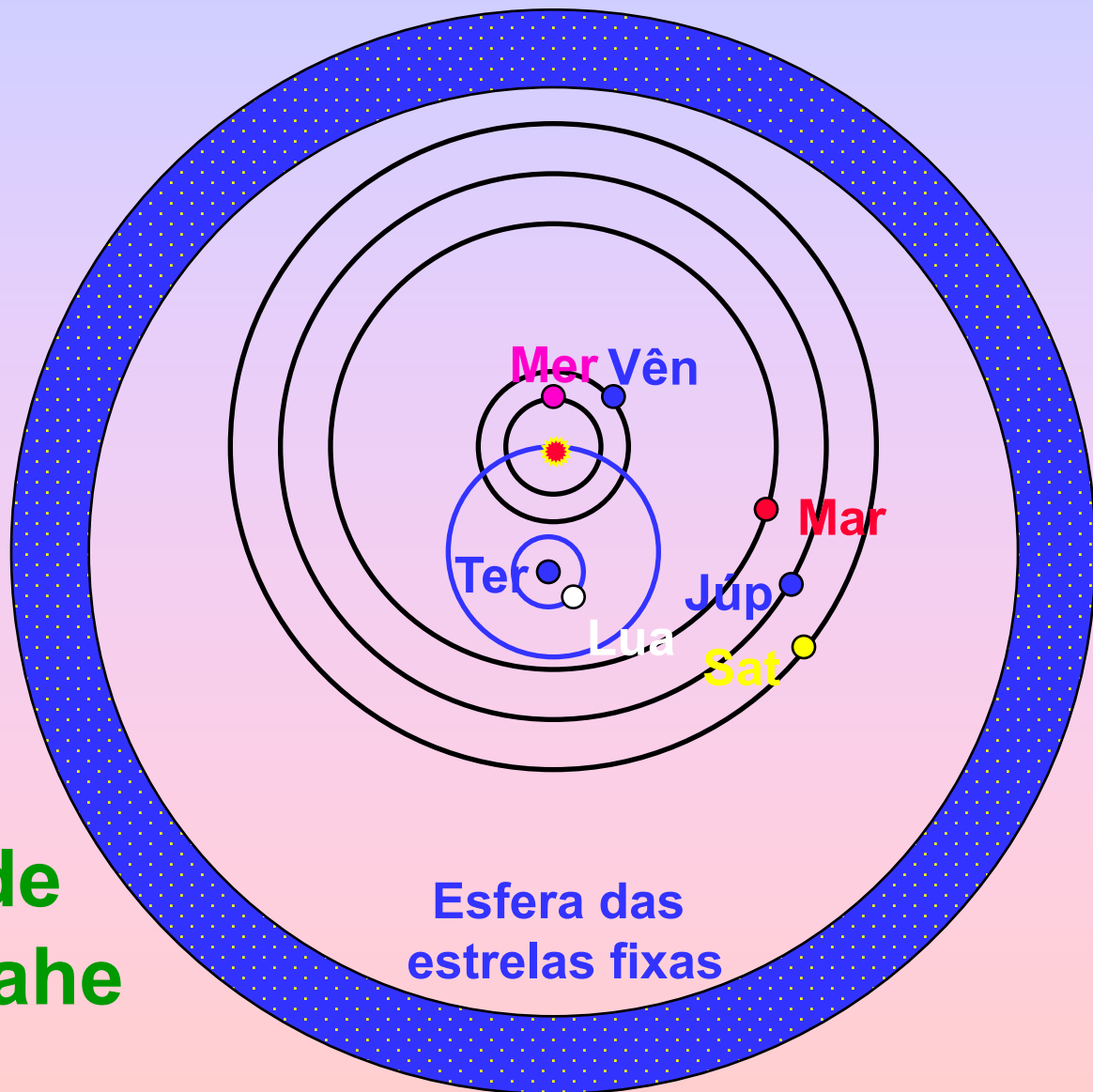


Copérnico
(Polônia)
1473 - 1543



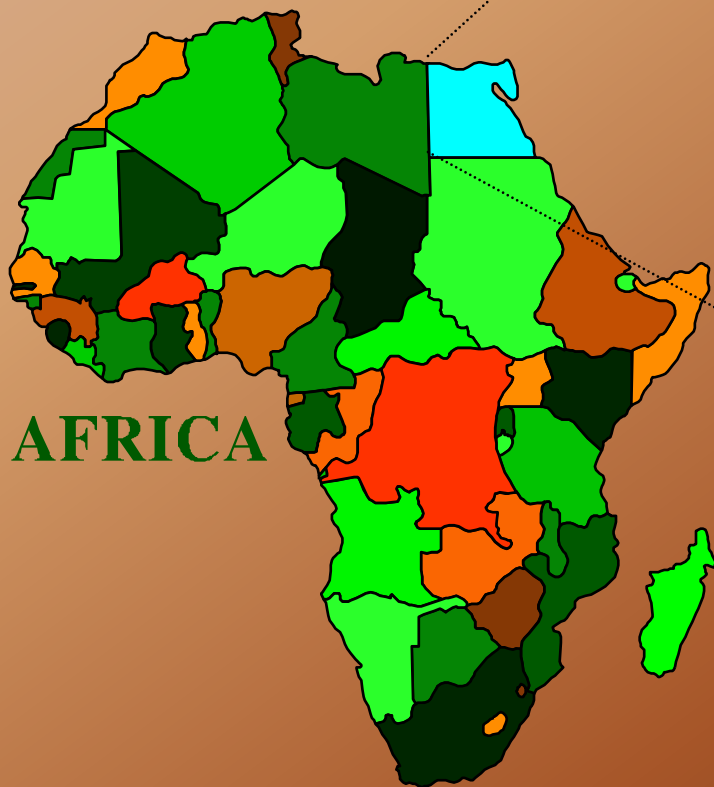
Sistema Heliocêntrico





**Sistema de
Tycho Brahe**
(séc. XVI)

Distâncias no Sistema solar



AFRICA

Egito



Alexandria

Cairo

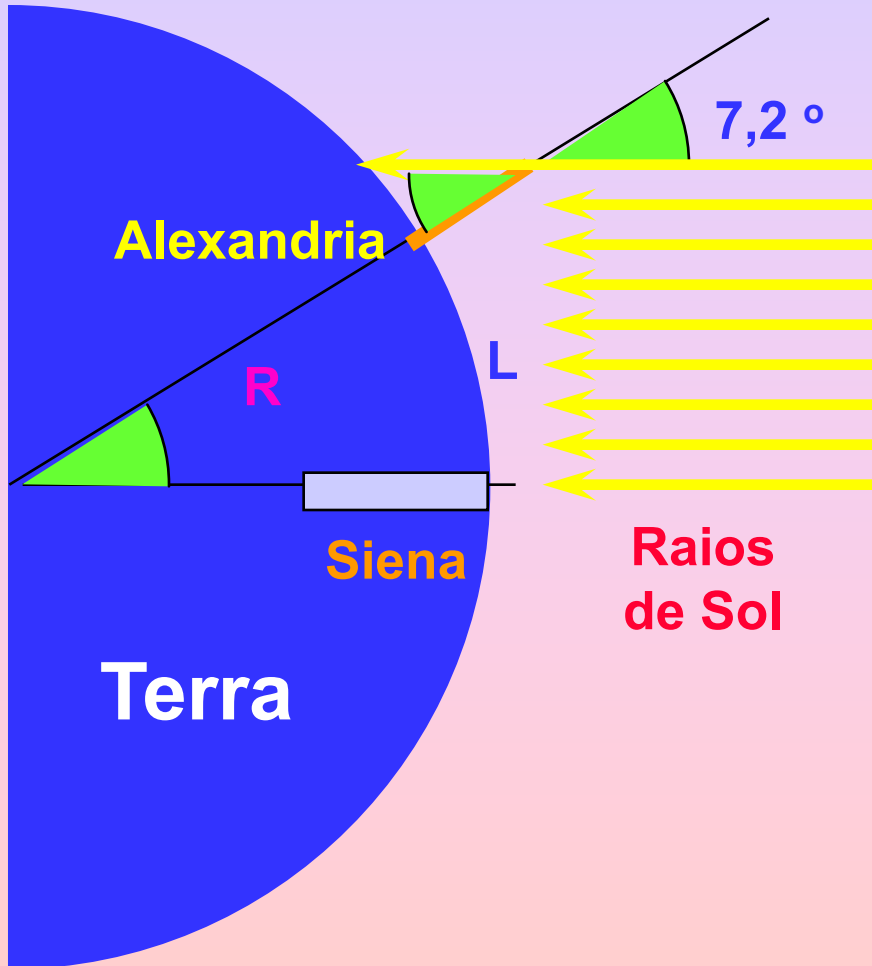
Egito

Sienna
(Assuan)

Raio da Terra

Eratóstenes

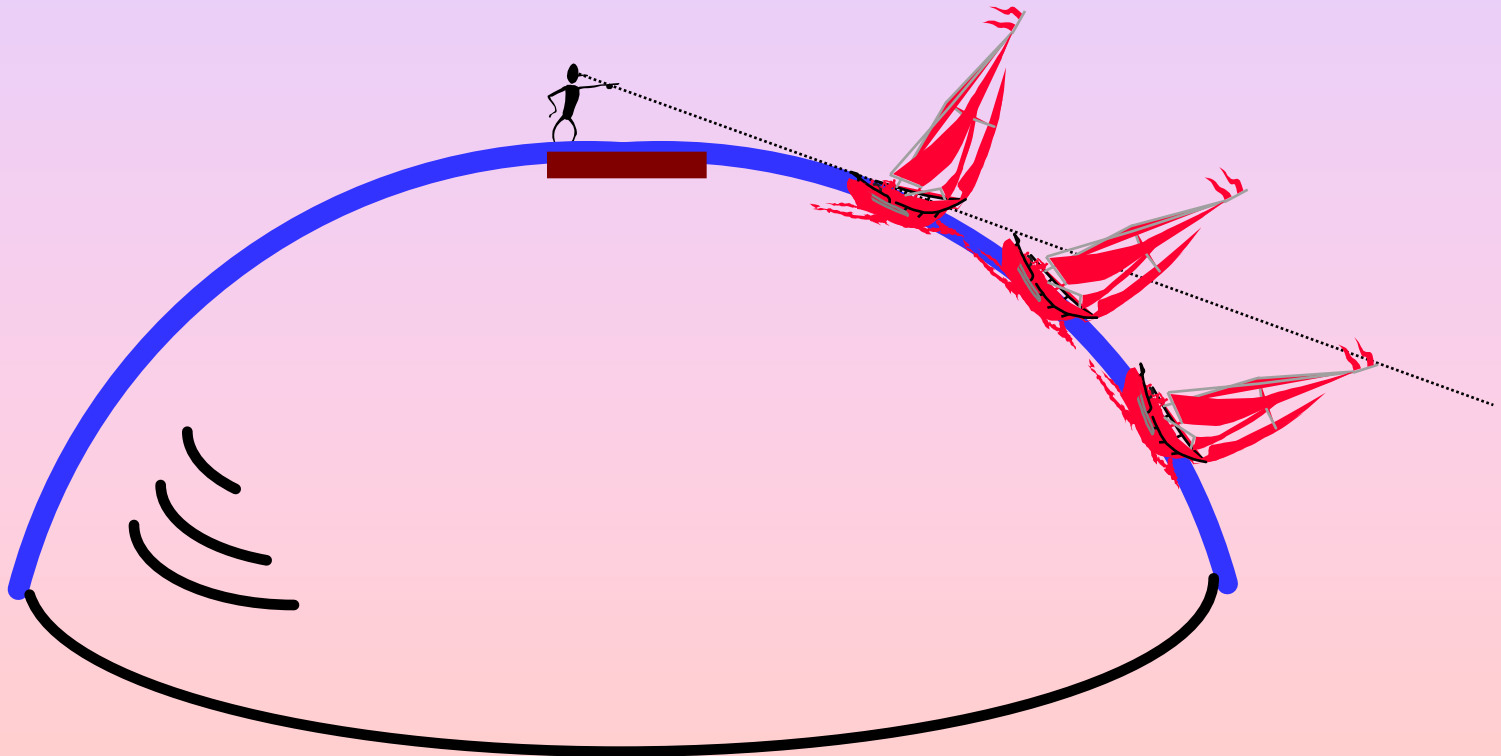
276 a.C. – 196 a.C.



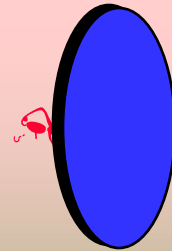
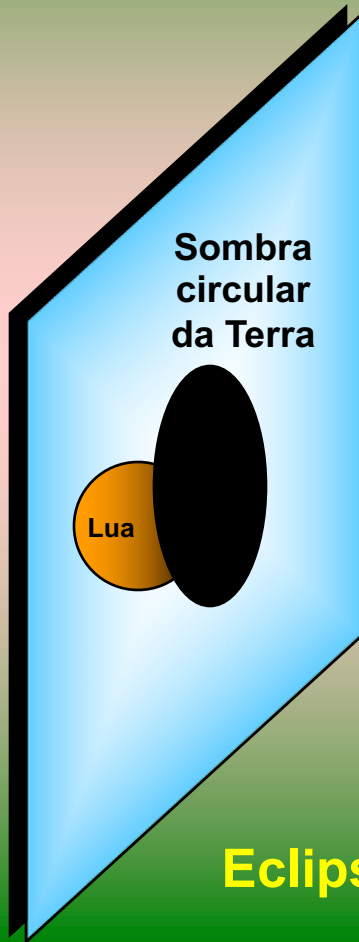
$$\begin{array}{l} 360^\circ \quad \underline{\hspace{1cm}} \quad 2\pi R \\ 7,2^\circ \quad \underline{\hspace{1cm}} \quad L \end{array}$$

**Mas... já se sabia que a
Terra era esférica naquela
época?**

Esfericidade da Terra



Terra plana?



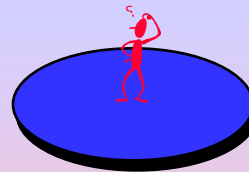
Terra plana



Eclipse lunar à meia-noite

Funciona!

Terra não é plana!



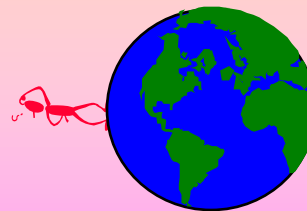
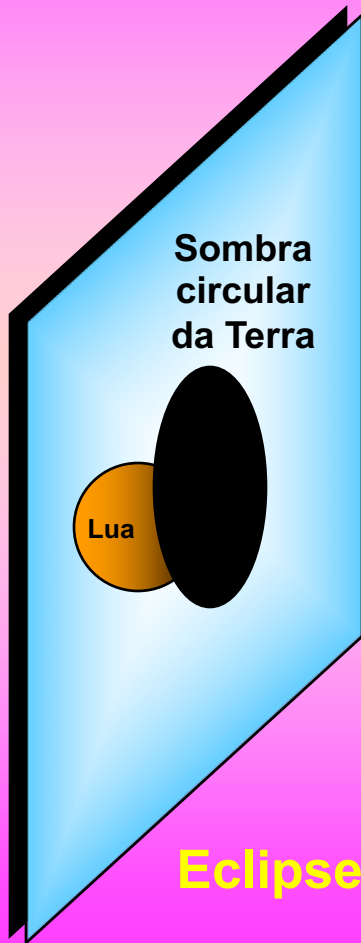
Terra plana



Eclipse lunar ao nascer ou ao ocaso do Sol

Não funciona!

Terra tem que ser esférica!



Terra esférica

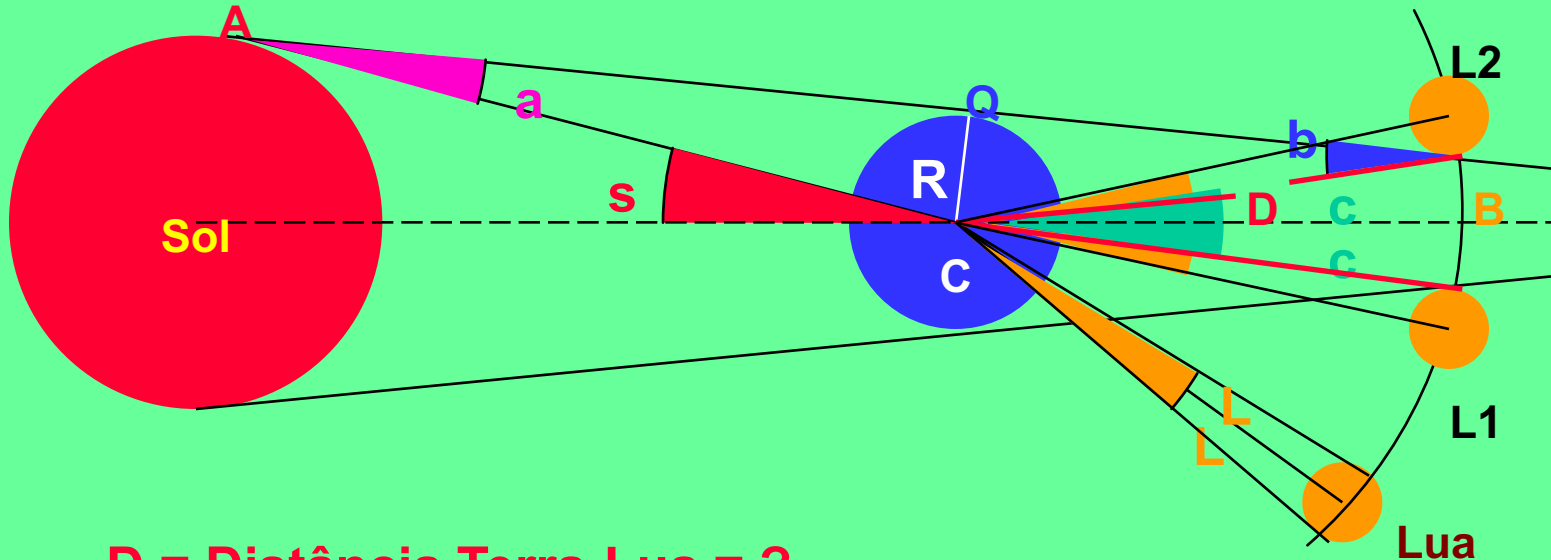


Eclipse lunar a qualquer hora

Funciona!

Distância da Terra à Lua

(Hiparcos, séc. II a .C.)



D = Distância Terra-Lua = ?

R = raio da Terra

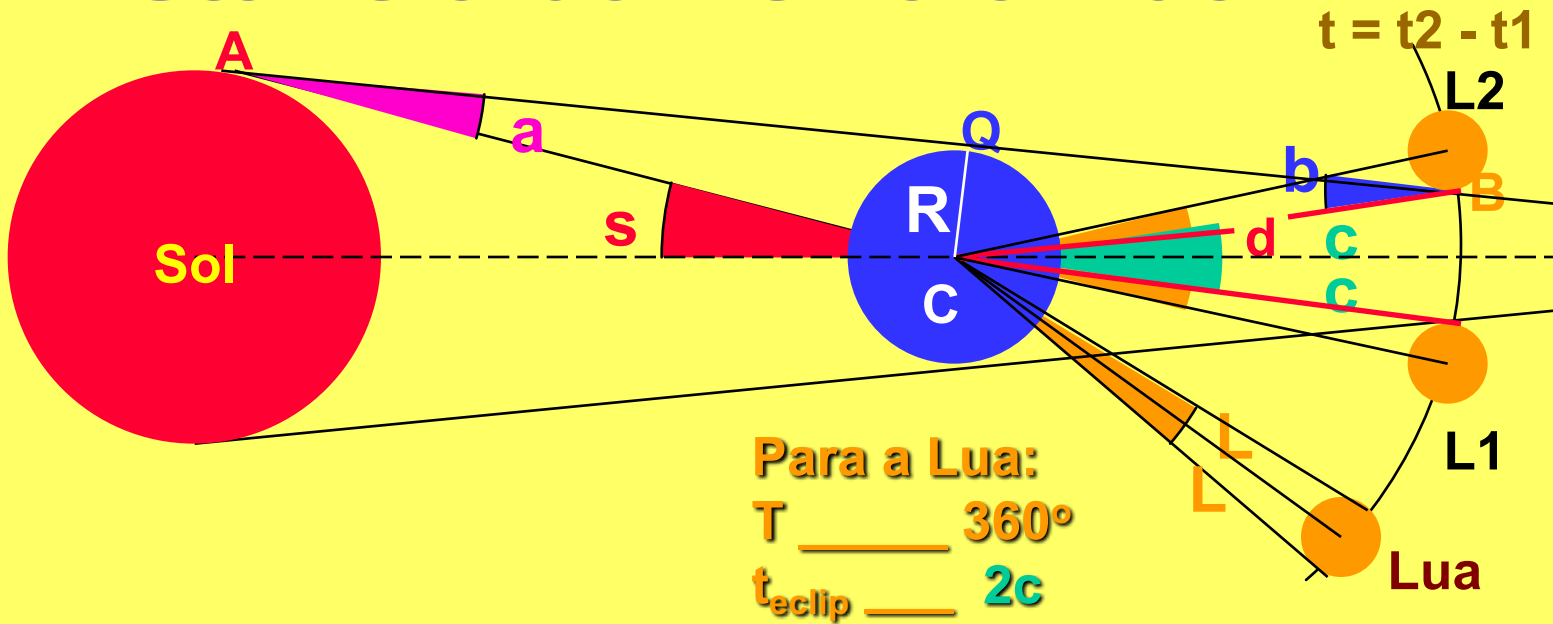
L = semi-diâmetro angular da Lua ~16' (medido)

s = semi-diâmetro angular do Sol ~ 16' (medido)

a = semi-diâmetro angular da Terra vista do Sol ~ 8,794''

T = período orbital da Lua ~ 27,3 dias

Distância da Terra à Lua



No triângulo ABC: $a + b + x = 180^\circ$

Ângulo raso em C: $s + x + c = 180^\circ$

$$a + b + x = s + x + c$$

$$a + b = s + c$$

$$a \sim 0$$

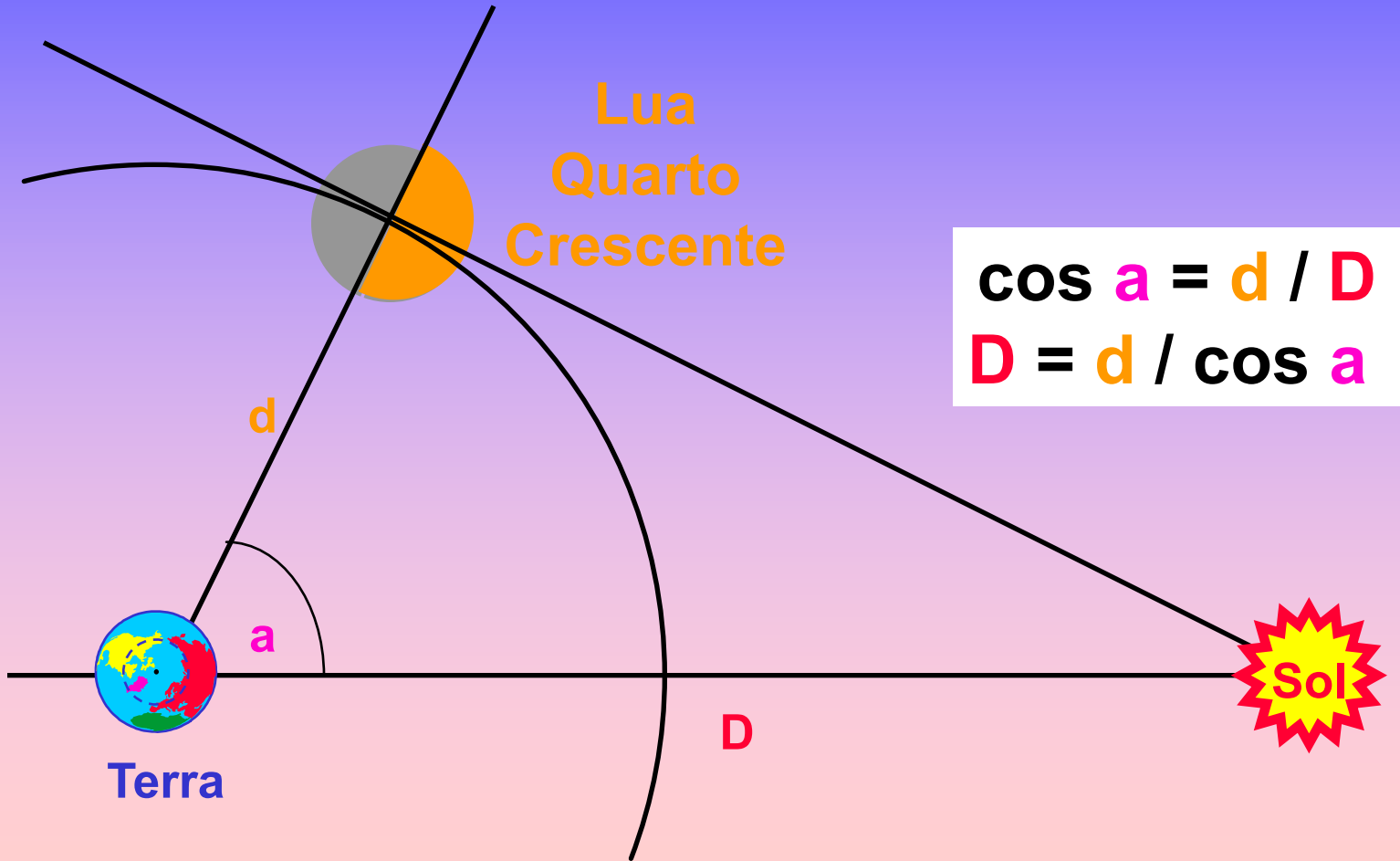
$$b = s + c$$

No triângulo BCQ: $\text{sen } b = R / d$

Logo: $d = R / \text{sen } b$

Distância da Terra ao Sol

(Aristarco, grego, 320 a.C. – 250 a.C.)



Configurações Planetárias

Exterior

Interior

C = Conjuncão

O = Oposição

Q = Quadratura

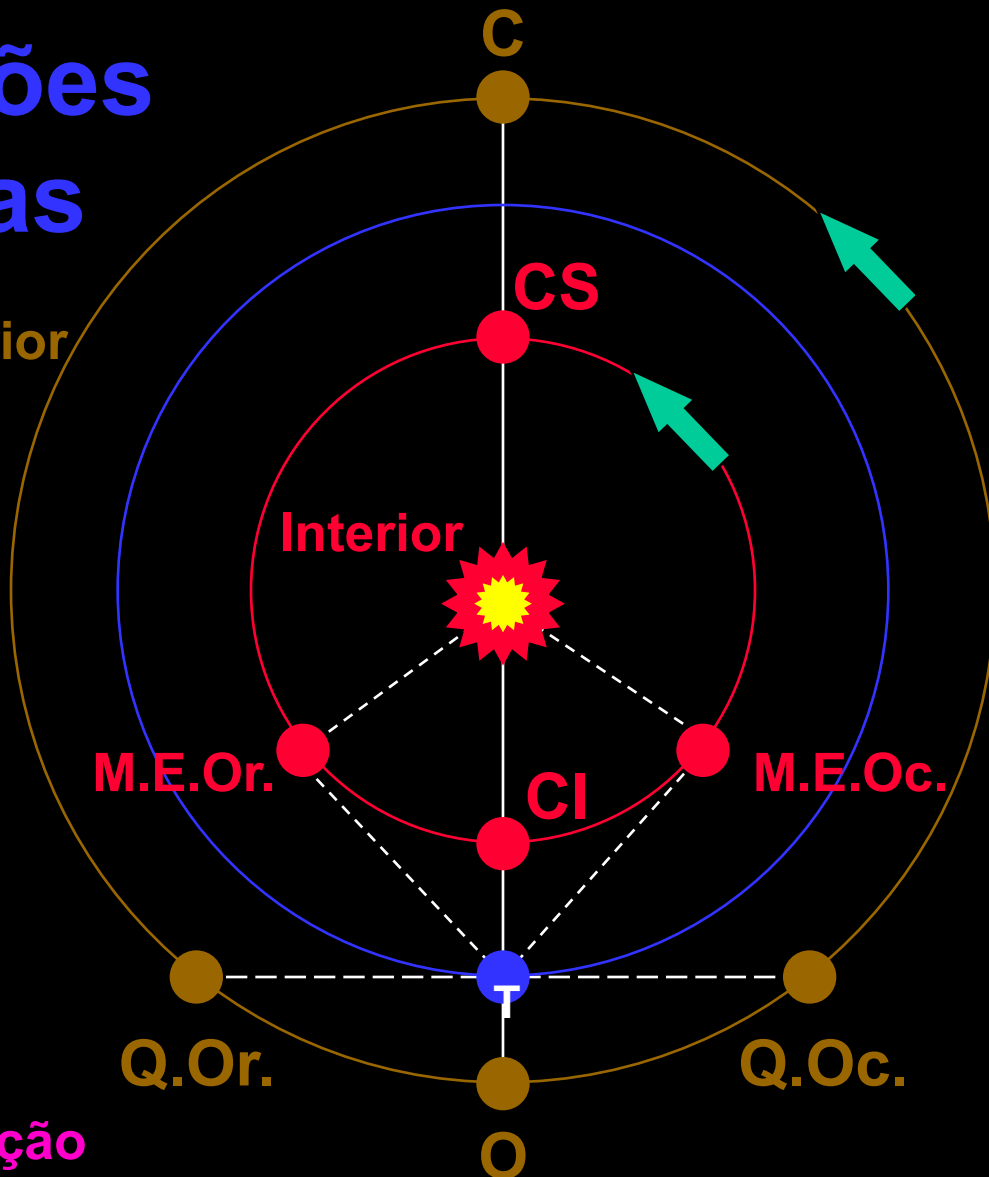
Oc. = Ocidental (W)

Or. = Oriental (E)

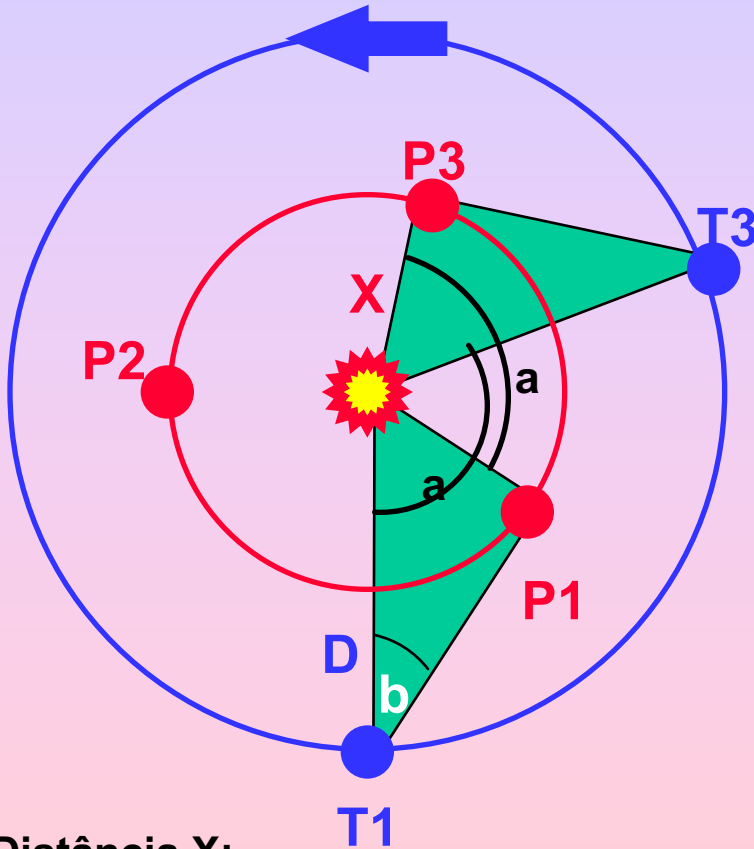
S = Superior

I = Inferior

ME = Máxima Elongação



Método de Copérnico para calcular raios orbitais e períodos dos Planetas Interiores



Períodos: em dois períodos sinódicos sucessivos

$$S = t_3 - t_1 = \text{Per. Sinódico}$$

$$T = ? = \text{Per. Orbital}$$

$$A = 365,25 \text{ (Orb. da Terra)}$$

Terra

$$A \text{ } \underline{\hspace{1cm}} \text{ } 360^\circ$$

$$S \text{ } \underline{\hspace{1cm}} \text{ } a$$

Planeta

$$S \text{ } \underline{\hspace{1cm}} \text{ } 360 + a$$

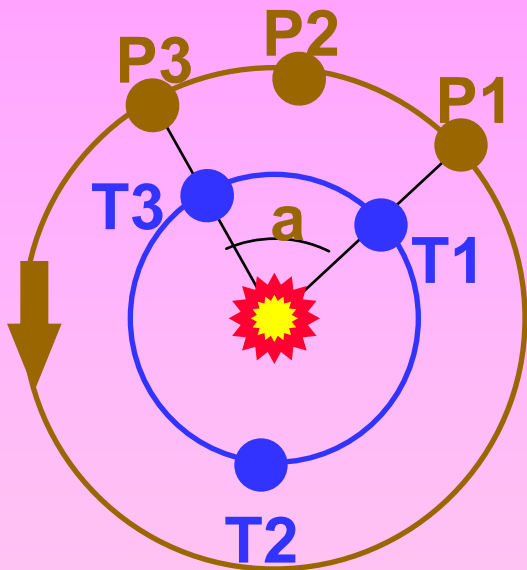
$$T \text{ } \underline{\hspace{1cm}} \text{ } 360^\circ$$

Distância X:
Na máxima elongação

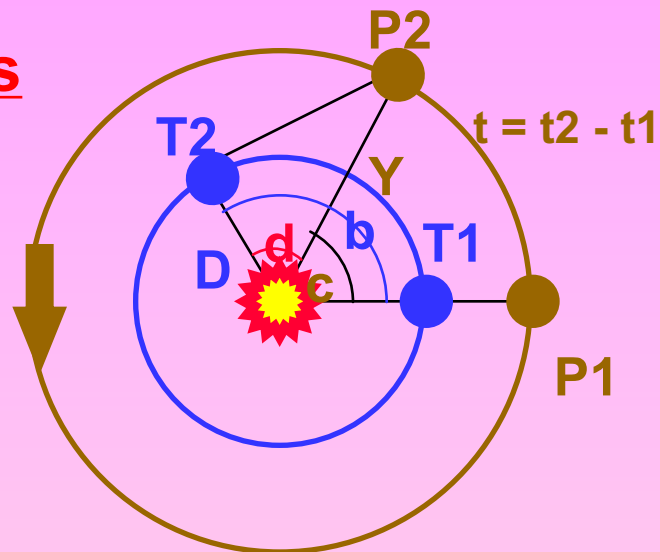
$$\text{sen } b = X / D$$

$$X = D \cdot \text{sen } b$$

$$1/T = 1/A + 1/S$$



Planetas Exteriores



Período: em duas oposições sucessivas

Terra

$$A \text{ --- } 360^{\circ}$$

$$S \text{ --- } 360 + a$$

Planeta

$$S \text{ --- } a$$

$$T \text{ --- } 360^{\circ}$$

$$1/T = 1/A - 1/S$$

Raio orbital: numa oposição à próxima quadratura

Terra

$$A \text{ --- } 360^{\circ}$$

$$t \text{ --- } b$$

Planeta

$$T \text{ --- } 360^{\circ}$$

$$t \text{ --- } c$$

$$d = b - c$$

$$\cos d = D / Y$$

$$Y = D / \cos d$$

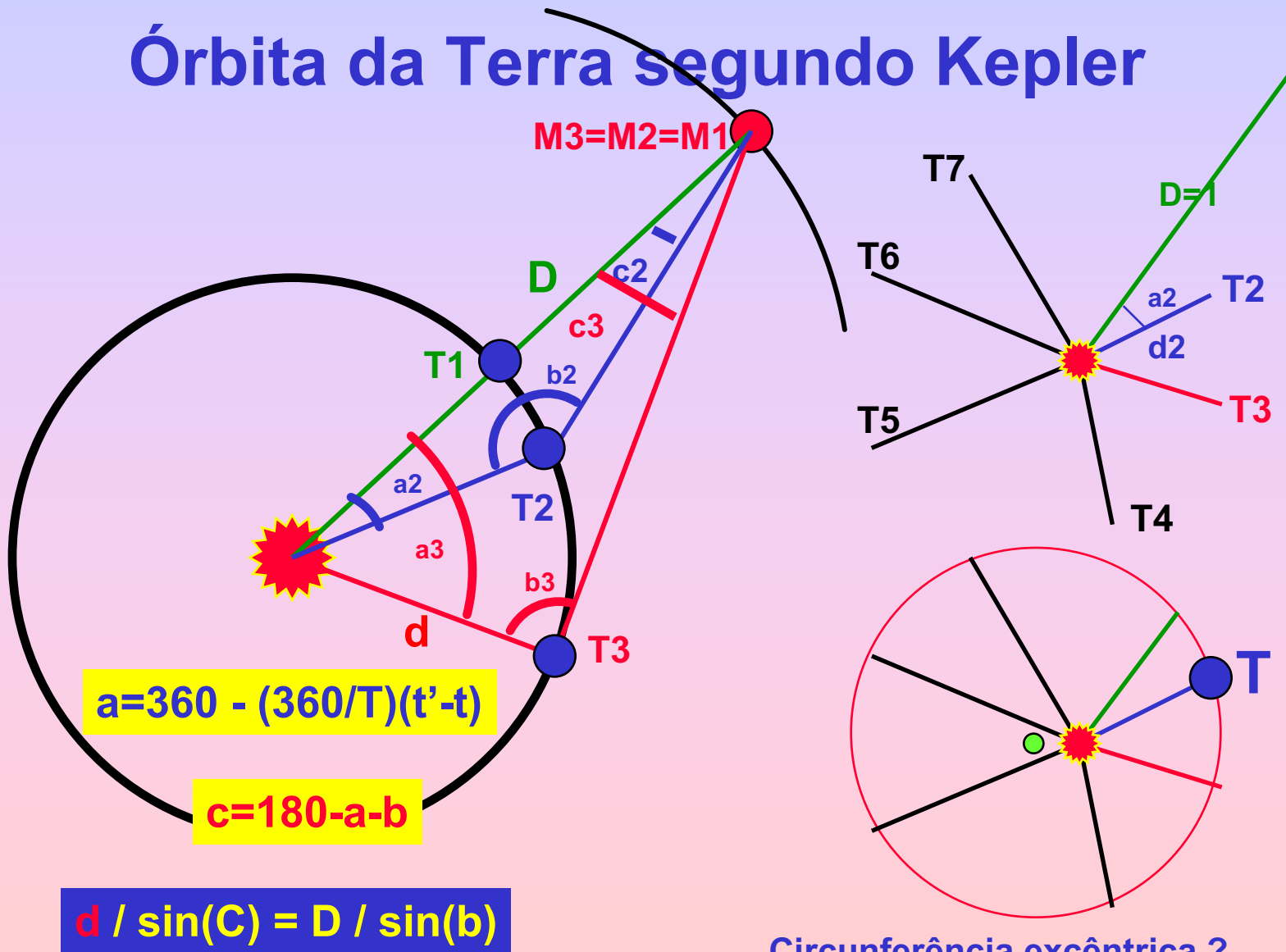
**Mas será que
as órbita
dos planetas
são
mesmo
circulares?**



Johann Kepler

1571 - 1630

Órbita da Terra segundo Kepler

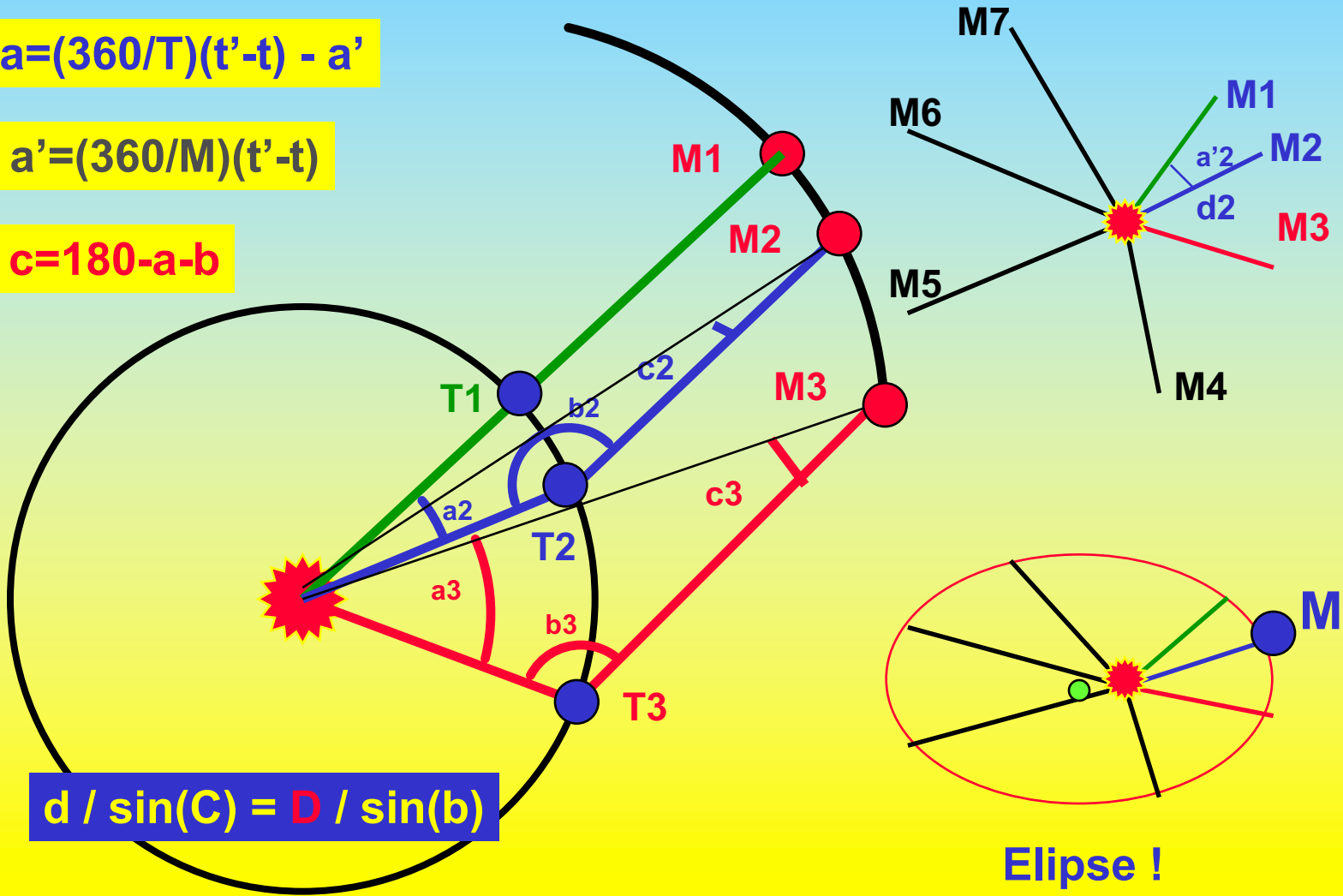


Órbita de Marte segundo Kepler

$$a = (360/T)(t' - t) - a'$$

$$a' = (360/M)(t' - t)$$

$c = 180 - a - b$

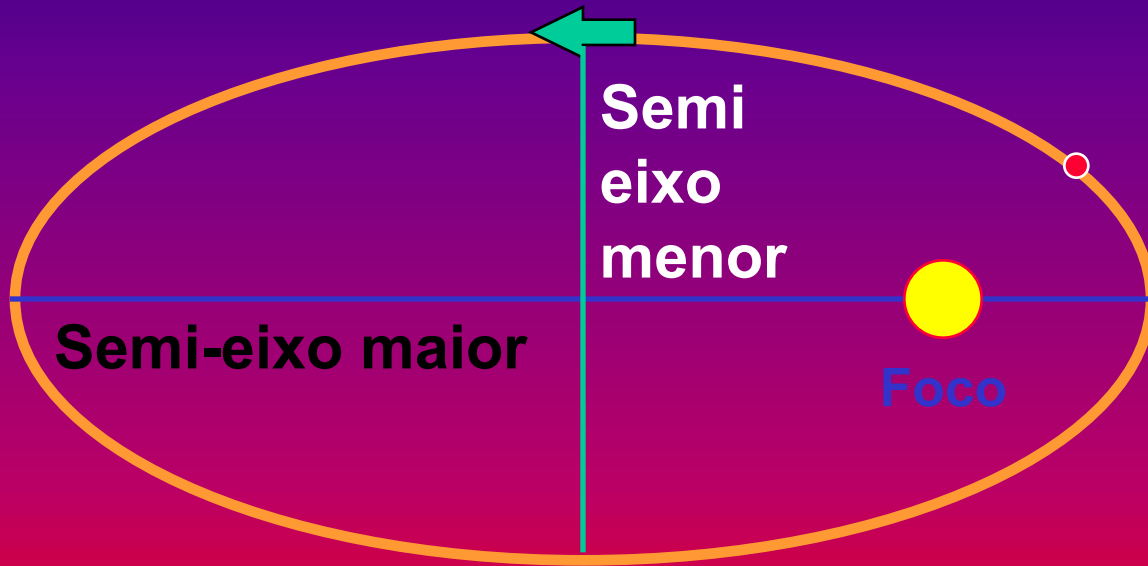


Elipse !

Leis de Kepler

Primeira Lei de Kepler

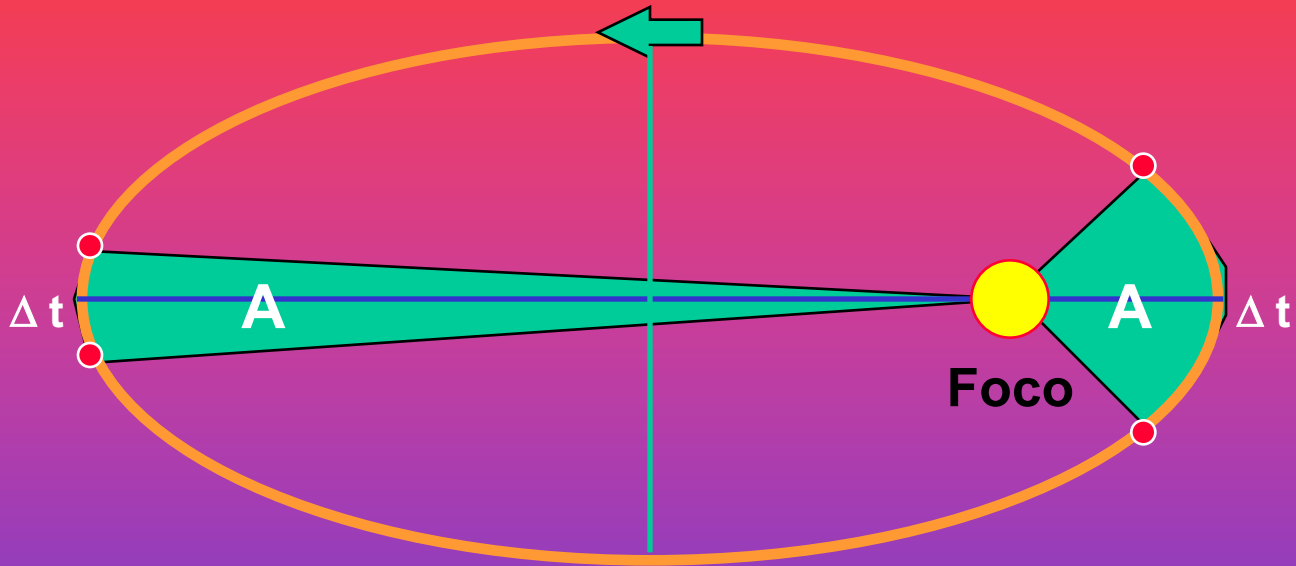
(1571 - 1630)



Um corpo ligado a outro gravitacionalmente
gira em torno dele numa órbita elíptica,
sendo que um deles ocupa o foco da elipse.

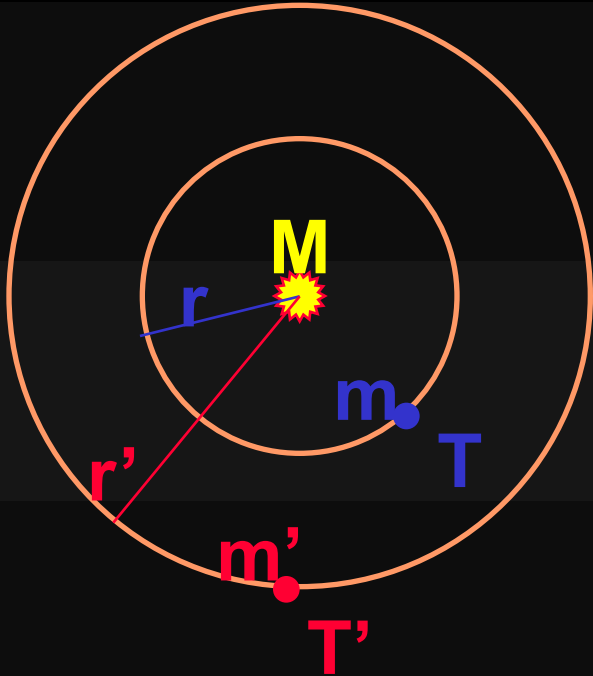
Segunda Lei de Kepler

(1571 - 1630)



Um corpo ligado a outro gravitacionalmente
gira em torno dele, com seu raio vetor
varrendo áreas iguais em tempos iguais.

Terceira Lei de Kepler



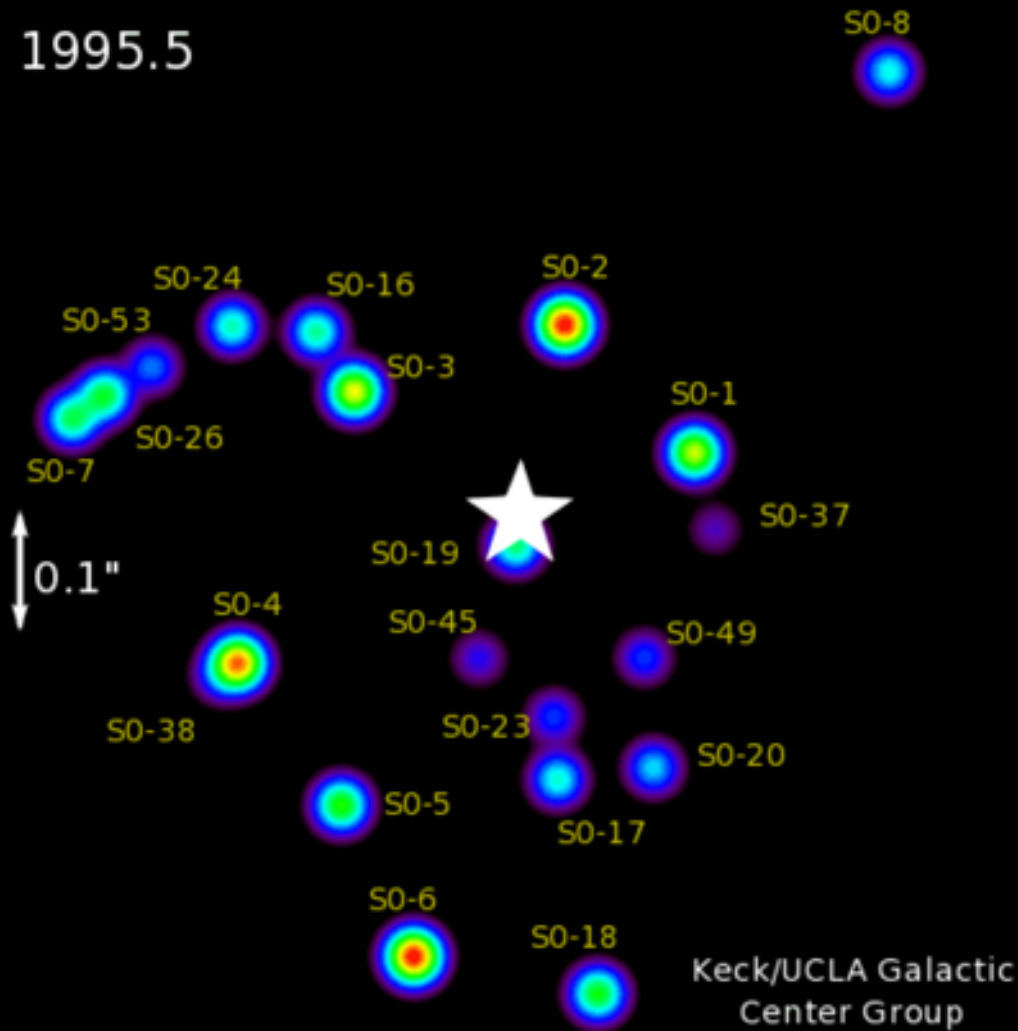
$$(r / r')^3 = (T / T')^2$$

Expressão correta:

$$(r / r')^3 = ((M + m) / (M + m')) \times (T / T')^2$$

$$r^3 = G (M + m) T^2$$

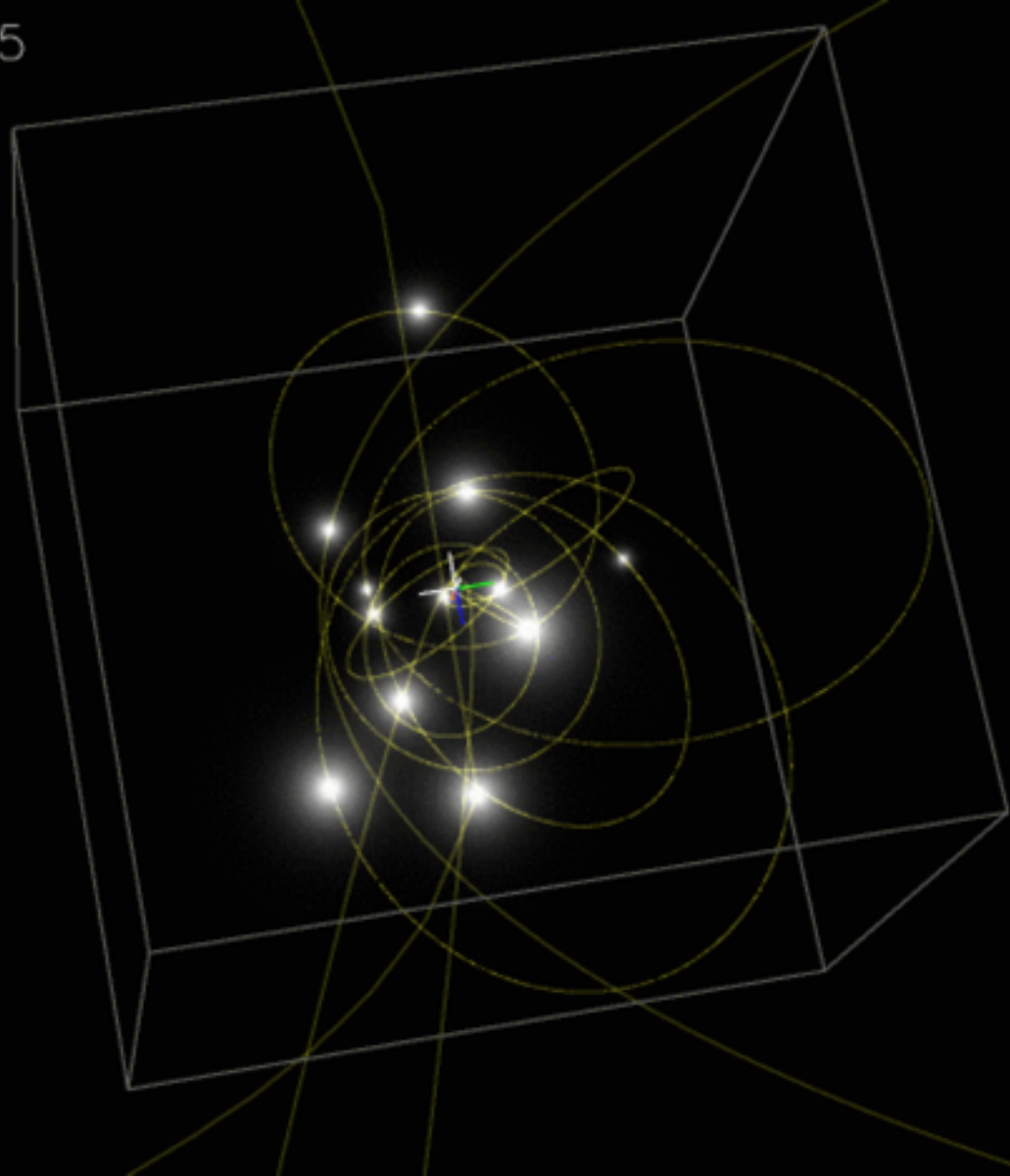
1995.5



As leis de Kepler dum modo que ele jamais teria pensado:

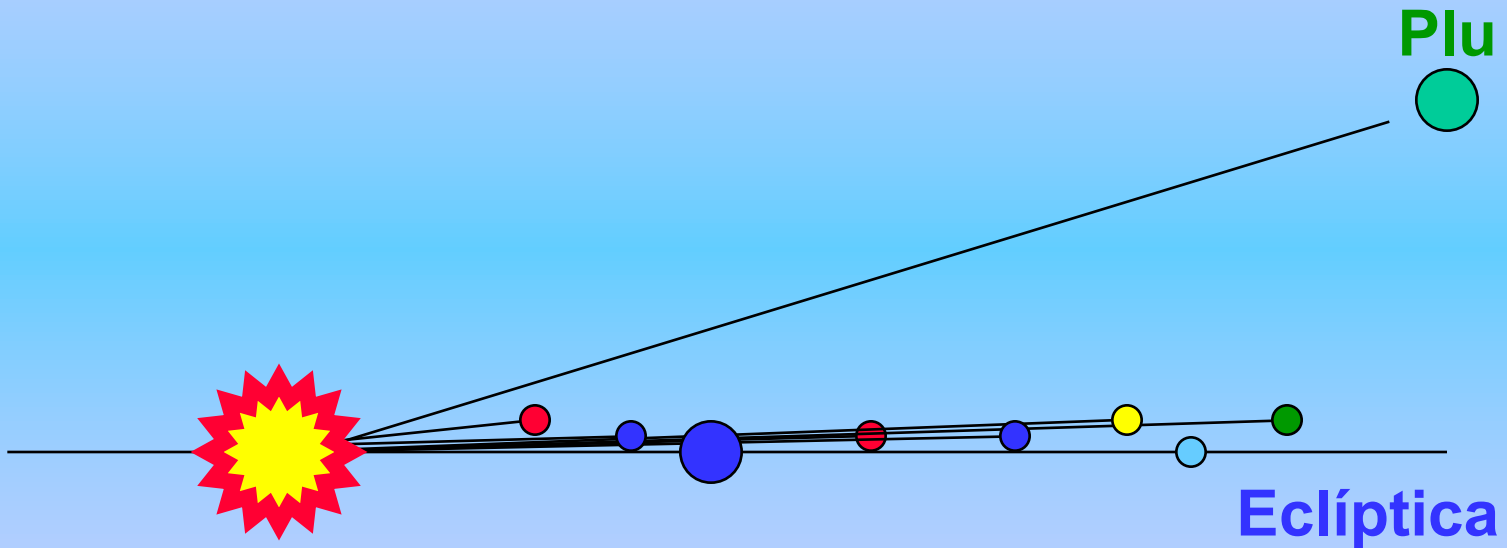
O cálculo da massa do Buraco Negro central da Galáxia, que é de 3.3 milhões de M_{\odot}

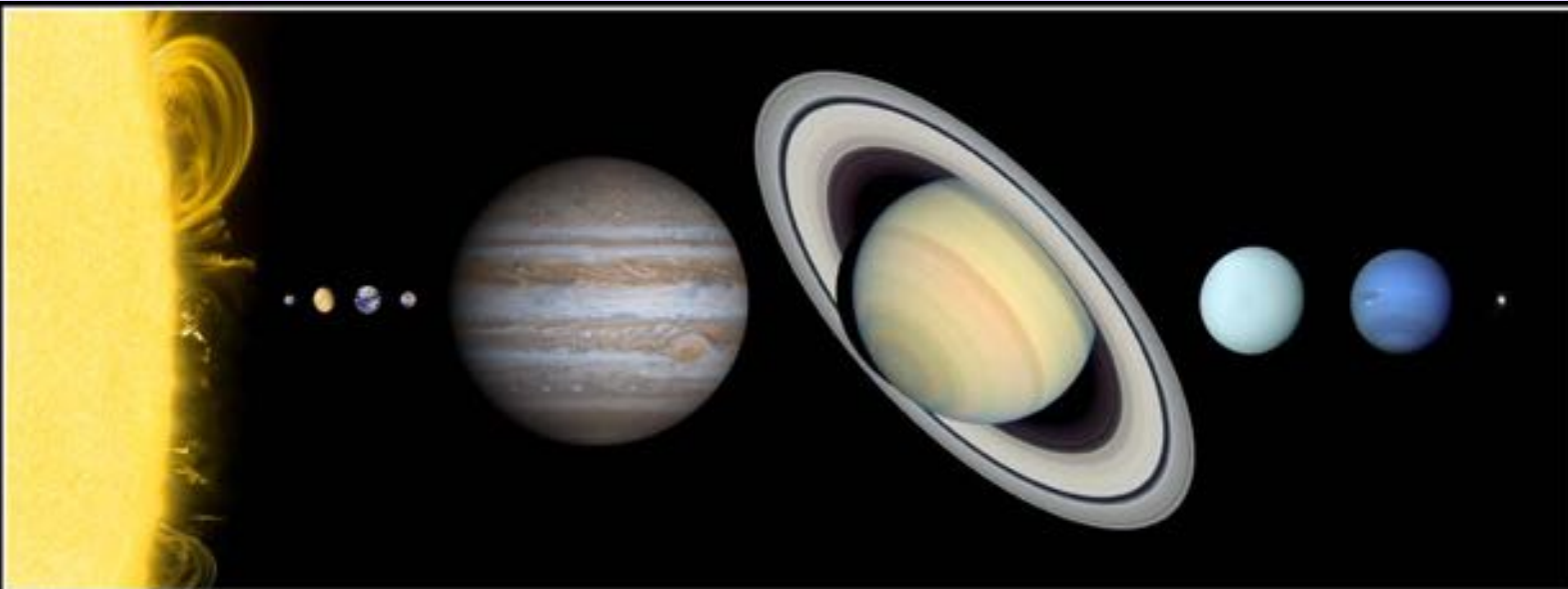
Year: 1995.5



Estrutura atualmente conhecida do Sistema Planetário

Órbitas não coplanares

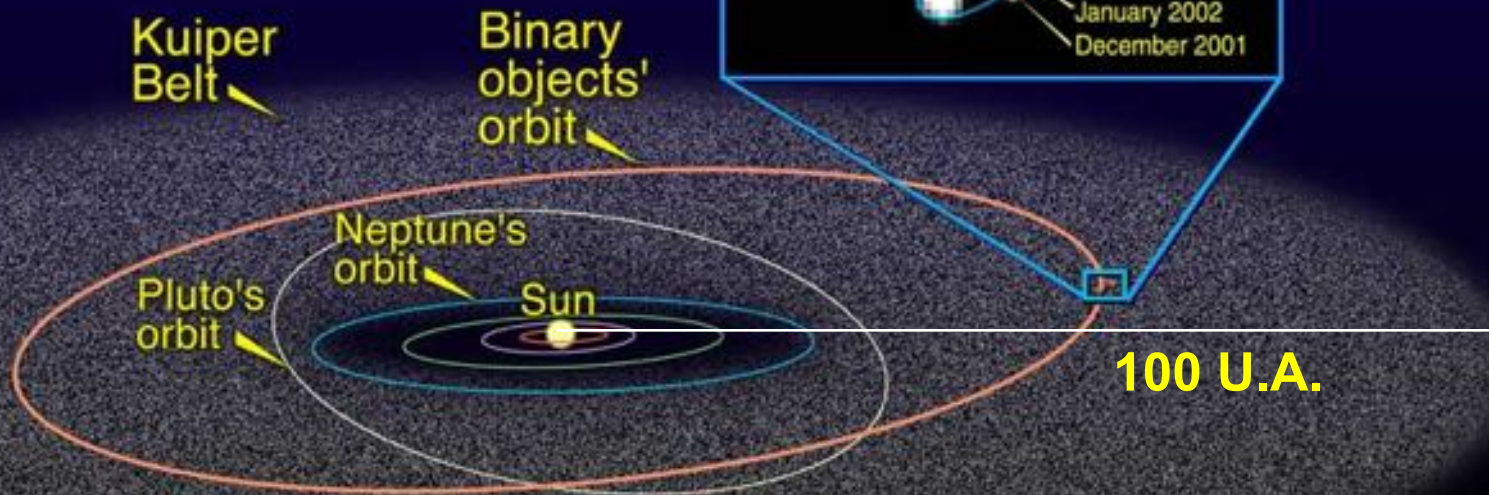




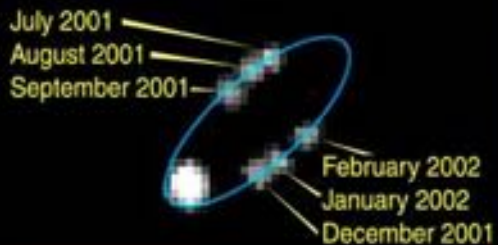
The Sun and Nine Planets

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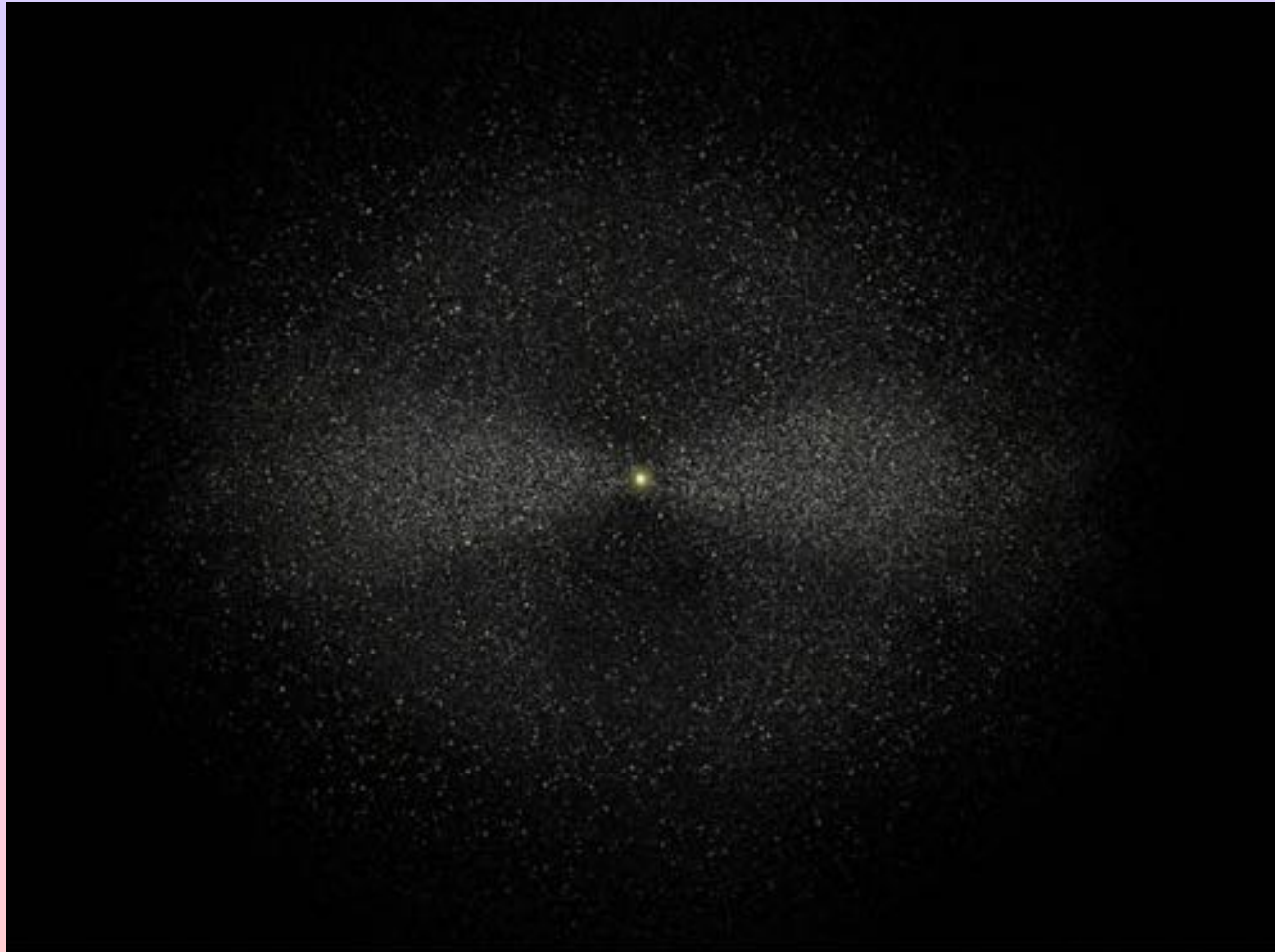
Kuiper Belt Object 1998 WW31



Binary objects orbit each other



50.000 U.A.



The Oort Cloud

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